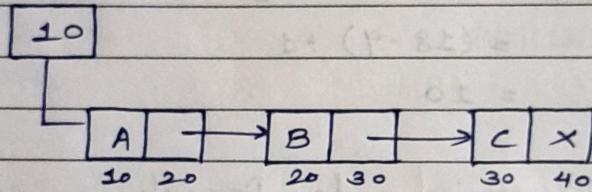


Unit 02:

* Linked list:

- Linked list is a linear data structure, which is a collection of data elements called 'nodes'.
- Successive elements in LL are always connected by pointer and the last element always point to 'null'.
- There is a special node called 'head' or 'start' node which always points to 1st element of the list.

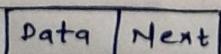
Head/start



* Basic terms in LL:

1. Node:

- Every ele. in LL is called node.
- Node consists of 2 parts. First part is info./data part & second part is next or pointer part.



- Data part contains actual elements and next part contains the address of next element.

2. NULL pointer:

- When the LL is empty or no node in it, then NULL value is set to pointer i.e $\boxed{\text{PTR} = \text{NULL}}$

3. Empty list:

- When there is no node in a linked list, then it is called 'empty linked list.'

* Advantages of LL:

1. Linked list provides a facility to insert and delete nodes dynamically.
2. User can increase or decrease the size of list by inserting or deleting a node.
3. Linked list follows an efficient memory allocation of data as in LL, data are not stored in contiguous memory location like an array. Here, nodes are stored randomly. That's why, it reduces the wastage of memory space.
4. No need to pre-define the size of linked list.
5. Insertion and deletion is very optimal in linked list. Unlike an array, we need not shift or change the position of an item.

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- * Limitations of LL:
1. Time complexity - As traversing in LL take more time.
 2. Reverse traversing is difficult - Using single LL it is not possible to traverse in a reverse direction & to do this we need a doubly LL; but use of backward pointers again need extra space for storage.
 3. Implementation - It's imp' is not easy as it include the concept of objects, classes, constructors and structure also.

Viva
not in
syllabus *

Memory allocation: (MA) ~~malloc()~~

We can allocate a memory in 2 ways:

1) Static MA :

- Memory is allocated during compile time , i.e we can't allocate and deallocate memory during execution .
- Here, stack data structure is used .
- Static MA is less efficient than dynamic MA

2) Dynamic MA :

- Memory is allocated at runtime .
- Allocation and de-allocation can be done using library function of 'stdlib.h' .
- This func allocates memory from heap and de-allocates whenever not required so that it can be used for other purpose.

Library functions for memory allocation :

1. Malloc (MA) malloc()

- It allocate single block of requested memory of specified size.

Syntax :- void *malloc (size)

Here, size → block size

e.g :- ptr = (int*) malloc (5 * sizeof(int))

for n=5 ∴ 5 × 4 = 20 byte

↳ 20 byte available space.

2. Calloc (continuous allocation) calloc()

- It performs same operation like malloc but difference is that it initializes each block with default value zero.
- It has 2 parameters as compared to malloc.

Syntax :- void *calloc (n, size)

e.g :- ptr = (int*) calloc (n, sizeof(int));

5 × 4 → 4 bytes for 1

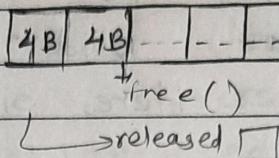


3. Free function ⇒ free()

- It is used to de-allocate memory space which is allocated by malloc & calloc function.
- Malloc and calloc function are unable to de-allocate memory by their own.
- Whenever de-allocation is done by using free function it helps to reduce wastage of memory space by freeing it.

- Syntax :- `free (int)`

e.g. :- `ptr = (int *) calloc (n, sizeof (int))`



4. Realloc

- To change memory allocation of previously allocated memory, `realloc` function is used.
- If memory allocated by `calloc` and `malloc` function is insufficient then `realloc` function is used to reallocate memory dynamically.

