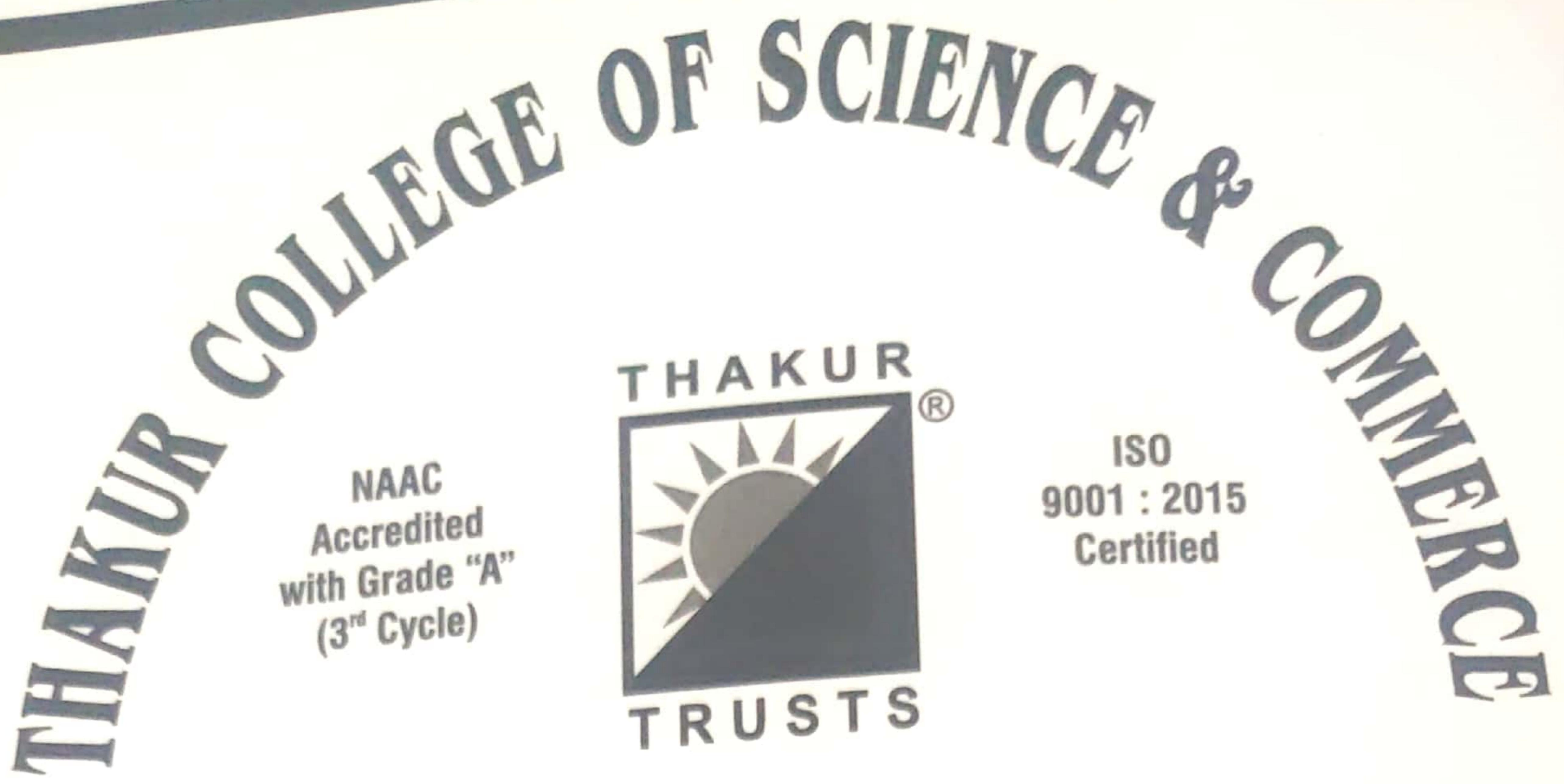


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IV

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Laboratory.

M. A. M.
Teacher In-Charge

Head of Department

Date : _____

Examiner

★ ★ INDEX ★ ★

Sem II

No.	Title	Page No.	Date	Staff Member's Signature
1.	Linear search do find 14 29/12 on the item in the list	14	29/12	mm 29/12/19
2.	Binary search do find on searched no in the list	17	2/12	
3.	Implementation of bubble sorting the given list	20	9/12	mm 09/12/19
4.	Implement quick sort do sort the given list	22	16/12	mm 16/12/19
5.	Stack push and pop	25	6/12/20	mm 06/12/19
6.	Implementation Queue using python	27	20/01/20	mm 20/01/20
7.	Prefix and suffix	29	20/01/20	

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EID

Practical no 1.

Aim: Implement linear search to find an item in the list.

Theory:

linear search

linear search is one of the simplest searching algorithm in which target item is matched with each item in the list.

It is worst searching algorithm with worst case time complexity. It is fully approach. On the other hand instead of an ordered list instead of searching the list in seq. A binary search is used which will start examining the middle item.

~~Linear~~ search is a technique to compare each and every element with key element to be found; if both of them matches, algorithm returns that element found and its position is also found.

