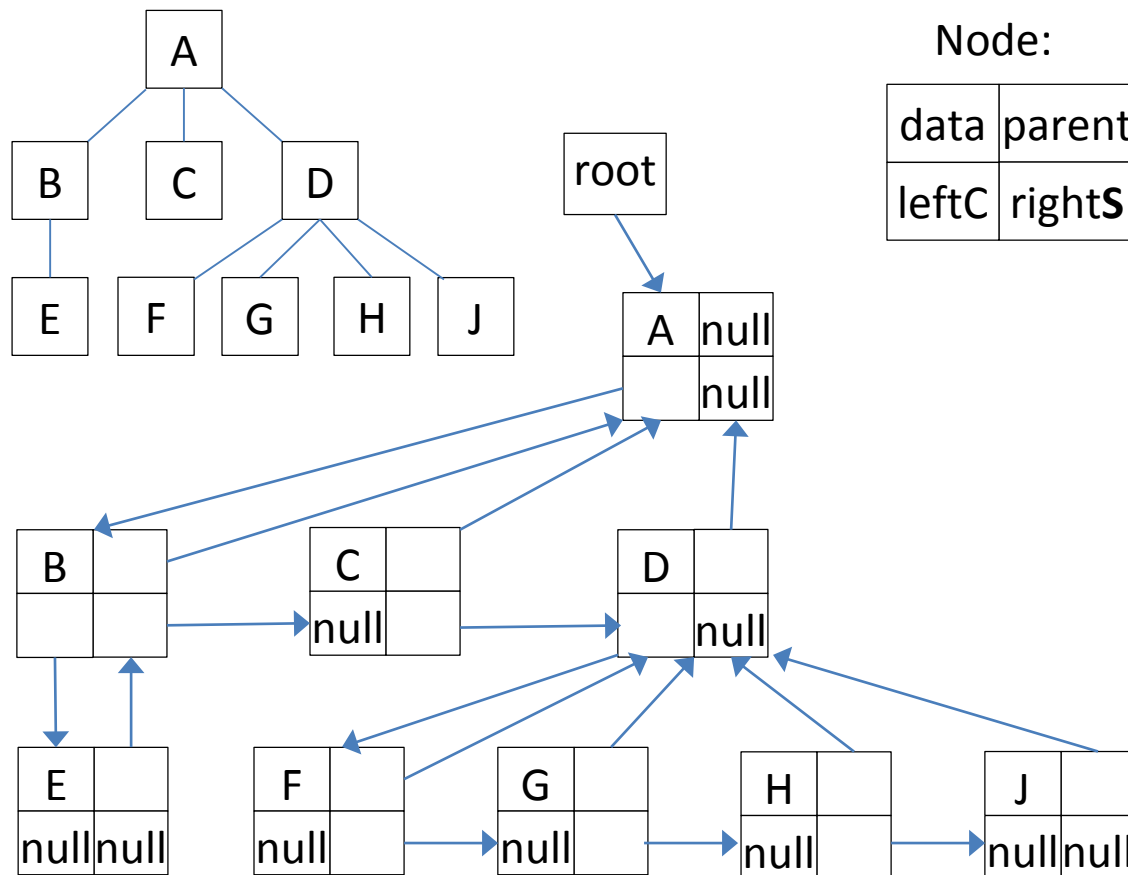


## Non-Binary Trees:

```

class Node {
    ElementType data;
    Node parent, leftmostChild, rightSibling;
    // singly-linked list of each node's children
}
class Tree {
    Node root;
}
    
```

