present value

$$PV\left(1+i\right)^{n} = \overline{FV} + 100 \times 3\% = 103$$

$$PV\left(1+i\right)^{n} = \overline{FV} + 100 \times 3\% = 103$$

$$PV\left(1+\frac{i}{m}\right)^{m\times n} = \overline{FV}$$

interests reward to you for the time you don't use the money.

$$|00 + 100 \times \frac{3}{2}|_{2} = |00|(1 + \frac{3}{2}) = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |01| = |0$$

bonds
maturity eg 1 year, 3 year
coupon rale fixed in maturity
mrinciple face value (par value principle yield to maturity

suppose Treasury department issues a 3-year band with face value of \$1,000 3% (p.a.) coupon paid annually, today trading price is \$980, d. what is the yield to maturity?

Step 1: identify all cash flows -950 30 30 + 1,000 1 2 73 1 30(1+4)<sup>2</sup> interest paid 3.(1+4)

Step 2: discount all cash flows

Arich 
$$(1+y)S = 30(1+y)^{3} + 30(1+y)^{2} + 30(1+y)$$

Arick (1+y)S = 20(1+y) +20(1+y) +20(1+y)  $(1+y)S - S = 30(1+y)^{3} - 30$   $yS = 30 \left[ (1+y)^{3} - 1 \right]$   $S = 3 \cdot \left[ \frac{(1+y)^{3} - 1}{y} \right]$   $S = C \left[ \frac{(1+y)^{n} - 1}{y} \right]$  $980 = \frac{5 + 1,000}{(1+y)^{\frac{3}{2}}} = \frac{30 \left[ \frac{(1+y)^{\frac{3}{2}} - 1}{y} \right]}{(1+y)^{\frac{3}{2}}} + \frac{1,000}{(1+y)^{\frac{3}{2}}}$  $\frac{(1+y)^{3}-1}{y} = \frac{(1+y)^{3}-1}{y(1+y)^{3}}$  $980 = 30 \left[ \frac{1 - (1+y)^{-3}}{y} \right] + \frac{1000}{(1+y)^{3}}$  $= \frac{(1+y)^{\frac{1}{3}}}{y(1+y)^{\frac{1}{3}}} - \frac{(1+y)^{\frac{1}{3}}}{y(1+y)^{\frac{1}{3}}}$   $= \frac{1}{y} - \frac{(1+y)^{\frac{1}{3}}}{y} - \frac{(1-(1+y))^{\frac{1}{3}}}{y}$   $= \frac{1}{y} - \frac{(1+y)^{\frac{1}{3}}}{y} - \frac{(1-(1+y))^{\frac{1}{3}}}{y}$ (1+y) + (1+y)2 + (030 - 960 Step 1: cash flows 1000 x3/6/2 -980 15 15 15 15 15 15 1000

1 (1 2) (3 4) (5 6)

1 year 2nd year 3nd year y annualized rate

15 (1+4)

15 (1+4)

15 (1+4)  $15 \left[ \frac{(1+\frac{1}{2})^6-1}{\frac{1}{2}} \right] + (000)$ (1+ <del>y</del>)6  $980 = 15\left[\frac{1 - (1+\frac{\pi}{4})^{-1}}{1 + \frac{(1+\frac{\pi}{4})^{6}}{1 + \frac{\pi}{4}}}\right] + \frac{(1+\frac{\pi}{4})^{6}}{1 + \frac{\pi}{4}}$ 3-year Suppose and gov. bond fraded @ 950, coupon vate is \$70, coupon paid semi-anunally, if the yield to maturity is 6%, do you think the trade price is reasonable?

$$P = 25 \left[ \frac{1 - (1 + 37)^{-6}}{370} \right] + \frac{1900}{(1 + 37)^{6}}$$

$$P > 950 \quad long$$

$$P < 950 \quad short$$