110

coding

```
print("linear search")
a = []
n = int(input("enter a range"))
for s in range(0, n):
    s = int(input("enter a no:"))
    a.append(s)
    print(a)

c = int(input("enter a search no"))
for i in range(0, n):
    if (a[i] == c):
        print("found at position")
        break
else:
    print("not found")
```

Output

linear search	enter a no - 8
enter a range: 5	(4, 5, 6, 7, 8)
enter a no: 4	enter a no: 9
[4]	[4, 5, 6, 7, 8]
enter a nos: 5	enter a nos: 7
[4, 5]	[4, 5, 6, 7, 8]
enter a nos: 7	enter a search no: 8
[4, 5, 7, 8]	found at position 3

1. Unsorted Algorithm

Step 1: Create an empty list and assign it to a variable.

Step 2: Accept the total no. of elements to be inserted into the list from the user, say n .

Step 3: Use the loop for adding the elements into the list.

Step 4: Print the new list.

Step 5: Accept one element from the user that is to be searched in the list.

Step 6: Use the loop in the range from '0' to the total no. of elements to search the elements from the list.

Step 7: Use if loop that the element in the list is equal to the element accepted from the user.

Step 8: If the element is found then print

Sorted:

algorithm

Step 1: create an empty list and assign it to a variable.

Step 2: accept the total no of a words.

Step 3: create two loops for adding in a element into a list.

Step 4: sort the list and print the output.

Step 5: use if statement to give the message "Element not found".

Step 6: This will be stored if element is not found.

Step 7: Then one loop is done from the total no of elements to be searched before doing of accept on each no.

Step 8: use another loop to print that element is not found if the element which is accept.

Step 9: Draw the output.

coding

```
point("linear search")
a[]
n = int(input("enter a range:"))
for s in range(0, n):
    s = int(input("enter a no:"))
    a.append(s)
a.sort()
print(a)

c = int(input("enter a search no:"))
for i in range(0, n):
    if (a[i] == c):
        print("found at position", i)
        break
else:
    print("not found")
```

output

linear search
enter a number: 5
enter a number: 4
[4]
enter a no: 8
[4, 8]
enter a no: 9
[4, 8, 9]
enter a no: 8
[4, 8, 8, 9]

enter a number: 6
[4, 6, 8, 8, 9]
enter a search no: 9
[found at position: 9]

Practical no 2.

Aim: Implement Binary search to find an searched number in the list.

Theory: Binary search is also known as half interval search, log search or binary chop is a search algorithm that finds the position of a target value within a sorted array. If you are looking for that number which is at the end of the list. Then you need to search entire list in linear search which is time consuming. This can be avoided by using binary fusion search.

* Algorithm

Step 1: Create an empty list and assign

Step 2: Using input method accept the range of given list

Step 3: Use for loop, add elements in list using append () method.

Step 4: use sort method to do sort the capture elements and assign it in increasing order list print the list after sorting.

Step 5: use if loop to gives range in which elements is found in given range then display a message "Element not found")

Step 6: Then use else statement if element is not found in range then satisfy the below condition

Step 7: Accept the argument and key of the element that element has to be searched

Step 8: Initialized i to 0 and last to last element of the list as array is storing from 0 so it is initialized i less than the total count

Step 9: use for loop and assigning the given range.

```
print("Binary Search")
a = []
n = int(input("Enter the range"))
for b in range(0, n):
    b = input("enter no")
    a.append(b)
a.sort()
print(a)

s = input("enter a num to search")
if (s < a[0]) or (s > a[n-1]):
    print("element not found")
else:
    s = 0
    l = n - 1
    for i in range(0, n):
        m = int((s+l)/2)
        print(m)
        if (s == a[m]):
            print("element found at : ", m)
            break
        else:
            if (s < a[m]):
                l = m - 1
            else:
                s = m + 1
```

Output:

binary search:

enter the range: [

enter a num: 8

[8]

enter a num: 9

[8, 9]

enter a num: 10

[10, 8, 9]

enter a num: 11

[10, 11, 8, 9]

m
m
m
m

Step 10: If element is list and still the element to be searched is not found then find the middle elements.

Step 11: Else if the item to be searched is still less than the middle item then

Initialized last (h) = mid(m)-1

else

Initialized first (l) = mid(m)-1

Step 12: Repeat all you find for the elements still the input and output of above algorithm.

practical 3.

Aim: Implementation of bubble sort program on the given list

Theory:

Bubble sort is based on the idea of repeatedly comparing pairs of adjacent elements and the swapping their position if they exist in the wrong order.

This is the simplest form of sorting available in this, we sort the given element in ascending or descending order by comparing the adjacent elements of a list.

algorithms

Step 1: Bubble sort algorithm starts by comparing the first two elements of any two elements of array and swapping if necessary.

Step 2: If we want to sort the elements of array in ascending order then first element is greater than second then we need to swap the elements

coding:

```
point("bubble sort")
a = []
b = int(input("Enter a number"))
for s in range(0, b):
    s = int(input("Enter a element"))
    a.append(s)
    point(a)
n = len(a)
for i in range(0, b):
    for j in range(n-1):
        if a[i] < a[j]:
            temp = a[j]
            a[j] = a[i]
            a[i] = temp
            point("Elements after sorting = " + str(a))
m
```

Q50

Output

>>> Bubble sort algorithm

Enter num of elements = 5

Enter the number = 3

[3]

Enter the number = 8

[3, 8]

Enter the number = 5

[3, 8, 5]

Enter a number = 2

[3, 8, 5, 2]

Enter a number = 1

[3, 8, 5, 2, 1]

~~Elements after sorting [1, 2, 3, 5, 8]~~

~~$\frac{m}{n}$~~

Step 3: If the first element is smaller than second element then we do not swap the elements.

