Using Maxima to write a LATEX article

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Abstract

This article is created from within the CAS program Maxima and converted to PDF by using FOSS tools only, to assess the viability of this pipeline. As a testcase, an exercise of [1] (page 69) is used.

1 Introduction

E^AT_EX is commonly used for writing publishable scientific articles[2]. Algebraic manipulations can be done by a CAS, for example Maxima, Maple or Mathematica. Maxima is the only free and open-source program, and it is the oldest free and open-source computer algebra system, with development started in 1967 (as Macsyma) or 1982 (as MAXIMA). This article is an example of writing a E^AT_EX article within Maxima

Writing IATEX is slower and introduces more errors then using Microsoft Word as a text editor [3]. In this article, however, the text of a document is generated. IATEX can parse that text to create a document, like a Word .docx could do as well, with less markup (XML) added. Additionally, all tools in the current pipeline are FOSS, so anyone with an internet connection can access these without paying licensing costs.

Maxima its capabilities is tested by doing an exercise of [1] at page 69.

2 Exercise

symbol	description
I	Indentity matrix
L	Leslie matrix
M	Leslie matrix with λ subtracted at diagonal
x	population density vector
Z	Vector filled with zeroes
λ	population growth rate

Table 1: Definitions

The equations to solve are:

$$x L = x \lambda \tag{1}$$

$$xM = Z (2)$$

Equation 1 equals equation 3.21 of [1] (or P2.4a, page 237, in [4]) Equation 2 equals equation 3.23 of [1] (for definitions see table 1 on page 1). The Leslie matrix, L, given in this exercise is:

$$L = \begin{pmatrix} 1.0 & 1.0 \\ 0.8 & 0.8 \end{pmatrix} \tag{3}$$

The Leslie matrix, L, used:

$$L = \begin{pmatrix} 1.0 & 1.0 \\ 0.8 & 0.8 \end{pmatrix} \tag{4}$$

Note that this matrix has 2 age classes. The simplifies equation 1 to:

$$\begin{pmatrix} 1.0 x & 1.0 x \\ 0.8 x & 0.8 x \end{pmatrix} = x \lambda \tag{5}$$

Solving equation 1 can be done with equation 6:

$$det(L - \lambda * I) = Z \tag{6}$$

Equation 6 equals equation 3.24 of [1] (also: P2.4b at page 237, or 10.3.2 at page 406, in [4]), where I is the identity matrix:

$$I = \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix} \tag{7}$$

And Z is the vector of zeroes:

$$Z = \begin{pmatrix} 0\\0 \end{pmatrix} \tag{8}$$

This simplifies equation 6 to:

$$det\left(\begin{pmatrix} 1.0 - \lambda & 1.0\\ 0.8 & 0.8 - \lambda \end{pmatrix}\right) = \begin{pmatrix} 0\\ 0 \end{pmatrix} \tag{9}$$

The determinant of that matrix (M), is:

$$det(\begin{pmatrix} 1.0 - \lambda & 1.0 \\ 0.8 & 0.8 - \lambda \end{pmatrix}) = (0.8 - \lambda) (1.0 - \lambda) - 0.8$$
 (10)

Solving M=0, the λs found are:

$$\left[\lambda = \frac{9}{5}, \lambda = 0\right] \tag{11}$$

There is one stable population structure, $\lambda = 0$, which is denotes an extinct population. Here I focus on the more interesting value, where $\lambda = 9/5$. This lambda is called the dominant eigenvalue, which equals the ultimate population growth.

Put λ in M, this results in:

$$M = \begin{pmatrix} -0.8 & 1.0 \\ 0.8 & -1.0 \end{pmatrix} \tag{12}$$

Now we can solve the x of equation 2 (equals 3.23 from [1]), which was this:

$$x M = Z (13)$$

This equation is unsolvable, unless we assign a value to an element of x. Here, I put 1.0 as the initial value of x its first element. (it will be rescaled later):

$$x = \begin{pmatrix} 1.0 \\ x_2 \end{pmatrix} \tag{14}$$

Putting this x in equation 2:

$$M * x = \begin{pmatrix} 1.0 x_2 - 0.8 \\ 0.8 - 1.0 x_2 \end{pmatrix} = \begin{pmatrix} 0 \\ 0 \end{pmatrix}$$
 (15)

