ASEN 2803 Lab 2: Locomotive Crank

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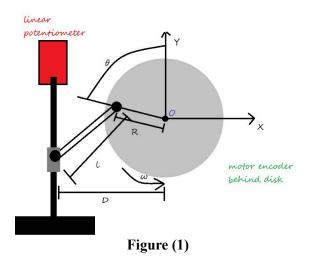
Abstract

The objective is to develop a model to define the ideal relationship between the rotational motion of the wheel and the translation of the collar. The apparatus uses a collar that moves vertically along a rod, linked to a rotating disk, this relationship was analyzed to study the kinematic relationships. We derived a model that expressed the collars velocity in terms of the disk's position and velocity. We used MATLAB and pre-defined functions to calculate the vertical velocity and model velocity experienced by the collar for each degree of rotation. The obtained and observed modeled collar velocities are compared and checked for accuracy using angle input 0 to 6 revolutions. The obtained results show that the model was relatively accurate at lower speeds, and that at higher speeds, discrepancies due to sensor errors and unmodeled dynamics became more apparent. Improving sensor calibration and refining the model could enhance accuracy.

Color Coding:

Objective
Problem statement
Approach
Results
Conclusion

I. Procedure and Experimental Setups



Nomenclature

- > O: The center point of the disk and the origin of the coordinate system used in the derivations.
- > X,Y: Reference Axes used in the derivations.
- > R: Radial distance between the center of the disk and where the crank bar connects to the disk.

- L: Length of the crank bar between the disk and collar.
- > D: Horizontal distance between the center of the disk and the vertical bar where the collar slides.
- > θ: Angle between the Y reference and the line that intersects the disk/bar connection and origin.
- \triangleright ω : Angular velocity of the disk.
- ➤ Linear Potentiometer: Measures the height of the collar on the vertical shaft by varying electrical resistance and then recording the resulting difference in voltage.
- \triangleright Motor Encoder: Measures the angle (θ) by recording optical changes in an encoder disk, which is then interpreted by a controller to determine motion.

Measurements

 $R = 8.1 \text{ cm} \mp 5\%$

 $D = 15.5 \text{ cm} \mp 5\%$

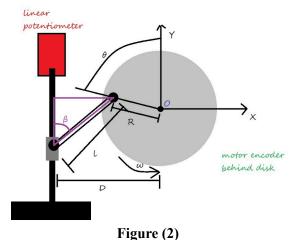
 $L = 25.5 \text{ cm} \mp 5\%$

Motion of Different Voltages

We tested the locomotive crankshaft at 6 different voltages. For all voltages, the speed of the collar were greatest when it is at the bottom of the shaft and slowest at the top, where it underwent a cyclical process in between these velocities and positions. Notably, the average angular velocity of the disk increased with an increase in voltage supplied. This, in turn, increased the linear velocity of the collar at higher voltages. Overall, for every configuration we put them through a similar cyclical motion process where varying voltage settings only vary the revolutions rate at which the system went through a complete cycle.

II. Derivations: Free-Body Diagrams and Governing Equations

Refer to the figure (2) below for Derivations



The angle β can be written in terms of the angle θ as follows:

First, it is possible to construct a right triangle (in purple) with hypotenuse ℓ as shown in Figure 2. The vertical leg of the triangle will have length $d - rsin(\theta)$ and be opposite the angle β .

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By the law of sines, it is possible to solve for β in terms of θ and constant geometric aspects of the locomotive crank:

$$\frac{d-r\sin\theta}{\sin(\beta)} = \frac{\ell}{\sin(90)} \Rightarrow \sin(\beta) = \frac{d-r\sin(\theta)}{\ell}$$

$$\beta = \sin^{-1} \frac{d - r \sin(\theta)}{\ell}$$

From here, it is possible to find an equation represented $v_{_{\it P}}$ as follows:

The vector between the center of the disk and the bar's attachment point

Step 1:
$$\hat{\mathbf{r}} = -r\sin(\theta)\hat{\mathbf{i}} + r\cos(\theta)$$

Step 2:
$$v_A = \omega_A \times \hat{\mathbf{r}} = -\omega_A r cos(\theta) \hat{\mathbf{i}} - \omega_A r sin(\theta) \hat{\mathbf{j}}$$

Step 3:
$$r_{B/A} = \ell sin(\beta) \hat{1} - \ell cos(\beta) \hat{j}$$
.

