Write the running time of each code fragment as the best Big O function of n.

	T	,
1.	for (i=1; i<=n; i++) k++;	0 (n)
2.	for (i=1; i<=1000; i++) k++;	0(1)
3.	for (i=1; i<=n; i++) for (j=1; j<=i; j++) k++;	O (n ²)
4.	for (i=1; i<=n; i++) for (j=i; j<=n; j++) k++;	O (n ²)
5.	<pre>for (i=1; i<=n; i++) for (j=i; j<=n; j++) for (k=1; k<=j; k++) m++;</pre>	O (n ³)
6.	<pre>for (i=1; i<=n; i++) for (j=1; j<=200; j++) for (k=1; k<=5000; k++)</pre>	O(n)
7.	k=1; for (i=1; i<=n; i++) // niterations k*=2; for (j=1; j<=k; j++) // 2 ⁿ iterations m++;	O (2 ⁿ)
8.	<pre>k=1; for (i=1; i<=n; i++) // niterations k*=2; for (j=1; j<=k; j*=2) // lg 2ⁿ = niterations m++;</pre>	0 (n)
9.	for (j=1; j*j<=n; j++) k++;	$O(\sqrt{n})$
10.	for (k=1; k<=n; k*=2) j++;	O(lg n)

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11.
     for (k=1; k \le n; k \le 2)
          for (j=1; j<=n; j++)
                                                               O(n lg n)
               m++;
12.
     for (k=1; k \le n; k++)
          for (j=1; j <= k; j *= 2)
                                                               O(n lg n)
               m++;
13.
     for (k=1; k \le n; k \ne 2)
          for (j=1; j <= k; j++)
                                                                  O(n)
               m++;
        // Geometric series: 1+2+4+8+16+32+...+n = 2n-1 iterations
14.
     for (i=1; i<=n; i*=2)
          for (j=1; j \le n; j \le 2)
                                                                O(lg^2 n)
               k++;
15.
     k=0;
     for (i=1; i \le n; i \le 2) // lg n iterations
          k++;
                                                                O(lg n)
     for (j=1; j \le k; j++) // lg n iterations
          m++;
16.
     k=1;
     for (i=1; i<=n; i++) // niterations
          k*=i;
                                                                 O(n!)
     for (j=1; j \le k; j++) // n! iterations
           m++;
17.
     for (i=1; i<=n; i++)
          for (j=1; j<=n; j++)
               if (i==j) // condition is true n times
                                                                  O(n^2)
                   for (k=1; k \le n; k++)
                       m++;
                     // n*O(n) + (n^2 - n)*O(1)
     for (i=1; i<=n; i++)
18.
          for (j=1; j \le n; j++)
                \mbox{if } \mbox{(i!=j)} \mbox{ // condition is true } n^2-n \mbox{ times} 
                                                                  O(n^3)
                   for (k=1; k \le n; k++)
                        m++;
                     // (n^2-n)*O(n) + n*O(1)
19.
     k=1;
     for (j=1; j \le n; j+=k)
                                                                 O(\sqrt{n})
          k+=2;
                   // j = 1, 4, 9, 16, 25, 36, ..., n
20.
     m=n*n*n;
     while (m>=0) // n^3/n iterations
                                                                  O(n^2)
          m-=n;
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