Homework 1

Computer Vision 2017 Spring

OpenCV OpenCV

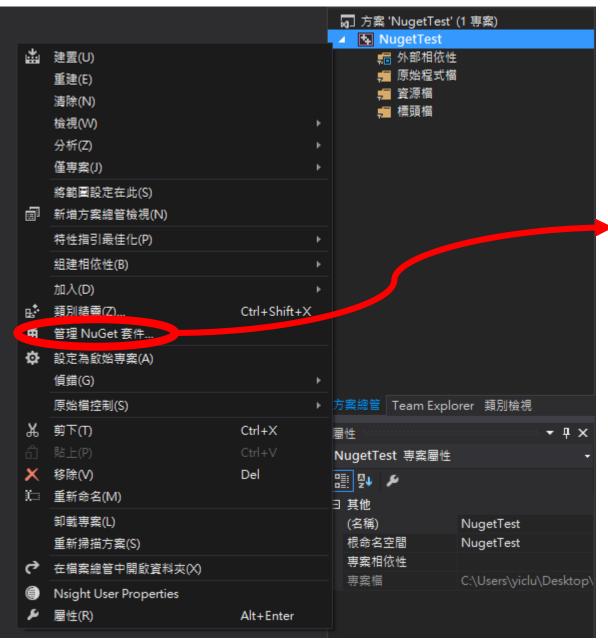
- Highly optimized C++ implementation of many CV algorithms
- Crossplatform
- Many bindings (Python, Matlab, Java . . .)

