

Implementation of Single Layer Maze Router in C++

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Maze Routing:

Maze routing is one kind of global routing. It is similar breadth-first search and it guarantees to find the optimal solution if it exists. The Lee-Moore algorithm is one possible solution for maze routing problems based on breadth-first search. The pseudocode is given below.

```
Algorithm LEE-ROUTER ( $B, s, t, P$ )
  input:  $B, s, t$ 
  output:  $P$ 
begin
  plist =  $s$ ; // "present" list, source of wave exp.
  nlist =  $\phi$ ; // "next" list (of grid elements)
  temp = 1; // label number used during wave exp.
  path_exists = FALSE;
  while plist  $\neq \phi$  do // until wave exp. is possible
    for each vertex  $v_i$  in plist do
      for each vertex  $v_j$  neighboring  $v_i$  do
        if  $B[v_j] = \text{UNBLOCKED}$  then
           $L[v_j] = \text{temp}$ ; // label grid element (1, 2, 3, ...)
          INSERT( $v_j, \text{nlist}$ ); // add to list for future wave exp.
          if  $v_j = t$  then
            path_exists = TRUE;
            exit while;
          temp = temp + 1; // increment label #
        plist = nlist; // new source(s) for wave exp.
        nlist =  $\phi$ ;
      if path_exists = TRUE then RETRACE( $L, P$ ); // pick one routing path (we may have one or more avail)
      else path does not exist; // declare failure
    end.
```

Figure 1: The pseudocode of Lee-Moore algorithm

Comments on Implementation:

This project was implemented in C++ language using Code::Blocks. Graph, Array, and Queue Data Structures were used to complete the assignment. C++ Standard Template Library (STL), such as vectors and pair were also used. Details are given in the code's comment section.

Result:

Testcase No. 1

The Grid Size : 15

The obstruction cells, source cells, destination cells and the path

obstruction 3 12

obstruction 3 11

obstruction 3 10

obstruction 3 3

obstruction 3 4

obstruction 3 5

obstruction 3 6

obstruction 4 6

obstruction 5 6

obstruction 9 10

obstruction 10 10

obstruction 11 10

obstruction 11 9

obstruction 11 8

obstruction 6 2

obstruction 7 2

obstruction 8 2

obstruction 8 5

obstruction 9 5

obstruction 10 5

obstruction 11 5

obstruction 12 5

The Source Cell: (3, 12)

The Destination Cell: (12, 5)

The Shortest Path:-

(3, 12) -> (4, 12) -> (5, 12) -> (6, 12) -> (7, 12) -> (8, 12) -> (9, 12) -> (10, 12) -> (11, 12) -> (12, 12) -> (12, 11) -> (12, 10) -> (12, 9) -> (12, 8) -> (12, 7) -> (12, 6) -> (12, 5)

The Source Cell: (3, 6)

The Destination Cell: (10, 10)

The Shortest Path:-

The Given Route is not possible

The Source Cell: (8, 5)

The Destination Cell: (8, 2)

The Shortest Path:-

(8, 5) -> (8, 4) -> (8, 3) -> (8, 2)

The Source Cell: (3, 3)

The Destination Cell: (3, 10)

The Shortest Path:-

(3, 3) -> (2, 3) -> (2, 4) -> (2, 5) -> (2, 6) -> (2, 7) -> (2, 8) -> (2, 9) -> (2, 10) -> (3, 10)

Testcase No. 2

The Grid Size: 15

The obstruction cells, source cells, destination cells and the path

obstruction 0 9

obstruction 1 9

obstruction 2 9
obstruction 2 3
obstruction 2 4
obstruction 2 5
obstruction 3 3
obstruction 3 4
obstruction 3 5
obstruction 5 13
obstruction 6 13
obstruction 7 13
obstruction 8 13
obstruction 6 8
obstruction 7 8
obstruction 8 8
obstruction 6 9
obstruction 7 9
obstruction 8 9
obstruction 6 10
obstruction 7 10
obstruction 8 10
obstruction 6 1
obstruction 7 1
obstruction 10 3
obstruction 11 3
obstruction 12 3
obstruction 10 4
obstruction 11 4
obstruction 12 4

obstruction 10 5
obstruction 11 5
obstruction 12 5
obstruction 12 8
obstruction 12 9
obstruction 12 10
obstruction 12 11
obstruction 12 12

The Source Cell: (3, 3)
The Destination Cell: (10, 4)
The Shortest Path:-

The Given Route is not possible

The Source Cell: (2, 9)
The Destination Cell: (10, 5)

The Shortest Path:-

The Given Route is not possible

The Source Cell: (12, 8)
The Destination Cell: (12, 12)

The Shortest Path:-

The Given Route is not possible

The Source Cell: (3, 4)
The Destination Cell: (10, 3)

The Shortest Path:-

The Given Route is not possible

The Source Cell: (7, 1)

The Destination Cell: (7, 13)

The Shortest Path:-

(7, 1) -> (7, 2) -> (6, 2) -> (5, 2) -> (5, 3) -> (5, 4) -> (5, 5) -> (5, 6) -> (5, 7) -> (5, 8) -> (5, 9) -> (5, 10) -> (5, 11) -> (5, 12) -> (6, 12) -> (7, 12) -> (7, 13)

The Source Cell: (2, 5)

The Destination Cell: (6, 1)

The Shortest Path:-

(2, 5) -> (1, 5) -> (1, 4) -> (1, 3) -> (1, 2) -> (2, 2) -> (3, 2) -> (4, 2) -> (4, 1) -> (5, 1) -> (6, 1)

Reference:

[1] Dr. Khalid, “Routing PDF File from Physical Design Automation for VLSI & FPGAs Course”, Dept. of ECE, University of Windsor.

[2] “Shortest Path in a Binary Maze”, *GeeksforGeeks* [Online], Available: <https://www.geeksforgeeks.org/shortest-path-in-a-binary-maze/> [Accessed: April 02, 2020]