Step 4: Again second and third elements are compared and swapped if it is necessary and this process goes on until the last and second last element is compared and swapped.

Step 5: If there are n elements to be sorted then the process mentioned above should be repeated $n-1$ times to get the required result.

~~Step 6:~~ Display the output of the above algorithm of bubble sort stepwise.

Prac 4

Am. Impunur quick sort to sort the list

Theory: The quick Sort is a recursive algorithm based on divide and conquer technique.

Algorithm:

Step 1: quick sort first selects a value, which is called pivot's value, first elements such as our first pivot value since we know that first will eventually end up as pivot in that list.

Step 2: The person process will happen next. If will find the split point and at the same time move other items to appropriate side of the list either less than or greater than

```

def quicksort (alist):
    help (alist, 0, len (alist) - 1)
def help (alist, first, last):
    if first < last:
        split = part (alist, first, last)
        help (alist, first, split + 1)
        help (alist, split + 1, last)
def part (alist, first, last):
    pivot = alist [first]
    i = first + 1
    j = last
    done = False
    while i <= j and alist [i] <= pivot:
        i = i + 1
    while alist [j] >= pivot and j >= i:
        j = j - 1
    if i > j:
        done = True
    else:
        temp = alist [i]
        alist [i] = alist [j]
        alist [j] = temp
        temp = alist [first]

```

SSO

```
alist[first] = alist[s]
alist[s] = temp
return s

x = int(input("Enter range for the list"))
alist = []
for b in range(0,x):
    b = int(input("enter elements"))
    alist.append(b)
n = len(alist)
quicksort(alist)
print(alist)
```

Output:

```
Enter range of the list: 5
enter elements: 10
enter elements: 19
enter elements: 2
enter elements: 80
enter elements: 1
```

$\{2, 10, 19, 80\}$

Step 3: Partition began by locating the two position markers let's call them leftmark and rightmark at the beginning and end of recursive items in the list. The goal of the partition process is to move items that are wrong with respect to pivot value while also converging on the split point.

Step 4: we began by incrementing leftmark until we locate a value that is greater than p.v. we then decrement rightmark until we find value that is less than the pivot value. At the point we have discovered two items

Step 5: At the point where rm becomes less than leftmark we stop. The position of rightmark is now the split point

Step 6: The pivot value can be exchanged with the content of split of split point and p.v (pivot value) is now in place.

890

Step 7: In addition, all the items to left of split point are less than p.v and all the items to the right of Split point are < than p.v. on the two half

Step 8: The quick sort function invokes a fench of quick sort helper

Step 9: quicksort helper, begins with some base as the merge sort

Step 10: If the len of the list is less than its equal so now it is already sorted.

Step 11: If it is greater than it can be partitioned and remerge sort.

Step 12: The partition function, implements the process described earlier

Step 13: Display and store the code and output of above algorithm.

PM
16/12/19

Practicals

- * Aim: Implementation of stack using python list
- * Theory: A stack is a linear data structure that can be represented in the real world in the form of the physical stack or a pile. The elements in the stack are added or removed only from one position. That is at the topmost position. Thus the stack works on the LIFO last in first out principle at the element that was inserted last will be removed first. A stack can be implemented using array as well as a linked list. Stack has 3 basic operations push, pop, peek. The operations of adding and removing of elements is known as push and pop.

Algo:

1. Create a class stack with instance variable items.
2. define the method init with self

280

argument and then assigned to the empty list.

3. Define methods under push and pop under the class Stack.
4. Use a statement to give the condition that if is less than or equal to the size of stack then the range list at that point stack is full.
5. Or print statement to insertion both elements.
6. push method is used to insert elements and pop is to remove elements.
7. If the value is less than or equal to the size of stack then only delete the elements from stack.
8. First convert check the no of elements zero the second case where it is assigned any value if not convert any value then it is sure that stack is empty.
9. Assign value elements is push method to delete and print the given value.

10 attach the input and outputs of also

```
print("2180")  
class Stack:  
    global s0s  
    def __init__(self):  
        self.l = [0, 0, 0, 0, 0]  
        self.tos = -1
```

```
def push(self, data):  
    n = len(self.l)  
    if self.tos == n-1:  
        print("Stack is full")  
    else:  
        self.tos = self.tos + 1
```

```
        self.l[self.tos] = data  
def pop(self):  
    if self.tos < 0:  
        print("empty stack")  
    else:
```

✓

```
        k = self.l[self.tos]  
        print("data = ", k)  
        self.tos = self.tos - 1
```

```
def peek(self):  
    if self.tos < 0:  
        print("Stack empty")  
    else:  
        p = self.l[self.tos]
```