Step 4:
$$v_B = v_A + \omega_R \times \hat{\mathbf{r}}_{B/A} = (-\omega_A r cos(\theta))\hat{\mathbf{i}} - \omega_A r sin(\theta))\hat{\mathbf{j}} + \omega_R \ell cos(\beta)\hat{\mathbf{i}} - \omega_R \ell sin(\beta)\hat{\mathbf{j}}$$

Step 5:
$$v_R = (-\omega_A r cos(\theta) + \omega_R \ell cos(\beta))\hat{i} + (-\omega_A r sin(\theta) - \omega_R \ell sin(\beta))\hat{j}$$

Point B is restricted by the bar to vertical movement, so it's î component must be trivial. This equality can be used to solve for the value of ω_p :

Step 6:
$$-\omega_{A}rcos(\theta) + \omega_{R}\ell cos(\beta) = 0 \Rightarrow \omega_{A}rcos(\theta) = \omega_{R}\ell cos(\beta) \Rightarrow \omega_{R} = \frac{\omega_{A}rcos(\theta)}{\ell cos(\beta)}$$

Step 7:
$$v_B = (0)\hat{\mathbf{i}} + (-\omega_A r sin(\theta) - \omega_R \ell sin(\beta))\hat{\mathbf{j}} = (\frac{\omega_A r cos(\theta)}{\ell cos(\beta)} \ell sin(\beta) - \omega_A r sin(\theta))\hat{\mathbf{j}} + 0\hat{\mathbf{i}}$$

Step 8:
$$v_B = -\omega_A(rcos(\theta)tan(\beta) + rsin(\theta))\hat{j} + 0\hat{i}$$

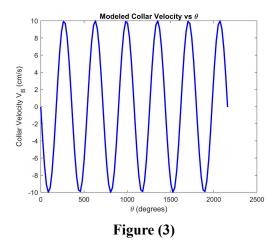
The MATLAB function LCSMODEL returns the value of $v_{_{R}}$ for a given θ and geometric constraints using equations derived above. As follows