As our matrix has two rows, there are two equations that can be solved: Solving the upper, results in $x^2 = 4/5$. This results in an x of:

$$x = \begin{pmatrix} 1.0\\ \frac{4}{5} \end{pmatrix} \tag{16}$$

x must be rescaled so that its sum equals 1.0. x its current sum is 1.8, so dividing all elements by it, results in an x of:

3 Conclusion

For this Leslie matrix:

$$\begin{pmatrix} 1.0 & 1.0 \\ 0.8 & 0.8 \end{pmatrix} \tag{18}$$

The dominant eigenvalue, λ , is:

$$\lambda = 9/5 \tag{19}$$

The stable population size distribution is:

4 Discussion

Writing LaTeX within Maxima can be done, but it is a bit cumbersome: Maxima does not know LaTeX syntax and just creates contextless strings, which might not be compilable by LaTeX. However, because the script does create a .tex file, this file can be inspected easily with a LaTeX tool like texmaker.

References

- [1] Case, Ted J. 2000 An illustrated guide to theoretical ecology.
- [2] Gaudeul, A. 2006 Do Open Source Developers Respond to Competition?: The (La)TeX Case Study. Available at SSRN: http://ssrn.com/abstract=908946 or http://dx.doi.org/10.2139/ssrn.908946
- [3] Knauff, M. and Nejasmic, J. December 19, 2014 An Efficiency Comparison of Document Preparation Systems Used in Academic Research and Development. PLoS ONE 9(12): e115069. doi: 10.1371/journal.pone.0115069
- [4] Otto, Sarah P. and Day, T. 2007 A biologist's guide to mathematical modeling in ecology and evolution. ISBN-13: 978-0-691-12344-8

