

# On the Existence of Double-Descent in Reinforcement Learning

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# Outline

Double Descent Background

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## What is Double Descent?

- ▶ **Double Descent (DD)** is a phenomenon of models recovering generalization capacity after surpassing the interpolation threshold (Nakkiran et al. 2019).
- ▶ Classically, increasing model capacity leads to a U-shaped risk curve.
- ▶ However, modern machine learning models often operate in regimes where they can perfectly fit (interpolate) the training data.
- ▶ This can occur in both model size and training time regimens as well as multiple problem types in supervised learning.  
(Belkin et al. 2019; Nakkiran et al. 2019)

## Classical U-shaped Risk Curve

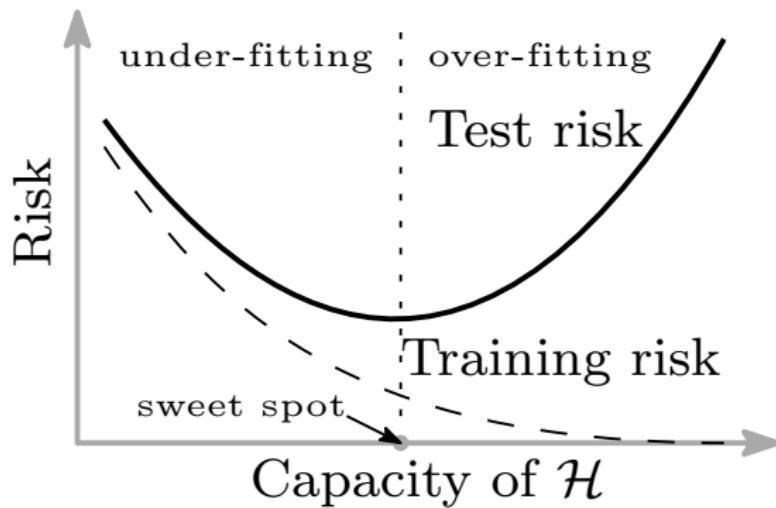


Figure: Classical U-shaped risk curve arising from the bias-variance trade-off. Belkin et al. (2019).

# Double Descent Risk Curve

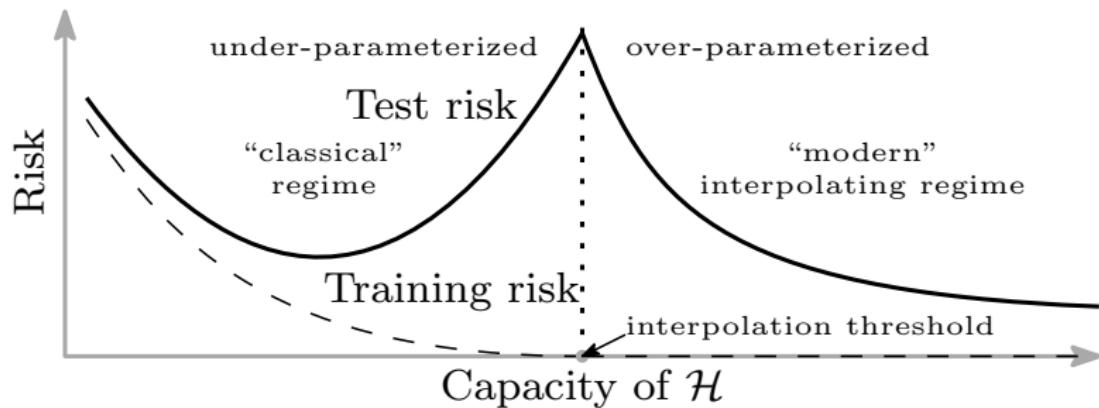


Figure: Belkin et al. (2019).

# DD in Reinforcement Learning

- ▶ Double Descent has not been studied much in Reinforcement Learning (RL) settings.
- ▶ There is some research on theoretical aspects of overparameterization in RL with regard to visited states (Brellmann et al. 2024).
- ▶ There is also an approach of using information theoretic metrics to analyze generalization in RL (Veselý, Todorov, and Sabatelli 2025).

