Q6

①

Process	Allocation A	B	C	D	Max A	B	C	D	Available A	B	C	D
P_0	0	0	1	2	0	0	1	2	1	5	2	0
P_1	1	0	0	0	1	7	5	0				
P_2	1	3	5	4	2	3	5	6				
P_3	0	6	3	2	0	6	5	2				
P_4	0	0	1	4	0	6	5	6				

a) Need matrix

(max - Allocation)

Process	A	B	C	D
P_0	0	0	0	0
P_1	0	7	5	0
P_2	1	0	0	2
P_3	0	0	2	0
P_4	0	6	4	2

b) Safety Algorithm

⇒ if need ≤ available

then

execute ~~resource~~ process

new available = available + allocation

else

don't execute & move forward to next process

② P_0 → need ≤ available

(0,0,0,0) ≤ (1,5,2,0) So, execute P_0

new available = (1,5,2,0) + (0,0,1,2)

= (1,5,3,2)

① P_1 → need > available
$(0,7,5,0) > (1,5,3,2)$ So, don't execute P_1

② P_2 → need ≤ available
$(1,0,0,2) \leq (1,5,3,2)$ So, execute P_2

new available = available + allocation
= $(1,5,3,2) + (1,3,5,4)$
= $(2,8,8,6)$

③ P_3 → need ≤ available
$(0,0,2,0) \leq (2,8,8,6)$ So, execute P_3

new available = available + allocation
= $(2,8,8,6) + (0,6,3,2)$
= $(2,14,11,8)$

④ P_4 → need ≤ available
$(0,6,4,2) \leq (2,14,11,8)$ So, execute P_4

new available = $(2,14,11,8) + (0,0,1,4)$
= $(2,14,12,12)$

Again,

⑤ P_0 → need ≤ available
$(0,7,5,0) \leq (2,14,12,12)$ So, execute P_0

new available = $(2,14,12,12) + (1,0,0,0)$
= $(3,14,12,12)$

Safe sequence:
$\langle P_0, P_2, P_3, P_4, P_1 \rangle$

c) If Process P_1 arrives for (0,4,2,0)

Resource Request Alg.

① If request ≤ need, goto step 2
else error

② If request ≤ available goto step 3
else wait

③ Available = Available - Request
Allocation = Allocation + Request
Need = Need - Request

④ Check now state is safe or not?

⇒ Need for P_1 (0,7,5,0)

① Request ≤ Need ; (0,4,2,0) ≤ (0,7,5,0)

② Request ≤ Available ; (0,4,2,0) ≤ (1,5,2,0)

③ Available = Available - Request
= (1,5,2,0) - (0,4,2,0)
= (1,1,0,0)
Allocation = Allocation + Request
= (1,0,0,0) + (0,4,2,0)
= (1,4,2,0)
Need = Need - Request
= (0,7,5,0) - (0,4,2,0)
= (0,3,3,0)

④ Now, new snapshot will be

	Allocation				max				Available			
Process	A	B	C	D	A	B	C	D	A	B	C	D
P_0	0	0	1	2	0	0	1	2	1	1	0	0
P_1	1	4	2	0	1	7	5	0				
P_2	1	3	5	4	2	3	5	6				
P_3	0	6	3	2	0	6	5	2				
P_4	0	0	1	4	0	6	5	6				

Need Matrix

Process	A	B	C	D
P_0	0	0	0	0
P_1	0	3	3	0
P_2	1	0	0	2
P_3	0	0	2	0
P_4	0	6	4	2

Again, doing safety algorithm

$P_0 \Rightarrow$ need $\leq$ available ; $(0,0,0,0) \leq (1,1,0,0)$ so execute P_0

new available = $(1,1,0,0) + (0,0,1,2) = (1,1,1,2)$

$P_1 \Rightarrow$ $(0,3,3,0) > (1,1,1,2)$ don't execute P_1

$P_2 \Rightarrow$ $(1,0,0,2) \leq (1,1,1,2)$ execute P_2

new available = $(1,1,1,2) + (1,3,5,4) = (2,4,6,6)$

$P_3 \Rightarrow$ $(0,0,2,0) \leq (2,4,6,6)$ execute P_3

new available = $(2,4,6,6) + (0,6,3,2) = (2,10,9,8)$

$P_4 \Rightarrow$ $(0,6,4,2) \leq (2,10,9,8)$ execute P_4

new available = $(2,10,9,8) + (0,0,1,4) = (2,10,10,12)$

$P_1 \Rightarrow$ $(0,3,3,0) \leq (2,10,10,12)$ execute P_1

new available = $(2,10,10,12) + (1,4,2,0) = (3,14,12,12)$

$< P_0, P_2, P_3, P_4, P_1 >$