# Trabalhando com pontos e linhas

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Não, não é nenhum artigo sobre corte e costura, ou ainda, sobre desenhos (como vemos no Paint do Windows). Trata-se de tipos de dados que constam no PostgreSQL específicos para operações geométricas.

O PostgreSQL tem condições de ser utilizado para construir poderosas soluções que exijam tratamento científico, onde, tais recursos são dificilmente encontrados em bancos de dados comerciais (Oracle e DB2 têm esses recursos). Este artigo dará uma pequena idéia de como tratar dados geográficos (Geo-Data) com o PostgreSQL, um assunto cada vez mais importante: o geoprocessamento (GIS).

Dados geométricos podem ser armazenados com o auxilio de alguns tipos de dados do PostgreSQL: point, line, box, path, polygon e circle.

#### <u>point</u>

O ponto é o ponto fundamental (desculpem, não resisti ao trocadilho) para o tratamento de objetos geométricos. Ele pode ser manuseado facil e eficientemente pelo usuário. <u>Um ponto</u> (neste caso) é <u>definido por dois valores: o primeiro é o valor da coordenada do eixo X, o segundo é o valor da coordenada do eixo Y</u>. Ambos os valores são armazenados internamente no banco de dados PostgreSQL como valores do tipo <u>ponto-flutuante (8 bytes)</u>, portanto, um ponto requer <u>16 bytes</u> de armazenamento.

Um detalhe muito importante é que <u>ao inserirmos os pontos</u>, estes devem estar entre apóstrofes, caso contrário, um erro sobre tipos diferentes de dados será informado.

#### <u>line</u>

Uma linha é <u>definida através de dois pontos</u> (ou seja, <u>quatro valores ou dois pares de coordenadas</u>). O <u>primeiro ponto determina o início da linha e, o segundo, determina seu término</u>. Portanto, para armazenar uma linha serão utilizados 32 bytes. <u>Existem dois tipos definidos para linha: line e lseg.</u> O tipo line ainda não está totalmente implementado, usaremos então o lseg.

```
CREATE TABLE tablinhas(segmento lseg);

INSERT INTO tablinhas(segmento) VALUES ('1,4,3,5');
INSERT INTO tablinhas(segmento) VALUES ('(1,4),(3,5))');
INSERT INTO tablinhas(segmento) VALUES ('[(2,6),(4,7)]');

[(1,4),(3,5)]
[(1,4),(3,5)]
[(2,6),(4,7)]
(3 rows)
```

A utilização de colchetes e parênteses facilita a leitura ao inserir os pontos da linha.

#### **box**

O tipo box é utilizado para armazenar <u>um retângulo</u> (ou qradrado), <u>definido por dois pontos</u> (exatamente como a linha), porém, esta linha, define a <u>diagonal deste retângulo</u>. Portanto, o espaço destinado ao armazenamento de um retângulo é igual ao de uma linha, 32 bytes.

```
CREATE TABLE tabarearec(area box);

INSERT INTO tabarearec(area) VALUES ('7,5,2,3');
INSERT INTO tabarearec(area) VALUES ('((1,1),(8,0))');

(7,5),(2,3)
(8,1),(1,0)
(2 rows)
```

Aqui, somente a utilização de parênteses é permitida, os colchetes não.

#### path

O path é um <u>caminho</u>, ou seja, <u>uma seqüência de pontos que pode ser aberta ou fechada</u>. Fechada <u>significa que o último ponto do caminho retorna ao início da seqüência</u>. O tamanho (ou espaço de armazenamento) de um path é dinâmico, ou seja, são utilizados 4 bytes de início e 32 bytes para cada nó que for armazenado. <u>O PostgreSQL também fornece algumas funções especiais para verificar se o caminho é aberto ou fechado: popen() e pclose() forçam que o caminho deva ser aberto ou fechado respectivamente; isopen() e isclosed() fazem a verificação.</u>

CREATE TABLE tabtrilha(trajeto path);	SELECT * FROM tabtrilha;
INSERT INTO tabtrilha(trajeto) VALUES ('(1,2), (5,3)'); INSERT INTO tabtrilha(trajeto) VALUES ('(1,3), (-3,1), (7,0)');	trajeto
	((1,2),(5,3)) ((1,3),(-3,1),(7,0)) (2 rows)

#### polygon

O polígono é um caminho fechado por definição.

CREATE TABLE tabarea(area polygon);	SELECT * FROM tabarea;
INSERT INTO tabarea(area) VALUES ('(1,3), (4,16), (0,23)'); INSERT INTO tabarea(area) VALUES ('(2,7), (5,-15), (1,20)');	area
(2), (3), (3), (3), (4), (5), (7), (6), (7), (7), (7), (7), (7), (7), (7), (7	((1,3),(4,16),(0,23)) ((2,7),(5,-15),(1,20))
	(2 rows)

#### circle

Um círculo consiste de um ponto central e seu raio, e precisa de 24 bytes para ser armazenado.

CREATE TABLE tabareacirc(area circle);	SELECT * FROM tabareacirc;
INSERT INTO tabareacirc(area) VALUES ('10,12,10'); INSERT INTO tabareacirc(area) VALUES ('12,19,5');	area < <(10,12),10>
	<(12,19),5> <(12,19),5> <(2,9),0> (3 rows)

O tipo circle <u>não aceita o uso de parênteses para uma melhor definição visual</u> e, além disso, o valor do raio <u>SEMPRE deve ser maior ou igual a zero</u>.