Syntax :- `ptr = realloc (ptr, newsize);`

e.g. :- `int *mptr = realloc (ptr, newsize)`

Initial size	(20, 28)
new size	

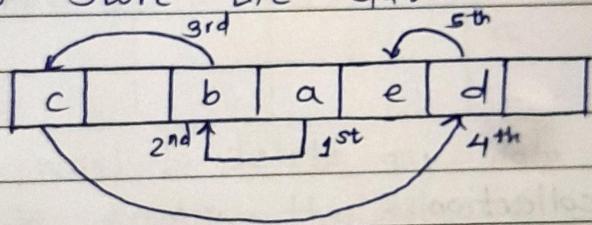
* Memory representation using LL:

- List ele. are stored in a memory in an arbitrary order.
- LL always use go from one ele. to other ele.
- Consider, memory layout $L = \{a, b, c, d, e\}$

Using array representation,

$$L = \begin{array}{|c|c|c|c|c|} \hline a & b & c & d & e \\ \hline 0 & 1 & 2 & 3 & 4 \\ \hline \end{array}$$

- Array repⁿ gives continuous memory location to store data; but LL uses an arbitrary layout to store the data.



For example, consider a list where each node of a list contain a single char. We can obtain actual string by using LL representation.

Let, $S = \text{"STRUCTURE"}$

Head	Data		Link	
4	1	R	7	1
	2	T	6	2
	3			3
→4	5	S	5	4
	5	T	1	5
	6	4	10	6
	7	4	9	7
	8			8
	9	C	2	9
	10	R	12	10
	11			11
	12	E	0	12
	13			13
	14			14

* Garbage collection:

We can maintain linked list in memory by assuming the possibilities of inserting new node into the list. For that we want some memory space, so that we can insert new node in the list.

Also, if we want to delete any node from list, then that memory space is used for future purpose. So, there is a special space in a memory which consists of unused memory cell which is called as "available space."

Suppose, some memory space is reusable because of node is deleted from the list and we want some space for the future insertion. Then we want to insert deleted node space in a free storage list.

The technique which collects all deleted space into free storage list is called as "Garbage collection." Garbage collection takes place in such a way that, first computer runs through all the list, marking all the cell those are currently used and also marks the free space in the memory.

* Overflow:

- When new data is to be insert into the list; but there is no available space i.e free storage list is empty, then 'overflow' occurs.
- We can handle this situation by adding the space when we're working with data structure.

* Underflow:

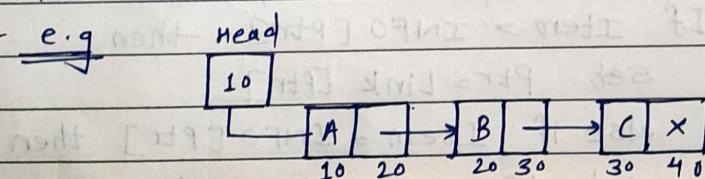
- When we want to delete any data from the list and the list is empty, the situation is called as 'underflow.'

* Operations on linked list:

1 Traversing :

- To count the number of elements.

- e.g



PTR = start

PTR = 10

INFO[PTR] = A

PTR = LINK[PTR]

PTR = 20

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Algorithm for traversing:

Step 1 : Set PTR = START / HEAD

Step 2 : Repeat step 3 & 4 until PTR ≠ NULL

Step 3 : APPLY PROCESS TO INFO [PTR]

Step 4 : Set PTR = LINK [PTR]

Step 5 : Exit

2. Searching :

- Searching alg. is used to find out the location of the node where item first appear in list .

* Unsorted list -

- Let , we've a list ; but the data in the list is not sorted & if we want to search any particular element in the list , then we've to traverse in a list using pointer variable.

Algorithm :

Search (INFO, Next, Ptr)

Step 1 : Set ptr = start

Step 2 : Repeat step 3 until ptr ≠ NULL

Step 3 : If Item > INFO [ptr] then

 Set Ptr = Link [ptr]

 else if Item = INFO [ptr] then

 Set LOC = ptr & exit

 else

 Set LOC = NULL & exit

Step 4 : Exit

e.g. Unsorted list : 4 3 1 2 5
 ↓ ↓ ↓ ↓ ↓
 30 30 30 40 50 → want to search

1. Set $\text{ptr} = 10$
- 2.

* Sorted list -

Algorithm :

Search (INFO, Next, ptr)

