```
\delta[v] \leftarrow 0, v \in \forall V : level \leftarrow V:
while level>0 do
      while Q[level] not empty do
            dequeue w \leftarrow Q[level];
            for all v \in P[w] do
                  if t[v] = Not-Touched then
                        enqueue v \to Q[level-1];
                       t[v] \leftarrow \mathsf{Up}:
                       \hat{\delta}[v] \leftarrow \delta[v];
                  \hat{\delta}[v] \leftarrow \hat{\delta}[v] + \frac{\hat{\sigma}[v]}{\hat{\sigma}[w]} (1 + \hat{\delta}[w]);
                  if t[v] = Up \land (v \neq u_{high} \lor w \neq u_{low}) then
```

Stage 3 - modified dependency accumulation

## $\delta[v] \leftarrow \delta[v] + \frac{\partial[v]}{\hat{\sigma}[w]}(1 + \delta[w]);$ $\mathbf{if} \ t[v] = Up \land (v \neq u_{high} \lor w \neq u_{low}) \ \mathbf{the}$ $\begin{bmatrix} \hat{\delta}[v] \leftarrow \hat{\delta}[v] - \frac{\sigma[v]}{\sigma[w]}(1 + \delta[w]); \\ \mathbf{if} \ w \neq r \ \mathbf{then} \end{bmatrix}$

 $\sigma[v] \leftarrow \hat{\sigma}[v], v \in \forall V;$