http://opencv.org

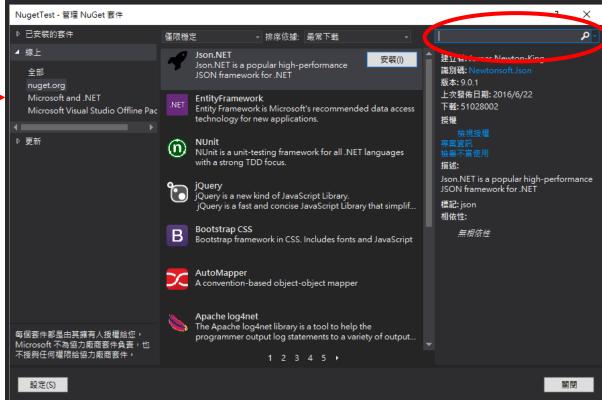
Install

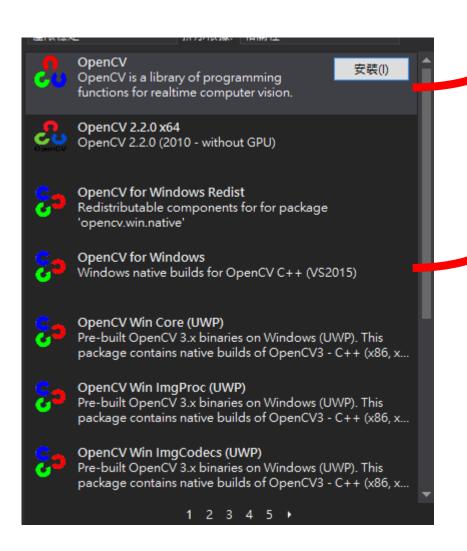
• VS 2013 \ VS 2015

- 1, Open your visual Studio
- 2, New a Empty Project
- 3, Install OpenCV



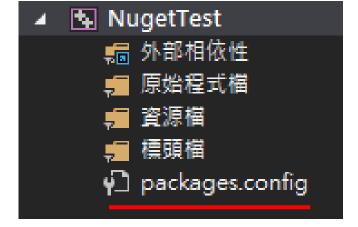
VS 2013

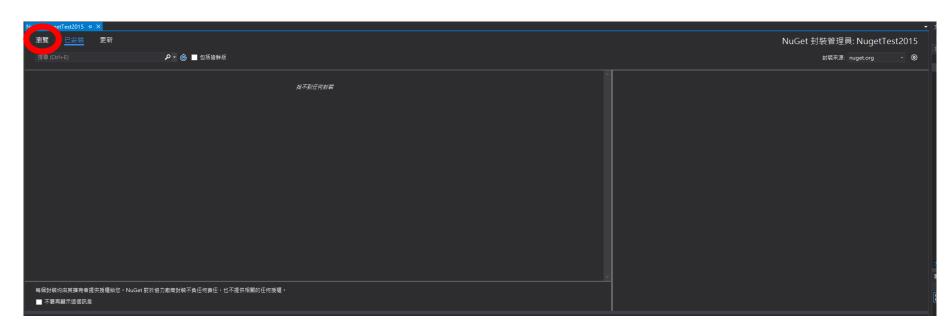




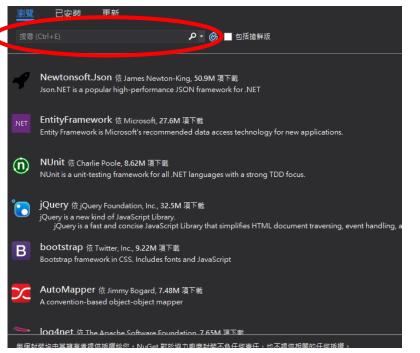
→ VS 2013

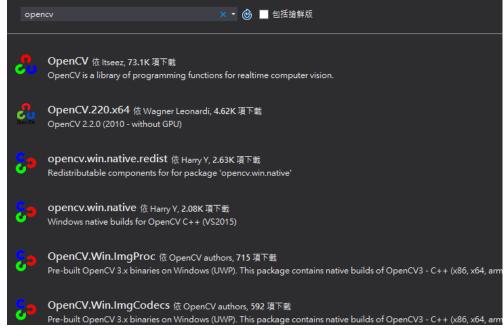
→ VS 2015





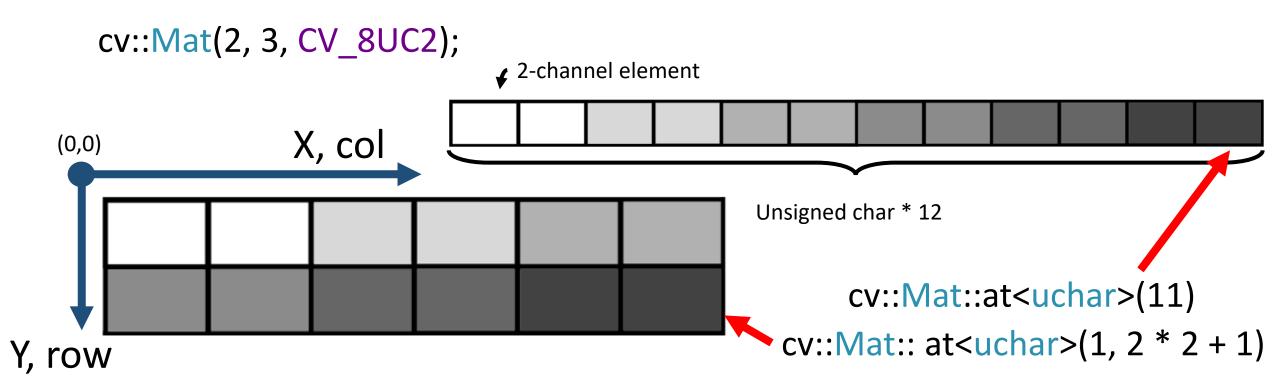
VS 2015





Mat

- Multi-dimensional array
- Handle the memory automatically



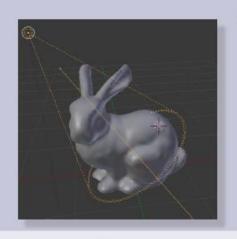
Sample

See OpenCV documentation and samples for more information

```
#include <opencv/highgui.h>
                              Include this in VS 2013
                                                                       #include <opencv2/highgui/highgui.hpp>
using namespace cv;
                                                                         Include this in VS 2015
int main() {
    Mat Image = imread("test/bunny/pic1.bmp", IMREAD GRAYSCALE);
    Mat tempImage = Image.clone();
    Mat smallImage(Image.rows / 2, Image.cols / 2, CV 8U);
    for (int rowIndex = 0; rowIndex < smallImage.rows; rowIndex++) {</pre>
        for (int colIndex = 0; colIndex < smallImage.cols; colIndex++) {</pre>
            smallImage.at<uchar>(rowIndex, colIndex) = tempImage.at<uchar>(rowIndex * 2, colIndex * 2);
    Mat result(tempImage.rows + smallImage.rows, tempImage.cols, CV 8U, Scalar(0));
    tempImage.copyTo(result(Rect(0, 0, tempImage.cols, tempImage.rows)));
    smallImage.copyTo(result(Rect(0, tempImage.rows, smallImage.cols, smallImage.rows)));
    imshow("CV", result);
    waitKey();
    return 0;
```

Photometric Stereo

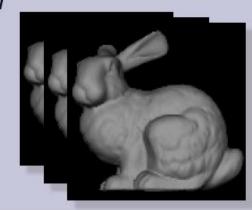
grayscale



Lambertian Reflection

$$i = k_d l(s^{\mathsf{T}}n)$$

$$i = k_d l(\mathbf{s}^\intercal \boldsymbol{n})$$