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```
function v_mod = LCSMODEL(R, D, L, theta, w)
   % Compute beta (angle of connecting rod)
   beta = asin((D - R * sind(theta)) / L);
   % Compute vertical velocity of the collar
   v \mod = -w \cdot * (R \cdot * cosd(theta) \cdot * tand(beta) + R \cdot * sind(theta));
end
```



We tested the accuracy of this function by computing the collar velocity (v_R) as a function of θ for a set of reasonable input parameters. Given the mode of motion, we expected to see a sinusoidal curve, which was exactly what has been calculated in Figure 2. This indicated the validity of our derivations and the LCS

Results and Analysis III.

MODEL function.

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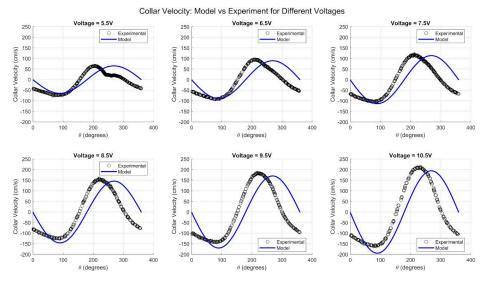


Figure (4)

Figure 4 shows a comparison of our MATLAB model, and experimental data of the apparatus. The model is shown by the blue line, and the data is shown by the black points.

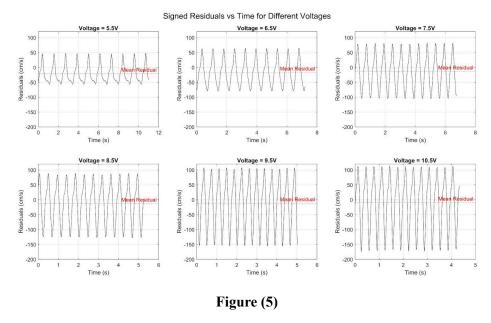


Figure 5 shows the positive and negative residual error vs time between our model and the experimental data for the different voltage trials. The residual error is the difference between the velocities of the two datasets.

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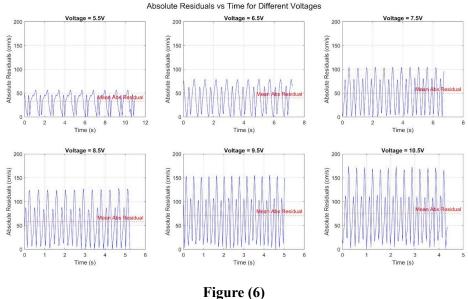


Figure 6 reflects the absolute value in the difference between the experimental and modeled collar velocities (cm/s) for different voltage settings. With the increase in voltages, the absolute residuals increased and time taken for each revolution decreased.

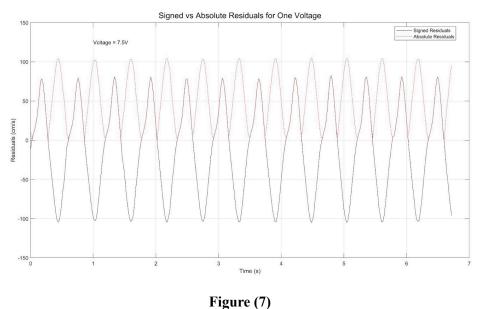


Figure 7 shows the difference in the absolute value and signed values of the residual errors for the 7.5 volt configuration.

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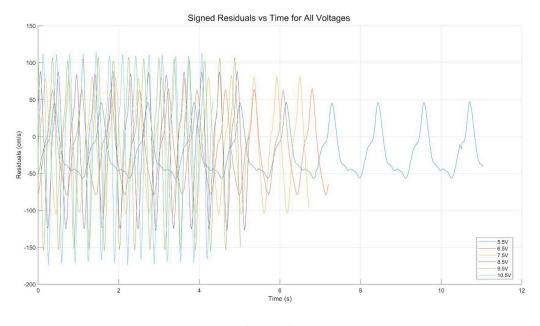


Figure (8)

Figure 8 shows how the residuals change over time and voltage by plotting every configuration on one plot.

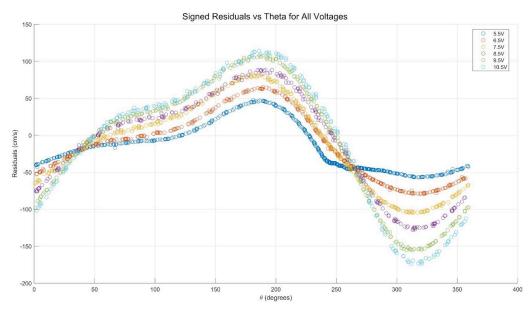


Figure (9)

Figure 9 shows how the residuals change over differing angles and voltage by plotting every configuration on one plot.

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| Experiment | Voltage | Mean_Error | Std_Deviation |
|------------------|---------|-------------|---------------|
| | | | |
| {'Test1_5pt5V' } | 5.5 | -21.562 | 29.611 |
| {'Test1_6pt5V' } | 6.5 | -17.56 | 43.552 |
| {'Test1_7pt5V' } | 7.5 | -14.011 | 57.706 |
| {'Test1_8pt5V' } | 8.5 | -13.302 | 67.821 |
| {'Test1_9pt5V' } | 9.5 | -11.978 | 83.703 |
| {'Test1_10pt5V'} | 10.5 | -10.057 | 89.918 |

Figure (10)

Figure 10 is a table of the mean and standard deviation of the error for each experiment.

Our model demonstrated adequate accuracy, particularly at lower voltages. However, as the voltage would increase, there were more discrepancies in our model in comparison to the experimental as seen in **Figure 2**. As the mean error is constantly negative, its likely due to misalignment between the model alignment and the system. Additionally, as the voltage increased, the standard deviation also increase drastically, this was most likely influenced by noise. This noise was most likely due to sensor error, and friction between the collar and the rod.

IV. Conclusions and Recommendations

