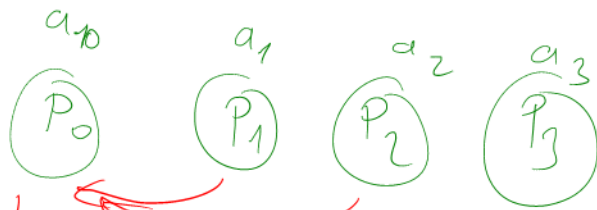


HW-II

2^n number of processes.



3 MPI-Send

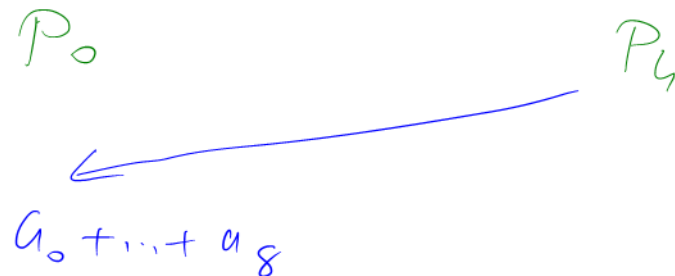
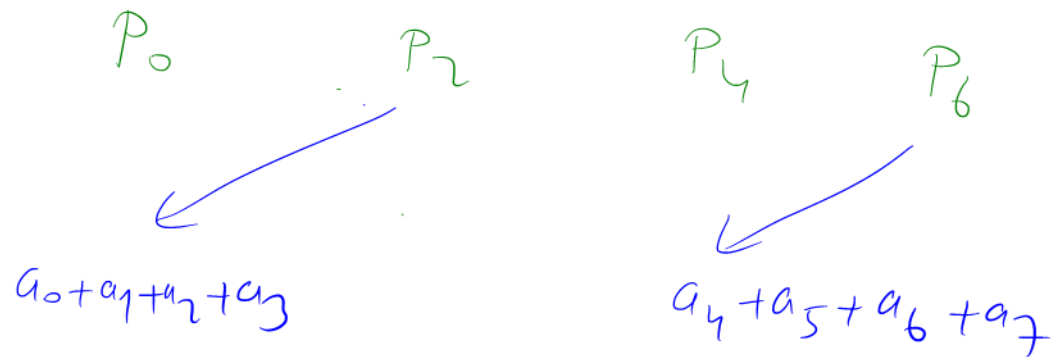
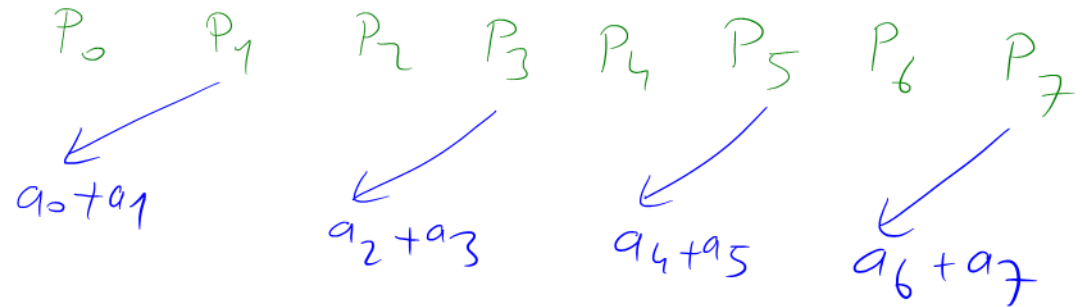
3 MPI-Recv

$a_0 + = a_1;$
 $a_0 + = a_2;$
 $a_0 + = a_3;$

3 additions

$$a_1 + a_2 + a_3 + a_4 = ?$$

7 Sends, 7 Recvs, 7 adds.



Application - 1:

Matrix Vector Product:

Computation

C'de

$$A = \begin{bmatrix} 1 & -1 & 3 & 9 \\ 2 & 4 & 7 & 1 \\ 0 & 2 & -1 & 3 \end{bmatrix} \quad X = \begin{bmatrix} 2 \\ -1 \\ 0 \\ 1 \end{bmatrix}$$

$$A \cdot X = \begin{bmatrix} 1 & -1 & 3 & 9 & 2 & 4 & 7 & 1 & 0 & 2 & -1 & 3 \end{bmatrix} = A$$

$$= \begin{bmatrix} 12 \\ 1 \\ 1 \end{bmatrix}$$

inner Product

$$\langle X, Y \rangle = x_1 y_1 + x_2 y_2 + \dots + x_k y_k$$

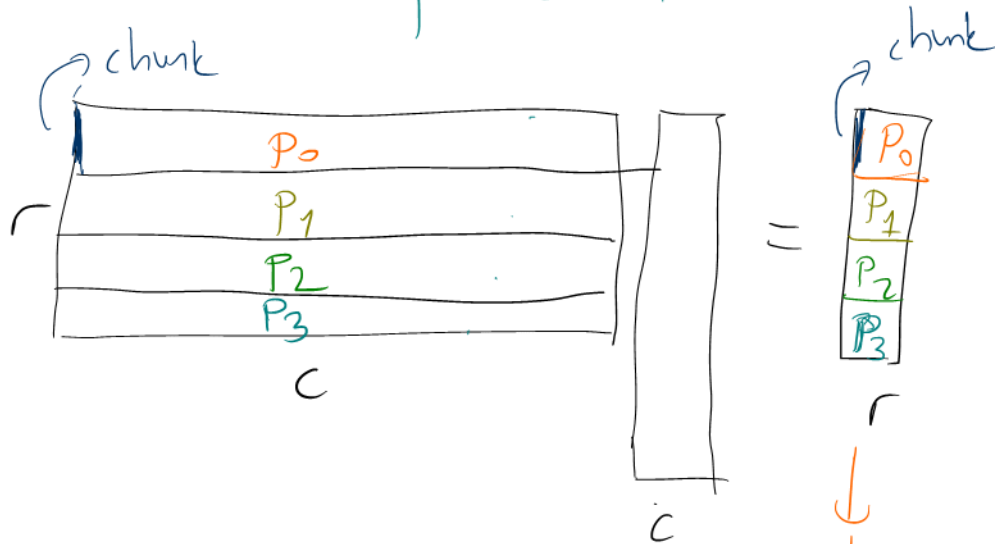
$$\begin{bmatrix} \vec{a}_1 \\ \vec{a}_2 \\ \vec{a}_3 \end{bmatrix} \vec{x} = \begin{bmatrix} \langle \vec{a}_1, \vec{x} \rangle \\ \langle \vec{a}_2, \vec{x} \rangle \\ \langle \vec{a}_3, \vec{x} \rangle \end{bmatrix}$$

① float
!!!
ooo

inner Prod (float * X, float * y, int n)

& A[0]
& A[4]
& A[8] } depends on column number
Never changes

Data Decomposition!



$$100 \text{ satr.} \xrightarrow{4 \text{ proc}} 25 \text{ satr.}$$

$$\xrightarrow{5 \text{ proc}} 20 \text{ satr.}$$

$$\text{chunk} = r / \text{size};$$

$$108 \text{ satr} \xrightarrow{5 \text{ proc}} \begin{matrix} 22 \\ 22 \\ 22 \\ 22 \\ 20 \end{matrix}$$

Communication Pattern:

- Assume that A and X are located at MASTER process.

- ① MPI-Scatter (A, ...)
- ② MPI-Bcast (A, ...)
- ③ Computation phase (inner Prod)
- ④ MPI-Gather (b_{local} , ...)

$$\cancel{b = AX} ; b_{\text{local}} = A_{\text{local}} \times X$$

Parallel Matrix Vector Carpmı yapan fonksiyon:

float * matVecProd (float * A, float * X, mt $\overset{\text{row}}{r}$, mt $\overset{\text{column}}{c}$ (mt size))

of procs.

PLmAlgPack.h
PLmAlgPack.c
test.c
MakeFile

HW-III

→ 21 days

Due: April, 18th
23⁰⁰

```
void myReduce(int a, int np, int root)
```

8 process

```
    int layer = log2(np);
```

```
    for (i = 0; i < layer; i++) {
```

$\{ \text{mod}(\text{rank}(2) = \overset{2^{i+1}}{1} \rightarrow \overset{2^i}{0})$
 $\text{mod}(\text{rank}(4) = 2 \rightarrow 0$
 $\text{mod}(\text{rank}(8) = 4 \rightarrow 0$

$0 \rightarrow 4$
 $1 \rightarrow 2$
 $2 \rightarrow 1$