#### OPERADORES PARA DADOS GEOMÉTRICOS

Primeira regra: lembre-se de usar o operador ~= no lugar de = sempre, caso contrário receberá uma mensagem de erro. Por exemplo:

```
SELECT * FROM tabpontos WHERE posicao ~= '(1,2)';
```

Segundo: existem operadores para cálculo entre dados geométricos. Por exemplo:

Distăncia entre 2 pontos SELECT '(1,1)'::point <-> '(3,9)'::point;	
Adição de 2 pontos	SELECT '(2,1)'::point + '(4,8)'::point;
Subtração de 2 pontos	SELECT '(3,1)'::point - '(5,7)'::point;
Multiplicação de 2 pontos	SELECT '(4,1)'::point * '(6,6)'::point;
Divisão de 2 pontos	SELECT '(5,1)'::point / '(7,5)'::point;
Divisão de 2 pontos	SELECT '(5,1)'::point / '(7,5)'::point;
Intersecção de 2 segmentos	SELECT '((0,0),(10,1))'::lseg # '((-4,5),(10,-3))'::lseg;
O ponto mais próximo	SELECT '(10,1)'::point ## '((-4,5),(10,-3))'::lseg;

Terceiro: existem operadores para análise dos pontos. Por exempl

SELECT '(6,1)'::point ?- '(8,4)'::point;
SELECT '(6,1)'::point ?  '(8,4)'::point;
SELECT '(-8,0)'::point << '(0,0)'::point;
SELECT '(0,-9)'::point <^ '(0,0)'::point;
SELECT '(6,0)'::point >> '(0,0)'::point;
SELECT '(0,5)'::point >^ '(0,0)'::point;

Quarto: existem diversos outros operadores para trabalhar com dados geométricos (&&, &<, &>, ? #, @-@, ?||, @, @@), procure maiores detalhes na documentação do PostgreSQL, ou executo /do em seu psql para ver todos os operadores.

#### Link do original:

http://imasters.uol.com.br/artigo/1004/postgresql/trabalhando com pontos e linhas/imprimir/

# Tipos geométricos

Os tipos de dado geométricos representam objetos espaciais bidimensionais. A <u>Tabela 8-16</u> mostra os tipos geométricos disponíveis no PostgreSQL. O tipo mais fundamental, o ponto, forma a base para todos os outros tipos.

Tabela 8-16. Tipos geométricos

Nome	Tamanho de Armazenamento	Descrição	Representação
point	16 bytes	Ponto no plano	(x,y)
line	32 bytes	Linha infinita (não totalmente implementado)	((x1,y1),(x2,y2))
lseg	32 bytes	Segmento de linha finito	((x1,y1),(x2,y2))
box	32 bytes	Caixa retangular	((x1,y1),(x2,y2))
path	16+16n bytes	Caminho fechado (semelhante ao polígono)	((x1,y1),)
path	16+16n bytes	Caminho aberto	[(x1,y1),]
polygon	40+16n bytes	Polígono (semelhante ao caminho fechado)	((x1,y1),)
circle	24 bytes	Círculo	<(x,y),r> (centro e raio)

Está disponível um amplo conjunto de funções e operadores para realizar várias operações geométricas, como escala, translação, rotação e determinar interseções, conforme explicadas na Seção 9.10.

# **Pontos**

Os pontos são os blocos de construção bidimensionais fundamentais para os tipos geométricos. Os valores do tipo point são especificados utilizando a seguinte sintaxe:

```
( x , y )
x , y
```

onde x e y são as respectivas coordenadas na forma de números de ponto flutuante.

# Segmentos de linha

Os segmentos de linha (lseg) são representados por pares de pontos. Os valores do tipo lseg são especificado utilizando a seguinte sintaxe:

```
( ( x1 , y1 ) , ( x2 , y2 ) )
( x1 , y1 ) , ( x2 , y2 )
x1 , y1 , x2 , y2
```

onde (x1,y1) e (x2,y2) são os pontos das extremidades do segmento de linha.

#### Caixas

As caixas são representadas por pares de pontos de vértices opostos da caixa. Os valores do tipo box são especificados utilizando a seguinte sintaxe:

```
( ( x1 , y1 ) , ( x2 , y2 ) )
( x1 , y1 ) , ( x2 , y2 )
x1 , y1 , x2 , y2
```

onde (x1,y1) e (x2,y2) são quaisquer vértices opostos da caixa.

As caixas são mostradas utilizando a primeira sintaxe. Os vértices são reordenados na entrada para armazenar o vértice direito superior e, depois, o vértice esquerdo inferior. Podem ser especificados outros vértices da caixa, mas os vértices esquerdo inferior e direito superior são determinados a partir da entrada e armazenados.

#### **Caminhos**

Os caminhos são representados por listas de pontos conectados. Os caminhos podem ser *abertos*, onde o primeiro e o último ponto da lista não são considerados conectados, e *fechados*, onde o primeiro e o último ponto são considerados conectados.

Os valores do tipo path são especificados utilizando a seguinte sintaxe:

```
( ( x1 , y1 ) , ... , ( xn , yn ) )

[ ( x1 , y1 ) , ... , ( xn , yn ) ]

( x1 , y1 ) , ... , ( xn , yn )

( x1 , y1 , ... , xn , yn )

x1 , y1 , ... , xn , yn
```

onde os pontos são os pontos das extremidades dos segmentos de linha que compõem o caminho. Os colchetes ([]) indicam um caminho aberto, enquanto os parênteses (()) indicam um caminho fechado.

Os caminhos são mostrados utilizando a primeira sintaxe.

# **Polígonos**

Os polígonos são representados por uma lista de pontos (os vértices do polígono). Provavelmente os polígonos deveriam ser considerados equivalentes aos caminhos fechados, mas são armazenados de forma diferente e possuem um conjunto próprio de rotinas de suporte.

Os valores do tipo polygon são especificados utilizando a seguinte sintaxe:

```
( ( x1 , y1 ) , ... , ( xn , yn ) )
( x1 , y1 ) , ... , ( xn , yn )
( x1 , y1 , ... , xn , yn )
x1 , y1 , ... , xn , yn
```

onde os pontos são os pontos das extremidades dos segmentos de linha compondo a fronteira do polígono.