Over the course of this project, our team was able to successfully model the Locomotive Crank. We used derivations by hand, and created them in matlab. Throughout this project, we began with mathematical derivations modeling the system at individual points in time, and used these derivations to create matlab code which could model the Locomotive Crank's motion over time. One of the most challenging aspects of this project was to write the code in a way such that errors due to incorrect derivations were easily correctable. Despite the added difficulty, this allowed us to work on our code before having double checked the derivations, making the overall process more efficient.

Our model is of adequate accuracy, and is capable of modeling the types of motion seen in the Locomotive Crank, especially at low voltages. Our model could be improved by taking into account more external forces. Such as friction forces throughout the assembly, Individual part weights and inertias, and by taking more precise measurements of equipment. Overall, while the model provided reasonable accuracy at low voltages, addressing the misalignment of our graphs and adding a frictional component into the velocity of our model can drastically improve the accuracy and reliability of our data across more operating conditions. Our group learned about the overall importance of doing derivations by hand, before beginning code, and how important the overall code structure is, and it's ease of corrections when mistakes are made.

Color Coding:Summary of work

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Member Contributions V.

Abhi Siwakoti: Code, Calculations, Figures, Diagrams, Results and Analysis.

Ritik Sarraf: Abstract, Measurements, Results and Analysis, Derivations, Acknowledgements, References, and Conclusions and Recommendations, Member Contributions, Appendix.

Tori Field: Abstract, Derivations, Conclusions and Recommendations.

Tyler Hall: Procedure and Experimental Setups, Diagrams & Figures, Results & Analysis.

Acknowledgments VI.

We would like to thank our professor and TA's who helped us successfully complete the project.

VII. References

- 1. "ASEN 2803 Spring 2025 Lab 2: Locomotive Crank," report, 2025.
- 2. "ASEN 2803: Locomotive Crankshaft Lab Spring 2025," lab manual, season-01 2025.
- 3. Locomotive Crank Lab Slides
- 4. Locomotive Crank Video Resources

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Appendix

1. Derivations:

$$sin(\beta) = \frac{d - r sin(\theta)}{l}$$

$$\beta = \sin^{-1}(\frac{d - r\sin(\theta)}{l})$$

$$v_{Collar_{MODEL}} = -\omega(r\cos(\theta)\tan(\beta) + r\sin(\theta))$$

$$\begin{aligned} \boldsymbol{v}_{Residuals} &= \boldsymbol{v}_{Collar_{MODEL}} - \boldsymbol{v}_{Collar_{EXP}} \\ \boldsymbol{v}_{Residuals_{ABS}} &= \left| \boldsymbol{v}_{Collar_{MODEL}} - \boldsymbol{v}_{Collar_{EXP}} \right| \end{aligned}$$

r = Distance from the rotation axis to point A (cm)

d = Horizontal distance from the vertical shaft to the disk center (cm)

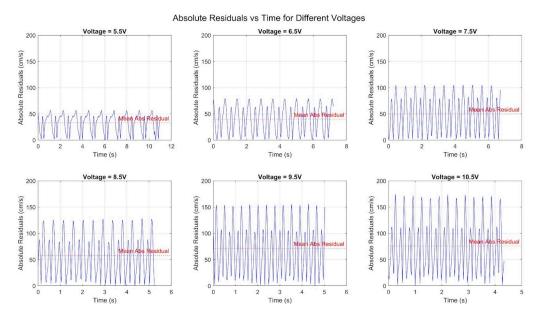
l = Length of the connecting bar from A to B (cm)

 $\theta = Angular position of the disk (°)$

 $\omega = Angular \ velocity \ of \ the \ disk \ (rad/s)$

 β = Angle of the connecting rod with respect to the horizontal (°)

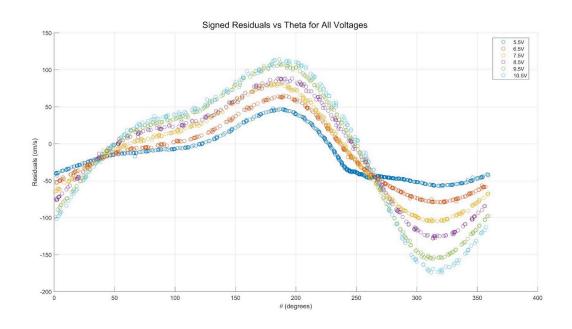
Figures:

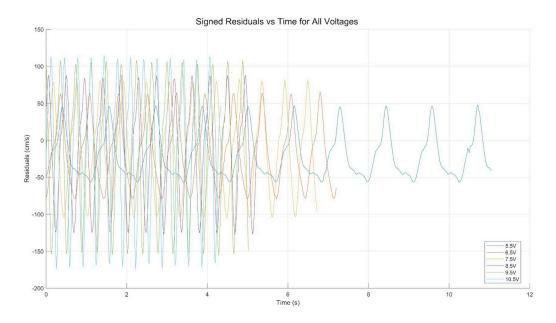


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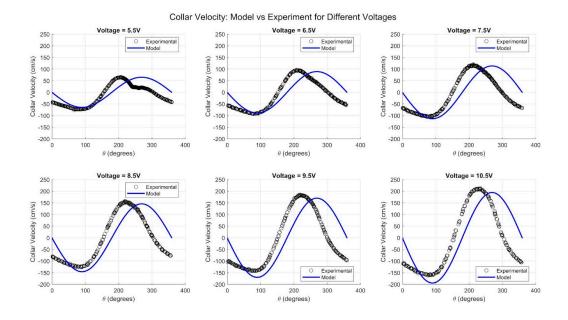
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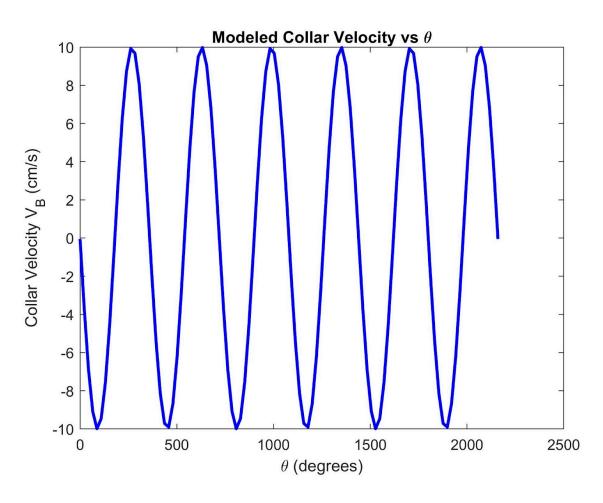
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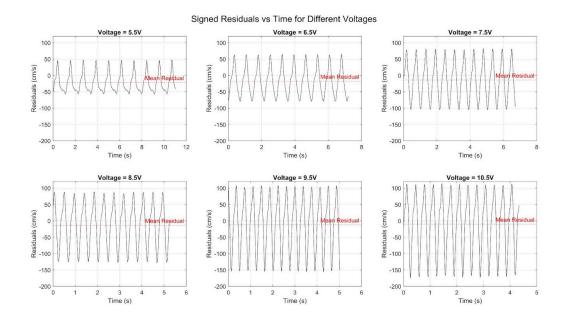


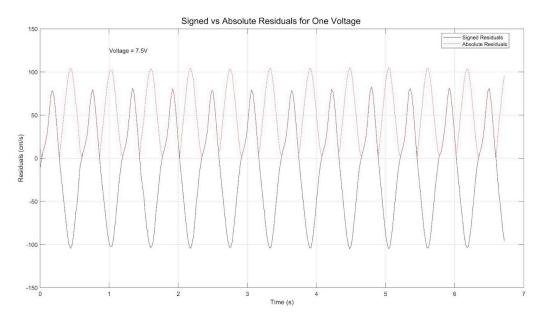
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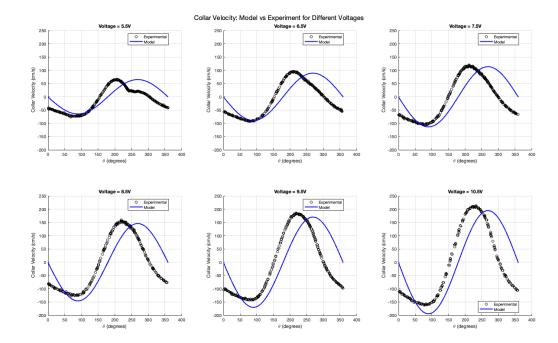
Define the list of data files and voltages

Create figure for Model vs Experimental Data