Step 1: Set $\text{Ptr} = \text{Start}$

Step 2: Repeat step 3 till $\text{Ptr} \neq \text{NULL}$

Step 3: if ($\text{Item} == \text{INFO}[\text{Ptr}]$)

Set $\text{LOC} = \text{Ptr}$

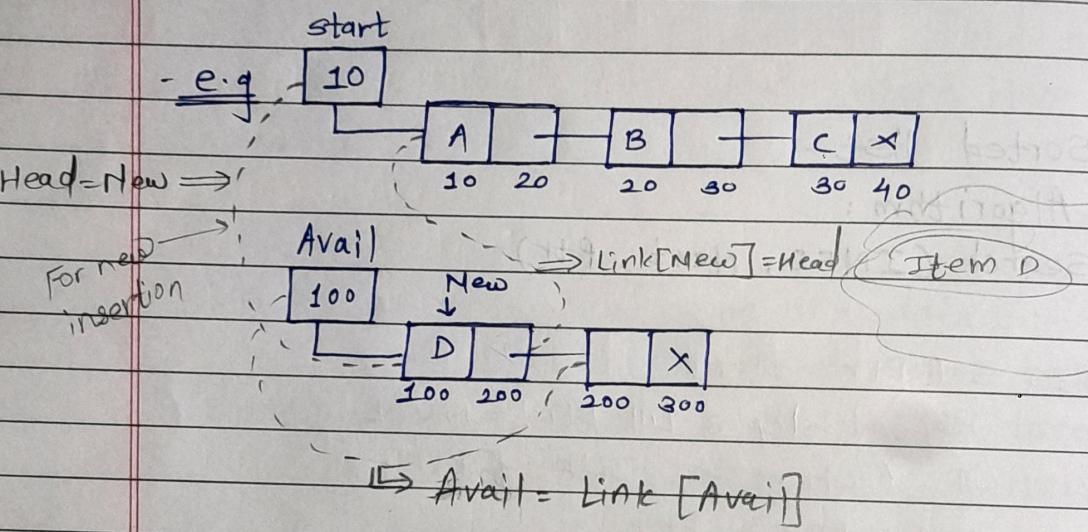
else

$\text{Ptr} = \text{Link}[\text{Ptr}]$

Step 4: Exit

3. Insertion:

- 'Insertion' refers to the operation of adding new element in the existing linked list.
 - Insertion of new element in the list can be done in 3 ways :-
- ① In the beginning of list
 - ② At the given pos
 - ③ At the last position / insertion in sorted list



- To insert the new element into the existing LL, following 3 things should be done:
 - 1) Allocating the new node for new element from the available list.
 - 2) Assigning data to new element.
 - 3) Adjust the pointers.

26-10-20

Algorithm:

Insert_beg (Info, New, Item, Link, Avail, start)

Step 1: if start = NULL then exit

Step 2: if avail = NULL then overflow occurs and exit

Step 3: Set Avail = New

Step 4: Set Avail = Link[Avail]

Step 5: Set Info [New] = Item

Step 6: Link [New] = Head

Step 7: Head = New

Step 8: Exit.

Pseudocode :

Insert_beg (struct node* Head, int data)

{

 struct node * new

 new = (struct node) malloc (sizeof (struct node))

 new → data = Item

 new → Next = Head

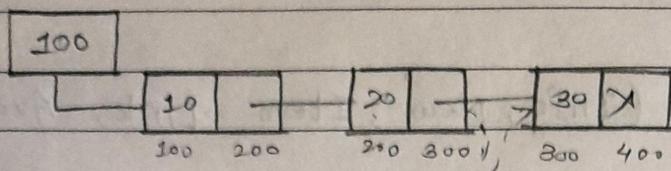
 Head = new

}

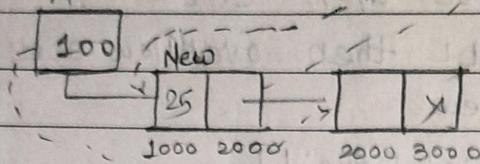
Return Head

7-10-29

Q.