026

```
print("2080")  
class Stack:  
    def __init__(self):
```

```
        self.l = []
```

```
    def push(self, element):
```

```
        self.l.append(element)
```

```
    def pop(self):
```

```
        if len(self.l) == 0:
```

```
            print("Stack is empty")
```

```
        else:
```

```
            element = self.l[-1]
```

```
            del self.l[-1]
```

```
            return element
```

```
    def peek(self):
```

```
        if len(self.l) == 0:
```

```
            print("Stack is empty")
```

```
        else:
```

```
            element = self.l[-1]
```

```
            return element
```

```
    def isEmpty(self):
```

```
        if len(self.l) == 0:
```

```
            return True
```

```
        else:
```

```
            return False
```

```
    def size(self):
```

```
        return len(self.l)
```

```
    def clear(self):
```

```
        self.l = []
```

```
    def display(self):
```

```
        print(self.l)
```

```
    def reverse(self):
```

```
        self.l.reverse()
```

```
    def sort(self):
```

```
        self.l.sort()
```

```
    def insert(self, index, value):
```

```
        self.l.insert(index, value)
```

```
    def remove(self, index):
```

```
        del self.l[index]
```

```
    def get(self, index):
```

```
        return self.l[index]
```

also

Output-

```
>>> s = []
>>> s.append(10)
>>> s.append(20)
>>> s.append(30)
[10, 20, 30, 0, 0]
>>> s.pop()
data: 30
>>> s
[10, 20, 0, 0]
```

s.peek()

✓
06/01/2022

Practical - 6.

* Implementing a queue using python list.

now: Queue is a linear data structure which has 2 ref front and rear implementing a queue using Python list is the simplest as the Python list provide inbuilt functions to perform the specified operation of the queue. If it is based on the principle that is a new element is inserted after rear and element of queue is deleted which is at a front of simple terms a queue can be described as a DS based on the form of FIFO first in first out.

* **Queue()**: creates a new empty queue.

* **Enqueue**: Insert an element which was at the front

* Algo:

- S1. Def a class queue and assign global variable then def init() method with self argument in init(), assing or initialize the initial value with the help of self argument.
- S2. Def a empty list and def enqueue() method with two arguments, assing the list of empty list.
- S3. use if statement that len is equal to zero empty list and display that queue elements added and impement by.
- S4. Def de queue with self argument under this use if statement that front is equal to len of list then display queue empty or else from front side del the element and impement it by.
- S5. now call all the queue function or give del front and display add and remove element from the list the list after the list.

class queue:

global s

global f

def __init__(self):

self.s = 0

self.f = 0

self.l = [0, 0, 0, 0]

def enqueue(self, data):

n = len(self.l)

if self.s < n:

self.l[self.s] = data

self.s += 1

print("Element inserted: " + str(data))

else:

print("Queue is full")

self.s = 0

def dequeue(self):

n = len(self.l)

if self.f < n

print(self.l[self.f])

self.l[self.f] = 0

print("Element deleted: " + str(data))

self.f += 1

else:

print("Queue is empty")

q = queue()

RSOB

O/P

O. add (10)

elem num 10

O. add (20)

elem num 20

O. add (30)

elem num 30

O. add (40)

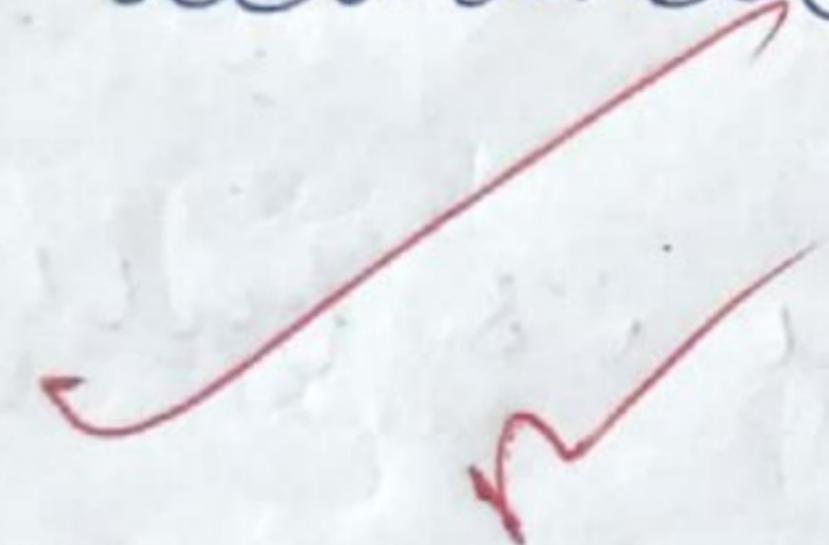
elem num 40

arr is full

O. remove

20

Mem delimit



Pract-7.9.

Evaluation of a postfix Exp-

Dim: Program on Evaluation of a given String by using stack in Python Environment i.e. postfix.

Theory: The postfix expression is free of any parenthesis up to the priorities of the operators in the program. A given postfix expression easily be evaluated using stack. Evaluating the exp is always from left to right.

Algo:

- S1. def evaluate as function then create an empty stack
- S2. convert the String to a list by using the string method "split"
- S3. calculate the len of string and print it
- S4. use for loop to design the range of string then gun

PSO

conclusion using of if statements.