Os polígonos são mostrados utilizando a primeira sintaxe.

# **Círculos**

Os círculos são representados por um ponto central e um raio. Os valores do tipo circle são especificado utilizando a seguinte sintaxe:

```
< (x,y),r>
((x,y),r)
(x,y),r
x,y,r
```

onde (x,y) é o centro e r é o raio do círculo.

Os círculos são mostrados utilizando a primeira sintaxe.

Fonte: http://pgdocptbr.sourceforge.net/pg80/datatype-geometric.html

# Funções e operadores geométricos

Os tipos geométricos point, box, lseg, line, path, polygon e circle possuem um amplo conjunto de funções e operadores nativos para apoiá-los, mostrados na <u>Tabela 9-30</u>, na <u>Tabela 9-31</u> e na <u>Tabela 9-32</u>.

Tabela 9-30. Operadores geométricos

Operador	Descrição	Exemplo
+	Translação	box '((0,0),(1,1))' + point '(2.0,0)'
_	Translação	box '((0,0),(1,1))' - point '(2.0,0)'
*	Escala/rotação	box '((0,0),(1,1))' * point '(2.0,0)'
/	Escala/rotação	box '((0,0),(2,2))' / point '(2.0,0)'
#	Ponto ou caixa de interseção	'((1,-1),(-1,1))' # '((1,1),(-1,-1))'
#	Número de pontos do caminho ou do polígono	# '((1,0),(0,1),(-1,0))'
@-@	Comprimento ou circunferência	@-@ path '((0,0),(1,0))'
@@	Centro	@@ circle '((0,0),10)'
##	Ponto mais próximo do primeiro operando no segundo operando	point '(0,0)' ## lseg '((2,0),(0,2))'
<->	Distância entre	circle '((0,0),1)' <-> circle '((5,0),1)'
&&	Se sobrepõem?	box '((0,0),(1,1))' && box '((0,0), (2,2))'
&<	Não se estende à direita de?	box '((0,0),(1,1))' &< box '((0,0), (2,2))'
<b>&amp;</b> >	Não se estende à esquerda de?	box '((0,0),(3,3))' &> box '((0,0), (2,2))'
<<	Está à esquerda?	circle '((0,0),1)' << circle '((5,0),1)'
>>	Está à direita?	circle '((5,0),1)' >> circle '((0,0),1)'
<^	Está abaixo?	circle '((0,0),1)' <^ circle '((0,5),1)'

Operador	Descrição	Exemplo
>^	Está acima?	circle '((0,5),1)' >^ circle '((0,0),1)'
?#	Se intersectam?	lseg '((-1,0),(1,0))' ?# box '((-2,-2), (2,2))'
?-	É horizontal?	?- lseg '((-1,0),(1,0))'
?-	São alinhados horizontalmente?	point '(1,0)' ?- point '(0,0)'
?	É vertical?	?  lseg '((-1,0),(1,0))'
?	São alinhados verticalmente	point '(0,1)' ?  point '(0,0)'
?-	São perpendiculares?	lseg '((0,0),(0,1))' ?-  lseg '((0,0), (1,0))'
?	São paralelos?	lseg '((-1,0),(1,0))' ?   lseg '((-1,2), (1,2))'
~	Contém?	circle '((0,0),2)' ~ point '(1,1)'
@	Está contido ou sobre?	point '(1,1)' @ circle '((0,0),2)'
~=	O mesmo que?	polygon '((0,0),(1,1))' ~= polygon '((1,1),(0,0))'

Tabela 9-31. Funções geométricas

Função	Tipo retornado	Descrição	Exemplo
area(object)	double precision	área	area(box '((0,0),(1,1))')
box_intersect(box box)	box	caixa de interseção	box_intersect(box '((0,0), (1,1))',box '((0.5,0.5),(2,2))')
center(object)	point	centro	center(box '((0,0),(1,2))')
diameter(circle)	double precision	diâmetro do círculo	diameter(circle '((0,0),2.0)')
height(box)	double precision	tamanho vertical da caixa	height(box '((0,0),(1,1))')
isclosed(path)	boolean	é um caminho fechado?	isclosed(path '((0,0),(1,1),(2,0))')
isopen(path)	boolean	é um caminho aberto?	isopen(path '[(0,0),(1,1),(2,0)]')
length(object)	double precision	comprimento	length(path '((-1,0),(1,0))')
npoints(path)	integer	número de pontos	npoints(path '[(0,0),(1,1),(2,0)]')
npoints(polygon)	integer	número de pontos	npoints(polygon '((1,1),(0,0))')
pclose(path)	path	converte o caminho em caminho fechado	pclose(path '[(0,0),(1,1),(2,0)]')
popen(path)	path	converte o caminho em caminho aberto	popen(path '((0,0),(1,1),(2,0))')
radius(circle)	double precision	raio do círculo	radius(circle '((0,0),2.0)')
width(box)	double	tamanho horizontal da caixa	width(box '((0,0),(1,1))')

