

# **Evaluating Model Performance**

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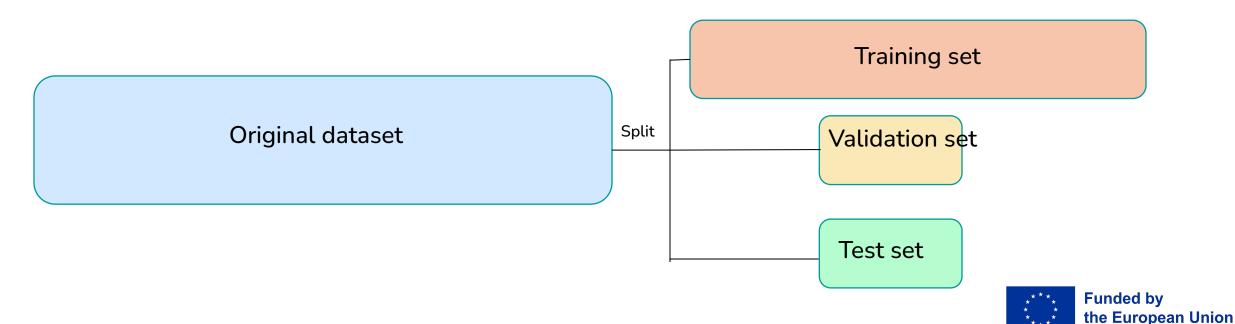




# Dataset split

### 1. Training, Validation and Test

- Training set: Is the subset of the original dataset that we use to train our model
- Validation set: Subset used to evaluate the model performance during training
- **Test set**: Subset used for the final assessment of the model's performance





### 2. Cross-Validation (CV)

**Problem**: Partitioning our dataset into three subsets drastically **reduce the number of samples** which can be used for learning the model, and the results can depend on a particular random choice of the training and validation sets.

Particularly if our dataset is small!

How can we solve this problem?





### 2. Cross-Validation (CV)

**Problem**: Partitioning our dataset into three subsets drastically **reduce the number of samples** which can be used for learning the model, and the results can depend on a particular random choice of the training and validation sets.

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How can we solve this problem?

#### **CROSS-VALIDATION**

Is a technique which consists of splitting the dataset into several subsets; the model is trained on some and validated on the others, repeating the process multiple times.



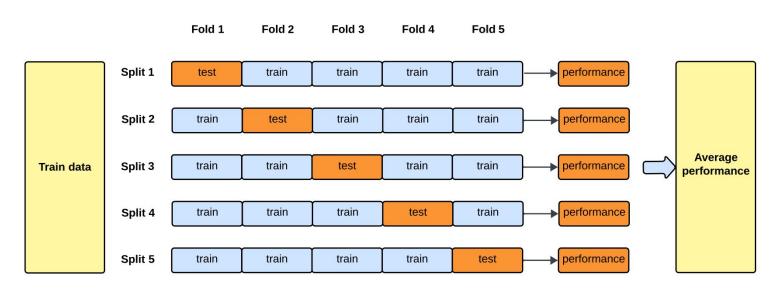


### 3. k-fold

**How** it works?



- 1. Split the dataset into **k equal parts** (called folds).
- 2. For each iteration:
- Train on k-1 folds
- Validate on the remaining fold
- **3.** Repeat this **k times**, using a different fold for validation each time
- 4. Average the results.
- 5. Train on k 1 folds.



Standard k-fold cross validation.





### 4. CV Pros and Cons

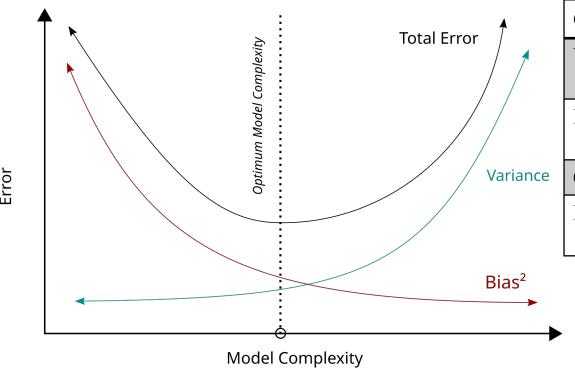
<b>✓</b> Advantages	⚠ Disadvantages / Challenges
Reduces the risk of biased results from a single train/val split	More computationally expensive
All data are used for both training and validation	Potential <b>overfitting</b> on small datasets
More robust model selection	Can be complex to implement
Maximizes the amount of training data available	