## Methods

- ▶ We are trying to emulate the supervised learning setup in RL: Train/test split, and plotting a “risk” curve.
- ▶ To mimick train and test sets, we use a family of seeded randomly generated maps, training on a subset of these maps and testing on a disjoint subset.

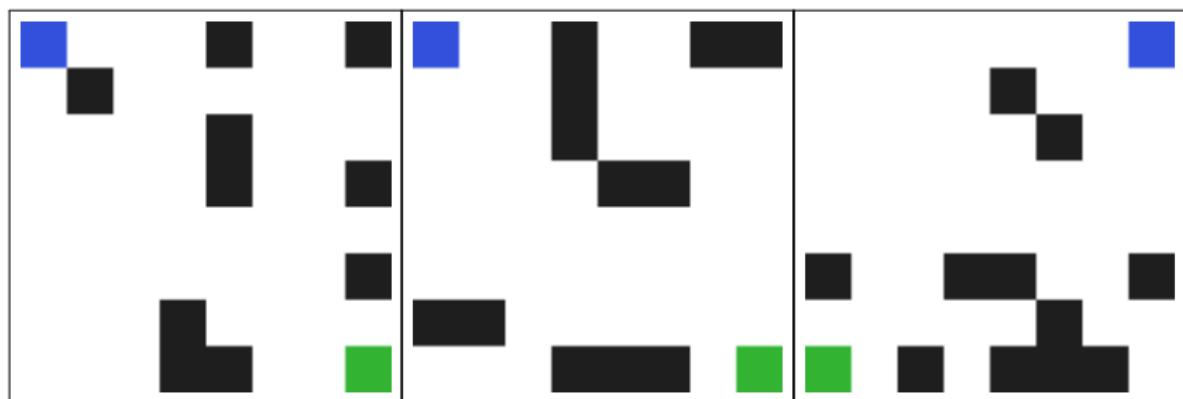


Figure: Examples of randomly generated training and validation environments, with agent (blue) and goal (green) tiles.

## Metrics

- ▶ To plot risk curves, we need something to plot on the y-axis since we don't have a loss function in RL.
- ▶ We use the **average return** over the test maps as our metric.
- ▶ Further, we compute the trace of the **Fisher Information Matrix (FIM)** of the policy network.
- ▶ The FIM is defined as:

$$F = \mathbb{E}_{\tau \sim \pi_\theta} \left[ \nabla_\theta \log \pi_\theta(\tau) \nabla_\theta \log \pi_\theta(\tau)^T \right]$$

where  $\tau$  is a trajectory sampled from the policy  $\pi_\theta$ .

- ▶ The trace of the FIM gives a measure of the sensitivity of the policy to parameter changes, which can be related to generalization.

## Agents & Training Setup

- ▶ We train two agent types: A DQN agent and a TRPO agent, both using feedforward neural networks.
- ▶ We vary the model capacity by changing the depth and width of the networks.
- ▶ Training is performed on a fixed set of training maps, with evaluation held-out test maps.
- ▶ We record the average return and trace of the FIM at various points during training to analyze the presence of Double Descent.