Função	Tipo retornado	Descrição	Exemplo
	precision		

Tabela 9-32. Funções de conversão de tipo geométrico

Função	Tipo retornado	Descrição	Exemplo
box(circle)	box	círculo em caixa	box(circle '((0,0),2.0)')
box(point, point)	box	pontos em caixa	box(point '(0,0)', point '(1,1)')
box(polygon)	box	polígono em caixa	box(polygon '((0,0),(1,1), (2,0))')
circle(box)	circle	caixa em círculo	circle(box '((0,0),(1,1))')
circle(point, double precision)	circle	centro e raio em círculo	circle(point '(0,0)', 2.0)
lseg(box)	lseg	diagonal de caixa em segmento de linha	lseg(box '((-1,0),(1,0))')
lseg(point, point)	lseg	ponto em segmento de linha	lseg(point '(-1,0)', point '(1,0)')
path(polygon)	point	polígono em caminho	path(polygon '((0,0),(1,1), (2,0))')
point(double precision, double precision)	point	constrói ponto	point(23.4, -44.5)
point(box)	point	centro da caixa	point(box '((-1,0),(1,0))')
point(circle)	point	centro do círculo	point(circle '((0,0),2.0)')
point(lseg)	point	centro do segmento de linha	point(lseg '((-1,0),(1,0))')
point(lseg, lseg)	point	intersecção	point(lseg '((-1,0),(1,0))', lseg '((-2,-2),(2,2))')
point(polygon)	point	centro do polígono	point(polygon '((0,0),(1,1), (2,0))')
polygon(box)	polygon	caixa em polígono de 4 pontos	polygon(box '((0,0),(1,1))')
polygon(circle)	polygon	círculo em polígono de 12 pontos	polygon(circle '((0,0),2.0)')
polygon(npts, circle)	polygon	círculo em polígono de npts-pontos	polygon(12, circle '((0,0),2.0)')
polygon(path)	polygon	caminho em polígono	polygon(path '((0,0),(1,1), (2,0))')

É possível acessar os dois números que compõem um point como se este fosse uma matriz com os índices 0 e 1. Por exemplo, se t.p for uma coluna do tipo point, então SELECT p[0] FROM t retorna a coordenada X, e UPDATE t SET p[1] = ... altera a coordenada Y. Do mesmo modo, um valor do tipo box ou lseg pode ser tratado como sendo uma matriz contendo dois valores do tipo point.

As funções area operam sobre os tipos box, circle e path. A função area somente opera sobre o tipo de dado path se os pontos em path não se intersectarem. Por exemplo, não opera sobre o path

'((0,0),(0,1),(2,1),(2,2),(1,2),(1,0),(0,0))'::PATH, entretanto opera sobre o path visualmente idêntico '((0,0),(0,1),(1,1),(1,2),(2,2),(2,1),(1,1),(1,0),(0,0))'::PATH. Se o conceito de path que intersecta e que não intersecta estiver confuso, desenhe os dois caminhos acima lado a lado em uma folha de papel gráfico.

http://pgdocptbr.sourceforge.net/pg80/functions-geometry.html

#### Capítulo de E-book Online:

## **Chapter:** Geometric Data Types

PostgreSQL supports six data types that represent two-dimensional geometric objects. The most basic geometric data type is the POINT?as you might expect, a POINT represents a point within a two-dimensional plane.

A POINT is composed of an x-coordinate and a y-coordinate?each coordinate is a DOUBLE PRECISION number

The LSEG data type represents a two-dimensional line segment. When you create a LSEG value, you specify two points?the starting POINT and the ending POINT.

A BOX value is used to define a rectangle? the two points that define a box specify opposite corners.

A PATH is a collection of an arbitrary number of POINTs that are connected. A PATH can specify either a closed path or an open path. In a closed path, the beginning and ending points are considered to be connected, and in an open path, the first and last points are not connected. PostgreSQL provides two functions to force a PATH to be either open or closed: POPEN() and PCLOSE(). You can also specify whether a PATH is open or closed using special literal syntax (described later).

A POLYGON is similar to a closed PATH. The difference between the two types is in the supporting functions.

A center POINT and a (DOUBLE PRECISION) floating-point radius represent a CIRCLE.

Table 2.18 summarizes the geometric data types.

#### **Syntax for Literal Values**

When you enter a value for geometric data type, keep in mind that you are working with a list of two-dimensional points (except in the case of a CIRCLE, where you are working with a POINT and a radius).

A single POINT can be entered in either of the following two forms:

```
'(x,y)'
```

The LSEG and BOX types are constructed from a pair of POINTS. You can enter a pair of POINTS in any of the following formats:

```
'(( x1, y1 ), ( x2, y2 ))'
'( x1, y1 ), ( x2, y2 )'
```

```
'x1, y1, x2, y2'
```

The PATH and POLYGON types are constructed from a list of one or more POINTS. Any of the following forms is acceptable for a PATH or POLYGON literal:

```
'(( x1, y1 ), ..., ( xn, yn ))'
'( x1, y1 ), ..., ( xn, yn )'
'( x1, y1, ..., xn, yn )'
'x1, y1, ..., xn, yn'
```

You can also use the syntax '[( $\times1$ , y1), ..., ( $\times n$ , yn)]' to enter a PATH literal: A PATH entered in this form is considered to be an open PATH.

A CIRCLE is described by a central point and a floating point radius. You can enter a CIRCLE in any of the following forms:

```
'< ( x, y ), r >'
'(( x, y ), r )'
'( x, y ), r'
'x, y, r'
```

Notice that the surrounding single quotes are required around all geometric literals?in other words, geometric literals are entered as string literals. If you want to create a geometric value from individual components, you will have to use a geometric conversion function. For example, if you want to create a POINT value from the results of some computation, you would use:

```
POINT(4, 3*height)
```

**Result Type** 

Meaning

The POINT ( DOUBLE PRECISION x, DOUBLE PRECISION y) function creates a POINT value from two DOUBLE PRECISION values. There are similar functions that you can use to create any geometric type starting from individual components. Table 2.19 lists the conversion functions for geometric types.

**Table 2.19. Type Conversion Operators for the Geometric Data Types** 

POINT	POINT ( DOUBLE PRECISION x, DOUBLE PRECISION y)
LSEG	LSEG( POINT p1, POINT p2 )
BOX	BOX ( POINT p1, POINT p2 )
PATH	PATH ( POLYGON poly )

# Result Type Meaning POLYGON ( PATH path ) POLYGON ( BOX b ) yields a 12-point polygon POLYGON ( CIRCLE c ) yields a 12-point polygon POLYGON ( INTEGER n, CIRCLE c ) yields an n point polygon CIRCLE ( BOX b ) CIRCLE ( POINT radius, DOUBLE PRECISION point )

#### Sizes and Valid Values

Table 2.20 lists the size of each geometric data type.