```
figure;
sgtitle('Collar Velocity: Model vs Experiment for Different Voltages');
set(gcf, 'Units', 'Normalized', 'OuterPosition', [0 0 1 1]);
% Loop through each dataset
for i = 1:length(data_files)
    % Load experimental data
    filename = data_files{i};
    w_iter = w_val{i};
    [theta_exp, w_exp, v_exp, time] = LCSDATA(filename);
   v_model = LCSMODEL(r, d, l, theta, w_iter);
    % Model vs Experimental Plot
    subplot(2,3,i);
   plot(theta_exp, v_exp, 'ko', 'DisplayName', 'Experimental');
   plot(theta, v_model, 'b', 'LineWidth', 2, 'DisplayName', 'Model');
   hold off;
   xlabel('\theta (degrees)');
   ylabel('Collar Velocity (cm/s)');
    ylim([-200, 250])
    title(sprintf('Voltage = %.1fV', voltages(i)));
```

```
legend('Location', 'best');
    grid on;
end
% print('Model vs Experiment','-djpeg','-r500')
응 {
%% Create figure for Residuals Analysis
figure;
sgtitle('Residuals vs Time for Different Voltages');
% Loop through each dataset
for i = 1:length(data_files)
    % Load experimental data
    filename = data_files{i};
   w_iter = w_val{i};
    [theta_exp, w_exp, v_exp, time] = LCSDATA(filename);
    v_model_full = LCSMODEL(r, d, l, theta, w_iter);
    v_model = interp1(theta, v_model_full, theta_exp, 'linear', 'extrap');
    % Compute residuals
    residuals = v_exp - v_model;
    % Residuals vs Time Plot
    subplot(2,3,i);
   plot(time, residuals, 'k');
   hold on;
   % yline(mean(residuals), 'r--', 'Mean Residual'); % Mean line
    xlabel('Time (s)');
   ylabel('Residuals (cm/s)');
    title(sprintf('Voltage = %.1fV', voltages(i)));
    grid on;
end
%% Create figure for Residuals vs Theta
sgtitle('Residuals vs Theta for Different Voltages');
% Loop through each dataset
for i = 1:length(data_files)
    % Load experimental data
    filename = data_files{i};
    [theta_exp, w_exp, v_exp, time] = LCSDATA(filename);
    w_iter = w_val{i};
    % Compute residuals
    v_model_full = LCSMODEL(r, d, l, theta, w_iter);
    v_model = interp1(theta, v_model_full, theta_exp, 'linear', 'extrap');
    residuals = v_exp - v_model;
```

