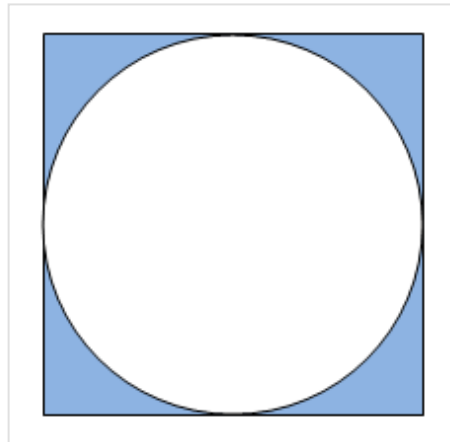


# Circle in Square

A circle is placed perfectly into a square. The term perfectly placed means that each side of the square is touched by the circle, but the circle doesn't have any overlapping part with the square. See the picture below.



Now you are given the radius of the circle. You have to find the area of the shaded region (blue part). Assume that  $\pi = 2 * \text{acos}(0.0)$  (acos means cos inverse).

## Input

Input starts with an integer  $T$  ( $\leq 1000$ ), denoting the number of test cases.

Each case contains a floating point number  $r$  ( $0 < r \leq 1000$ ) denoting the radius of the circle. And you can assume that  $r$  contains at most four digits after the decimal point.

## Output

For each case, print the case number and the shaded area rounded to two places after the decimal point.

Sample Input	Sample Output
3	Case 1: 343.36
20	Case 2: 777.26
30.091	Case 3: 6511.05
87.0921	

## Notes

This problem doesn't have a special judge. So, precision problems could occur. Better to add a small value to your result to avoid this. For example, add  $10^{-9}$  to your result.

More about **rounding errors**.