**Table 2.20. Geographic Data Type Storage Requirements** 

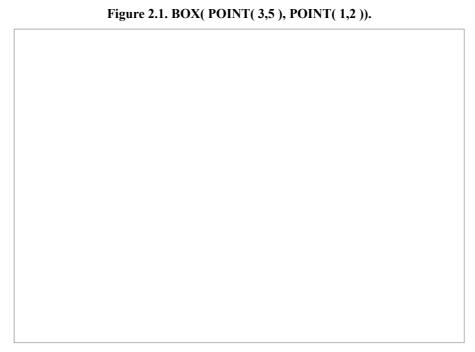
Type	Size (in bytes)
POINT	16 (2 sizeof DOUBLE PRECISION)
LSEG	32 (2 sizeof POINT)
BOX	32 (2 sizeof POINT)
PATH	number of points)[4]
POLYGON	4+(32 number of points) <sup>[4]</sup>
CIRCLE	24 (sizeof POINT + sizeof DOUBLE PRECISION)

$^{[4]}$ The size of a PATH or POLYGON is equal to $4+$ (sizeof LSEG	
number of segments).	

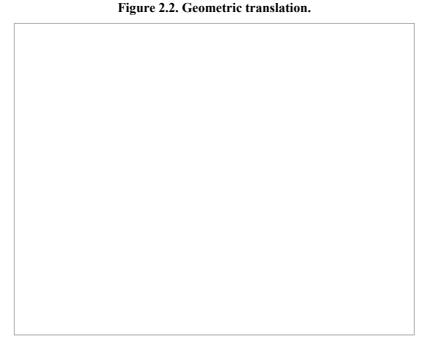
#### **Supported Operators**

PostgreSQL features a large collection of operators that work with the geometric data types. I've divided the geometric operators into two broad categories (transformation and proximity) to make it a little easier to talk about them.

Using the transformation operators, you can translate, rotate, and scale geometric objects. The + and - operators translate a geometric object to a new location. Consider Figure 2.1, which shows a BOX defined as BOX ( POINT ( 3,5 ), POINT ( 1,2 )).



If you use the + operator to add the POINT ( 2,1 ) to this BOX, you end up with the object shown in Figure 2.2.

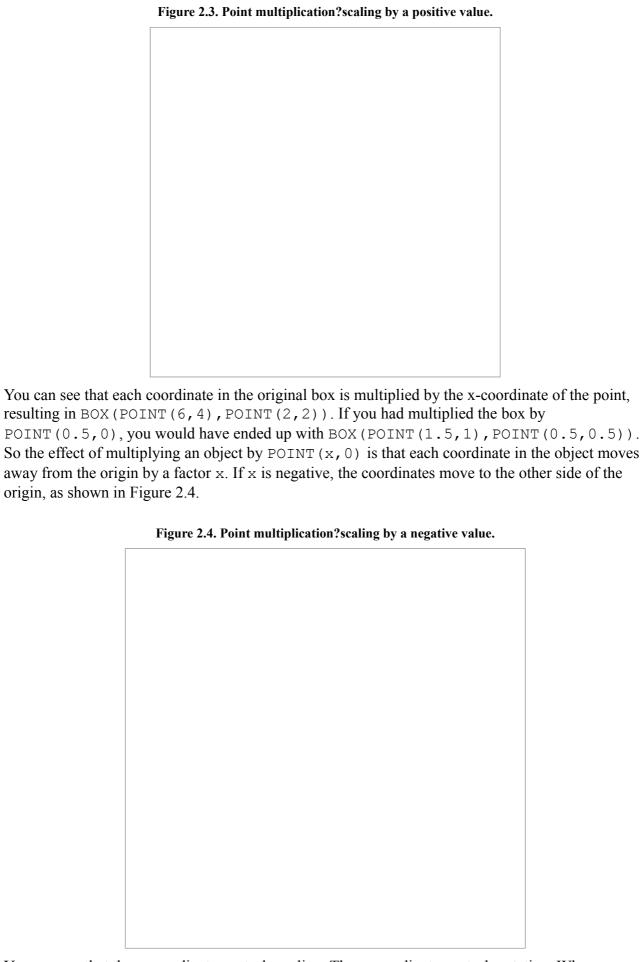


You can see that the x-coordinate of the POINT is added to each of the x-coordinates in the BOX, and the y-coordinate of the POINT is added to the y-coordinates in the BOX. The – operator works in a similar fashion: the x-coordinate of the POINT is subtracted from the x-coordinates of the BOX, and the y-coordinate of the POINT is subtracted from each y-coordinate in the BOX.

Using the + and - operators, you can move a POINT, BOX, PATH, or CIRCLE to a new location. In each case, the x-coordinate in the second operand (a POINT), is added or subtracted from each x-coordinate in the first operand, and the y-coordinate in the second operand is added or subtracted from each y-coordinate in the first operand.

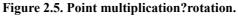
The multiplication and division operators ( \* and / ) are used to scale and rotate. The multiplication and division operators treat the operands as points in the complex plane. Let's look at some examples.

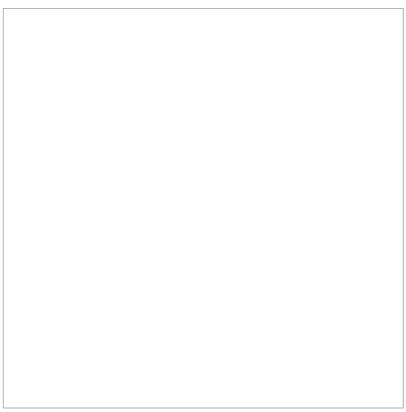
Figure 2.3 shows the result of multiplying BOX (POINT (3,2), POINT (1,1)) by POINT (2,0).



