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recFib:
    addi    $sp, $sp, -12      # save $ra, $s0, and $s1
    sw      $ra, 0($sp)
    sw      $s0, 4($sp)
    sw      $s1, 8($sp)
    li      $t0, 1
    bgt     $a0, $t0, Recurse  # if (n > 1) recurse
    move    $v0, $a0          # return n
    j       Done

Recurse:
    addi    $s0, $a0, -1      # $s0 <-- n-1
    addi    $a0, $a0, -2      # $s1 <-- n-2
    jal     recFib
    move    $s1, $v0          # $s1 <-- Fib(n-2)
    move    $a0, $s0          # $a0 <-- n-1
    jal     recFib
    add     $v0, $v0, $s1      # $v0 <-- Fib(n-1) + Fib(n-2)

Done:
    lw      $ra, 0($sp)       # restore $ra, $s0, and $s1
    lw      $s0, 4($sp)
    lw      $s1, 8($sp)
    addi    $sp, $sp, 12
    jr      $ra

iterFib:
    li      $t0, 1           # i <-- 1
    bgt     $a0, $t0, Compute # if (n > 1) goto Compute
    move    $v0, $a0
    jr      $ra

Compute:
    move    $v0, $zero        # j <-- 0
    li      $t2, 1           # k <-- 1

Loop:
    add     $t3, $t0, $v0     # t <-- i + j
    move    $t0, $v0         # i <-- j
    move    $v0, $t3          # j <-- t
    addi    $t2, $t2, 1       # k <-- k + 1
    ble     $t2, $a0, Loop    # if (k <= n) goto Loop
    jr      $ra

```

Figure 1: (a) Recursive Fibonacci; (b) Iterative Fibonacci

Question 4 (20 points): The Fibonacci sequence is defined as follows:

$$\text{Fib}(n) = \begin{cases} \text{Fib}(n-1) + \text{Fib}(n-2) & \text{if } n > 1, \\ n & \text{if } n \leq 1. \end{cases}$$

Figure 1 shows two versions of MIPS assembly program that compute the Fibonacci value of a number n , which is the input parameter in $\$a0$.

- (10 points) Which version, `recFib` or `iterFib`, is more efficient for a large value of n ? Explain your answer.
- (10 points) Give an expression, in terms of n , for the amount of storage, given in bytes, that must be available to grow the stack for each of the subroutines to execute correctly.