A Script file

B Maxima file

```
/* Maxima batch file */
/* Load libraries */
load("stringproc")$
/* Input filename */
bash\_filename:"case\_2000\_69.sh"$
maxima_filename: "case_2000_69.txt" $ /* this file */
/* Output filenames */
tex_filename: "case_2000_69_output.tex"$
/* Write results to TeX file */
stream: openw(tex_filename)$
printf(stream,"\\documentclass{article}~\%")$
printf(stream, "~%")$
printf(stream, "\\usepackage{listings}~\%")$
printf(stream, "\\usepackage{graphicx}\"\\")$
printf(stream, "\")$
printf(stream,"\\title{Using Maxima to write a \\LaTeX~~
    article } ~ %")$
printf(stream\ ," \setminus author\{Richel\ Bilderbeek\}^{\sim}\%")\$
printf(stream,"\\date{\\today}~\%")$
\texttt{printf}\,(\,\texttt{stream}\,\,,\text{```^{\text{\%}}"}\,)\,\$
printf(stream,"\\begin{document}^\%")$
printf(stream, "~%")$
printf(stream,"\\maketitle~%")$
printf(stream, "~%")$
printf(stream,"\\begin{abstract}~\%")$
printf(stream," This article is created from within the
   CAS program Maxima~%")$
printf(stream," and converted to PDF by using FOSS tools
    only, to assess the viability of this pipeline.")$
printf(stream, "As a testcase, an exercise of \\cite{
    case2000} (page 69) is used. \%")$
printf(stream, "\end{abstract}^{\%}")$
printf(stream, "~%")$
printf(stream\ ," \setminus section\{Introduction\}^{\sim}\%")\$
\texttt{printf}\,(\,\texttt{stream}\,\,,\text{```^{\text{\%}}"}\,)\,\$
printf(stream,"\\LaTeX~~is commonly used for writing
    publishable scientific articles \\cite { gaudeul2006 }.~%"
    ) $
```

```
printf(stream," Algebraic manipulations can be done by a
   CAS, for example Maxima, Maple or Mathematica. "%")$
printf(stream, "Maxima is the only free and open-source
   program, and it is the oldest free and open-source
   computer algebra system, with development started in
   1967 (as Macsyma) or 1982 (as MAXIMA).~%")$
printf(stream, "This article is an example of writing a \\
   LaTeX~~ article within Maxima~%")$
printf(stream, "~%")$
printf(stream, "Writing \\LaTeX~~ is slower and introduces
    more errors ~%")$
printf(stream,"then using Microsoft Word as a text editor
    printf(stream," In this article, however, the text of a
   document is generated. \\LaTeX~~ can~%")$
printf(stream, "parse that text to create a document, like
    a Word .docx could do as well, "%")$
printf(stream, "with less markup (XML) added. Additionally
   , all tools in the current pipeline "%")$
printf(stream," are FOSS, so anyone with an internet
   connection can access these without "%") $
printf(stream, "paying licensing costs.~%")$
printf(stream,"~\%")\$
printf(stream, "Maxima its capabilities is tested by doing
    an exercise of \\cite{case2000} at page 69.~%")$
printf(stream, "~\%")\$
\begin{array}{l} printf(stream," \setminus section \{ Exercise \}^{-}\%") \$ \\ printf(stream,"^{-}\%") \$ \end{array}
printf(stream, "\\begin{table}[here]~\%")$
printf(stream,"
                 \\centering~\%")\$
printf(stream,"
                 printf(stream,"
                   \\ hline~%")$
                   symbol & description \\\~%")$
printf(stream,"
\verb|printf(stream|,"
                   \\ hline~%")$
\verb|printf(stream|,"
                   $I$ & Indentity matrix \\\~%")$
                   L & Leslie matrix \\ \ \ \ \ \
printf(stream,"
printf(stream,"
                   $M$ & Leslie matrix with $\\lambda$
   subtracted at diagonal \\\~%")$
printf(stream,"
                   $x$ & population density vector \\\~%
   ")$
                   $Z$ & Vector filled with zeroes \\\~%
printf(stream,"
   ")$
printf(stream,"
                   $\\lambda$ & population growth rate
   \\\~%")$
printf (stream,"
                   \\hline~%")$
printf(stream,"
```

```
