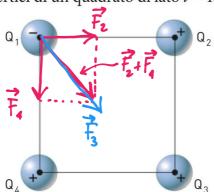
5/10/2018

Quattro cariche puntiformi ($Q_1 = -2.0 \times 10^{-9}$ C, $Q_2 = Q_4 =$ $+5.0 \times 10^{-9}$ C, $Q_3 = +3.0 \times 10^{-9}$ C) sono disposte in senso orario sui vertici di un quadrato di lato l = 40 cm.



F₃ é polle e la lo tens vens di F + F.

- ▶ Determina direzione, verso e intensità della forza elettrica risultante sulla carica Q_1 nel vuoto.
- Determina direzione, verso e intensità della forza elettrica risultante sulla carica Q_1 supponendo che le cariche siano immerse in acetone ($\varepsilon_r = 21$)
- ▶ Al centro del quadrato ora è posta una carica $Q = -3.0 \times 10^{-9}$ C. Determina direzione, verso e intensità della forza elettrica risultante sulla carica Q.

 $[9.6 \times 10^{-8} \text{ N verso } Q_3; 4.6 \times 10^{-9} \text{ N}; 1.7 \times 10^{-6} \text{ N}]$

$$\overline{F}_{707} = \overline{F}_{2} \cdot \sqrt{2} + \overline{F}_{3} = K_{0} \frac{Q_{2} |Q_{4}|}{\ell^{2}} \cdot \sqrt{2} + K_{0} \frac{Q_{3} |Q_{4}|}{2\ell^{2}} = \overline{F}_{4} |Q_{4}|$$

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$$\overline{F}_{707} = \overline{F}_{2} \cdot \sqrt{2} + \overline{F}_{3} = K_{0} \frac{Q_{3} |Q_{4}|}{\ell^{2}} = \overline{F}_{4} |Q_{4}|$$

$$= \frac{K_0 |Q_1|}{\ell^2} \left[Q_2 \sqrt{2} + \frac{Q_3}{2} \right] = \frac{\left(8,988 \times 10^9\right) \left(2,0 \times 10^{-9}\right)}{\left(0,40\right)^2} \left[5,0.\sqrt{2} + \frac{3,0}{2} \right] \times 10^{-9} \text{N}$$

$$F = \frac{F_{\text{tot}}}{\epsilon_n} = \frac{9,6295... \times 10^{-7} \text{N}}{21} \cong 4,6 \times 10^{-8} \text{N}$$

$$Q_1$$
 F_2
 F_3
 F_4
 F_5

$$Q = -3,0 \times 10^{-9}$$

$$Q_{1} = -2,0 \times 10^{-9} C$$

$$Q_{3} = 3,0 \times 10^{-9} C$$

$$\vec{F}_{z} + \vec{F}_{4} = \vec{\delta}$$
 $\vec{F}_{z} + \vec{F}_{3} = \kappa_{0} \frac{|Q_{4}||Q|}{\left(\frac{l}{2}\sqrt{2}\right)^{2}} + \kappa_{0} \frac{|Q_{3}||Q|}{\left(\frac{l}{2}\sqrt{2}\right)^{2}} =$

$$=\frac{\kappa_{o}|Q|.2}{\ell^{2}}\left(|Q_{1}|+|Q_{3}|\right)=$$

$$=\frac{\left(8,388\times10^{9}\right)\left(3,0\times10^{-9}\right)\cdot2}{\left(0,40\right)^{2}}\left(2,0+3,0\right)\times10^{-9}N=$$

=
$$1685, 25 \times 10^{-3} N \simeq \left[1, 7 \times 10^{-6} N\right]$$