# Overfitting

### 5. Bias-Variance tradeoff



Concept	High Bias	High Variance	
What happens?	Model is too simple	Model is too complex/flexible	
Issue	Misses important patterns	Captures noise and irrelevant details	
Consequence	<b>Underfitting Overfitting</b>		
Error	High on both training and test data	Low on training, high on test data	



# Overfitting

### 6. Techniques to Prevent Overfitting

Overfitting  $\longrightarrow$  when the model performs well on the on the training but is not capable of generalizes on knew data.



### 2. Data Augmentation

Data augmentation is a technique which consist on **increasing the training set** by creating knew images from the ones that we already have.

### 3. **Dropout**

Dropout is a regularization technique used during training in neural networks to reduce overfitting. It works by randomly "turning off" a percentage of neurons in a given layer during each training iteration.







### 7. Data Augmentation

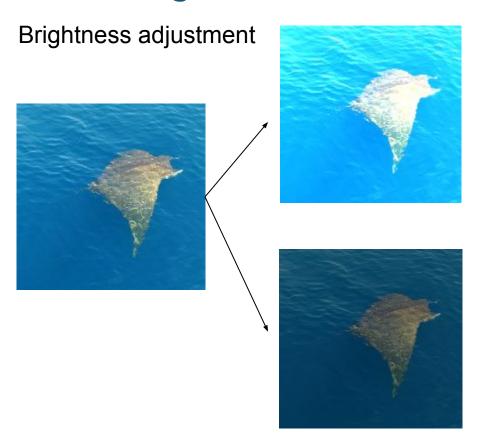
**It's very useful if we have a small training data set.** This data transformation can be:

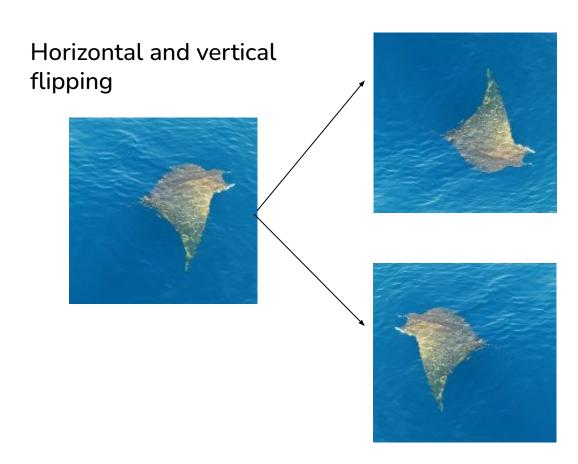
- Geometric Transformations: translation, rotation, flipping (horizontal and vertical), cropping...
- Color Space Transformations, modify the color properties of images, addressing variations in lighting (brightness adjustment, contrast adjustment, saturation, color Jittering)
- Noise Injection: Gaussian Noise, DropBlcock (adding gaussian noise), salt and pepper noise...
- Mosaic Augmentation (YOLOv5, YOLOv8): Combine 4 different images into a single mosaic.





### 7. Data Augmentation

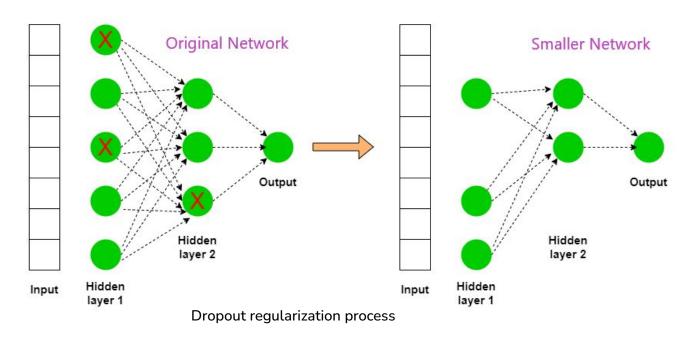






### 8. Dropout

During the training, randomly a percentage of neurons is deactivated in a layer during each forward pass. This means that these neurons are temporarily ignored, and do not participate in forward or backward passes. By randomly deactivating neurons, the network is prevented from becoming too reliant on any single feature or path through the model. **This encourages the learning of more robust and generalizable patterns.** 