printf(stream," \\caption{Definitions}~\%")$
printf(stream," \\label{table:table_definition}~\%")$
printf(stream," \end{table} ^{\cite{table}} )
printf(stream, "~%")$
printf(stream, "The equations to solve are: "%")$
Eq3_21(L,x,lambda) := L * x = lambda * x;
printf(stream, "\begin{equation}~\%")$
printf(stream, tex1(Eq3_21(L,x,lambda)))$ /* Use tex1
    instead of tex(..., false) for non $$-enclosed output
printf(stream, " \setminus label{eq:eq3_21}^{\%}")$
printf(stream,"\\end{equation}~\%")$
Eq3_23(M, x, Z) := M * x = Z;
Eq3_23_{str}: tex1(Eq3_23(M,x,Z));
printf(stream,"\\begin{equation}~\%")$
printf(stream, tex1(Eq3_23(M,x,Z)))$ /* Use tex1 instead
    of tex(..., false) for non $$-enclosed output */
printf(stream, "\\label{eq:eq3_23}\"\")$
printf(stream,"\\end{equation}~\%")$
printf(stream, "~%")$
printf(stream, "Equation \\ref{eq:eq3_21} equals equation
   3.21 \text{ of } \setminus \text{cite}\{\text{case}2000\} \text{ (or } P2.4a, page 237, in } \setminus
    cite { otto&day2007 })~%")$
printf(stream, "Equation \\ref{eq:eq3_23} equals equation
    3.23 of \\cite{case2000} ~\"")$
printf(stream, "(for definitions see table \\ref{table:
    table_definition } on page \pageref{table:
    table_definition \}).~\%")\$
printf(stream,"The Leslie matrix, L, given in this
    exercise is:~%")$
printf(stream, "~%")$
L_{\text{original}}: \text{matrix}([1.0, 1.0], [0.8, 0.8]);
printf(stream, "\\begin{equation}~\%")$
printf(stream,"L=")$
printf(stream, tex1(L_original))$
printf(stream, "\\end{equation}~\%")$
printf(stream, "~%")$
L: L_original;
```

```
/*L: matrix([0.1,2.0],[0.1,0.8]); */
/* L: matrix ([0.1,1.0,0.0],[0.8,0.8,0.0],[0.8,0.8,0.0]);
printf(stream, "The Leslie matrix, L, used: "%")$
printf(stream, "~%")$
printf(stream," \setminus begin\{equation\}^{\sim}\%")\$
printf(stream, "L=")$
printf(stream, tex1(L))$
printf(stream,"\\end{equation}~\%")$
printf(stream, "^{\sim}\%")$
n_age_classes: matrix_size(L)[1];
printf(stream, "~%")$
printf(stream, "Note that this matrix has ")$
printf(stream, string(n_age_classes))$
printf(stream, age classes. %")$
printf(stream, "The simplifies equation \\ref{eq:eq3_21}
   to:~%")$
printf(stream, "~%")$
printf(stream, "\\begin{equation}~\%")$
printf(stream, tex1(Eq3_21(L,x,lambda)))$
printf(stream,"\\end{equation}~\%")$
printf(stream, "~%")$
printf(stream, "Solving equation \\ref{eq:eq3_21} can be
   printf(stream, "~%")$
printf(stream, "\\begin{equation}~\%")$
printf(stream, "det(L - \lambda = Z^{*})) = Z^{*}
printf(stream," \setminus end\{equation\}^{\sim}\%")\$
printf(stream, "~%")$
I:ident(n_age_classes);
Z: zeromatrix (n_age_classes, 1);
printf(stream, "Equation \\ref{eq:eq3_24} equals equation
   3.24 of \land cite {case 2000} (also: P2.4b at page 237, or
   10.3.2 at page 406, in \cite{otto&day2007}, "%")$
printf(stream, "where I is the identity matrix: "%")$
printf(stream,"\\begin{equation}^\%")$
printf(stream, "I=")$
printf(stream, tex1(I))$
printf(stream,"\\end{equation}~\%")$
printf(stream, "And Z is the vector of zeroes: "%")$
```

```
printf(stream\ ," \setminus begin\{equation\}^{\sim}\%")\$
printf(stream, "Z=")$
printf(stream, tex1(Z))$
printf(stream\ ," \setminus end\{equation\}^{\sim}\%")\$
printf(stream,"~%")$
Eq3-24(L, lambda, I, Z) := det(L - lambda * I) = Z;
printf(stream, "This simplifies equation \\ref{eq:eq3_24}
   to:~%")$
printf(stream, "~%")$
printf(stream,"\\begin{equation}~%")$
printf(stream, tex1(Eq3_24(L, lambda, I, Z)))$
printf(stream, "\end{equation}^{\infty}")$
printf(stream, "~%")$
/* Great that M is in Eq3_24_b, but I cannot get it out,
    so I do it manually*/
M: copymatrix (L);
D: diagmatrix (n_age_classes, lambda);
M:M-D;
printf(stream, "~%")$
printf(stream,"The determinant of that matrix ($M$), is
   :~%")$
