Lecture 4

Epsilon (ε) – NFA

- ε → empty symbols

↳ $\{Q, \Sigma, q_0, f, \delta\}$

↓

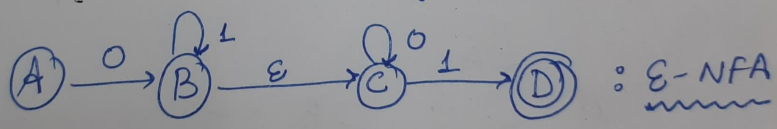
only this is different.

$Q \times \Sigma \cup \varepsilon \rightarrow 2^Q$

↓

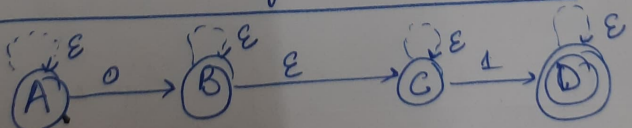
State on seeing nothing or empty symbol can go to 2^Q.

eg:-



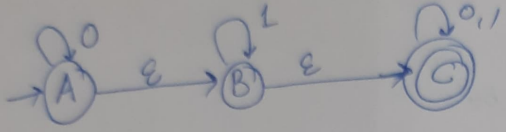
: ε-NFA

** Every state on ε goes to itself



Faculty name
Name: Priyanshu Bharati

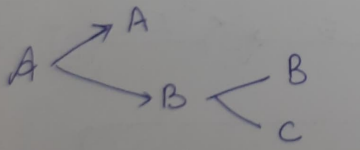
Conversion of ε-NFA ⟶ NFA :



Rule: (i) for each state that we have, check where this state goes on ε^* and so on.

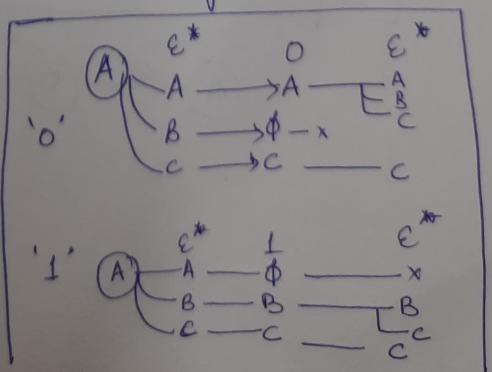
↓

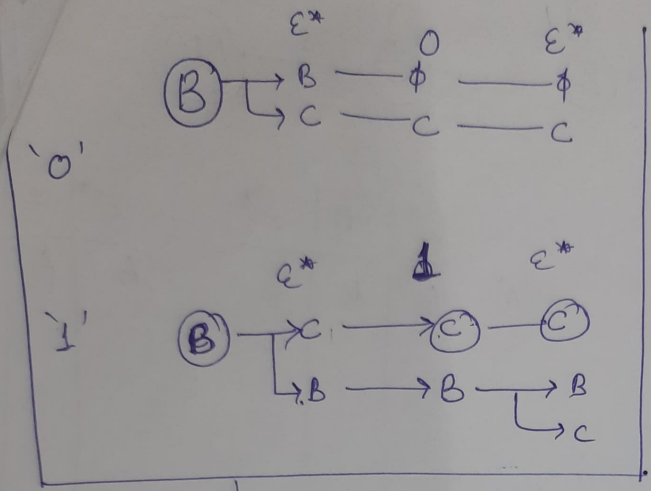
All the states that can be reached from a particular state only by seeing the ε symbol.

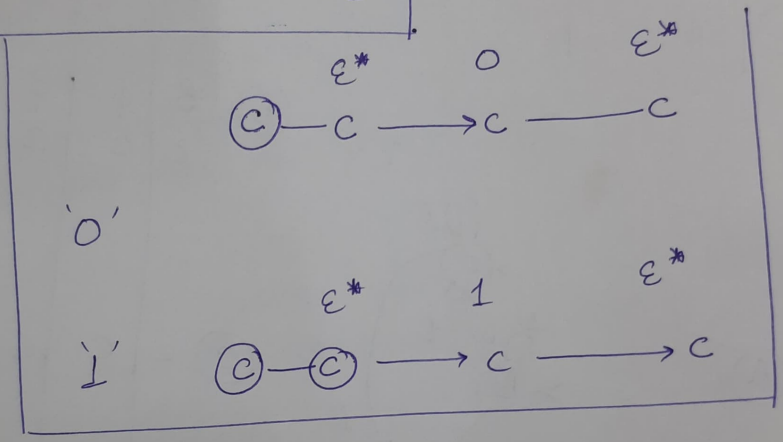


∴ A → B → C ∴ (ε^* of A) = ABC

Q \ Σ	0	1
→ A	{A, B, C}	{B, C}
B	C	{B, C}
(C)	C	C

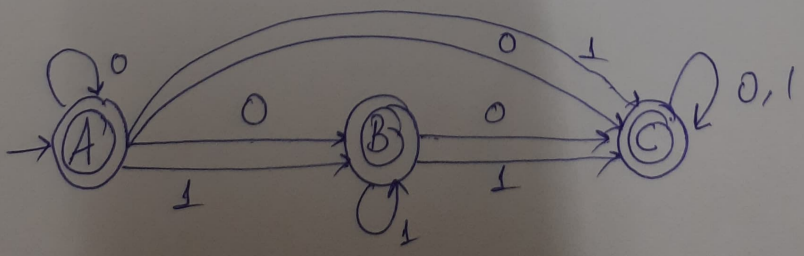




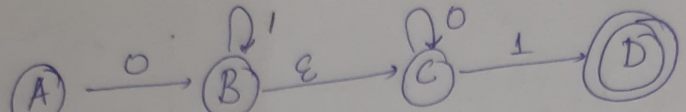


** Final state will be any state that can reach the final state only by seeing ε.

∴ A, B & C are all final state.



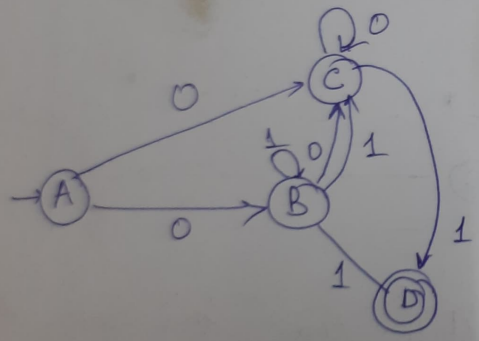
Eg 2:



	0	1
→A	B,C	ϕ
B	C	B,C,D
C	C	D
(D)	ϕ	ϕ

	ε*	0	ε*
(A)	A	B	B C
(B)	B C	ϕ C	ϕ C
(C)	C	C	C
(D)	D	ϕ	ϕ

	ε*	1	ε*
	A	A	ϕ
	B C	B D	B C D
	C	D	D
	D	ϕ	ϕ



$q_3 = q_2 a$

↓ eq(v)

$\Rightarrow q_1 a (b+ab)^* a$

↓ eq(vi)

$q_3 \Rightarrow (a + a(b+ab)^* b)^* a (b+ab)^* a$

Now all are in input a,b ∴ it is RE.