```
x = [0,7,0,69,0,7,0,-7,0,-69,0,-7];
distinctVals = dftdistinct(x)
ourDft = dftall(x)'
inbuiltDft = fft(x)'
ourIdft = idftall(ourDft)'
inbuiltIdft = ifft(inbuiltDft)
subplot(5,1,1)
plot(x)
title('Main period of Odd Signal mod 12')
subplot(5,1,2)
plot(abs(ourDft))
title('DFT Using Odd Ramanujan Sums')
subplot(5,1,3)
plot(abs(inbuiltDft))
title('DFT Using Typical FFT Algo - Inbuilt')
subplot(5,1,4)
plot(abs(ourIdft))
title('IDFT Using Odd Ramanujan Sums')
subplot(5,1,5)
plot(abs(inbuiltIdft))
title('IDFT Using Typical IFFT Algo - Inbuilt')
function x = idftall(X)
    x = [];
    r = length(X);
    for n=0:r-1
        val = 0;
        for d=2:r
            if mod(r,d) == 0 \&\& mod(d,4) == 0
                val = val + X((r/d)+1)*cd(d,n+(d/4));
            end
        end
        x = [x,-1j*val/r];
    end
end
function X = dftall(x)
    X = [];
    r = length(x);
    for n=0:r-1
        val = 0;
        for d=2:r
            if mod(r,d) == 0 \&\& mod(d,4) == 0
                val = val + x((r/d)+1)*cd(d,n+(d/4));
            end
        end
        X = [X,1j*val];
    end
end
```

```
function Xdis = dftdistinct(x)
    Xdis = [];
    Xdis(1,1) = 0;
    Xdis(1,2) = 0;
    i = 1;
    r = length(x);
    %tau = ndistinct(r);
    count = 0;
    for D=2:r
        %if count<tau
             if mod(r,D) == 0 %ie. D divides r
                 val = 0;
                 for d=2:r
                     if mod(r,d) == 0 \&\& mod(d,4) == 0
                         val = val + x((r/d)+1)*cd(d,((r/D)+(d/4)));
                     end
                 end
                 %if ismember(val, Xdis(:,2))==0
                     i = i+1;
                     Xdis(i,1) = r/D;
                     Xdis(i,2) = 1j*val;
                     %count = count+1;
                 %end
            end
        %end
    end
end
function tau = ndistinct(r)
%This function outputs the number of distinct nonzero values that xr(n)
%can take
%ndistinct = (m1+1)(m2+1)...(mk+1) where mi's are the powers of the
%prime factors of r/4
    primearr = factor(r/4)';
    marr = groupcounts(primearr);
    tau = marr(1)+1;
    if length(marr)>1
        for i=2:length(marr)
             tau = tau*(marr(i)+1);
        end
    end
end
function sum = cd(d, x)
0 - 10^{-2} %Outputs cd(n+(d/4)) - 10^{-2} the odd ramanujan sum
    sum = 0;
    for U=0:d-1
        if \gcd(U,d) == 1
            Wd = W(d);
            sum = sum + Wd^{(-x*U)};
```

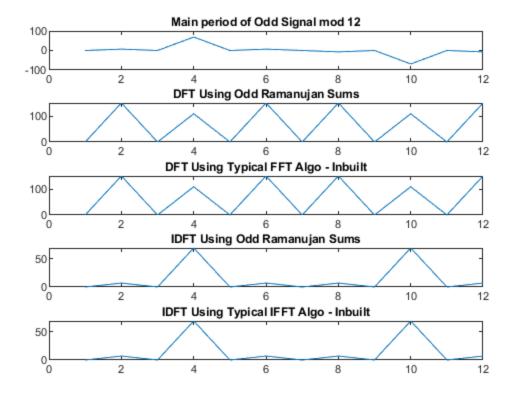
```
end
    end
end
function out = W(d)
%Outputs Wd
    out = \exp(2*pi*1j/d);
end
distinctVals =
   1.0e+02 *
   0.0000 + 0.0000i
                     0.0000 + 0.0000i
   0.0600 + 0.0000i
                    -0.0000 + 0.0000i
   0.0400 + 0.0000i
                    -0.0000 - 0.0000i
   0.0300 + 0.0000i
                     0.0000 + 1.1000i
  0.0200 + 0.0000i
                     0.0000 + 0.0000i
   0.0100 + 0.0000i
                     0.0000 - 1.5200i
ourDft =
   1.0e+02 *
   0.0000 + 0.0000i
   0.0000 + 1.5200i
  0.0000 - 0.0000i
  0.0000 - 1.1000i
  -0.0000 + 0.0000i
  0.0000 + 1.5200i
  -0.0000 - 0.0000i
  -0.0000 - 1.5200i
  -0.0000 + 0.0000i
  -0.0000 + 1.1000i
  0.0000 - 0.0000i
  -0.0000 - 1.5200i
inbuiltDft =
   1.0e+02 *
   0.0000 + 0.0000i
   0.0000 + 1.5200i
   0.0000 + 0.0000i
   0.0000 - 1.1000i
   0.0000 + 0.0000i
   0.0000 + 1.5200i
   0.0000 + 0.0000i
   0.0000 - 1.5200i
   0.0000 + 0.0000i
```

0.0000 + 1.1000i 0.0000 + 0.0000i 0.0000 - 1.5200i

## ourIdft =

-0.0000 + 0.0000i -7.0000 + 0.0000i -0.0000 + 0.0000i -69.0000 + 0.0000i 0.0000 - 0.0000i -7.0000 + 0.0000i 7.0000 - 0.0000i 0.0000 - 0.0000i 0.0000 - 0.0000i 69.0000 - 0.0000i -0.0000 + 0.0000i 7.0000 - 0.0000i

## inbuiltIdft =



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