printf(stream, "\begin{equation}~\%")$
printf(stream, "det(")$
printf(stream, tex1(M))$
printf(stream,")=")$
printf(stream, tex1(determinant(M)))$
printf(stream, "~%") $printf(stream, "\\end{equation}~%")$
stable_lambdas : solve(determinant(M) = 0, lambda);
printf(stream, "~%")$
printf(stream, "Solving $M=0$, the $\\lambda$s found are
   :~%")$
printf(stream, "~%")$
printf(stream, "\\begin{equation}~\%")$
printf(stream, tex1(stable_lambdas))$
printf(stream,"\\end{equation}~%")$
printf(stream,"~%")$
printf(stream,"There is one stable population structure,
   \Lambda = 0, which is \%")$
printf(stream, "denotes an extinct population.~%")$
```

```
lambda: rhs (stable_lambdas [1]);
printf(stream," Here I focus on the more interesting value
    ,~%")$
printf(stream, "where $\\lambda=")$
printf(stream, string(lambda))$ /* Don't forget the string
     function */
printf(stream, "$.~%")$
printf(stream,"This lambda is called the dominant
    eigenvalue, which equals the ultimate population
    growth.~%")$
printf(stream, "~%")$
M: ', (M) ; /* Filling it in */
printf(stream,"Put \$\\\ lambda\$ in M, this results in: \~\%")\$
printf(stream\ ," \setminus begin\{equation\}^{\sim}\%")\$
printf(stream, "M=")$
printf(stream, tex1(M))$
printf(stream,"\\end{equation}~\%")$
printf(stream, "~\%")\$
printf(stream, "Now we can solve the $x$ of equation \\ref
    \{eq: eq3\_23\}\ (equals\ 3.23\ from\ \backslash cite\{case2000\}), \%")$
printf(stream, "which was this: "%")$
printf(stream, ""%")$
printf(stream, "\begin{equation}~\%")$
printf(stream, Eq3_23_str)$
printf(stream,"\\end{equation}~\%")$
printf(stream,"~\%")$
printf(stream," This equation is unsolvable, unless we
    assign a value to an element of $x$.~%")$
printf(stream,"Here, I put $1.0$ as the initial value of
    $x$ its first element.~%")$
printf(stream, "(it will be rescaled later): "%")$
printf(stream,"~\%")\$
x: transpose (matrix ([1.0, x2]));
if n_age_classes=3
then
  x: transpose (matrix ([1.0, x2, x3]))
```

```
if n_age_classes=4
then
  printf(stream, "NOT SUPPORTED 4 AGE CLASSES YET!~%")
printf(stream,"\\begin{equation}~\%")$
printf(stream, "x = ")$
printf(stream, tex1(x))$
printf(stream,"\\end{equation}~\%")$
EqSolve(M, x, Z) := M.x = Z;
printf(stream, "Putting this $x$ in equation \\ref{eq:
   eq3<sub>-</sub>23}:~%")$
printf(stream, "\\begin{equation}~\%")$
printf(stream, "M * x = ")$
printf(stream, tex1(lhs(EqSolve(M,x,Z))))$
printf(stream, "= ")$
printf(stream, tex1(Z))$
printf(stream,"\\end{equation}~\%")$
printf(stream," As our matrix has two rows, there are two
   equations that can be solved: "%")$
q: ', (M.x)[1,1];
x2: rhs(solve(q)[1]);
printf(stream, "Solving the upper, results in $x2=")$
printf(stream, string(x2))$
printf(stream, "$.~%")$
printf(stream, "This results in an $x$ of:~%")$
х;
x: , (x);
printf(stream, "\\begin{equation}~\%")$
printf(stream, "x = ")$
printf(stream, tex1(x))$
printf(stream,"\\end{equation}~\%")$
printf(stream, "$x$ must be rescaled so that its sum
   equals $1.0$.~%")$
sz: matrix_size(x);
my\_sum: sum(sum(x[i,j],i,1,sz[1]),j,1,sz[2]);
```

```
printf(stream, "$x$ its current sum is $")$
printf(stream, string(my_sum))$
printf(stream, "$, so dividing all elements by it, results
     in an $x$ of:~%")$
x:x/my\_sum;
x;
printf(stream, "\\begin{equation}~\%")$
printf(stream, "x = ")$
printf(stream, tex1(x))$
printf(stream,"\\end{equation}~\%")$
/* Conclusion */
\begin{array}{l} printf(stream\ ," \setminus section \{Conclusion\} \tilde{\ } ") \$\\ printf(stream\ ," \tilde{\ } ") \$ \end{array}
printf(stream, "For this Leslie matrix:~%")$
printf(stream,"\\begin{equation}~\%")$
printf(stream, tex1(L))$
printf(stream,"\\end{equation}~\%")$
printf(stream, "~%")$
printf(stream, "The dominant eigenvalue, $\\lambda$, is:~\%