```
% Residuals vs Theta Plot
subplot(2,3,i);
plot(theta_exp, residuals, 'g.');
xlabel('\theta (degrees)');
ylabel('Residuals (cm/s)');
title(sprintf('Voltage = %.1fV', voltages(i)));
grid on;
end
%}
```



Signed Residuals vs Time (6 subplots, include mean line)

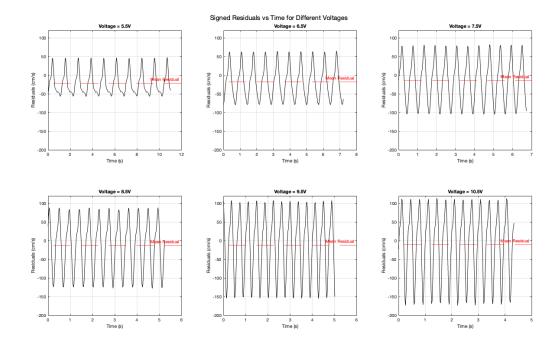
```
figure;
sgtitle('Signed Residuals vs Time for Different Voltages');
set(gcf, 'Units', 'Normalized', 'OuterPosition', [0 0 1 1]);

for i = 1:length(data_files)
    filename = data_files{i};
    w_iter = w_val{i};

    [theta_exp, ~, v_exp, time] = LCSDATA(filename);
    v_model_full = LCSMODEL(r, d, l, theta, w_iter);
    v_model = interpl(theta, v_model_full, theta_exp, 'linear', 'extrap');

    residuals = v_exp - v_model;
    subplot(2,3,i);
```

```
plot(time, residuals, 'k');
hold on;
yline(mean(residuals), 'r--', 'Mean Residual');
xlabel('Time (s)');
ylabel('Residuals (cm/s)');
ylim([-200,120])
title(sprintf('Voltage = %.1fV', voltages(i)));
grid on;
end
%print('SignedVsTime','-djpeg','-r500')
```



Absolute Residuals vs Time (6 subplots, include mean line)

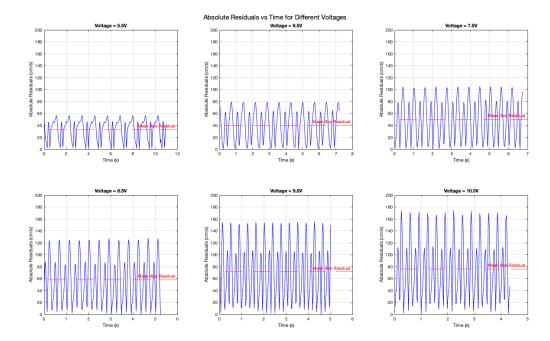
```
figure;
sgtitle('Absolute Residuals vs Time for Different Voltages');
set(gcf, 'Units', 'Normalized', 'OuterPosition', [0 0 1 1]);

for i = 1:length(data_files)
    filename = data_files{i};
    w_iter = w_val{i};

