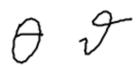
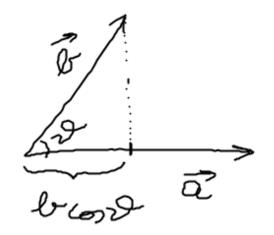
PRODOTTO SCALARE



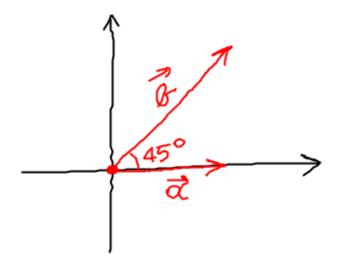


$$\vec{a} = (a_x, a_y)$$

$$\vec{k} = (k_x, k_y)$$

$$\vec{a} \cdot \vec{k} = \alpha_x k_x + \alpha_y k_y$$

ESEMPIO



$$\vec{a} = (2,0) \quad |\vec{a}| = 2$$

$$\vec{b} = (3\frac{\sqrt{2}}{2}, \frac{3\sqrt{2}}{2})$$

$$\vec{Q} \cdot \vec{k} = a_{x} Q_{x} + a_{y} Q_{y} = 2 \cdot 302 + 0 \cdot 302 = 302$$

DIMOSTRAZIONE DELLA PROPRIETA DEL PRODOTTO SCALARE

DEL PRODOTTO SCALARE

$$\frac{\partial y}{\partial x} = \frac{\partial}{\partial x} = (\alpha_{x}, \alpha_{y}) = (\alpha_{x}, \alpha_{x}, \alpha_{$$

FORMULA DI SOTURNIONE -> COS (B-d) = COSBCOSO + SIN BSIN X

$$\vec{a} \cdot \vec{b} = ab \cos(\beta - \alpha) =$$

$$= ab \cos\beta \cos\alpha + ab \sin\beta \sin\alpha =$$

$$= (a \cos\alpha)(b \cos\beta) + (a \sin\alpha)(b \sin\beta) =$$

$$\vec{a}_{x} \vec{b}_{x} \vec{b}_{y} =$$

$$= a \cos\alpha + ab \sin\beta \sin\alpha =$$

$$= (a \cos\alpha)(b \cos\beta) + (a \sin\alpha)(b \sin\beta) =$$

$$\vec{a}_{x} \vec{b}_{x} + a \cos\beta + a \cos\beta =$$

$$= a \cos\alpha + ab \sin\beta \sin\alpha =$$

$$= (a \cos\alpha)(b \cos\beta) + (a \sin\alpha)(b \sin\beta) =$$

$$= a \cos\alpha + ab \sin\beta \sin\alpha =$$

$$= (a \cos\alpha)(b \cos\beta) + (a \sin\alpha)(b \sin\beta) =$$

$$= a \cos\alpha + ab \sin\beta \sin\alpha =$$

$$= (a \cos\alpha)(b \cos\beta) + (a \sin\alpha)(b \sin\beta) =$$

$$= a \cos\alpha + ab \sin\beta \sin\alpha =$$

$$= (a \cos\alpha)(b \cos\beta) + (a \sin\alpha)(b \sin\beta) =$$

$$= a \cos\alpha + ab \sin\beta \sin\alpha =$$

$$= (a \cos\alpha)(b \cos\beta) + (a \sin\alpha)(b \sin\beta) =$$

$$= a \cos\alpha + ab \sin\alpha =$$

$$= (a \cos\alpha)(b \cos\beta) + (a \sin\alpha)(b \sin\beta) =$$

$$= a \cos\alpha + ab \sin\alpha =$$

$$= (a \cos\alpha)(b \cos\beta) + (a \sin\alpha)(b \sin\beta) =$$

$$= a \cos\alpha + ab \cos\alpha =$$

$$= (a \cos\alpha)(b \cos\beta) + (a \sin\alpha)(b \cos\beta) =$$

$$= a \cos\alpha + ab \cos\alpha =$$

$$= a \cos$$