This is for the loyal Schemers and MLers.

```
interface \mathsf{T}^{\mathcal{I}} {
\circ \to \circ^{\mathcal{I}} \ apply(\mathsf{T}^{\mathcal{I}} \ x);
}
```

```
 \begin{array}{l} \mathbf{interface} \ \mathsf{o} \!\!\to \!\! \mathsf{o}^{\mathcal{I}} \ \{ \\ \mathsf{Object} \ \mathit{apply}(\mathsf{Object} \ x); \\ \} \end{array}
```

```
interface \circ \circ \to \circ \circ^{\mathcal{I}} \{ \circ \to \circ^{\mathcal{I}} apply (\circ \to \circ^{\mathcal{I}} x); \}
```

```
interface \underline{\circ \circ \to \circ \circ} \to \circ \circ^{\mathcal{I}} \{ \circ \to \circ^{\mathcal{I}} \ apply(\circ \circ \to \circ \circ^{\mathcal{I}} \ x); \}
```

```
class Y implements \underline{oo \rightarrow oo} \rightarrow oo^{\mathcal{I}} {
    public o \rightarrow o^{\mathcal{I}} apply(oo \rightarrow oo^{\mathcal{I}} f) {
        return new H(f).apply(\mathbf{new}\ H(f)); }
}
```

```
class H implements \mathsf{T}^{\mathcal{I}} {
\circ \circ \to \circ \circ^{\mathcal{I}} f;
\mathsf{H}(\circ \circ \to \circ \circ^{\mathcal{I}} \_f) {
f = \_f; }
\mathsf{public} \circ \to \circ^{\mathcal{I}} apply(\mathsf{T}^{\mathcal{I}} x) {
\mathsf{return} \ f. apply(\mathsf{new} \ \mathsf{G}(x)); }
}
```

```
class G implements o \rightarrow o^{\mathcal{I}} {
T^{\mathcal{I}} x;
G(T^{\mathcal{I}} - x) {
x = -x; }
public Object \ apply(Object \ y) {
return \ (x. apply(x)). apply(y); }
}
```

No, we wouldn't forget factorial.

```
class MkFact implements oo \to oo^{\mathcal{I}} {
    public o\to o^{\mathcal{I}} \ apply(o\to o^{\mathcal{I}} \ fact) {
        return new Fact(fact); }
    }
```

```
class Fact implements o \rightarrow o^{\mathcal{I}} {
o \rightarrow o^{\mathcal{I}} fact;
Fact(o \rightarrow o^{\mathcal{I}} - fact) {
fact = -fact; }
public Object apply(Object i) {
int inti = ((Integer)i).intValue();
if (inti == 0)
return new Integer(1);
else
return
new Integer(
inti
*
((Integer)
fact.apply(new <math>Integer(inti - 1)))
.intValue()); }
```