- S5. Scan the tokens left from last left to right if token is an Operator; convert it from a string to an integer and push the value onto the stack P.
- S6. perform the arithmetic operation - push the result back on the stack.
- S7. If the input expression has been completely processed, the result is on the stack. pop the stack P and return the value.
- S8. print the result of string after the execution of part five.
- S9. Attached output and input of above algo.

code.

def evaluate(s):

030

u = s.split()

n = len(u)

stack = []

for i in range(n):

if u[i] == '+':

stack.append(int(u[i]))

print u[i] == '+';

elif u[i] == '-':

a = stack.pop()

b = stack.pop()

stack.append(int(b) - int(a))

print stack

elif u[i] == '*':

a = stack.pop()

b = stack.pop()

stack.append(int(b) * int(a))

print stack

else:

a = stack.pop()

b = stack.pop()

stack.append(int(b) * int(a))

print stack

else:

a = stack.pop()

b = stack.pop()

stack.append(int(b) / int(a))

print stack

return stack.pop()

s = ~86.9 + *

680

\propto - values (S)

O/P

[8]

[8, 6]

[8, 6, 9]

[8, 15]

[k, 0]

Rico

The current value is 120

~~now~~
now

Page - 8

Aim: Implementing of single linked list by adding the nodes from last position.

Theory: A linked list is a linear data structure which stores the elements in a node in a linear fashion but not necessarily contiguous. The individual element of the link list called a node consists of 2 parts

1. Data
2. Next data stores all the information w.r.t the element of the example doll no name, address, etc, whereas next refers to the next node. In case of larger list, if we add/remove any element. In case of larger lists, if we add/remove any element from the list, all the elements of the list has to adjust itself very time we add. It is very tedious task so linked is used to solve this type of problem.

Algo:-

- S1. Traversing of a linked list means using all the nodes in the linked list in order to perform some operations on them.
- S2. The entire linked list can be assumed. The first node of the linked list from which is referred by the head pointer of the list.
- S3. Thus, the address can be obtained from the node which is referred by the head pointer of the linked list.
- S4. now; but we know that we can traverse the entire linked list using the node which is referred by the pointer of the head or
- S5. we may ~~lose~~ refer to the 1st node in our linked list and here most of our linked list - so in order to avoid making some inward changes to the 1st node, we use a temp node the data part of temp node should be null

class node

global data

032

global reset

def __init__(self; item)

self.data = item

self.reset = None

class linked:

global S

def __init__(self):

self.S = None

def add((self; item):

newnode.S = None

self.S = newnode

else:

head = self.S

while head.reset != None

head = head.reset

head.reset = newnode

def addB(self; item)

newnode = node(item)

if self.S == None:

self.S = newnode

else:

newnode.reset = self.S

self.S = newnode

def delB(self)

head = self.S

while head.reset != None:

prev = head.reset

head = head.reset

prev = head.data

580

```
def delete(suf):
    if suf == None:
        print("list is empty")
    else:
        head = suf[0]
        while True:
            if head.next == None:
                del head
                break
            head = head.next
        else:
            del next == None
            break
    S = linkedList()
    S.add(100)
    S.add(150)
    S.add(180)
    S.add(200)
    S.add(250)
    S.add(300)
    S.add(350)
    S.add(400)
    S.add(450)
    S.add(500)
    S.add(550)
    S.add(600)
    S.add(650)
    S.add(700)
    S.add(750)
    S.add(800)
    S.display()
```

total sum

Output
20
30
40
50
60
70
80

now that the current is referring to the first node, if we want to access 2nd node we can refer to next node of 1st node.

- But the 1st node is referred by current so we can transform to 2nd node as below-
- our concern now is to find info. window for while loop.
- The last node is the last list is referred by the data of the last list. So the last node of linked list also has only node. The value is the next file of the last node is none.
- ~~we have to see now how to start traversing the list~~
- Attached the code or import and output of above also.

EE0

practical - 9

Topic: merge sort

algo

Theory: like quick sort, there is merge sort
merge sort uses divide and conquer

algo: It divides input array in two halves, calls itself for the two half and then merge the two sorted half. The merge sort is used to merge two half. The merge is a key process that assumes that one sorted. The array is required divided in two half till the size becomes 1. Then the sorted files are joined in action and finally merge sort is useful for sorting disk sort is $O(n \log n)$ down 2, Insertion count problem.
3, used in External sorting

The merge sort is a better sorting algorithm than quick sort.

def sort(arr, l, m, r)

034

n1 = m + 1

n2 = r - m

C = [0] * (n1 + 1)

R = [0] * (n2)

for i in range (0, n1):

 C[i] = arr[m + i]

for j in range (0, n2):

 R[j] = arr[m + i + j]

i = 0

j = 0

k = 1

while i < n1 and j < n2:

 if C[i] <= R[j]:

 arr[k] = C[i]

 i += 1

 else:

 arr[k] = R[j]

 j += 1

 k += 1

 while j < n2:

 j += 1

 k += 1

def mergesort(arr, l, r):

 if l < r:

 m = int((l + (r - 1)) / 2)

 mergesort(arr, l, m)

 sort(arr, l, m, r)

180

arr = [13, 23, 34, 56, 78, 45, 86, 98, 42]

part(arr)

n = m(arr)

mergeSort(arr, 0, n-1)

part(arr)

Output

[13, 23, 34, 56, 78, 45, 86, 98, 42]

[13, 23, 56, 34, 42, 45, 78, 86, 98]

merge sort is more efficient than quicksort
for some types of data if the data to be
sorted can easily be partitioned, divided,
partitioned. And as the popular array
data structures are very common.

practical - 10

Aim: Implementing sets using python

Algo: def two empty sets as set1 and set2 now use for statement providing the range of above 2 sets

- now add() method used for adding the elements according to user range. Then print the sets after adding
- Find the union and intersection of above 2 sets by using & |(or) methods & print
- Display that elements is set3 is not sorted using minmax operation.
- use is disjoint() to check that anything is elements is present or not. If not then display that is mutually exclusive user.
- use clear() to remove elements from the set and print the set clearing the set.