### 8. Dropout

**Dropout: A simple Way to Prevent Neural Networks from Overfitting** 

Journal of Machine Learning Research 15 (2014) 1929-1958

Submitted 11/13; Published 6/14

#### Dropout: A Simple Way to Prevent Neural Networks from Overfitting

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#### Abstract

Deep neural nets with a large number of parameters are very powerful machine learning systems. However, overfitting is a serious problem in such networks. Large networks are also slow to use, making it difficult to deal with overfitting by combining the predictions of many different large neural nets at test time. Dropout is a technique for addressing this problem. The key idea is to randomly drop units (along with their connections) from the neural network during training. This prevents units from co-adapting too much. During training, dropout samples from an exponential number of different "thinned" networks. At test time.





### 9. Confusion Matrix

Actual\Predicted	Positive	Negative
Positive	True positive (TP)	False negative (FN)
Negative	False positive (FP)	True negative (TN)

## **Example:**

Actual\Predicted	Shark	Turtle	Ray
Shark	50	5	10
Turtle	3	60	2
Ray	5	4	45

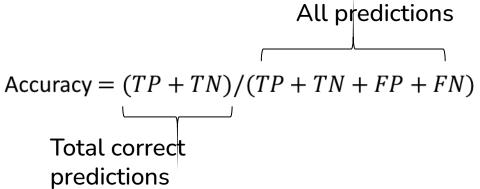


- 50 sharks were correctly classified as sharks,
   60 turtles were correctly classified as turtles and 45 rays were correctly classified as rays.
- 2. The values off the diagonal indicate classification errors. For example, 5 sharks were misclassified as turtle and 10 as rays





### 10. ACCURACY



Actual\Predicted	Positive	Negative
Positive	True positive (TP)	False negative (FN)
Negative	False positive (FP)	True negative (TN)





### 10. ACCURACY

All predictions

$$Accuracy = (TP + TN)/(TP + TN + FP + FN)$$

Total correct predictions

Accuracy can be misleading when working with imbalanced dataset!

turtles!

If 99% of the images are sharks and only 1% are turtles...
A model that always predicts 'shark' will be 99% accurate but completely useless at detecting

Actual\Predicted	Positive	Negative
Positive	True positive (TP)	False negative (FN)
Negative	False positive (FP)	True negative (TN)

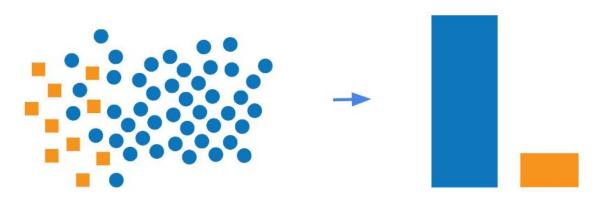


Image source: M. Farhan Tandia, "Some tricks in handling imbalanced dataset", LinkedIn, Link





# 11. PRECISION AND RECALL

Precision = 
$$TP / (TP + FP)$$

Positive predictions

Recall = 
$$TP / (TP + FN)$$
Actual positives

Actual\Predicted	Positive	Negative
Positive	True positive (TP)	False negative (FN)
Negative	False positive (FP)	True negative (TN)





# 11. PRECISION AND RECALL

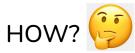
Precision = 
$$TP / (TP + FP)$$
Positive predictions

Recall = 
$$TP / (TP + FN)$$
Actual positives

**EXAMPLE:** Trade-off in shark classification.

Model	Precision	Recall	Interpretation
A	0.95	0.4 ↓	Very accurate when predicting shark, but misses many real sharks (FN)
В	0.30	0.99 1	Detects nearly all sharks, but often mistakes other species for sharks (FP)
С	0.80	0.82 1	Balanced performance

Choosing between precision and recall depends on your goal, but in most cases, we need a **balance between both metrics**.