A



Existing item = 20 | New item = 25

~~Algo~~ Insert - LOC (Head, Link, Info)

Step 1: if Avail = NULL

 write overflow and exit

Step 2: set New = Avail and

 Avail = Link[Avail]

Step 3: Set Info[New] = Item

Step 4: if LOC = NULL then

 set Link[New] = Head and

 Head = New

else

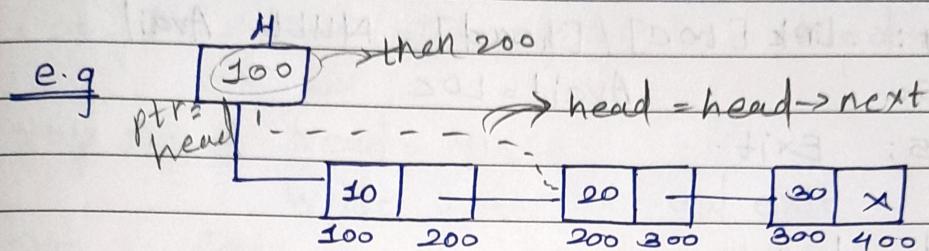
 Link[New] = Link[LOC]

 Link[LOC] = New

Step 5: Exit.

4. Deletion:

- Deletion refers to the operation of removing a node from the linked list.
- Deletion can be done in 3 ways:-
 (i) Delete a node from the 1st posn.
 (ii) Delete a node from the given locn.
 (iii) Delete a last node from the list.



Pseudocode :

```
del_1st (struct node* head)
```

```
{
```

```
    struct node* ptr ;
```

```
    if (head == NULL)
```

```
{
```

```
        print("List is empty");
```

```
}
```

```
{
```

```
    ptr = head;
```

```
    head = head → next; = 200
```

```
    free(ptr);
```

```
{
```

```
    return head;
```

Link(head)=Avail

100 = Avail

Avail = Loc

when avail

28-10-29

#

Algorithm:

Algo - Del-1st (Info, ptr, link, head)

Step 1 : if head = NULL

 Write underflow and exit

Step 2 : Set ptr = head

Step 3 : Set head = Link[head]

Step 4 : Link [loc] / [head] = NULL Avail

Step 5 : Avail = loc

Step 6 : Exit

#

Pseudocode :

del-last (struct node * head)

{

 struct node * ~~head~~ ptr, * prev

 if (head == NULL)

{

 print ("List is empty") }

 else if (head->next == NULL)

{

 free(head) → if LL has only 1 element

 head = NULL

}

 else {

 ptr = head

 while (ptr->next != NULL)

{

 prev -> ptr

 ptr = ptr -> next

}

$\text{prev} \rightarrow \text{next} = \text{NULL}$

$\text{free}(\text{ptr})$

{

return head

{

* Algorithm:

Algo - Del - last (Info, ptr, link, head)

Step 1 : if $\text{head} = \text{NULL}$

 write underflow and exit.

Step 2 : Set if $\text{link}[\text{head}] = \text{NULL}$

$\text{link}[\text{head}] = \text{Avail}$

$\text{head} = \text{NULL}$

Step 3 : set $\text{ptr} = \text{head}$

Step 4 : Repeat step 3 until $\text{link}[\text{ptr}] \neq \text{NULL}$

Step 5 : set $\text{prev} = \text{ptr}$

 set $\text{ptr} = \text{link}[\text{ptr}]$

Step 6 : set $\text{link}[\text{prev}] = \text{NULL}$

$\text{link}[\text{ptr}] = \text{Avail}$

$\text{Avail} = \text{LOC}$

Step 7 : Exit

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02-11-20

S. complexity: No. of random pointers
T. complexity: O(n)

* Copy / clone single linked list:

- Here, we've to deal with two pointers - one is 'next' pointer which points to the next element in the list and 'random' pointer which points to any node in the list.
- For cloning the LL, it takes $O(n)$ time. The pointer points to the next node is called 'next pointer' & the pointer points to the random element is called 'arbit' pointer i.e. it can point to any arbitrary node in the list.

for a.

original clone

Head

clone->r = clone->r → r → next

If we copy/clone the list, then how to manipulate the pointers. Assign the addr to the random pointer of copied node. Initially random pointer of copied node doesn't any addr; bcoz we haven't assign any addr to random pointer.
To assign the addr we've to follow some steps:

i) The next pointer of original list will point to the next node of copied list.

ii) Now, we'll assign address for all random pointers of copied linked list by providing the addr of node available in the original LL, i.e random pointer of a of clone list holds the addr of node a of original list.