    [theta_exp, ~, v_exp, time] = LCSDATA(filename);
    v_model_full = LCSMODEL(r, d, l, theta, w_iter);
    v_model = interpl(theta, v_model_full, theta_exp, 'linear', 'extrap');

    abs_residuals = abs(v_exp - v_model);
    subplot(2,3,i);
```

```
plot(time, abs_residuals, 'b');
hold on;
yline(mean(abs_residuals), 'r--', 'Mean Abs Residual');
xlabel('Time (s)');
ylabel('Absolute Residuals (cm/s)');
ylim([0,200])
title(sprintf('Voltage = %.1fV', voltages(i)));
grid on;
end
%print('AbsoluteVsTime','-djpeg','-r500')
```

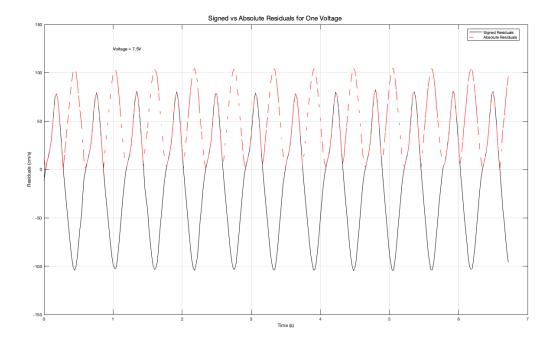


Signed vs Absolute Residuals for One Voltage

```
figure;
sgtitle('Signed vs Absolute Residuals for One Voltage');
set(gcf, 'Units', 'Normalized', 'OuterPosition', [0 0 1 1]);
chosen_index = 3; % Choose the 3rd voltage as an example
filename = data_files{chosen_index};
w_iter = w_val{chosen_index};
[theta_exp, w_exp, v_exp, time] = LCSDATA(filename);
v_model_full = LCSMODEL(r, d, 1, theta, w_iter);
v_model = interpl(theta, v_model_full, theta_exp, 'linear', 'extrap');
residuals = v_exp - v_model;
abs_residuals = abs(residuals);

plot(time, residuals, 'k', 'DisplayName', 'Signed Residuals');
hold on;
```

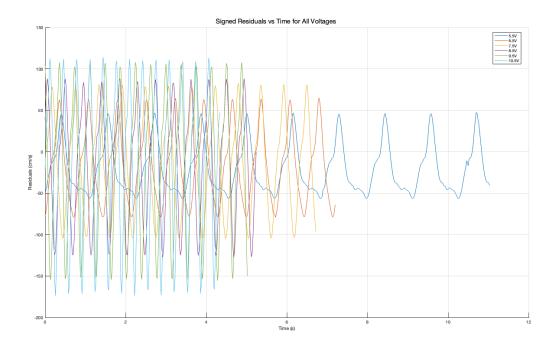
```
plot(time, abs_residuals, 'r--', 'DisplayName', 'Absolute Residuals');
xlabel('Time (s)');
ylabel('Residuals (cm/s)');
text(1,125,sprintf('Voltage = %.1fV', voltages(chosen_index)));
legend('Location', 'best');
grid on;
%print('OneVoltage','-djpeg','-r500')
```



Signed Residuals vs Time for All Voltages

```
figure;
sgtitle('Signed Residuals vs Time for All Voltages');
set(gcf, 'Units', 'Normalized', 'OuterPosition', [0 0 1 1]);
hold on;
for i = 1:length(data_files)
    filename = data_files{i};
   w_iter = w_val{i};
    [theta_exp, w_exp, v_exp, time] = LCSDATA(filename);
    v_model_full = LCSMODEL(r, d, l, theta, w_iter);
    v_model = interpl(theta, v_model_full, theta_exp, 'linear', 'extrap');
   residuals = v_exp - v_model;
   plot(time, residuals, 'DisplayName', sprintf('%.1fV', voltages(i)));
end
xlabel('Time (s)');
ylabel('Residuals (cm/s)');
legend('Location', 'best');
```

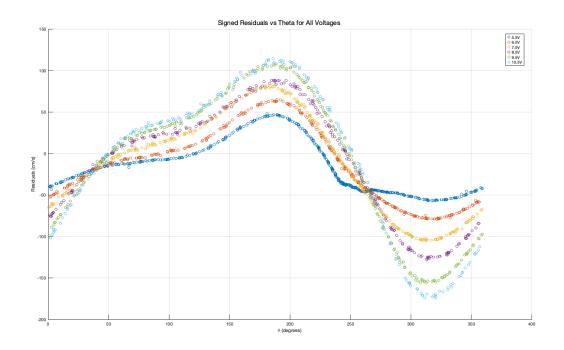
```
grid on;
%print('AllvsTime','-djpeg','-r500')
%}
```



Signed Residuals vs Theta for All Voltages