Point ("2180 7000 1859")
setI = setC
setII = setC

036

for i in range(8, 15):

setI.add(i)

for i in range(1, 12):

setII.add(i)

print("set1:", setI)

print("set2:", setII)

print("\n")

set3 = setI | setII

print("union of set1 and set2: set3:", set3)

set4 = setI & setII

print("intersection of set1 and set2: set4:", set4)

print("\n")

If set3 > set4:

03/01/2020 ~~Print ("set3 is subset of set4")~~

elif set3 < set4:

print("set3 is subset of set4")

else:

print("set3 is equal to set4")

print("\n")

set5 = set3 - set4

280

Print ("elements in set3 and not in
set4: set5", set5)

Print ("\\n")

If set4 is disjoint (set5):
print ("set4 and set5 are
mutually exclusive\\n")

Set .Clear()

Print ("after applying clear, set3 is
empty : ")

Print (" set4", set5)

Output

280 7000 1859

set1: {8, 9, 10, 11, 12, 13, 14}

set2: {1, 2, 3, 4, 5, 6, 7, 8, 9, 10}

union of set1 and set2: set3 {1, 2, 3, 4, 5, 6, 7, 8, 9, 10,
11, 12, 13, 14}

intersection: set4 {8, 9, 10, 11}

03/01/2023 is subset of set4

set4 is subset of set3

elements in set3 and not in set4: set5: {1, 2, 3, 4, 5,

set4 and set5 is union {7, 8, 9, 10, 11, 12, 13}
after applying clear set5 is empty set: set5 = set()

Procedure - II

Aim: Program based on binary search tree by implementing Inorder, preorder and postorder, Transversal.

Theory: Binary tree is a tree which supports maximum of 2 children for any node within the tree, thus any parent node can have either one or two children. There is another variety of left child and right as right-child.

Inorder: i. Transversing the left subtree; the left & subtree might have left and right subtree.
 ii. visit the root node.
 iii. Transversing the right subtree and repeat it.

Procedure: i. visit the root node
 ii. traverse the left subtree. The left subtree might have left and right subtree
 iii. Traversing the right subtree

algo:

1. Def class node and def init() method with 2 arguments . Init the value in this method.
2. Again def a class BST that is binary search tree with init() method with self argument.
3. use if statement for checking the condition that root is none then else . Statement for if node
4. use while loop for checking the node less than or greater than that start break the loop if it is greater.
5. use if statement within this else . Statement for checking ; that node is greater than main then break the loop if it is
6. After this def, subm and right side reply to come on method to answer the question.

880 # Binary tree

class node:

global x

global l

global data

def __init__(self, i):

self.i = None

self.left = None

self.right = None

class tree:

global root

def __init__(self):

self.root = None

def add(self, val):

if self.root == None:

self.root = node(val)

else:

newnode = node(val)

h = self.root

while True:

if newnode.data < h.data:

If h.left == newnode

print("newnode data, "added or left", h.left)