Random pointer of b of clone list holds the addr of node b of original list.

iii) Now, to provide the link to random pointer, we use the stmt. $\Rightarrow \text{clone} \rightarrow r = \text{clone} \rightarrow r \rightarrow r \rightarrow \text{next}$

For each node in copied LL will hold the addr of

for e.g ① Consider, node a from copied LL which hold the address of node a in original LL.

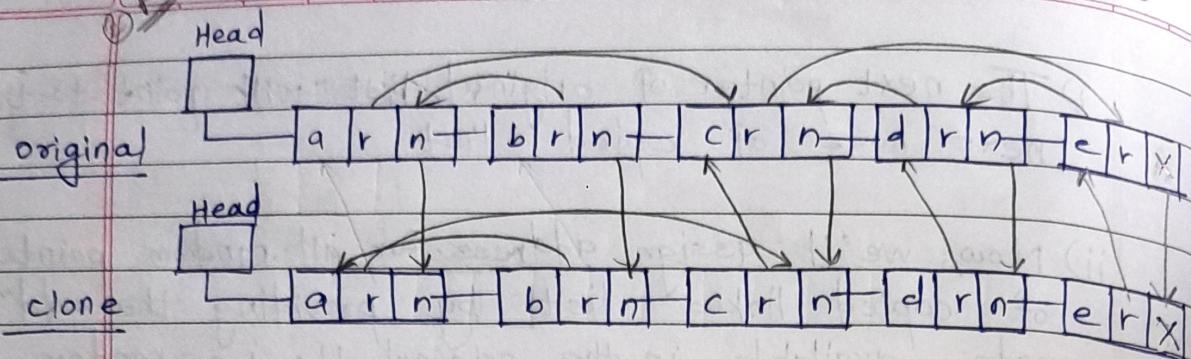
$$a \rightarrow r = a \rightarrow r \rightarrow c \rightarrow \text{next}$$

Random pointer of node a in original LL hold the addr of c, then the next of c hold the addr of node c from clone LL. \therefore Node a hold add' of node c.

② Consider, node b from copied LL which hold the addr of node b in original LL.

$$b \rightarrow r = b \rightarrow r \rightarrow a \rightarrow \text{next}$$

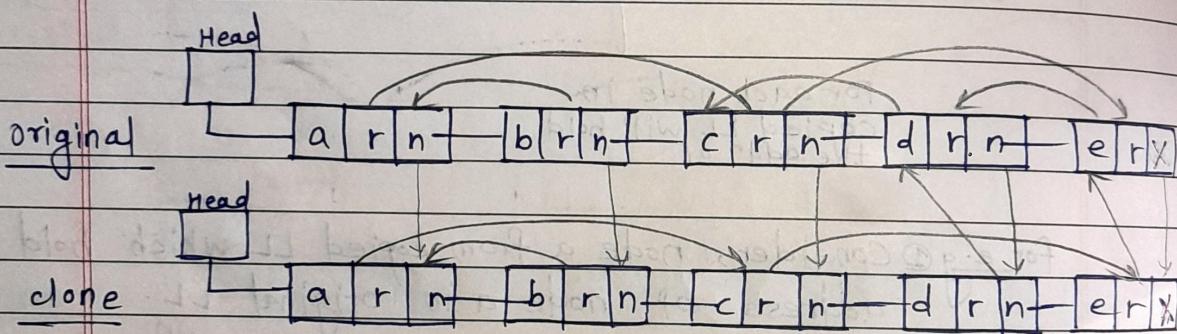
Random pointer of node b in original linked list holds the addr of a, then the next of a hold the addr of node a from clone LL.