   ")$
printf(stream,"\\\\\~%")$
printf(stream,"\\begin{equation}~\%")$
printf(stream,"\\lambda = ")$
printf(stream, string(lambda)) $ /* Don't forget the string
     function */
printf(stream, "\\end{equation}~\%")$
printf(stream,"\\\~%")$
printf(stream,"~%")$
printf(stream,"The stable population size distribution is
   :~%")$
printf(stream, "~\%")$
printf(stream,"\\begin{equation}~\%")$
printf(stream, "x = ")$
printf(stream, tex1(x))$
printf(stream,"\\end{equation}~\%")$
printf(stream, "~%")$
/* Discussion */
printf(stream, "\\section{Discussion}~\%")$
printf(stream, "~%")$
```

```
printf(stream,"Writing \\LaTeX~~within Maxima can be done
   , but it is a bit cumbersome: \(^{\%}\)")\$
printf(stream, "Maxima does not know \\LaTeX~~syntax and
   just creates contextless strings, "%")$
printf(stream," which might not be compilable by \LaTeX
   .~%")$
printf(stream," However, because the script does create a
    .tex file,~%")$
printf(stream," this file can be inspected easily with a
   \\LaTeX~~tool like texmaker.~%")$
printf(stream, "~%")$
Why can't it be solved simpler by stating
X: population vector at t
Y: population vector at t+1
and solving when Y has the same relative proportions than
*/
/*
kill(X);
kill(Y);
L: matrix([1.0, 1.0], [0.8, 0.8]);
Eq1(X, Y, L) := Y = L.X;
Eq2(X,Y) := X[1] / (X[1] + X[2]) = Y[1] / (Y[1] + Y[2]);
Eq3(X,Y) := X[2] / (X[1] + X[2]) = Y[2] / (Y[1] + Y[2]);
X: transpose(matrix([xa, xb]));
Y: transpose(matrix([ya, yb]));
*/
/* Bibliography */
printf(stream, "\\begin{thebibliography}{9}~\%")$
printf(stream, "~%")$
printf(stream, " \setminus bibitem \{case 2000\} \%") $
printf(stream,"
                Case, Ted J.~%")$
printf(stream,"
                  2000~%")$
printf(stream,"
                 An illustrated guide to theoretical
   ecology.~%")$
printf(stream, "~%")$
printf(stream,"\\bibitem{gaudeul2006}~\%")$
```

```
Gaudeul, A.~%")$
printf(stream,"
printf(stream,"
                      2006~%")$
printf(stream,"
                     Do Open Source Developers Respond to
    Competition?: The (La)TeX Case Study.~%")$
printf (stream,"
                      Available at SSRN: http://ssrn.com/
    abstract = 908946 or http://dx.doi.org/10.2139/ssrn
    .908946~%")$
printf(stream, "~\%")\$
\begin{array}{ll} & \text{printf} \ (\text{stream} \ ,\text{``} \setminus \text{bibitem} \ \{\text{knauff\&nejasmic2014}\} \ \text{``} \ \text{``} \ )\$ \\ & \text{printf} \ (\text{stream} \ ,\text{``} \ Knauff \ , \ M. \ and \ Nejasmic \ , \ J. \ \text{``} \ \text{``} \ )\$ \\ \end{array}
printf(stream,"
                     December 19, 2014~%")$
printf(stream,"
                     An Efficiency Comparison of Document
    Preparation Systems Used in Academic Research and
    Development.~%")$
printf(stream,"
                    PLoS ONE 9(12): e115069. doi: 10.1371/
    journal.pone.0115069~%")$
printf(stream, "~%")$
printf(stream,"\\bibitem{otto&day2007}~\%")$
printf(stream," Otto, Sarah P. and Day, T.~%")$
printf(stream,"
                     2007~%")$
printf(stream," A biologist's guide to mathematical
    modeling in ecology and evolution. "%")$
printf(stream," ISBN-13: 978-0-691-12344-8~%")$
printf(stream, "~%")$
printf(stream, "\\end{thebibliography}~\%")$
printf(stream, "~%")$
/* Appendix */
 \begin{array}{l} printf(stream\ ," \setminus appendix^{\sim}\%") \$ \\ printf(stream\ ,"^{\sim}\%") \$ \\ \end{array} 
printf(stream, " \setminus section(Script file)^{m}")$
printf(stream, "~%")$
printf(stream,"\\lstinputlisting[language=C++,
    showstringspaces=false, breaklines=true, frame=single]{"
    ) $
printf(stream, bash_filename)$
printf(stream,"}~%")$
printf(stream, "~\%")$
printf(stream, "\\section{Maxima file}~\%")$
printf(stream, "~%")$
```