You can see that the x-coordinate controls scaling. The y-coordinate controls rotation. When you

multiply any given geometric object by POINT (0, y), each point in the object is rotated around the origin. When y is equal to 1, each point is rotated counterclockwise by 90° about the origin. When y is equal to ?1, each point is rotated ?90° about the origin (or  $270^{\circ}$ ). When you rotate a point without scaling, the length of the line segment drawn between the point and origin remains constant, as shown in Figure 2.5.





You can combine rotation and scaling into the same operation by specifying non-zero values for both the x- and y-coordinates. For more information on using complex numbers to represent geometric points, see http://www.clarku.edu/~djoyce/complex.

Table 2.21 shows the valid combinations for geometric types and geometric operators.

**Table 2.21. Transformation Operators for the Geometric Types** 

Data Types	Valid Operators $(\theta)$	
POINT $ heta$ POINT	* + - /	
BOX $ heta$ POINT	* + - /	
PATH $ heta$ POINT	* + - /	
CIRCLE $ heta$ POINT	* + - /	

The proximity operators allow you to determine the spatial relationships between two geometric objects.

First, let's look at the three containment operators. The ~ operator evaluates to TRUE if the left operand contains the right operand. The @ operator evaluates to TRUE if the left operand is contained within the right operand. The ~= returns TRUE if the left operand is the same as the right operand?two geographic objects are considered identical if the points that define the objects are identical (two circles are considered identical if the radii and center points are the same).

The next two operators are used to determine the distance between two geometric objects.

The ## operator returns the closest point between two objects. You can use the ## operator with the following operand types shown in Table 2.22.

**Table 2.22. Closest-Point Operators** 

Operator	Description
LSEG <sub>a</sub> ## BOX <sub>b</sub>	Returns the point in $BOX_b$ that is closest to $LSEG_a$
LSEG <sub>a</sub> ## LSEG <sub>b</sub>	Returns the point in $LSEG_b$ that is closest to $LSEG_a$
POINT <sub>a</sub> ## BOX <sub>b</sub>	Returns the point in $BOX_b$ that is closest to $POINT_a$
POINT <sub>a</sub> ## LSEG <sub>b</sub>	Returns the point in $LSEG_b$ that is closest to $POINT_a$

The distance (<->) operator returns (as a DOUBLE PRECISION number) the distance between two geometric objects. You can use the distance operator with the operand types in Table 2.23.

**Table 2.23. Distance Operators** 

Operator	Description (or Formula)
BOX <sub>a</sub> <-> BOX <sub>b</sub>	(@@ BOX <sub>a</sub> ) <-> (@@ BOX <sub>b</sub> )
CIRCLE <sub>a</sub> <-> CIRCLE <sub>b</sub>	(@@ CIRCLE <sub>a</sub> ) <-> (@@ CIRCLE <sub>b</sub> )
	?
	(radius <sub>a</sub> + radius <sub>b</sub> )
CIRCLE <sub>a</sub> <-> POLYGON <sub>b</sub>	0 if any point in $POLYGON_b$ is inside $CIRCLE_a$ otherwise, distance between center of $CIRCLE_a$ and closest point in $POLYGON_b$
LSEG <sub>a</sub> <-> BOX <sub>b</sub>	(LSEG ## BOX) <-> (LSEG ## (LSEG ## BOX))
LSEG <sub>a</sub> <-> LSEG <sub>b</sub>	Distance between closest points (0 if $LSEG_a$ intersects $LSEG_b$ )

Next, you can determine the spatial relationships between two objects using the left-of (<<), right-of(>>), below ( $<^{\land}$ ), and above ( $>^{\land}$ ) operators.

There are three overlap operators. & & evaluates to TRUE if the left operand overlaps the right operand. The &> operator evaluates to TRUE if the leftmost point in the first operand is left of the rightmost point in the second operand. The &< evaluates to TRUE if the rightmost point in the first operand is right of the leftmost point in the second operand.

The intersection operator (#)returns the intersecting points of two objects. You can find the intersection of two BOXes, or the intersection of two LSEGs. The intersection of two BOXes evaluates to a BOX. The intersection of two LSEGs evaluates to a single POINT.

Finally, the ?# operator evaluates to TRUE if the first operand intersects with or overlaps the second operand.

The final set of geometric operators determines the relationship between a line segment and an axis, or the relationship between two line segments.

The ?- operator evaluates to TRUE if the given line segment is horizontal (that is, parallel to the x-axis). The ? | operator evaluates to TRUE if the given line segment is vertical (that is, parallel to the y-axis). When you use the ?- and ? | operators with a line segment, they function as prefix unary operators. You can also use the ?- and ? | operators as infix binary operators (meaning that the operator appears between two values), in which case they operate as if you specified two points on a line segment.

The ?-| operator evaluates to TRUE if the two operands are perpendicular. The ?|| operator evaluates to TRUE if the two operands are parallel. The perpendicular and parallel operators can be used only with values of type LSEG.

