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# Forecast Covid-19 Daily Cases

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October 27, 2022

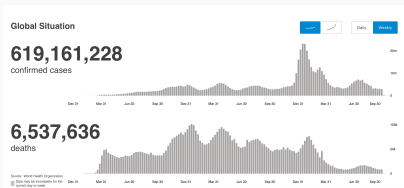
# Outline

- 1 Background and Introduction
- 2 Methodology
- 3 Conclusion and Finding

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- The total number of confirmed cases exceeds **600 million**
- The total number of deaths cases exceeds **6 million**



Many researchers illustrate that early intervention will efficiently reduce a large number of confirmed cases and deaths

# Epidemiological Model

We have many mathematics models to determine the virus spreading, such as SI, SIR, SIRE.

$R$  is one of key parameters in models, my model will mainly focus on it.

## what is $R$

$R$  is a potential measure of the transmission of infectious disease and represents the mean number of secondary infections generated by a typical infected individual in a population with all susceptible

# Research Questions

- Estimate  $R$ , and choose a appropriate window to estimate  $R$
- Forecast daily new cases

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# Data Source

The data comes from Coronavirus Case in Australian  
This website provides the new daily cases for each  
state

## INFLUENZA

Fortnight ending 11 September 22



STATE	2022		
NSW	113,167	▲	417
Victoria	34,942	▲	147
Queensland	42,254	▲	4,546
WA	12,575	▲	428
SA	11,231	▲	174
Tasmania	2,789	▲	44
ACT	1,968	▲	7
NT	4,752	▲	17
<b>Australia</b>	<b>223,678</b>	▲	<b>5,780</b>

Hospitalisations 1,763 ICU 120 Deaths 295

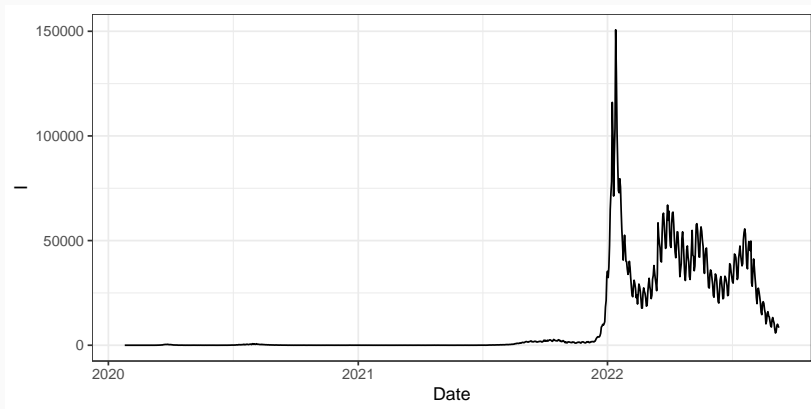


# Raw Data

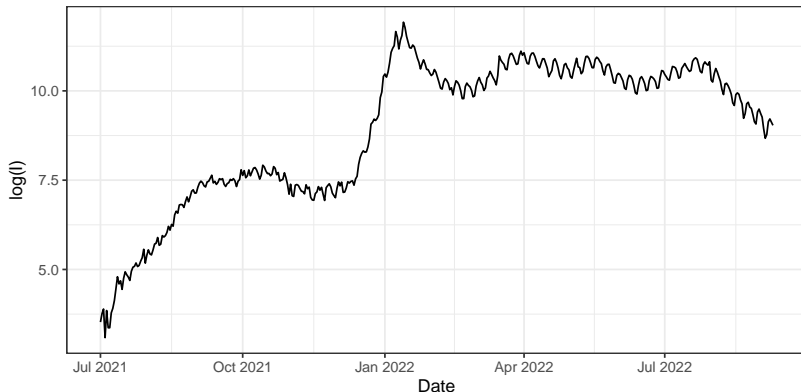
Date	I
2020-01-25	0
2020-01-26	0
2020-01-27	1
2020-01-28	0
2020-01-29	4
2020-01-30	0

*I* represents incidence number

# Raw Data



# Data Transformation



- using **log transformation**.
- Using data after **2021-07-01**, because all positive number and they are very stable.

