

Rectifying Bound

20 August 2018

1 Correcting wrong maximum bound in adaptive pruning schemes

In order to reduce costs, our DiVE schemes utilize the importance score bound to do pruning. There are two pruning techniques proposed: 1) static bound approach and 2) adaptive bound approach. In the static bound, the theoretical maximum bound ($\sqrt{2}$) is used and this bound will not be changed until the end of running. Meanwhile, adaptive used the estimation of maximum bound as the first, then this bound is updated where there is a higher maximum bound found.

To know when the bound should be updated, sampling based on prediction interval is used. Before running the program, user needs to defined what PI that she wants to use. For instance, while users set PI to 80, it means after 9 views are executed, the current bound will be updated to the maximum importance score which have seen so far. In the algorithm 1 and 2, $getMaxPI(S, X)$ is the function to get the estimated maximum bound from some number of executed views based on PI. Generally, PI can be defined as following:

- PI80: need to execute 9 views
- PI85: need to execute 12 views
- PI90: need to executes 20 views
- PI95: need to executes 40 views
- PI97: need to executes 60 views

Our experiment results show that Adaptive scheme has the best pruning performance while PI80 is used. However, it reduces the effectiveness of recommended views due to only small number of executed views are needed for PI80. It causes the increasing of probability to have wrong bound. The safest way is to use higher PI such as PI95 or PI97. However, if there is a way to keep using PI80 without reducing effectiveness, it will definitely be very good. In fact, *the goal of pruning scheme is to minimize query view execution (i.e., use low PI) without reducing the quality of recommended views*. In order to overcome this issue, rectifying bound of adaptive pruning is proposed. The algorithms of our rectifying bound can be seen in algorithm 1 for DiVE-Greedy-Adaptive and 2 for DiVE-dSwap-Adaptive.

The idea behind the rectifying bound algorithm is to keep track: 1) the maximum of $setDist$ score position in L while it gets early termination, 2) the set S (i.e., the initial set S while iteration start) and 3) S' (i.e., the set S in the end of iteration) in each Greedy and Swap iteration. User can determine the $step_back$ parameter in case the size of k is large. For instance, while user uses $k = 20$ and $step_back = 3$, if there is a higher bound in the 14th iteration, the algorithm will go to 11st iteration and rectify the bound. The L, S , and S' of 11st iteration will be used, the new maximum bound will be used for the remaining views in L (i.e., unexecuted views due to early termination) and if there is a view that can improve the $F(S)$ compared to the previous result then the new result will be used. However, in case of small number of k , such as $k = 5$, there will be default $step_back$ which is revert to the first iteration. For instance, Greedy starts with two views in set S , while $k = 5$ means there are only three iterations to generate the result. While in the middle of Greedy running, there is a higher bound then the iterations can be start again from size $S = 2$.

The results of this rectifying bound strategy can be seen in Figure 1 and Figure 2. Figure 1 shows the performance of adaptive pruning scheme with rectifying bound strategy compared to without rectifying bound strategy. The pruning performance after applying rectifying bound strategy quite close to without rectifying bound strategy. Meanwhile, as shown in Figure 2 there is no effectiveness loss after rectifying bound is implemented. Moreover, the costs comparison of our rectifying algorithm is presented as weel in Figure 3. This Figure shows the total cost of our pruning scheme with and without rectifying bound strategy which running on Flights dataset.

Algorithm 1: *DiVE* Greedy Pruning Rectifying

Input: Set of views V and result set Size k
Output: Result set $S \leq V$, size $S = k$

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1  $S \leftarrow$  two most distant views
2  $X \leftarrow [V \setminus S]$ 
3 function  $\text{getL}(f, S, X, L)$ :
4   for  $X_i$  in set  $X$  do
5     for  $S_j$  in set  $S$  do
6        $d \leftarrow \text{setDist}(X_i, S)$ 
7        $L.append([X_i, d])$ 
8    $L \leftarrow \text{sorted\_by\_d}(L)$ 
9   return  $L$ 
10  $L_{base}, S_{base}, S'_{base} \leftarrow \text{getL}(S, X), S, S \cup L[X_1]$ 
11  $max_b \leftarrow \text{getMaxPI}(S, X)$ 
12  $rectify \leftarrow \text{False}$ 
13
14 while  $i < k$  do
15   if  $rectify = \text{False}$  then
16      $L \leftarrow \text{getL}(S, X)$ 
17      $S' \leftarrow S \cup L[X_1]$ 
18   for  $L_i$  in  $L$  do
19     if  $rectify = \text{True}$  then
20        $\text{start loop at } L[\text{min}_d]$ 
21     if  $F(S') < F(S \cup X_i, max_b)$  then
22        $I \leftarrow \text{get\_I\_score}(X_i)$ 
23       if  $F(S') < F(S \cup X_i, I)$  then
24          $S' \leftarrow S \cup X_i$ 
25       if  $I > max_b$  then
26          $max_b \leftarrow I$ 
27          $rectify = \text{True}$ 
28          $\text{break}(\text{Out of Loop})$ 
29     else
30        $rectify = \text{False}$ 
31   if  $rectify == \text{True}$  then
32      $S, S' \leftarrow S_{base}, S'_{base}$ 
33      $L \leftarrow L_{base}$ 
34      $i \leftarrow 2$ 
35   else
36      $\text{storeTempResult}(i, S, S', L, \text{min}_d)$ 
37      $S \leftarrow S'$ 
38      $i = i + 1$ 
39 return  $S$ 