- ③ Consider, node c from copied LL which hold the address of node c in original LL.

$$c \rightarrow r = c \rightarrow r \rightarrow e \rightarrow \text{next}$$

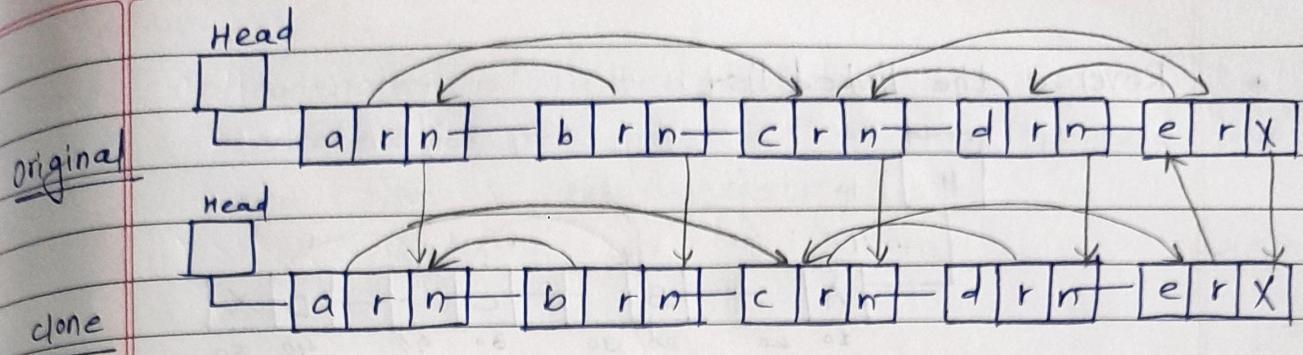
Random pointer of node c in original LL hold the address of e , then the next of e hold the address of node e from clone LL.



- ④ Consider, node d from copied LL which hold the address of node d in original LL.

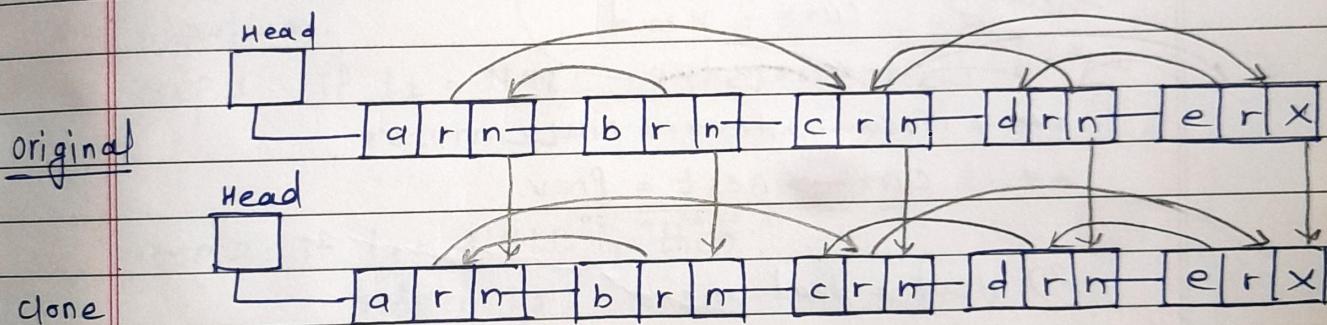
$$d \rightarrow r = d \rightarrow r \rightarrow c \rightarrow \text{next}$$

Random pointer of node d in original LL hold the address of c , then the next of c hold the address of node c from clone LL.

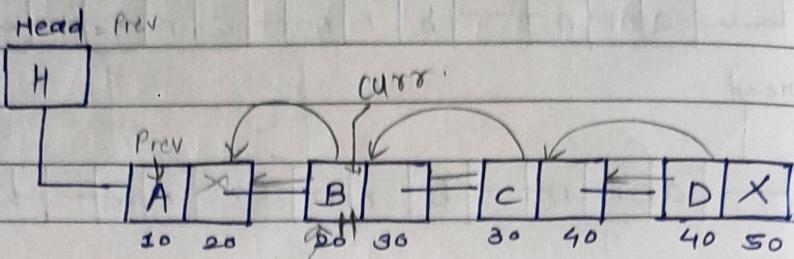


- ⑤ Consider, node e from copied LL which hold the address of node e in original LL.
 $e \rightarrow r = e \rightarrow r \rightarrow d \rightarrow \text{next}$

Random pointer of node e in original LL hold the address of d , then the next of d hold the address of node d from clone LL.