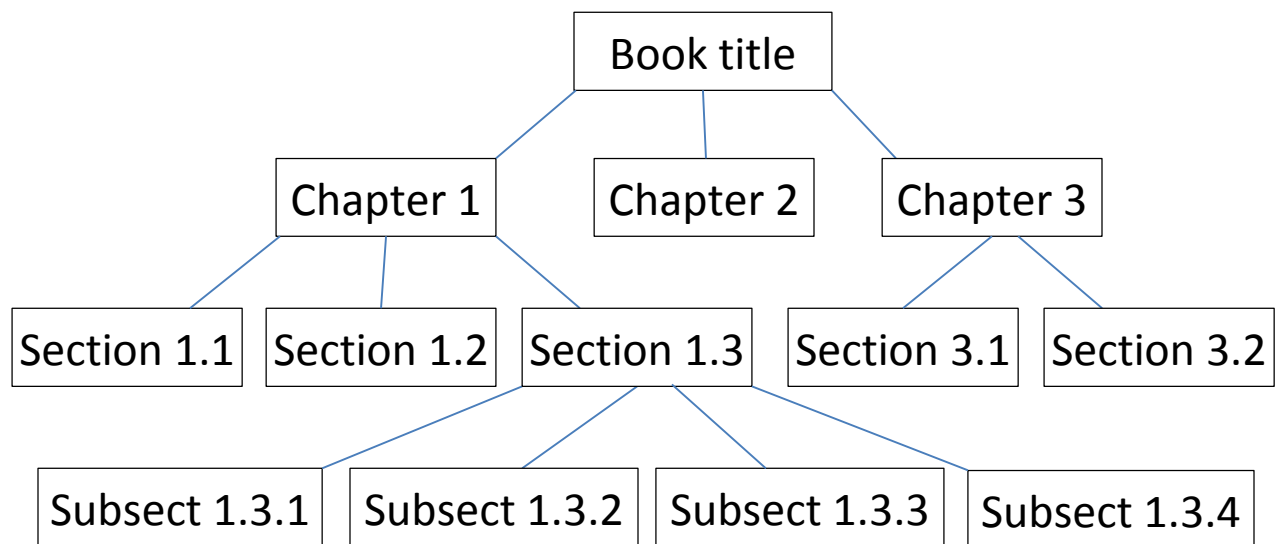


## Alternative representation of Non-Binary Trees:

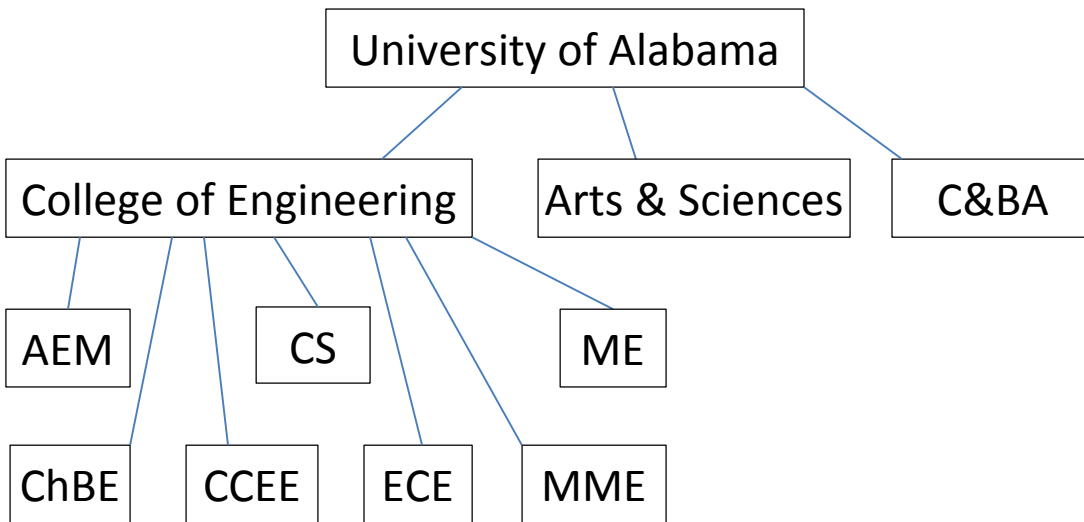
```
class Node {  
    ElementType data;  
    Node parent, leftmostChild, rightmostChild,  
        leftSibling, rightSibling;  
    // doubly-linked list of each node's children  
}  
class Tree {  
    Node root;  
}
```