 $i_{x,y}^{(m)}$ the intensity of the mth image at pixel (x,y)

k_d the color of the surface

 l_m the intensity of the mth incoming light

 \mathbf{s}_m the unit vector pointing from the surface to the m incoming light

 $n_{x,y}$ the surface's normal vector (unit vector) at pixel (x,y)

For brevity, we omits the dependence of x, y and m.

Normal Estimation

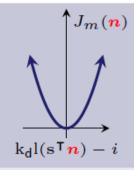
According to the reflection model, we suppose that the unknown normal vector and the intensity in the mth image at pixel (x,y) will satisfy

$$\mathbf{i}_{x,y}^{(m)} \stackrel{?}{=} \mathbf{k}_{\mathsf{d}} \mathbf{l}_m(\mathbf{s}_m^{\mathsf{T}} \boldsymbol{n})$$

To estimate how bad a specific n is, we define the least squares loss function

$$J(\mathbf{n}) = \sum_{m} J_m(\mathbf{n}) = \sum_{m} \|\mathbf{k}_{\mathsf{d}}\mathbf{l}_m(\mathbf{s}_m^{\mathsf{T}}\mathbf{n}) - \mathbf{i}^{(m)}\|^2$$

Normal Estimation



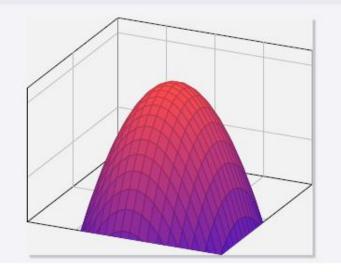
- ▶ The more loss J(n) n has, the less chance n is the correct normal vector at pixel (x, y).
- Solve (cv::Mat::inv, cv::Mat::t) the following linear system to get the n with minimum loss:

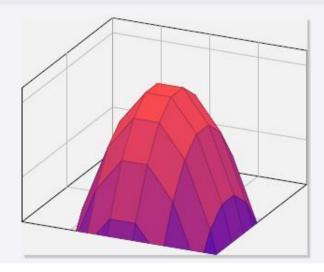
$$\mathbf{S}^\intercal \mathbf{S} \boldsymbol{b} = \mathbf{S}^\intercal \mathbf{i}, \quad \text{where } \mathbf{S} = \begin{bmatrix} \mathbf{l}_1 \mathbf{s}_1^\intercal \\ \mathbf{l}_2 \mathbf{s}_2^\intercal \\ \vdots \\ \mathbf{l}_m \mathbf{s}_m^\intercal \end{bmatrix}, \ \mathbf{i} = \begin{bmatrix} \mathbf{i}^{(1)} \\ \mathbf{i}^{(2)} \\ \vdots \\ \mathbf{i}^{(m)} \end{bmatrix} \text{ and } \boldsymbol{b} = \mathbf{k}_\mathsf{d} \boldsymbol{n}$$

The surface z(x,y) near pixel (x^*,y^*) can be approximated by the tangent plane:

$$n_1(x - x^*) + n_2(y - y^*) + n_3(z - z(x^*, y^*)) = 0$$
 (1)

where $(n_1, n_2, n_3)^T$ is the normal vector at (x^*, y^*) .