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Algorithm 2: *DiVE* dSwap Pruning Rectifying

Input: Set of views V and result set Size k
Output: Result set $S \leq V$, size $S = k$

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1  $S \leftarrow$  Result set of only diversity
2  $X \leftarrow [V \setminus S]$ 
3 function  $\text{getL}(f, S, X, L)$ :
4   for  $X_i$  in set  $X$  do
5     for  $S_j$  in set  $S$  do
6        $d \leftarrow \text{setDist}(X_i, S)$ 
7        $L.\text{append}([S_j, X_i, d])$ 
8    $L \leftarrow \text{sorted\_by\_d}(L)$ 
9   return  $L$ 
10  $F_{\text{current}}, \text{counter} \leftarrow 0, 0$ 
11  $\text{improve}, \text{rectify} \leftarrow \text{True}, \text{False}$ 
12  $S_{\text{base}}, L_{\text{base}} \leftarrow S, \text{getL}(S, X)$ 
13  $\text{max}_b \leftarrow \text{getMaxPI}(S, X)$ 
14
15 while  $\text{improve} = \text{True}$  do
16    $\text{counter} = \text{counter} + 1$ 
17   if  $\text{rectify} = \text{False}$  then
18      $L \leftarrow \text{getL}(S, X)$ 
19      $S' \leftarrow S$ 
20   for  $L_i$  in  $L$  do
21     if  $\text{rectify} = \text{True}$  then
22        $\text{start loop at } L[\text{min}_d]$ 
23     if  $F(S') < F(S \setminus S_j \cup X_i, \text{max}_b)$  then
24        $I \leftarrow \text{get\_I\_score}(X_i)$ 
25       if  $F(S') < F(S \setminus S_j \cup X_i, I)$  then
26          $S' \leftarrow S \setminus S_j \cup X_i$ 
27       if  $I > \text{max}_b$  then
28          $\text{max}_b \leftarrow I$ 
29          $\text{rectify} = \text{True}$ 
30          $\text{break}(\text{Out of Loop})$ 
31     else
32        $\text{rectify} = \text{False}$ 
33   if  $\text{rectify} == \text{True}$  then
34      $S, S' \leftarrow S_{\text{base}}$ 
35      $L \leftarrow L_{\text{base}}$ 
36      $\text{counter} = 0$ 
37      $\text{improve} \leftarrow \text{True}$ 
38   else
39      $\text{storeTempResult}(\text{counter}, S, S', L, \text{min}_d)$ 
40     if  $F(S') > F(S)$  then
41        $S \leftarrow S'$ 
42     if  $F(S) > F_{\text{current}}$  then
43        $F_{\text{current}} \leftarrow F(S)$ 
44        $\text{improve} \leftarrow \text{True}$ 
45     else
46        $\text{improve} \leftarrow \text{False}$ 
47 return  $S$ 

