Representación con Lógica de Predicados (5^a semana)

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1. Ejercicio 8.6 del libro

1.1. Enunciado

Represent the following sentences in first-order logic, using a consistent vocabulary (which you must define):

- 1. Some students took French in spring 2001.
- 2. Every student who takes French passes it.
- 3. Only one student took Greek in spring 2001.
- 4. The best score in Greek is always higher than the best score in French.
- 5. Every person who buys a policy is smart.
- 6. No person buys an expensive policy.
- 7. There is an agent who sells policies only to people who are not insured.
- 8. There is a barber who shaves all men in town who do not shave themselves.
- 9. A person born in the UK, each of whose parents is a IJK citizen or a UK resident, is a UK citizen by birth.
- 10. A person born outside the UK, one of whose parents is a UK citizen by birth, is a UK citizen by descent.
- 11. Politicians can fool some of the people all of the time, and they can fool all of the people some of the time, but they can't fool all of the people all of the time.

1.2. Resolución

- 1. \exists s isStudent(s) $\rightarrow \exists$ c tookClases(s, French)
- 2. \forall s isStudent(s) $\land \exists$ c tookClases(s, French) $\rightarrow \exists$ c passClass(s, French)
- 3. \exists s isStudent(s) \land \exists g tookClassOn(s, Greek, spring 2001) \land \forall x x \neq s \neg tookClassOn(x, Greek, spring 2001)
- 4. \forall c isBestCalificationOfGreek(g) \land \forall f isBestCalificationOfFrench(f) \rightarrow isHigher(g,f)
- 5. $\exists p \text{ isPerson}(p) \land \exists l \text{ isPolicy}(l) \rightarrow \forall \text{ buys}(p, l) \rightarrow \text{isWhise}(p)$
- 6. $\exists p \text{ isPerson}(p) \land \exists l \text{ isPolicy}(l) \land \text{isExpensive}(p) \rightarrow \neg \text{buys}(p, l)$
- 7. $\exists p \text{ isPerson}(p) \land \exists a \text{ isAgent}(a) \land \exists l \text{ isPolicy}(l) \rightarrow \text{sells}(a, l) \land \text{sellsTo}(a, p)$
- 8. \exists p isPerson(p) \land \exists b isBarber(b) \land \exists t isTown(t) \land dontShaveHimself(p) \land livesIn(p, t) \land livesIn(b, t) \rightarrow shaves(b, p)
- 9. \exists p1 isPerson(p1) \land \exists p2 isPerson(p2) \land \exists s isPerson(s) \land bornInUK(p1) \land bornInIJK(p2) \land bornInUK(s) \rightarrow haveUKNationalityByBirth(s)

- 10. \exists p1 isPerson(p1) \land \exists p2 isPerson(p2) \land \exists s isPerson(s) \land bornInUK(p1) \land bornInUK(p2) \rightarrow haveUKNationalityByDescent(s)
- 11. \exists Po isPolitician(po) $\land \exists$ Pe isPerson(pe) $\land \forall$ all isPerson(all) \rightarrow (foolAllOfTheTime(po, pe) \lor foolSomeOfTheTime(po, all)) $\land \neg$ foolAllOfTheTime(po, all)

2. Ejercicio 8.7 del libro

2.1. Enunciado

Represent the sentence "All Germans speak the same languages" in predicate calculus. Use Speaks (x, 1), meaning that person x speaks language 1.

2.2. Resolución

 $\forall g \exists 1 \text{ Speaks}(g, 1)$

3. Ejercicio 8.8 del libro

3.1. Eninciado

What axiom is needed to infer the fact Female(Laura) given the facts Male(Jim) and Spouse(Jim, Laura)?

3.2. Resolución

Husband(Jim)

4. Ejercicio 8.9 del libro

4.1. Eninciado

Write a general set of facts and axioms to represent ithe assertion "Wellington heard about Napoleon's death.and to correctly answer the question "Did Napoleon hear about Wellington's death?"

4.2. Resolución

HeardAbouth(Wallington, stateOf(Napoleon)) ∧ isDead(Napoleon)

5. Ejercicio 4 de la relacción

5.1. Enunciado

Representa los siguiente hechos con lógica de predicados:

- Algunas plantas no tienen flores
- Cualquier edificio es habitable

- No hay delito sin causa
- Algunas personas son insoportables
- Existen personas que no comen carne
- No es oro todo lo que reluce
- Ningún asesino es bondadoso
- El que estudia, aprueba
- No todos los animales son racionales
- Existen personas que aman a todo el mundo
- No es verdad que todas las personas no amen a todo el mundo

5.2. Resolución

- \exists p esPlanta(p) \land ¬tiene(p, flores)
- \forall e esEdificio(e) \rightarrow esHabitable(e)
- $\neg \exists$ d esDelito(d) $\land \exists$ c esCausa(c) \land esCausaDe(c, d)
- \blacksquare \exists p esPersona(p) \land esInsoportable(p)
- \blacksquare \exists p esPersona(p) $\land \neg$ come(p, carne)
- $\blacksquare \exists x \text{ reluce}(x) \land \neg esOro(x)$
- $\neg \exists$ a esAssesino(a) \land esBondadoso(a)
- $\forall x, y \text{ estudia}(x, y) \rightarrow \text{aprueba}(x, y)$
- $\blacksquare \neg \forall \text{ a esAimal(a)} \land \text{ esRacional(a)}$
- \exists p esPersona(p) $\land \forall$ all isPersona(all) \land amar(p, all)
- $\neg \forall$ p esPersona(p) $\land \forall$ all isPersona(all) $\land \neg$ amar(p, all)