C LATEX file

```
\documentclass{article}
\usepackage{listings}
\usepackage{graphicx}
\title {Using Maxima to write a \LaTeX article}
\author{Richel Bilderbeek}
\del{date} \del{date}
\begin { document }
\ maketitle
\begin{abstract}
This article is created from within the CAS program
and converted to PDF by using FOSS tools only, to assess
   the viability of this pipeline. As a testcase, an
   exercise of \cite{case 2000} (page 69) is used.
\end{abstract}
\section { Introduction }
\LaTeX~is commonly used for writing publishable
   scientific articles\cite{gaudeul2006}.
```

```
Algebraic manipulations can be done by a CAS, for example
    Maxima, Maple or Mathematica.
Maxima is the only free and open-source program, and it
   is the oldest free and open-source computer algebra
   system, with development started in 1967 (as Macsyma)
   or 1982 (as MAXIMA).
This article is an example of writing a \LaTeX article
   within Maxima
Writing \LaTeX~ is slower and introduces more errors
then using Microsoft Word as a text editor \cite{knauff&
   nejasmic 2014 \}.
In this article, however, the text of a document is
   generated. \LaTeX~ can
parse that text to create a document, like a Word .docx
   could do as well,
with less markup (XML) added. Additionally, all tools in
   the current pipeline
are FOSS, so anyone with an internet connection can
   access these without
paying licensing costs.
Maxima its capabilities is tested by doing an exercise of
    \text{cite}\{\text{case}\,2000\}\ \text{at page }69.
\section { Exercise }
\begin { table } [ here ]
  \centering
  \ hline
    symbol & description \\
    \ hline
    $1$ & Indentity matrix \\
    $L$ & Leslie matrix \\
    $M$ & Leslie matrix with $\lambda$ subtracted at
       diagonal \\
    x & population density vector \
    $Z$ & Vector filled with zeroes \\
    $\lambda$ & population growth rate \\
    \ hline
  \end{tabular}
  \caption { Definitions }
  \label{table:table_definition}
\end{table}
```

```
The equations to solve are:
\begin { equation }
x \setminus L=x \setminus \lambda  lambda \ label { eq: eq 3_21 }
\end{equation}
\begin { equation }
x \setminus M=Z \setminus label \{ eq : eq 3_23 \}
\end{ equation }
Equation \ref{eq:eq3_21} equals equation 3.21 of \cite{
    case 2000 { (or P2.4a, page 237, in \cite{otto&day 2007})
Equation \ref{eq:eq3_23} equals equation 3.23 of \cite{
    case 2000}
(for definitions see table \ref{table:table_definition}
    on page \pageref{table:table_definition}).
The Leslie matrix, L, given in this exercise is:
\begin { equation }
L=\langle \mathbf{pmatrix} \{1.0\&1.0 \backslash \mathbf{cr} \ 0.8\&0.8 \backslash \mathbf{cr} \} \backslash \mathbf{end} \{ equation \}
The Leslie matrix, L, used:
\begin { equation }
L=\mathbf{Pmatrix}\{1.0\&1.0\mathbf{cr}\ 0.8\&0.8\mathbf{cr}\ \}\mathbf{end}\{equation\}
Note that this matrix has 2 age classes.
The simplifies equation \lceil eq : eq : a_2 = 1 \rceil to:
\begin{equation}
\operatorname{\mathbf{Lo}}_{x \& 1.0}, x \& 1.0, x \mathbf{cr} = 0.8, x \& 0.8, x \mathbf{cr} = x, \lambda
    end{equation}
Solving equation \ref{eq:eq3_21} can be done with
    equation \backslash ref\{eq:eq3_24\}:
\begin { equation }
det(L - \mathbf{lambda}*I) = Z
\end{equation}
Equation \ref{eq:eq3-24} equals equation 3.24 of \cite{}
    case 2000} (also: P2.4b at page 237, or 10.3.2 at page
    406, in \cite{otto&day2007}),
where I is the identity matrix:
\begin { equation }
I = \mathbf{1}  {1  {0  }   } \mathbf{1}  {\mathbf{n} } {\mathbf{n} }
```

```
And Z is the vector of zeroes:
 \begin { equation }
Z=\mathbf{Cr} \{0 \ \mathbf{cr} \ 0 \ \mathbf{cr} \ \} \ \mathbf{equation} \}
 This simplifies equation \ref{eq:eq3_24} to:
 \begin { equation }
 {\det \left( \mathbf{1.0} - \mathbf{1.0} \right) \cdot \mathbf{cr} \quad 0.8 \& 0.8 - \mathbf{1.0} \right)}
                          The determinant of that matrix ($M$), is:
 \begin{equation}
 \det(\mathbf{ntix}\{1.0 - \mathbf{ntix}\{1.0 