The final geometric operator (@@) returns the center point of an LSEG, PATH, BOX, POLYGON, or

#### **Table 2.24. Proximity Operators for the Geometric Types**

## **Data Types** Valid Operators (θ)

POINT  $\theta$  POINT  $<-><<<^{^>}>^{^>}?-?|$  @

POINT  $\theta$  LSEG ## <-> @

POINT  $\theta$  BOX ## <-> @

POINT  $\theta$  PATH <-> @

POINT  $\theta$  POLYGON

POINT  $\theta$  CIRCLE <-> @

 $\texttt{LSEG}\,\theta\,\texttt{LSEG}\qquad\qquad \#\ \#\#\ <\ <->\ <=\ >\ >=\ ?\#\ ?-|\ ?|\,|$ 

LSEG  $\theta$  BOX ## <-> ?# @

BOX  $\theta$  POINT \* + - /

BOX  $\theta$  BOX # && &< <-> << <= <^ = >> >> >^ ?# @ ~ ~=

PATH  $\theta$  POINT \* + - / ~

PATH  $\theta$  PATH + < <-> <= = > = ?#

POLYGON  $\theta$  POINT ~

POLYGON  $\theta$  POLYGON && &< &> <-> >> << @ ~ ~=

CIRCLE  $\theta$  POINT \* + - / ~

CIRCLE  $\theta$  POLYGON <->

CIRCLE  $\theta$  CIRCLE && &< &> >-> << <= <> <^ = >> >> >^ @ ~ ~=

Table 2.25 summarizes the names of the proximity operators for geometric types.

# **Table 2.25. Geometric Proximity Operator Names**

<b>Data Types</b>	Valid Operators (θ)
#	Intersection or point count(for polygons)
##	Point of closest proximity
<->	Distance Between
<<	Left of?
>>	Right of?
<^	Below?
>^	Above?
& &	Overlaps
&>	Overlaps to left
&<	Overlaps to right
?#	Intersects or overlaps
@	Contained in
~	Contains
~=	Same as
?-	Horizontal
?	Vertical
?-	Perpendicular
?	Parallel

#### **Data Types** Valid Operators (θ)

@@ Center

#### Original em:

<?php

http://etutorials.org/SQL/Postgresql/Part+I+General+PostgreSQL+Use/Chapter+2.+Working+with+Data+in+PostgreSQL/Geometric+Data+Types/

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## **Using Geometric Data Types**

PostgreSQL provides set of data types you can use for storing geometric information efficiently. These data types are included in PostgreSQL's core distribution and are widely used and admired by many people. In addition to the data types themselves, PostgreSQL provides an index structure based on R-trees, which are optimized for performing spatial searching.

PHP has a simple interface for generating graphics. To generate database-driven indexes, you can combine PostgreSQL and PHP. In this section you will see how to implement the "glue" between PHP and PostgreSQL.

The goal of the next example is to implement an application that extracts points from a database and displays them in an image. To store the points in the database, you can create a table:

```
phpbook=# CREATE TABLE coord (comment text, data point);
CREATE
```

Then you can insert some values into the table:

```
phpbook=# INSERT INTO coord VALUES ('no comment', '20,20');
INSERT 19873 1
phpbook=# INSERT INTO coord VALUES ('no comment', '120,99');
INSERT 19874 1
phpbook=# INSERT INTO coord VALUES ('no comment', '137,110');
INSERT 19875 1
phpbook=# INSERT INTO coord VALUES ('no comment', '184,178');
INSERT 19876 1
```

In this example four records have been added to the table. Now that some data is in the database, you can start working on a script that generates the dynamic image:

```
include("objects/point.php");
header ("Content-type: image/png");
$im = @ImageCreate (200, 200)
    or die ("Cannot Generate Image");

$white = ImageColorAllocate ($im, 255, 255, 255);
$black = ImageColorAllocate ($im, 0, 0, 0);
ImageFill($im, 0, 0, $white);

# connecting to the database
$dbh = pg_connect("dbname=phpbook user=postgres");
if (!$dbh)
```

```
{
        exit ("an error has occurred <br>");
}
# drawing border
points = array(0,0,0,199,199,199,199,0);
ImagePolygon($im, $points, 4, $black);
# selecting points
$sql = "SELECT comment, data FROM coord";
$result = pg exec($dbh, $sql);
$rows = pg numrows($result);
# processing result
       (\$i = 0; \$i < \$rows; \$i++)
for
{
        $data = pg fetch array ($result, $i);
        $mypoint = new point($data["data"]);
        $mypoint->draw($im, $black, 3);
}
ImagePng ($im);
?>
```

First a library is included. This library will be discussed after you have gone through the main file of the script. Then an image is generated and two colors are allocated.

The background is painted white, and after that the connection to the database is established. To see where the image starts and where it ends, a rectangle is drawn that marks the borders of the image.

In the next step all records are retrieved from the table called coord. All records in the table are processed using a simple loop. In the loop a constructor is called. After the object has been created, a method called draw is called. This method adds the point to the image. Finally the image is sent to the browser.

In the next listing you can take a look at the library you will need to run the script you have just seen:

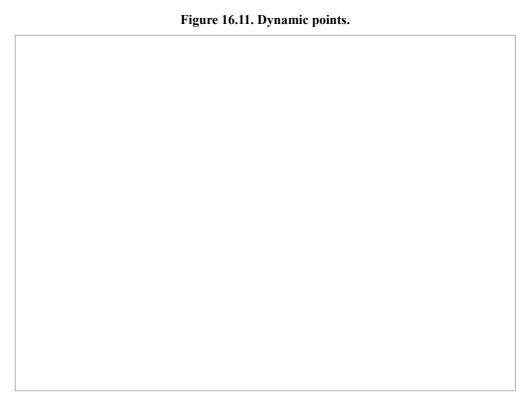
```
<?php
# working with points
class point
        var $x1;
        var $y1;
        # constructor
        function point($string)
                 string = ereg replace("\((*\))*", "", $string);
                 $tmp = explode(",", $string);
                 this -> x1 = tmp[0];
                 $this->y1 = $tmp[1];
        }
        # drawing a point
        function draw($image, $color, $size)
                 imagefilledrectangle ($image,
                         this - x1 - size/2
                          $this->y1 - $size/2,
                          \frac{1}{x} + \frac{1}{x} = \frac{1}{x}
```

```
$this->y1 + $size/2,
$color);
}
}
```

The class called point contains two variables. x1 contains the x coordinate of the point. y1 contains the y coordinate of the point. Let's take a closer look at the constructor.