# Time Decomposition

## Decomposition

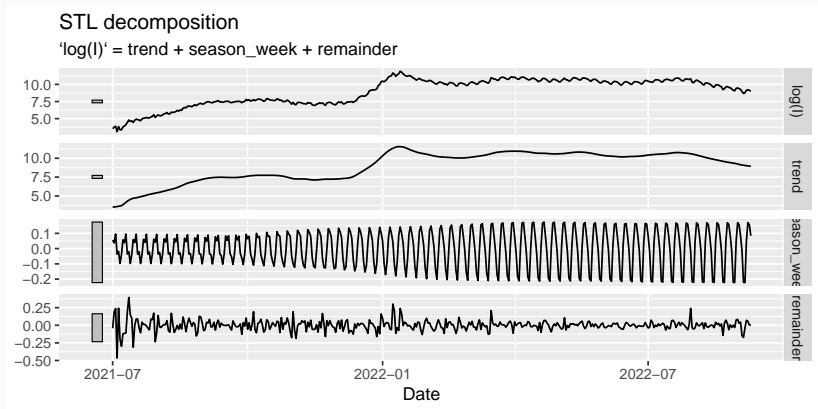
$$Y = \textit{Trend} + \textit{Season} + \textit{Remainder}$$

## seasonally adjusted series

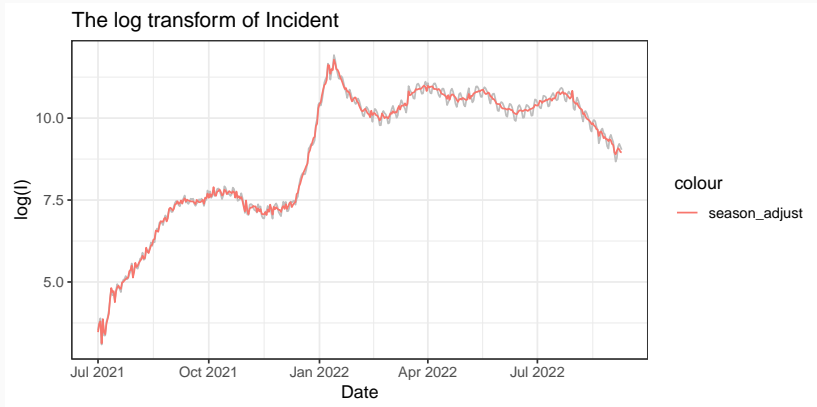
$$Y_{adj} = \textit{Trend} + \textit{Remainder}$$

# Time decomposition

STL time series decomposition is used here



# seasonally adjusted series

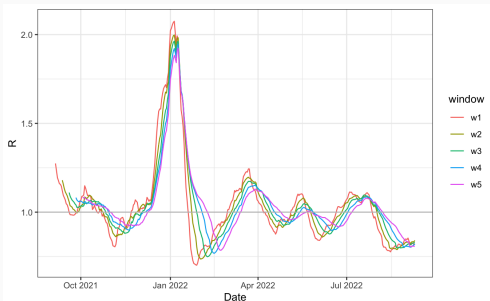


## Window

- 1 Small values of window lead to more rapid detection of changes in transmission but also more statistical noise.
- 2 large values of window lead to more smoothing, and reductions in statistical noise. It will lose some detail

# Estimate R

I use Bayesian-based method to estimate R by package EpiEstim



## R

If  $R > 1$ , The number of infectious cases increases

If  $R < 1$ , The number of infectious cases decline



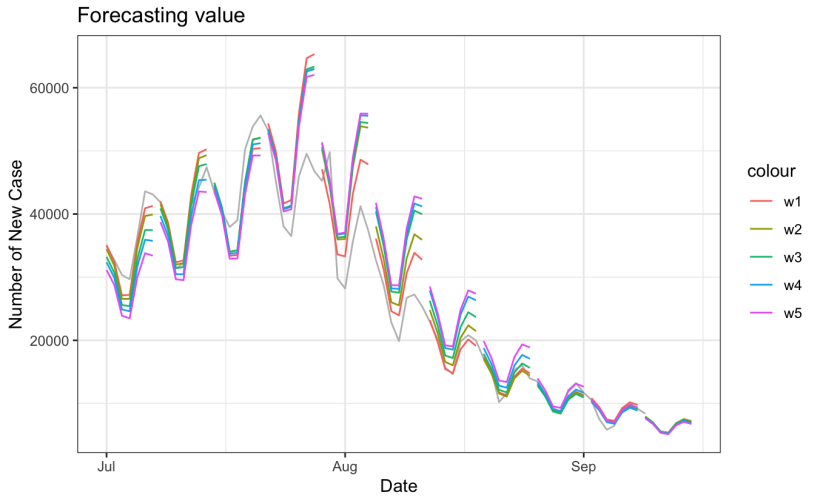
# Renewal equation

$$I_t \sim \text{Pois}\left(R_t \sum_{s=0}^t I_{t-s} w_s\right)$$

$w$  is a serial interval distribution.

serial interval is time from the infection of a primary case to infection of the cases the individual generates. Based on many studies,  $w$  follows gamma distribution.

# Forecasting



# Evaluation

Windows	MAE	RMSE
One	2841	4516
Two	3238	5012
Three	3845	5712
Four	4390	6199
Five	4956	6654

Model with one-week window is more suitable

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# Conclusion and Finding

## Conclusion

- 1 The model performance is very good, except ending of July, because our model cannot react quickly for a large increase.
- 2 One-week windows is better

THANK YOU