A metric which combines the two values



F-score





### 12. F-SCORE

$$F_{\beta} = (1 + \beta^{2}) \frac{precision \times recall}{\beta^{2}(precision + recall)}$$

Controls the importance given to precision or recall

Special case:  $\beta = 1$ 

The harmonic mean of precision and recall balancing both metrics

$$F_1 = 2 \frac{precision \times recall}{(precision + recall)}$$

WHY the harmonic mean?

Because it punishes unbalanced values





### 12. F-SCORE

How it works in a multiclass model?



Imagine that we have three classes: shark, turtle and ray.

### **CONFUSION MATRIX**

ACTUAL\PREDICTED	SHARK	TURTLE	RAY
SHARK	50	5	10
TURTLE	3	60	2
RAY	5	4	45

 $F_1 = 2 \frac{precision \times recall}{(precision + recall)}$ 

Let's calculate precision and recall metrics for the shark class...

$$TP = 50$$

$$FP = 3+5 = 8$$

$$FN = 5+10 = 15$$

Precision = 
$$TP / TP + FP = 50 / (50+8) = 0.86$$

Recall = 
$$TP / TP + FP = 50/(50+15) = 0.77$$

Now we can calculate the F1-score!





### 12. F-SCORE

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ACTUAL\PREDICTED	SHARK	TURTLE	RAY
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If we calculate the F1-score for each class...

<b>F</b> - 2	$\frac{precision \times}{(precision +}$	recall
$r_1 - 2$	$\overline{(precision +}$	recall)

CLASS	INDIVIDUAL
	F1-SCORE
SHARK	0.85
TURTLE	0.70
RAY	0.90

However, this table does not give us a performance indicator that allows us to compare our model against others. To do so, we require a multi-class measure of Precision and Recall.





### 12. F-SCORE

Macro F1 score: The macro-averaged F1 score (or macro F1 score) is computed using the arithmetic mean of all the per-class F1 scores. In the previous example it would be Macro F1 = (0.85+0.7+0.9)/3 = 0.82

$$Macro F1 = \frac{\sum_{k=1}^{K} F1_k}{K}$$

• Weighted Averaged F1 score: The weighted-averaged F1 score is calculated by taking the mean of all per-class F1 scores while considering each class's support.





### 12. F-SCORE

• **Micro F1** (if you are interested in general performance)

$$\begin{aligned} \textit{Micro Average Precision} &= \frac{\sum_{k=1}^{K} TP_k}{\textit{Grand Total}} \\ \textit{Micro Average Recall} &= \frac{\sum_{k=1}^{K} TP_k}{\textit{Grand Total}} \end{aligned}$$

Long story short, we may see that Micro-Average Precision and Recall are just the same values, therefore the MicroAverage F1-Score is just the same as well (the harmonic mean of two equal values is just the value).

$$Micro\ AverageF1 = \frac{\sum_{k=1}^{K} TP_k}{Grand\ Total}$$





### 13. Intersection over Union (IoU)

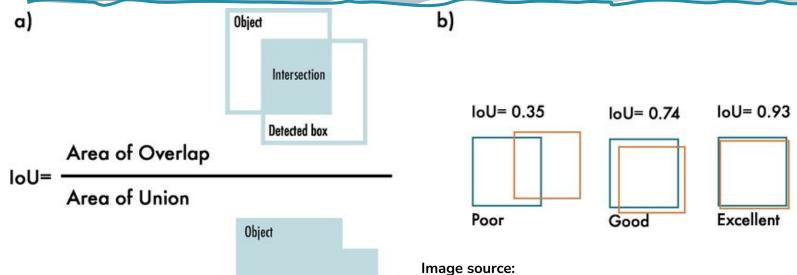
At the moment, we have only spoke about **classification metrics**. But if we are working with models that **detect and localize objects**, we need something more: evaluate if we detect correctly each object, in their correct place and with how much precision.





### 13. Intersection over Union (IoU)

At the moment, we have only spoke about **classification metrics**. But if we are working with models that **detect and localize objects**, we need something more: evaluate if we detect correctly each object, in their correct place and with how much precision.