# Results in Parametric Regime

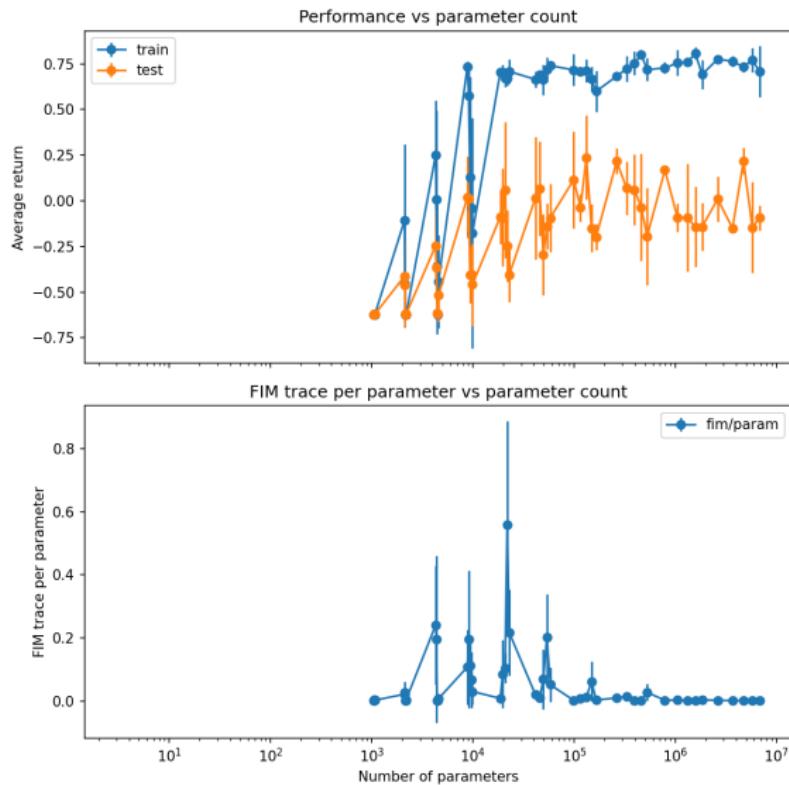


Figure: Results from TRPO agents trained on 100 maps for 50k episodes.

# Results in Episodic Regime

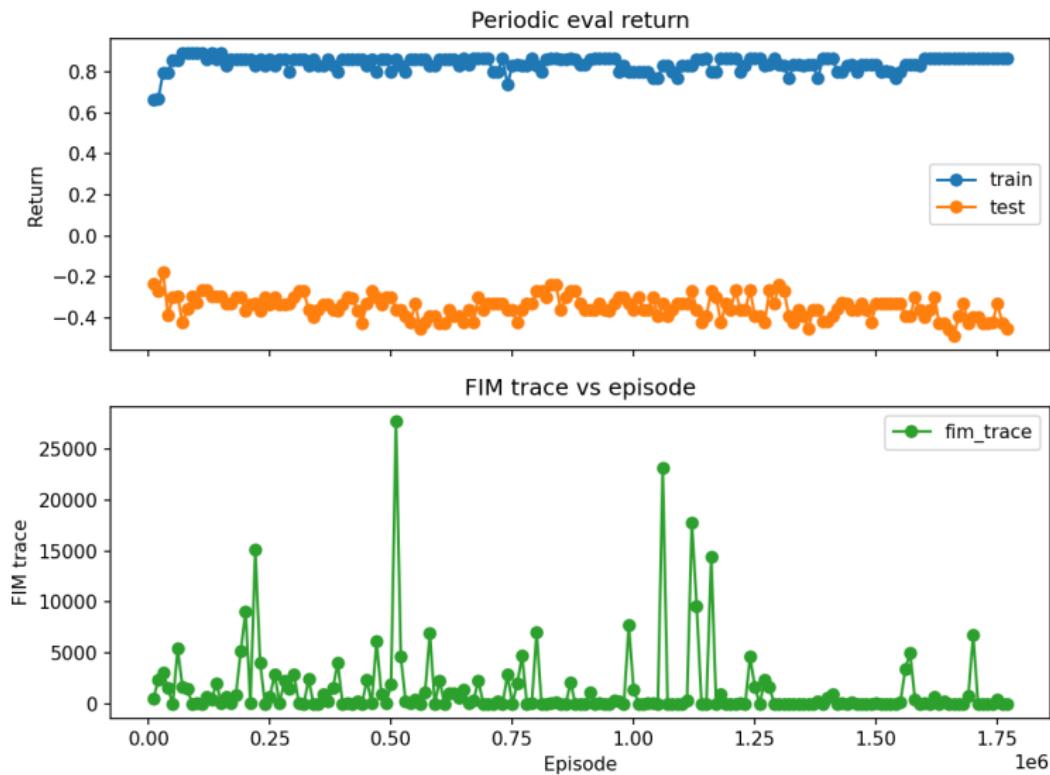


Figure: Results of a TRPO agent trained on 100 maps for 1.8M episodes.