* Reverse the linked list:



1) Set $\text{Prev} = \text{Head}$

$$\boxed{\text{Prev} = 10}$$

$\text{Head} = \text{Head} \rightarrow \text{next}$

$$\therefore n = 10 \rightarrow \text{next}$$

$$\boxed{\text{H} = 20}$$

This will work together

$$\text{curr} = \text{Head}$$

$$\therefore \text{curr} = 20$$

* * $A \rightarrow \text{Prev} \rightarrow \text{next} = \text{NULL}$

* * $\text{curr} \rightarrow \text{next} = \text{Prev}$

$$20 \rightarrow n \Rightarrow 30 = 10$$

2) $\text{Head} = \text{Head} \rightarrow \text{next}$

$$= 20 \rightarrow \text{next}$$

$$\therefore \boxed{\text{H} = 30}$$

$$\text{Prev} = \text{curr}$$

$$\boxed{\text{curr} = \text{Head}} \rightarrow \boxed{\therefore \text{curr} = 30}$$

$$\text{curr} \rightarrow \text{next} = \text{prev}$$

$\text{Head} = \text{Head} \rightarrow \text{next}$

$$30 \rightarrow \text{next}$$

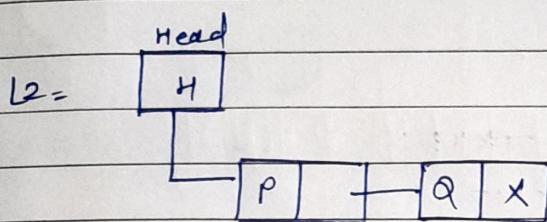
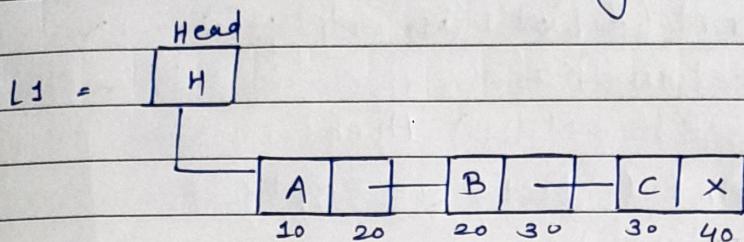
$$40$$

$$\therefore \boxed{\text{Head} = 40}$$

04-11-23

* Concatenation of linked list:

- "Concatenation of single LL" means append the new list = the existing list.



* Algorithm:

Step 1: if $L_1 = \text{NULL}$, then
return L_2

Step 2: if $L_2 = \text{NULL}$, then
return L_1 .

Step 3: Set $\text{ptr} = \text{head}(L_1)$

Step 4: do traversing in list L_1 by using
APPLY PROCESS TO $\text{Info}[\text{ptr}]$

Step 5: Set $\text{ptr} = \text{head}(L_2)$

* Pseudo code:

```
struct node * concat (node *ptr , * h1 , * h2)
if ( h1 = NULL) then
    print (" List1 is empty ")
    return h2
else if ( h2 = NULL) then
    print (" List2 is empty ")
    return h1.
```

ptr = h1
while (ptr -> next != NULL)

{

 ptr = ptr -> next

?

 ptr -> next = h2

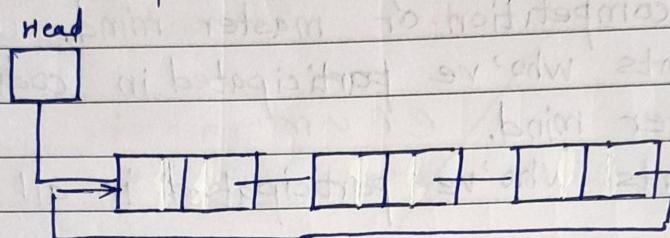
}

return h1;

}

- * Types of linked list:
 - 1. Circular linked list:
 - single / simple / linear LL
 - circular LL
 - Doubly LL
 - Header LL

- In a single list, we can move from starting node to any other node in one direction only; but in circular linked list, the link field of last node always point to the head node.
- Here, null pointer is not present.



* Operations of circular LL:-

① Traversing: Terminating condⁿ: $\text{ptr} \rightarrow \text{next} \neq \text{start}$
 (same as single LL)

② Searching:

(same as single LL)

③ Insertion :

i) Insertion in the beginning