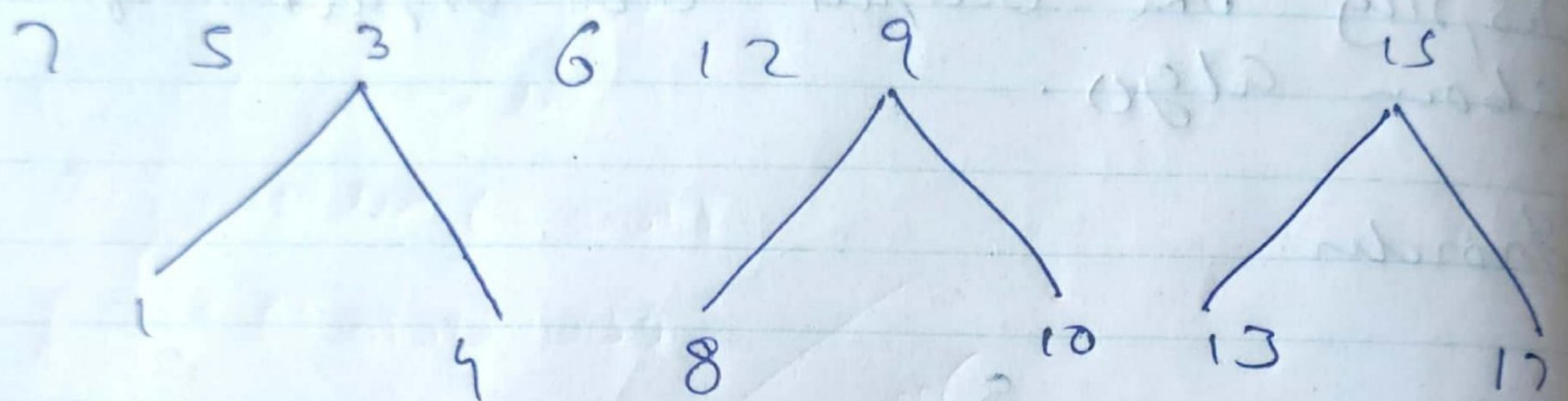
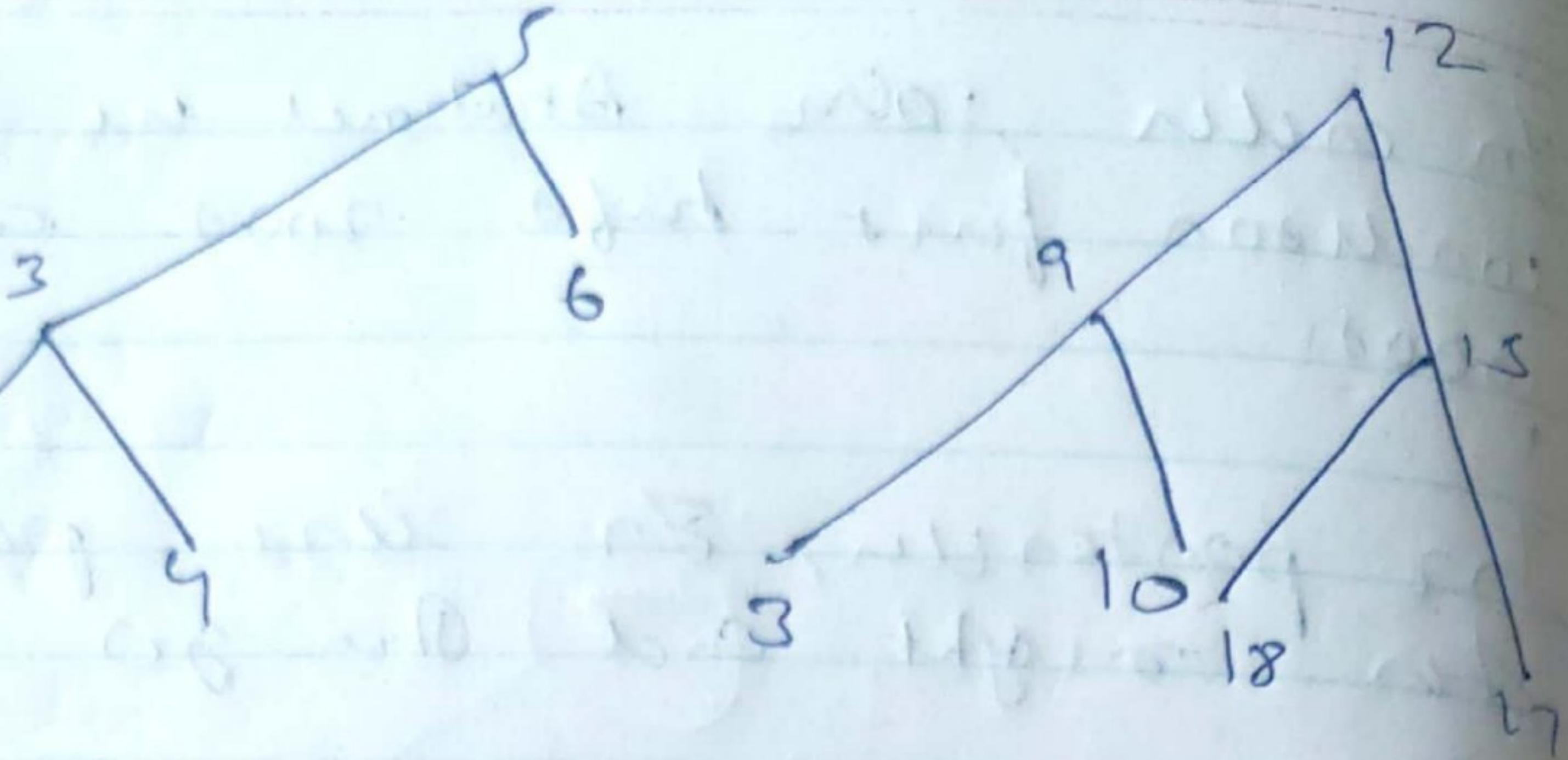
break

else:

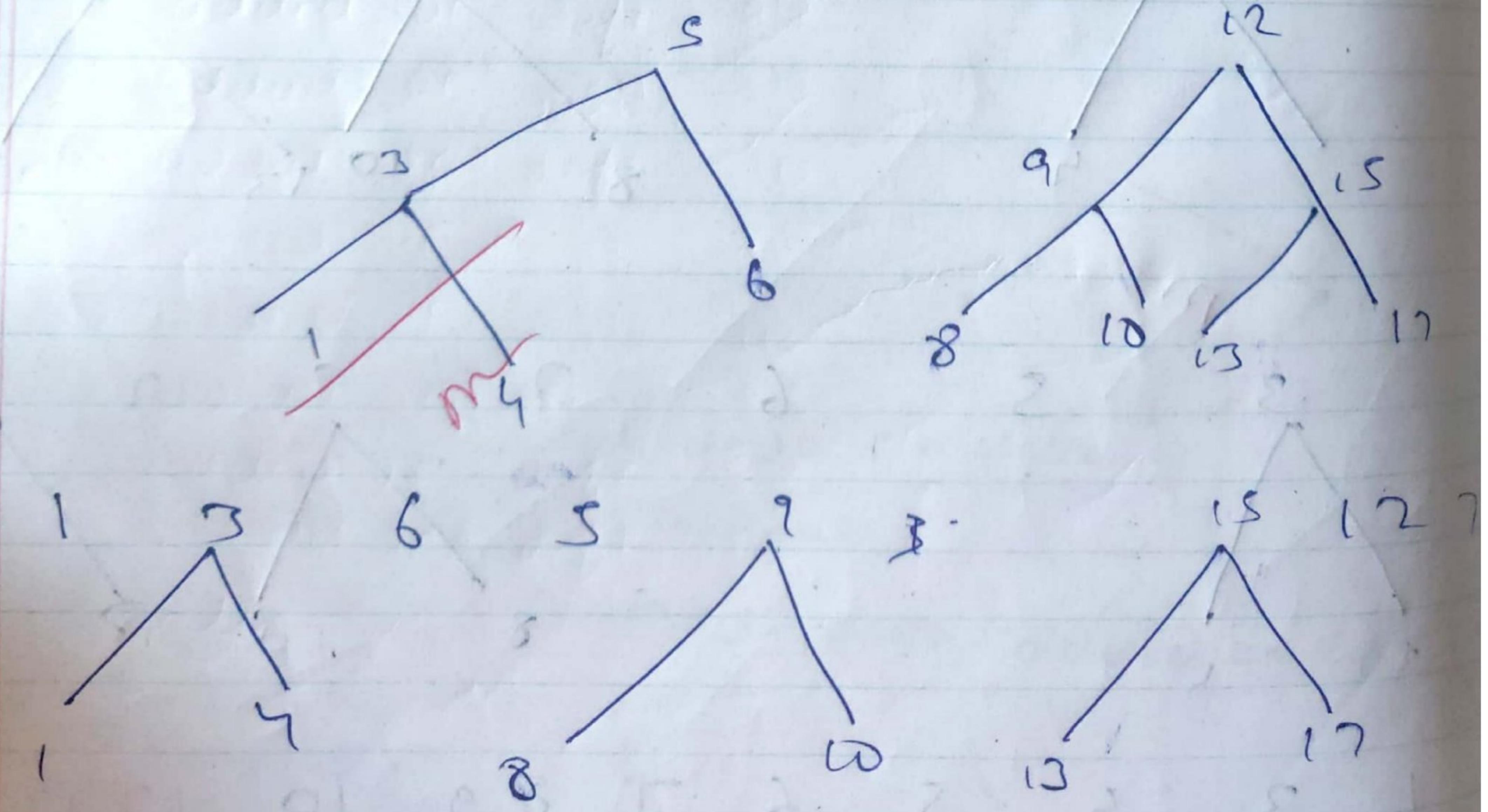
If h.right == None

h = h.right

880



postorder



elu:

$n = \sigma - \text{new node}$

point($\text{new node} \cdot \text{data}$); "added on right of"; $n \cdot \text{data}$
break

def preorder(suf, start):

if start != none

print(start.data)

suf · preorder(start · 1)

suf · preorder(start · 2)

def inorder(suf, start)

if start != none:

self · inorder(start)

point($\text{start} \cdot \text{data}$)

suf · inorder(data · 2)

def postorder(suf, start):

if start == none:

suf · inorder(start · 1)

~~suf · inorder(start · 2)~~

point($\text{start} \cdot \text{data}$)

T = true

T · add(~~10~~)(7)

T · add(~~8~~)(5)

T · add(~~20~~)(12)

T · add(~~18~~)(3)

T · add(~~10~~)(6)

T · add(~~60~~)(9)

output

044

- 5 added on left of 7
- 12 added on right of 7
- 3 added on left of 5
- 6 added on right of 5
- 9 added on left of 12
- 15 added on right of 12
- 1 added on left of 3
- 4 added on right of 3
- 8 added on left of 9
- 10 added on right of 9
- 13 added on left of 15
- 17 added on right of 15

process

7
5
3
1
4
6
12
9
8
10
15
13
17



11

110

Inorder

- 1
- 3
- 4
- 5
- 6
- 7
- 8
- 9
- 10
- 12
- 13
- 15
- 17

postorder

- 1
- 3
- 4
- 5
- 6
- 8
- 9
- 10
- 12
- 13
- 15
- 17

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10/02/2020

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240

The Shell Sort

Aim: To perform Shell Sort

Theory: The shell sort is sometimes called "diminishing increment sort" improves the insertion by breaking the original list into a smaller number bubble sort, each of this sort are using an insertion sort. The unique way that the sublist are chosen in the key to the shell sort. Instead of breaking list into sub list of contiguous items the shell sort uses an increment, sometimes called a gap to create a sub list by choosing all items that are k items apart.

def ShellSort(alist):

 SublistCount = len(alist)/2

 while SublistCount > 0:

 for Start position in range(SublistCount):
 GapInsertionSort(alist, Start pos, SublistCount)

 Print("After increment of size", SublistCount)
 -- other part is "", alist)

 Sublist Count = SublistCount / 2

def gapInsertionSort(alist; start; gap):

 for i in range(start+gap, len(alist), gap):

 current value = alist[i]

 position = i

 while position >= gap and alist[position - gap]:

 alist[position] = alist[position - gap]

 position = position - gap

alist = [54, 26, 93, 17, 77, 31, 44, 55, 20]

ShellSort(alist)

print(alist)

~~get~~
Output

After increment of size 4 the list is
[20, 26, 44, 17, 54, 31, 93, 55, 77]

After increment of size 2 the list is
[20, 17, 44, 26, 54, 31, 77, 55, 93]

After increment of size 1 the list is
[17, 20, 26, 31, 44, 54, 55, 77, 93]