## Discussion

- ▶ Unfortunately, we are unable to observe a clear Double Descent phenomenon in our experiments.
- ▶ There may be several reasons for this, including the complexity of reinforcement learning environments and the computational constraints limiting the scale of our experiments.
- ▶ We observe a spike in the FIM trace around the interpolation threshold. This indicates that the model is unstable in the parameter space, but stabilizes later.
- ▶ However, this does not translate to a clear second ascent in average return.

## Limitations & Future Work

- ▶ We are constrained by limited access to compute, with training runs taking multiple days and wait times for available GPUs.
- ▶ One avenue for further work is exploring the transition between lacking generalization and perfect generalization.
- ▶ We observe no emerging generalization gap when training on 1,000 maps.
- ▶ Further, training on larger maps as well as different algorithms could be explored, as well as stochastic transitions.

## References I

-  Belkin, Mikhail et al. (July 2019). "Reconciling modern machine-learning practice and the classical bias–variance trade-off". In: *Proceedings of the National Academy of Sciences* 116.32, pp. 15849–15854. ISSN: 1091-6490. DOI: 10.1073/pnas.1903070116. URL: <http://dx.doi.org/10.1073/pnas.1903070116>.
-  Brellmann, David et al. (2024). "On Double Descent in Reinforcement Learning with LSTD and Random Features". In: arXiv: 2310.05518 [cs.LG]. URL: <https://arxiv.org/abs/2310.05518>.
-  Nakkiran, Preetum et al. (2019). *Deep Double Descent: Where Bigger Models and More Data Hurt*. arXiv: 1912.02292 [cs.LG]. URL: <https://arxiv.org/abs/1912.02292>.

## References II

-  Veselý, Viktor, Aleksandar Todorov, and Matthia Sabatelli (2025). *On The Presence of Double-Descent in Deep Reinforcement Learning*. arXiv: 2511.06895 [cs.LG]. URL: <https://arxiv.org/abs/2511.06895>.

# Thank You!

Questions?

## Environment Details

- ▶ Each map is  $8 \times 8$  tiles, with the agent in the top left and the goal in the bottom right unless randomized.
- ▶ Every other tile has a 20% chance of being blocked, with a guaranteed path.
- ▶ At each timestep, the agent receives a reward given by:

$$r_t = \begin{cases} 1, & \text{if goal reached at time } t \\ \Phi(s_{t+1}) - \Phi(s_t) - 0.01, & \text{otherwise} \end{cases}$$

where  $\Phi(s) = \frac{\text{Euclidean distance to goal}}{100}$  is the potential function.

- ▶ Episodes are truncated at 64 timesteps.
- ▶ Action space: up, right, down, left, deterministic transitions.
- ▶ Observation space:  $8 \times 8$  grid with one-hot encoded tiles, frame stacking of 2 frames ( $8 \times 8 \times 4 \times 2 = 512$  bits).

# Training Configurations

- ▶ On the following configurations, we trained agents of varying widths between 3 and 8 and depths between 4 and 1024:

Type	Train Maps	Training Episodes	Start & Goal Position
TRPO	10	10,000	Standard <sup>1</sup>
DQN	50	20,000	Standard
DQN	100	50,000	Standard
TRPO	50	20,000	Randomized
TRPO	100	50,000	Randomized
TRPO	500	1,000,000	Standard

- ▶ On the following configurations, we trained agents of depth 3 and widths 4, 16, 64, 256, and 1024 for unlimited time:

Type	Train Maps	Start & Goal Position
TRPO	50	Standard
TRPO	100	Standard

<sup>1</sup>Agent starts in top left, goal in bottom right