

May
2015

~~Bayer~~ **12**
Tuesday
132-233

wk - 20

132-233

Appointments

One method is by using

flashing method but

what is happening is

flashing is a better method

but not optimal one, due

the constraint the ~~we have~~
given in the question

We need to use Bayer-Moore's MOST VOTING algorithm.

Volting
ALG
Alq
cf.

$$\alpha_8 = [7, 7, 5, 7, 5, 1, 5, 7, 5, 5, 7, 7, 5, 5, 5, 5]$$

greatest receiving, 18
 give count of elements which is greater

than 9/12
Size of area

May

M	T	W	T	F	S	S	M	T	W	T	F	S	S
1	2	3	4	5	6	7	8	9	10				
11	12	13	14	15	16	17	18	19	20	21	22	23	24
25	26	27	28	29	30	31							

13
Wednesday

Wednesday

133-231

May
2015

Appointments

1

mk - 20

It is abt 2 elements
minimally \rightarrow etc \rightarrow not in that!

count = 0

→ This count doesn't store any max no of recursive calls.

Taking ex-arr-
element.

Step 1 when the element is initialized as a [1, 2, 3, 4, 5]

count becomes count++, i.e. count =
element = 7 count = 1

Step 2 element = 7, $i = 1$ element = $a[i]$

Step 3

element	i	count
70	2	2
1	0	2
1	1	2

the 'element' is $b = 10 \text{ a.F.} \cdot 10^{-17}$

The count = count - 1; \therefore

June

[illegible]

15

15

Thursday

Friday

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Now update the 'element' to

So to consider the next
~~the other~~ , we are updating

some count came back to 0,

• Fed 8 element = 5 : 7

element-1 = 9/17

Step 9 update the element = 5, $r = 0$ count = 1

Step 10 $a[i] = \text{element } p = q \text{ count} = 2$
5 = 5

$\delta_{\text{HeP}} = \frac{\alpha}{\beta} \ln \left(\frac{1 + \sqrt{1 - \frac{\alpha}{\beta}}}{1 - \sqrt{1 - \frac{\alpha}{\beta}}} \right) = 0.976$

Step 13

0 6 0 = 12, 13, 14, 15

0 a[1] = 5 count = 4

June

$\bar{0} = a[1] = \text{element}$

[illegible]

Now update the 'element' to

Now update the 'element' to

we are updating
the error
So to calculate the next
demand

current, $1.01 = 6$
since count came back to

Step 7 element = $a[i]$, $i=6$, $= [5]$
count = 1

Step 8 element = 5, $i = 7$

current = 0
count = 0

Step 9 update the element = 5, i = 0 ~~count = 1~~

Step 10 $a[i] = \text{element } p = q \text{ count} = 2$
5 = 5

Step 11 a[i] b = element i = 10 count = 1
~~8 7 6 = 5~~

Step 12 $allg = \text{element}$ $g = 11$ count =
 $76 = 5$

Step 13

$0 \ 6 \ 1 = 12, 13, 14, 15$

$\circ \ a[i] = 5$ count = 4

[illegible]