Problem 14.3

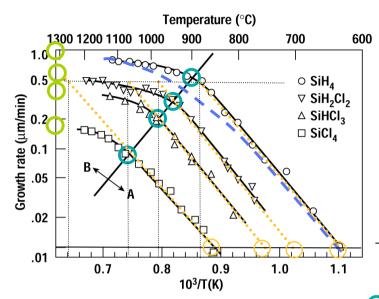


Figure 14.8 Arrhenius behavior of a variety of silicon-containing growth species (after Eversteyn, reprinted by permission, Philips).

At low temperature the rate is $R=R_0 \exp(-E_a/kT)$.

We find activation energy E_a and R_0 from drawing best straight line. $\ln(R) = \ln(R_0) - (E_a/10^3 \text{k}) \cdot (10^3/\text{T})$.

The slopes of the curves are similar yielding $E_a \sim 1.4 \text{ eV}$; see table

The value of k_0 is found from $k_0 = R_0 \cdot N/C_g = R_0 \cdot 5e22/1e15$, See table

Eq. 14.2 gives the growth rate, R, as

$$R = \frac{k_s h_g}{k_s + h_\varrho} \frac{C_g}{N} \quad [1] \quad [*]$$

At high temperatures this becomes mass transport limited, i.e. limited by gas phase diffusion, and $h_{\sigma} << k_{s}$. We then have

$$R \approx h_g \frac{C_g}{N}$$
 [2]

The reaction ate limited regime is when $k_{\rm s} << h_{\rm g}$, which occurs at low temperatures

$$R \approx k_s \frac{C_g}{N}$$
 [3] $k_s = k_0 \exp\left(-\frac{E_a}{kT}\right)$ [4]

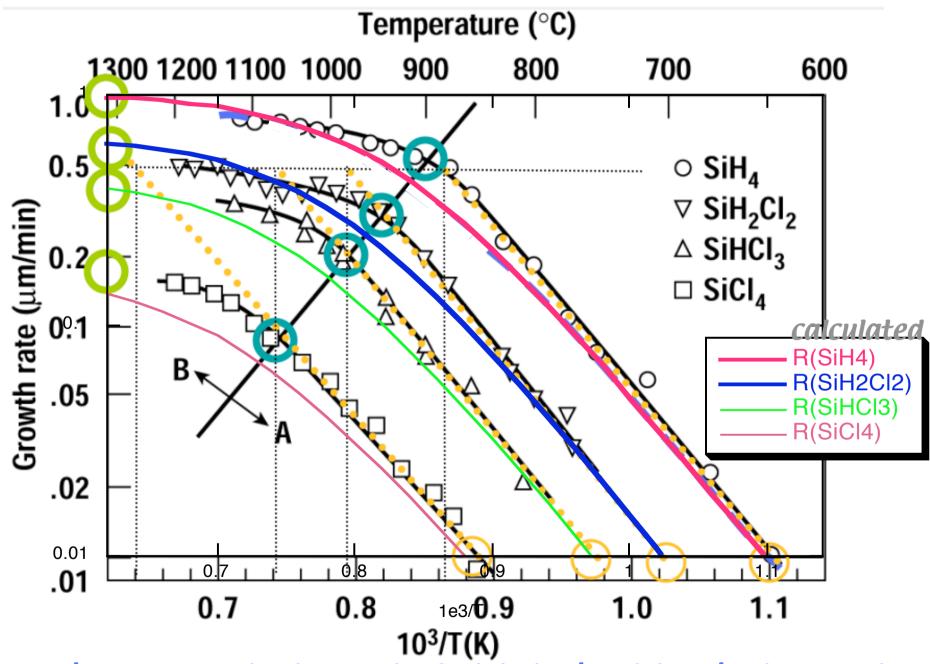
Identification of temperature when becomes mass transport limited can be read off Fig. 14. 8

OSiH₄: 900 C; SiH₂Cl₂: 950 C, SiHCl₃: 1000 C; SiCl₄: 1080 C

		SiH4	SiH2Cl2	SiHCl3	SiCl4	Reading points R_i , $10^3/T_i$ off
	1e3/T1	1.1	1.026	0.975	0.885	Fig 14.8
	R1(µm/min)	0.01	0.01	0.01	0.01	$E_a = -k \ln \left(\frac{R_2}{R_1}\right) \left(\frac{1}{T_2} - \frac{1}{T_1}\right)^{-1}$
	1e3/T2	0.864	0.795	0.742	0.64	$\left \frac{E_a}{R_1} \right \left \frac{T_2}{T_2} - \frac{T_1}{T_1} \right $
	R2(µm/min)	0.5	0.5	0.5	0.5	(1/(2 1/
	Ea(eV)	1.43	1.46	1.45	1.38	$R_0 = R_1 * \exp\left(\frac{E_a}{kT_1}\right)$
	R0(µm/min)	8.3E+05	3.5E+05	1.3E+05	1.4E+04	$\left \begin{array}{c} R_0 - R_1 \\ \end{array} \right \left(kT_1 \right)$
	k0(µm/min)	4.1E+13	1.8E+13	6.4E+12	6.9E+11	$N \sim N$
	Rg(µm/min)	1	0.65	0.44	0.17	$k_0 = R_0 \frac{N}{C}$
	hg(µm/min)	5.0E+07	3.3E+07	2.2E+07	8.5E+06	
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 $h_{\rm g}$ can be found by from [2] reading off the graph the asymptotic value for R at high temperature, $R_{\rm g}$ You could also do a curve fit. You will notice that the curve shape does not match all that well; see blue curve and next page.

^{[*]:} You may compare this to an equation for current flow in an electric circuit. It is a series connection of two conductors with conductance 1/h and 1/k. The equation is also written $R = \frac{1}{\frac{1}{h_e} + \frac{1}{k_s}} \frac{C_s}{N}$



Comparison measured values and calculated using determined parameters