```
figure;
sgtitle('Signed Residuals vs Theta for All Voltages');
set(gcf, 'Units', 'Normalized', 'OuterPosition', [0 0 1 1]);
hold on;
for i = 1:length(data_files)
    filename = data_files{i};
    w_iter = w_val{i};
    [theta_exp, w_exp, v_exp, time] = LCSDATA(filename);
    v_model_full = LCSMODEL(r, d, l, theta, w_iter);
    v_model = interp1(theta, v_model_full, theta_exp, 'linear', 'extrap');
    residuals = v_exp - v_model;
    scatter(theta_exp, residuals, 'DisplayName', sprintf('%.1fV',
voltages(i)));
end
xlabel('\theta (degrees)');
ylabel('Residuals (cm/s)');
legend('Location', 'best');
grid on;
```

```
%print('AllvsTheta','-djpeg','-r500')
% Initialize error storage
mean_error = zeros(1, length(data_files));
std_error = zeros(1, length(data_files));
mae = zeros(1, length(data_files));
mse = zeros(1, length(data_files));
rmse = zeros(1, length(data_files));
% Calculate errors for each dataset
for i = 1:length(data_files)
    filename = data_files{i};
   w_iter = w_val{i};
    [theta_exp, w_exp, v_exp, time] = LCSDATA(filename);
    v_model_full = LCSMODEL(r, d, l, theta, w_iter);
    v_model = interpl(theta, v_model_full, theta_exp, 'linear', 'extrap');
   residuals = v_exp - v_model;
    % Calculate error metrics
    mean_error(i) = mean(residuals);
    std_error(i) = std(residuals);
    mae(i) = mean(abs(residuals));
    mse(i) = mean(residuals .^ 2);
    rmse(i) = sqrt(mse(i));
end
% Create error table
ErrorTable = table(data_files', voltages', mean_error', std_error', ...
                   'VariableNames', {'Experiment', 'Voltage', 'Mean_Error',
'Std_Deviation'});
disp(ErrorTable);
       Experiment
                        Voltage
                                   Mean Error
                                                 Std Deviation
    {'Test1_5pt5V' }
                                                    29.611
                          5.5
                                   -21.562
    {'Test1 6pt5V' }
                          6.5
                                    -17.56
                                                    43.552
    {'Test1_7pt5V' }
                          7.5
                                    -14.011
                                                    57.706
    {'Test1_8pt5V' }
                          8.5
                                    -13.302
                                                    67.821
    {'Test1_9pt5V' }
                          9.5
                                    -11.978
                                                    83.703
    {'Test1_10pt5V'}
                         10.5
                                    -10.057
                                                    89.918
```



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```
function [theta_exp, w_exp, v_exp, time] = LCSDATA(filename)
    % Load data from CSV file
    data = readmatrix(filename);
    % Extract relevant columns
    time = data(:,1);
                              % Time (seconds)
                              % Angular Position (degrees)
    theta_exp = data(:,2);
    w_{exp} = data(:,4);
                               % Angular Velocity (deg/s)
    v_{exp} = data(:,5) / 10;
                               % Convert Slide Speed from mm/s to cm/s
    % Ensure theta_exp is wrapped within 0-360 degrees
    theta_exp = mod(theta_exp, 360);
    % Select only first six revolutions
    revolutions = 6;
    indices = find(theta_exp <= revolutions * 360);</pre>
    % Trim data
    theta_exp = theta_exp(indices);
    w \exp = w \exp(indices);
    v_exp = v_exp(indices);
    time = time(indices);
end
Not enough input arguments.
Error in LCSDATA (line 3)
    data = readmatrix(filename);
```

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