Detected box

A Comprehensive Review of YOLO: From YOLOv1 to YOLOv8 and Beyond – Scientific Figure on ResearchGate. Available at: <a href="https://www.researchgate.net/figure/ntersection-over-Union-loU-a-The-loU-is-calculated-by-dividing-the-intersection-of\_fig1\_369760111">https://www.researchgate.net/figure/ntersection-over-Union-loU-a-The-loU-is-calculated-by-dividing-the-intersection-of\_fig1\_369760111</a> [Accessed 14 Apr 2025].

the European Union

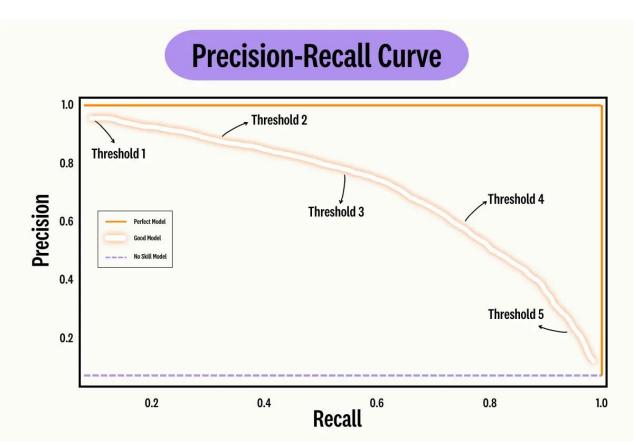


### 14. P-R curve

- Set a **threshold** to decide if a prediction is correct.
- EXAMPLE: If IoU > 0.5 → True Positive (TP)
   Else → False Positive (FP)
   The real boxes that are not detected are False Negative

### The Precision-Recall curve (P-R Curve):

- Different IoU thresholds → different TP, FP, FN counts
- This gives us different points on the Precision-Recall (P-R) Curve
- Lower IoU threshold → higher recall, lower precision
- Higher IoU threshold → higher precision, lower recall

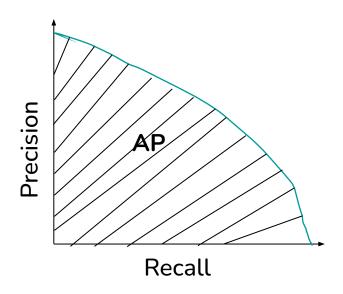






### 15. Average Precision (AP)

We can calculate AP as a way to summarize the precision-recall curve into a single value representing the average of all precisions. **AP is the area behind the curve**, the bigger is the area, the best is the model performance.

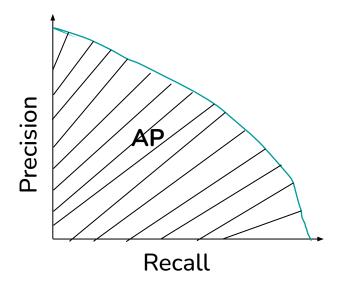






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Average Precision (AP) is calculated separately for each class, which is essential when evaluating multi-class models. To summarize the overall performance, we compute the Mean Average Precision (mAP) across all classes





### 16. Mean Average Precision (mAP)

$$mAP = \frac{1}{N} \sum_{i=1}^{N} AP_{i}$$

$$metric$$

#### Where:

N= number of classes  $AP_i$  = Average Precision for i classes

### Why is mAP important?

- mAP allows fair comparison between models on multi-class datasets.
- It captures both precision and recall, providing a balanced view of performance.
- Widely used in object detection benchmarks (e.g. COCO, Pascal VOC).

### The value of **mAP ranges from 0 to 1**:

- 1.0 (or 100%) means perfect detection across all classes.
- 0.0 means the model failed to detect objects correctly.

The higher the mAP, the better the model performs across all classes





### 17. SUMMARY

Classification: Accuracy, Precision, Recall, F1-score

**Object Detection & Segmentation**: IoU, AP, mAP

Concept	What it tell us
IoU	Evaluates how accurate the predicted bounding boxes are
P-R Curve	Shows <b>how precision and recall vary</b> as the confidence threshold changes
AP	Measures the overall prediction quality for a single class
mAP	Measures the global performance, averaging the APs across all classes







# colab

https://colab.research.google.com/drive/1ckAZMpABRG7NDXLX1clVZEXbx-cYVfMY

