Your latest: 100% • Your highest: 100% • To pass you need at least 75%. We keep your highest score.

Next item \rightarrow

1. Consider the following lines of code. What is the name of the column that contains the target values?

1/1 point

from sklearn.linear_model import LinearRegression lm=LinearRegression()

X = df[['highway-mpg']]

Y = df['price']

lm.fit(X, Y)

Yhat=lm.predict(X)

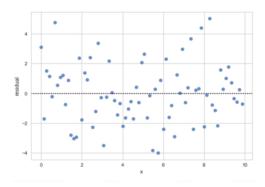
- O Yhat
- ('price'
-) fit
- O 'highway-mpg'

⊘ Correct

Correct! This is the column name of the target values.

2. Consider the following **Residual Plot**. Which of the following is a correct interpretation?

1/1 point



- O Since the values are distributed uniformly around a straight line, the linear model is a good fit.
- Since the values are randomly distributed on the graph, it indicates the linear model is not a good fit.
- O Since the number of values above the line is the same as the number below the line, it indicates the linear model is not a good fit.

✓ Correc

Correct! Random distribution of the residuals around the line indicates the linear model is not a good fit.

3. Which statement is most accurate about a higher-order polynomial model than a linear one?

1/1 point

- O The linear model will usually appear to fit the data better.
- When you compare their R² values, the smaller value indicates the better fit.
- $\textcircled{ \ \ } \ \ \, \text{You cannot compare their } \, \mathbb{R}^2 \, \text{values to decide which is a better fit.}$
- $\begin{tabular}{ll} \hline \end{tabular} When you compare their R^2 values, the larger value indicates the better fit. \\ \end{tabular}$

⊘ Correct

Correct! Higher-order polynomials usually fit the data better because they have more curvature, so the ${\sf R}^2$ value does not provide this information.

4. Consider the following lines of code. What value does the variable **out** contain?

1/1 point

lm = LinearRegression()

X = df[['highway-mpg']]

Y = df['price']

lm.fit(X, Y) out=lm.score(X,Y) A multiple linear regression The Coefficient of Determination Mean Squared Error with respect to X Mean Square Error with respect to y. ○ Correct

 $Correct!\ The\ score()\ method\ will\ calculate\ the\ coefficient\ of\ determination\ of\ a\ linear\ regression\ model.$