One parameter has to be passed to the function. This parameter contains the data returned by PostgreSQL. In the next step the data is transformed and the two coordinates of the point are extracted from the input string. Finally the two values are assigned to \$this.

In addition to the constructor, a function for drawing a point has been implemented. Because a point is too small, a filled rectangle is drawn. The coordinates of the rectangle are computed based on the data retrieved from the database by the constructor. <u>Figure 16.11</u> shows what comes out when running the script.



Points are the easiest data structure provided by PostgreSQL and therefore the PHP class you have to implement is easy as well. A more complex yet important data structure is polygons. Polygons consist of a variable number of points, so the constructor as well as the drawing functions are more complex. Before taking a look at the code, you have to create a table and insert some data into it:

```
phpbook=# CREATE TABLE mypolygon (data polygon);
CREATE
```

In the next step you can add some data to the table:

```
phpbook=# INSERT INTO mypolygon VALUES ('10,10, 150,20, 120,160'::polygon);
INSERT 19902 1
phpbook=# INSERT INTO mypolygon VALUES ('20,20, 160,30, 120,160, 90,90');
INSERT 19903 1
```

Two records have been added to the table. Let's query the table to see how the data is returned by PostgreSQL:

```
phpbook=# SELECT * FROM mypolygon;
data
-----((10,10),(150,20),(120,160))
((20,20),(160,30),(120,160),(90,90))
(2 rows)
```

The target of the next piece of code is to transform the data returned by the database and make something useful out of it. The next listing contains a class called polygon used for processing polygons:

```
<?php
# working with polygons
class polygon
         var $x;
        var $y;
         var $number;
         # constructor
         function polygon($string)
                  string = ereg replace("\('*\)*", "", $string);
                  $tmp = explode(",", $string);
                  $this->number = count($tmp);
                  for
                          (\$i = 0; \$i < \$this->number; \$i = \$i + 2)
                           \frac{1}{2} = \frac{1}{2} = \frac{1}{2}
                           \frac{1}{3} $\text{this->y[$i/2]} = $\text{tmp[$i + 1]};
                  }
         }
         # drawing a polygon
         function draw($image, $color)
                           (\$i = 0; \$i < \$this -> number - 1; \$i++)
                  for
                  {
                            imageline($image, $this->x[$i], $this->y[$i],
                                     \frac{1}{2} $\text{this}\-\x[\frac{1}{2} + 1], $\text{this}\-\x[\frac{1}{2} + 1], $\text{color}\];
                  imageline($image, $this->x[$this->number - 1],
                           \frac{1}{x} = \frac{1}{x}
                            $this->y[0], $color);
         }
```

After defining the variables belonging to the polygon, the constructor has been implemented. With the help of regular expressions, the data returned by PostgreSQL is modified and can easily be transformed into an array of values. In the next step the values in the array are counted and the various coordinates are added to \$this->x and \$this->y.

In addition to the constructor, a function for drawing the polygon has been implemented. The function goes through all points of the polygon and adds lines to the image being generated.

Now that you have seen how to process polygons, you can take a look at the main file of the

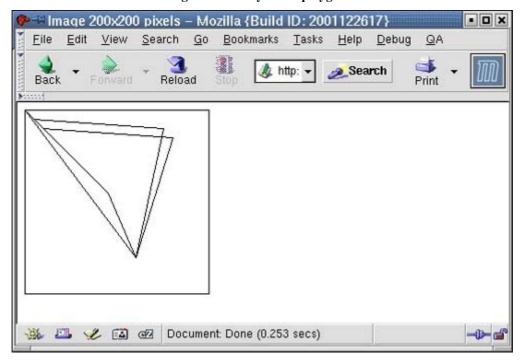
#### application:

```
<?php
include("objects/polygon.php");
header ("Content-type: image/png");
$im = @ImageCreate (200, 200)
    or die ("Cannot Generate Image");
$white = ImageColorAllocate ($im, 255, 255, 255);
$black = ImageColorAllocate ($im, 0, 0, 0);
ImageFill($im, 0, 0, $white);
# connecting to the database
$dbh = pg connect("dbname=phpbook user=postgres");
if
        (!$dbh)
{
        exit ("an error has occurred<br>");
# drawing border
points = array(0,0, 0,199, 199,199, 199,0);
ImagePolygon($im, $points, 4, $black);
# selecting points
$sql = "SELECT data FROM mypolygon";
$result = pg_exec($dbh, $sql);
$rows = pg_numrows($result);
# processing result
    (\$i = 0; \$i < \$rows; \$i++)
for
{
        $data = pg fetch array ($result, $i);
        $mypoly = new polygon($data["data"]);
        $mypoly->draw($im, $black);
}
ImagePng ($im);
?>
```

First the library for processing polygons is included. In the next step an image is created, colors are allocated, the background of the image is painted white, and a connection to the database is established. After drawing the borders and retrieving all records from the database, the polygons are displayed using a loop. Inside the loop the constructor is called for every record returned by PostgreSQL. After the constructor, the draw function is called, which adds the polygon to the scenery.

If you execute the script, you will see the result as shown in <u>Figure 16.12</u>.

Figure 16.12. Dynamic polygons.



Classes can be implemented for every geometric data type provided by PostgreSQL. As you have seen in this section, implementing a class for working with geometric data types is truly simple and can be done with just a few lines of code. The major part of the code consists of basic things such as creating images, allocating colors, or connecting to the database. The code that is used for doing the interaction with the database is brief and easy to understand. This should encourage you to work with PHP and PostgreSQL's geometric data types extensively.

**Fonte**: http://jlbtc.eduunix.cn/index/html/php/Sams%20-%20PHP%20and%20PostgreSQL%20Advanced%20Web%20Programming/0672323826 ch16lev1sec2.html