                           left(0.8 - \lambda right) \setminus left(1.0 - \lambda right) - 0.8
 \end{equation}
 Solving M=0, the \lambda as found are:
 \begin { equation }
 \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} = \left\{ \begin{array}{ll} \left( 1 - 1 \right) & -1 \end{array} \right\} 
                           equation }
 There is one stable population structure, $\lambda=0$,
                           which is
 denotes an extinct population.
 Here I focus on the more interesting value,
 where \alpha = 9/5.
 This lambda is called the dominant eigenvalue, which
                            equals the ultimate population growth.
Put $\lambda$ in M, this results in:
\begin { equation }
M=\langle \mathbf{pmatrix} \{ -0.8 \& 1.0 \backslash \mathbf{cr} \ 0.8 \& -1.0 \backslash \mathbf{cr} \ \} \backslash \mathbf{end} \{ \text{equation} \}
Now we can solve the x of equation ref{eq:eq3-23} (
                            equals 3.23 from \langle cite\{case 2000\}\rangle,
 which was this:
 \begin { equation }
x \setminus M=Z \setminus end\{equation\}
 This equation is unsolvable, unless we assign a value to
                          an element of $x$.
Here, I put $1.0$ as the initial value of $x$ its first
                          element.
```

```
(it will be rescaled later):
\begin { equation }
x = \mathbf{it} \{1.0 \mathbf{cr} \{\mathbf{it} \ x_2\} \mathbf{cr} \} 
Putting this x in equation ref{eq:eq3_23}:
\begin { equation }
M * x = \mathbf{pmatrix} \{1.0 \setminus, \{ \mathbf{it} \ x_2 \} - 0.8 \setminus \mathbf{cr} \ 0.8 - 1.0 \setminus, \{ \mathbf{it} \ x \} \}
    -2\cr }= \pmatrix{0\cr 0\cr }\end{equation}
As our matrix has two rows, there are two equations that
   can be solved:
Solving the upper, results in x2=4/5.
This results in an $x$ of:
\begin{equation}
x = \mathbf{1.0} \mathbf{cr} \{\{4\} \mathbf{over}\{5\}\} \mathbf{cr} \} \mathbf{end}\{equation}
$x$ must be rescaled so that its sum equals $1.0$.
$x$ its current sum is $1.8$, so dividing all elements by
    it, results in an $x$ of:
\begin{equation}
end{equation}
\section { Conclusion }
For this Leslie matrix:
\begin { equation }
\mathbf{pmatrix} \{1.0\&1.0\ \mathbf{cr}\ 0.8\&0.8\ \mathbf{cr}\ \}\ \mathbf{equation}\}
The dominant eigenvalue, $\lambda$, is:
1111
\begin{equation}
\\
The stable population size distribution is:
\begin{equation}
end{equation}
\section { Discussion }
Writing \LaTeX~within Maxima can be done, but it is a bit
    cumbersome:
Maxima does not know \LaTeX~syntax and just creates
   contextless strings,
which might not be compilable by \LaTeX.
However, because the script does create a .tex file,
```

```
this file can be inspected easily with a \LaTeX~tool like
    texmaker.
\begin { the bibliography } {9}
\bibitem { case 2000}
  Case, Ted J.
  2000
 An illustrated guide to theoretical ecology.
\bibitem { gaudeul 2006 }
  Gaudeul, A.
  2006
 Do Open Source Developers Respond to Competition?: The
     (La)TeX Case Study.
  Available at SSRN: http://ssrn.com/abstract=908946 or
     http://dx.doi.org/10.2139/ssrn.908946
\bibitem { knauff&nejasmic 2014}
 Knauff, M. and Nejasmic, J.
 December 19, 2014
 An Efficiency Comparison of Document Preparation
     Systems Used in Academic Research and Development.
 PLoS ONE 9(12): e115069. doi: 10.1371/journal.pone
     .0115069
\bibitem { otto&day 2007}
  Otto, Sarah P. and Day, T.
  2007
 A biologist's guide to mathematical modeling in ecology
      and evolution.
 ISBN-13: 978-0-691-12344-8
\end{thebibliography}
\appendix
\section { Script file }
\lstinputlisting [language=C++,showstringspaces=false,
   breaklines=true, frame=single | { case 2000-69.sh }
\section {Maxima file }
\lstinputlisting[language=C++,showstringspaces=false,
   breaklines=true, frame=single | { case 2000-69.txt }
```

```
\section {\LaTeX~file }
\lstinputlisting [language=tex, showstringspaces=false,
    breaklines=true, frame=single] { case _2000_69_output.tex}
\end{document}
```