## Applications:

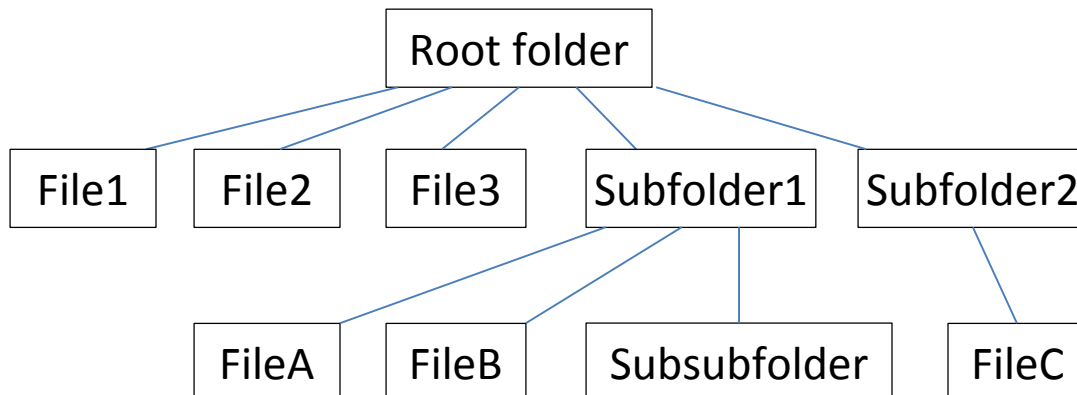
Contents of a book



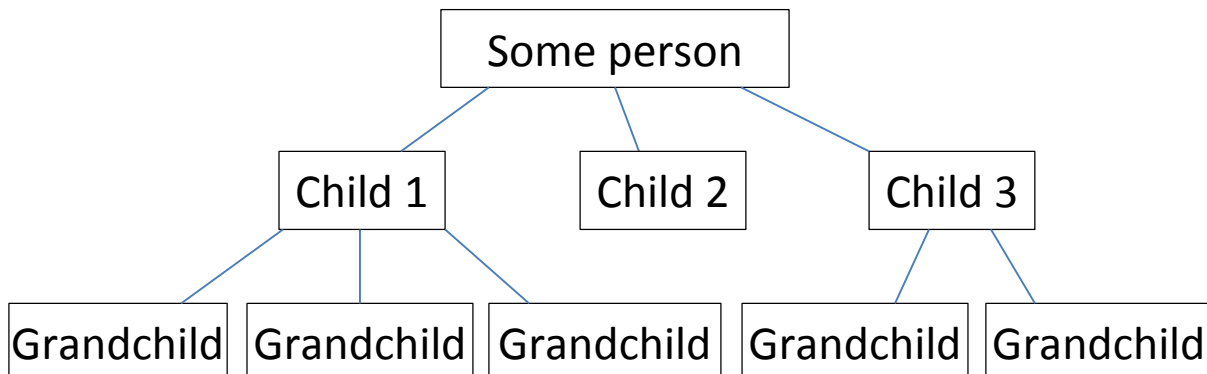
## Hierarchy of an organization



## File system



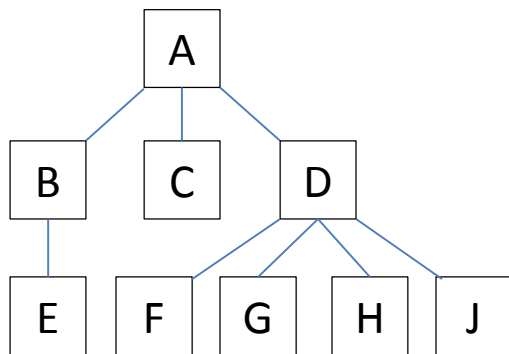
## Family tree (descendants)



# Traversals of a non-binary tree:

## Preorder traversal

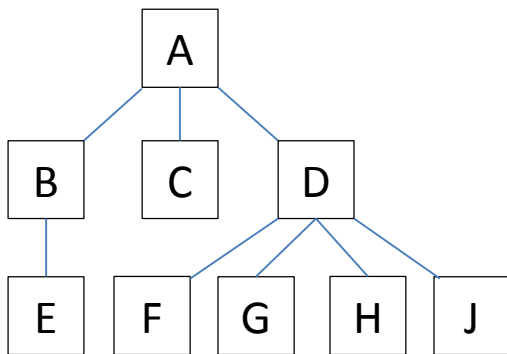
```
void preorder (Tree T) {  
    preorder (T.root);  
}  
void preorder (Node p) {  
    if (p==null) return;  
    visit (p);  
    preorder (p.leftmostChild);  
    preorder (p.rightSibling);  
}
```



A B E C D F G H J

## Postorder traversal

```
void postorder (Tree T) {  
    postorder (T.root);  
}  
void postorder (Node p) {  
    if (p==null) return;  
    postorder (p.leftmostChild);  
    visit (p);  
    postorder (p.rightSibling);  
}
```



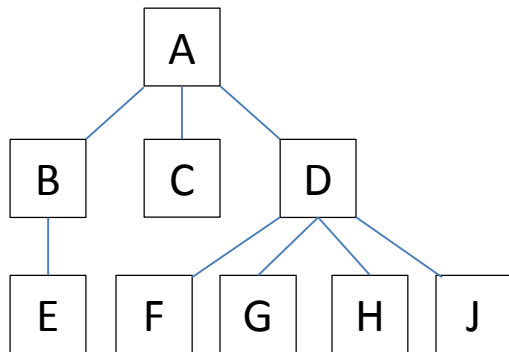
E B C F G H J D A

## Inorder traversal

No natural definition of inorder for non-binary trees

## Level-order traversal

```
void levelOrder (Tree T) {  
    Queue Q( );  
    Q.enqueue (T.root);  
    while (not Q.isEmpty( )) {  
        Node p = Q.dequeue( );  
        visit (p);  
        for (Node c=p.leftmostChild; c!=null; c=c.rightSibling)  
            Q.enqueue (c);  
    }  
}
```



A B C D E F G H J

Analysis: Let  $n$  = number of nodes in the tree. Each kind of traversal spends  $\theta(1)$  time at each node of the tree, so each traversal has  $\theta(n)$  total running time. [same as for binary trees]