Effects of vitamin C on tooth growth in guinea pigs

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Overview

We will going to perform a basic analysis of the tooth growth for guinea pigs database in R. After the study we conclude that the greater the dose, the greater the tooth growth and the most effective delivery method is orange juice (OJ) except by the dose of 2 mg/day that it was not possible to determine between both methods with 95% of confidence.

Exploratory data analysis

Importing the data and checking its structure, we know that it has three columns with two of them numerical (len and dose) and one as factor (supp). From the documentation, we know that dose has only three values so it can be converted to type factor to make easier plotting the data.

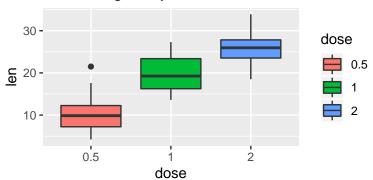
Below there are three plots to visualize data behavior. For each we can state the following hypothesis:

```
\ensuremath{\mathrm{H1}}. The most effective delivery method is orange juice.
```

```
H2. The greater the dose, the greater the tooth growth.
```

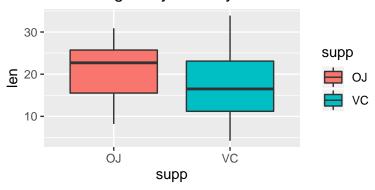
```
ggplot(tooth_data, aes(x=dose, y=len, group=dose)) +
   geom_boxplot(aes(fill=dose)) +
   ggtitle('Tooth lengths by dose')
```

Tooth lengths by dose



```
ggplot(tooth_data, aes(x=supp, y=len, group=supp)) +
   geom_boxplot(aes(fill=supp)) +
   ggtitle('Tooth lengths by delivery method')
```

Tooth lengths by delivery method



Basic summary of the data.

Using the dplyr library, we calculate the details of the data grouped by delivery method and dose.

```
tooth_data %>% group_by(supp) %>%
    summarise(min = min(len), median = median(len), max = max(len), mean = mean(len), std = sd(len))
## # A tibble: 2 x 6
##
     supp
             min median
                          max
                              mean
     <fct> <dbl>
                  <dbl> <dbl> <dbl> <dbl> <
## 1 OJ
             8.2
                   22.7
                         30.9 20.7
                                     6.61
## 2 VC
                   16.5
                        33.9 17.0
tooth_data %>% group_by(dose) %>%
    summarise(min = min(len), median = median(len), max = max(len), mean = mean(len), std = sd(len))
## # A tibble: 3 x 6
##
     dose
            min median
                          max mean
     <fct> <dbl>
                  <dbl> <dbl> <dbl> <dbl>
## 1 0.5
            4.2
                   9.85
                         21.5
                               10.6
                                    4.50
## 2 1
            13.6
                  19.2
                         27.3
                              19.7
                                     4.42
## 3 2
            18.5
                  26.0
                         33.9
                              26.1 3.77
```

Confidence intervals

All tests are going to be executed under the following assumptions:

- * Data is not paired.
- * Variance for different dataset is considered not equal.
- * Alternative hypothesis is always trying to prove that the mean of the first dataset is greater than the second one.

To test the hyphotesis H1, tooth data was filtered by delivery method and a t test was applied:

```
filter_by_supp <- function(data, supp_value) data %>% filter(supp == supp_value) %>% select(len)
len_by_oj <- filter_by_supp(tooth_data, 'OJ')</pre>
len_by_vc <- filter_by_supp(tooth_data, 'VC')</pre>
t.test(len_by_oj, len_by_vc, paired = FALSE, var.equal = FALSE, alternative = "g")$conf
## [1] 0.4682687
                        Inf
## attr(,"conf.level")
## [1] 0.95
The same logic was applied when studying effect by dose (H2). First, look at the confidence interval comparing
doses 0.5 and 1:
filter_by_dose <- function(data, dose_value) data %>% filter(dose == dose_value) %>% select(len)
len by dose 0.5 <- filter by dose(tooth data, '0.5')
len_by_dose_1.0 <- filter_by_dose(tooth_data, '1')</pre>
t.test(len_by_dose_1.0, len_by_dose_0.5, paired = FALSE, var.equal = FALSE, alternative = "g")$conf
## [1] 6.753323
## attr(,"conf.level")
## [1] 0.95
And then comparing doses 1 and 2:
len by dose 2.0 <- filter by dose(tooth data, '2')</pre>
t.test(len_by_dose_2.0, len_by_dose_1.0, paired = FALSE, var.equal = FALSE, alternative = "g")$conf
## [1] 4.17387
                    Inf
## attr(,"conf.level")
## [1] 0.95
```

Analysis Assumptions

- * Data is not paired.
- * Variance for different dataset is considered not equal.
- * Alternative hypothesis is always trying to prove that the mean of the first dataset is greater than the second one.

Conclusions:

- 1. Dividing the dataset by delivery method we get a confidence interval greater than 0.4682687 so we confirm than orange juice is (in average) better method than vitamic C.
- 2. Comparing doses, from 0.5 to 1 and 1 to 2 we got intervals greater than 6.753323 and 4.17387 so we reach the conclusion that the greater the dose, the greater the tooth growth
- 3. Both hypothesis are true.

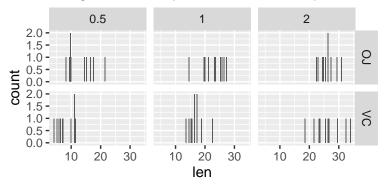
Appendix

If we look more in depth for H2, we will find that the truth assertion is not necessary true when subseting by delivery method is considered.

Looking at the plot, we can get an intuition about this:

```
ggplot(tooth_data, aes(x=len)) +
   geom_bar() +
   facet_grid(supp ~ dose) +
   ggtitle('Lengths count by dose and delivery method')
```

Lengths count by dose and delivery method



It looks like Orange Juice is not the best option when the dose is high. Repeating the test separating by delivery method we get the following intervals:

```
t_test_by_dose <- function(data, dose_value) {</pre>
    oj_data <- data %>% filter(dose == dose_value, supp == '0J') %>% select(len)
    vc_data <- data %>% filter(dose == dose_value, supp == 'VC') %>% select(len)
    t.test(oj_data, vc_data, paired = FALSE, var.equal = FALSE, alternative = "g")$conf
}
t_test_by_dose(tooth_data, '0.5')
## [1] 2.34604
## attr(,"conf.level")
## [1] 0.95
t_test_by_dose(tooth_data, '1')
## [1] 3.356158
                     Inf
## attr(,"conf.level")
## [1] 0.95
t_test_by_dose(tooth_data, '2')
## [1] -3.1335
                   Inf
## attr(,"conf.level")
## [1] 0.95
```

Thus, for doses 0.5 and 1, orange juice is better (positive confidence interval) but for dose 2 we cannot reject null hypothesis with 95% confidence level.