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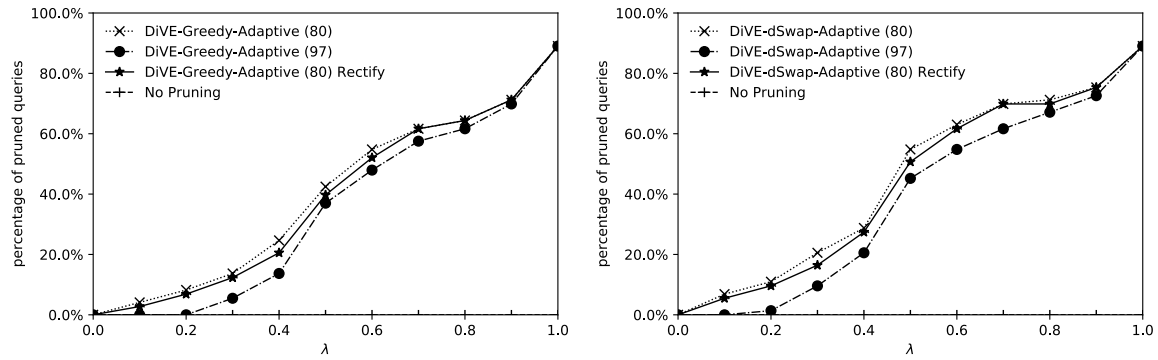
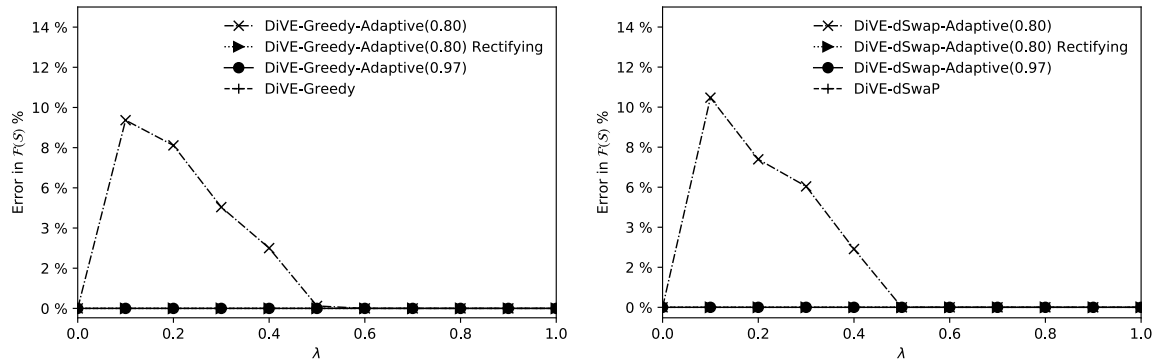
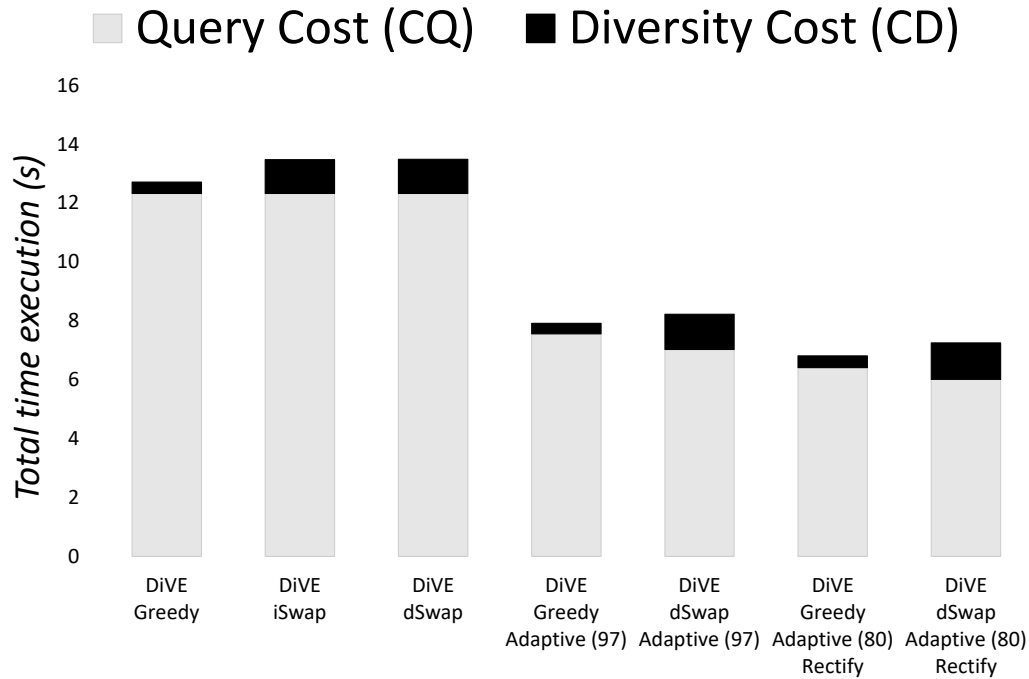


Figure 1: Pruning performance of rectifying bound schemes compared to others

Figure 2: Error $F(S)$ after rectifying boundFigure 3: Total costs of schemes running on Flights dataset, $k = 5$, and $\lambda = 0.5$