The equation 1 can be rewritten as

$$z_{\text{approx}}(x,y) = \left(-\frac{\mathbf{n}_1}{\mathbf{n}_3}\right)x + \left(-\frac{\mathbf{n}_2}{\mathbf{n}_3}\right)y + \text{constant}$$

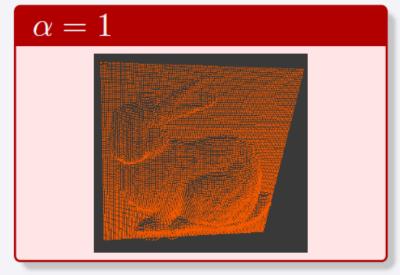
We can reconstruct the surface $\tilde{z}(x,y)$ as we know the gradient of z_{approx} at each pixel, for example, by

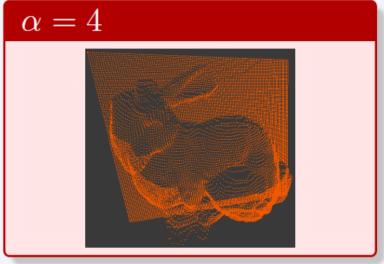
$$\tilde{z}(x,y) = \sum_{i=0}^{x-1} \left. \frac{\partial z_{\text{approx}}}{\partial x} \right|_{(i,0)} + \sum_{j=0}^{y-1} \left. \frac{\partial z_{\text{approx}}}{\partial y} \right|_{(x,j)}$$

Note

You will probably have to scale \tilde{z} for visualizing the surface:

$$\tilde{z}_{\mathsf{vis}}(x,y) = \alpha \tilde{z}(x,y)$$





- Other Tips
 - Weighted Least Squares measure loss terms with different weights

$$\begin{split} J_{\mathbf{W}}(n) &= \sum_{m} W_{m} J_{m}(n) = \sum_{m} W_{m} \|\mathbf{k}_{\mathsf{d}} \mathbf{l}_{m}(\mathbf{s}_{\mathsf{m}}^{\mathsf{T}} n) - \mathbf{i}^{(m)}\|^{2} \\ &= \|\mathbf{W} \mathbf{S} b - \mathbf{W} \mathbf{l}\|^{2}, \quad \text{where } \mathbf{W} = \begin{bmatrix} \mathbf{w}_{1} & \\ & \mathbf{w}_{2} & \\ & & \ddots & \end{bmatrix}, \mathbf{w}_{m} = \sqrt{\mathbf{W}_{m}} \end{split}$$

Sanity Check

$$\frac{\partial^2 z}{\partial x \partial y} = \frac{\partial^2 z}{\partial y \partial x}$$

Input & Output

- Input:
 - 6 .bmp image
 - LightSource.txt
- Output:
 - .ply file
 - ply~end_header照打
 - comment alpha有改的話再改數字
 - end_header以下的點對應上面的xyz顏色
 - http://potree.org/demo/plyViewer/plyViewer.html

Grading

- 70% Follow the instructions in page 9-14 To reconstruct surfaces
- 10% Experiment with tips mentioned in class or in page 15
- 10% reconstruct surfaces for some special input data
- 15% Take pictures of real objects as input data
- 15% Reconstruct surfaces by solving optimization problems (see the Appendix in the course material)

Deadline

- 期限: 2017/03/30 (四) 11:59:59 pm
- 請將作業壓縮並以學號命名: ex 0987654-hw1.zip
 - 資料夾內包含:
 - 1. 學號-hw1-report.pdf
 - 2. bunny-surface.ply, venus-surface.ply...
 - 3. code 或 完整專案
- 上傳至e3
- Code需要加上對應流程註解
- Report包含程式流程說明 & 執行方式 & 自己多做了哪些功能&其他你想寫的...