

bigO

Data Structure	Search (Avg, Worst)	Insertion (Avg, Worst)	Deletion (Avg, Worst)	Commonly Considered
Array (I)	$O(n)$, $O(n)$	$O(1)$ (end) / $O(n)$, $O(n)$ (middle)	$O(1)$ (end) / $O(n)$, $O(n)$ (middle)	$O(n)$ search, $O(1)$ end insert
Object (I)	$O(1)$, $O(n)$	$O(1)$, $O(n)$	$O(1)$, $O(n)$	$O(1)$ for all (hash table)
Set (new Set())	$O(1)$, $O(n)$	$O(1)$, $O(n)$	$O(1)$, $O(n)$	$O(1)$ for all (hash table)
Map (new Map())	$O(1)$, $O(n)$	$O(1)$, $O(n)$	$O(1)$, $O(n)$	$O(1)$ for all (hash table)
Linked List	$O(n)$, $O(n)$	$O(1)$ (head/tail) / $O(n)$, $O(n)$ (middle)	$O(1)$ (head/tail) / $O(n)$, $O(n)$ (middle)	$O(n)$ search, $O(1)$ head/tail insert
Stack (Array/LL)	$O(n)$, $O(n)$	$O(1)$, $O(1)$	$O(1)$, $O(1)$	$O(1)$ push/pop
Queue (Array/LL)	$O(n)$, $O(n)$	$O(1)$, $O(1)$	$O(1)$, $O(1)$	$O(1)$ enqueue/dequeue
Binary Search Tree (BST)	$O(\log n)$, $O(n)$	$O(\log n)$, $O(n)$	$O(\log n)$, $O(n)$	$O(\log n)$ if balanced
Heap (Binary Heap)	$O(1)$, $O(n)$	$O(\log n)$, $O(\log n)$	$O(\log n)$, $O(\log n)$	$O(1)$ get min/max, $O(\log n)$ insert/delete
Trie (Prefix Tree)	$O(m)$, $O(m)$	$O(m)$, $O(m)$	$O(m)$, $O(m)$	$O(m)$ for search, insert, delete

Notes for Quick Revision:

- ✓ Hash Tables (Object , Set , Map) → $O(1)$ average, $O(n)$ worst (rare)
- ✓ Arrays & Linked Lists → $O(n)$ search, $O(1)$ insertion at ends
- ✓ Stack & Queue → $O(1)$ push/pop/enqueue/dequeue
- ✓ Trees (BST , Heap) → $O(\log n)$ for balanced trees, $O(n)$ worst case
- ✓ Trie → $O(m)$ where m = word length

```

1  const calculateAverage = (numbers) => {
2      let sum = 0;
3
4      for (let i = 0; i < numbers.length; i++) {
5          let number = numbers[i];
6          sum += number;
7      }
8
9      return sum / numbers.length;
10 };
11
12 console.log(calculateAverage([2, 3, 4, 1])); // 2.5

```

line 2 and line 9 will run constant no. of time so we will ignore it,

for loop mainly contribute for time complexity here, which include 5 steps:

i = 0, which we ignore as it will happen only once

i < number.length , execute n time

i++, execute n times

let number = number[i]. execute n times

sum+=numbers, execute n times

total $n*4$ steps, but we ignore any multiplication in calculating bigO (**PRODUCT RULE**)

bigO, where n is the length of input array

- **SUM RULE:**

If the bigO is the sum of multiple term , only keep the largest term, drop the rest.

Sum Rule Example 3

- $O(n + 500 + n^3 + n^2) = O(n^3)$

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Time Complexity Example 1

```
1 const foo = (n) => {  
2   for (let a = 0; a < n / 2; a++) {  
3     console.log(a);  
4   }  
5  
6   for (let b = 0; b < n; b++) {  
7     for (let c = 0; c < n; c++) {  
8       console.log(b + ", " + c);  
9     }  
10  }  
11 };  
12  
13 foo(10);
```

$O(n^2)$, where n is the input number

$n/2 = n$

$n*n = n^2$

$n+n*2 = n^2$

Time Complexity Example 2

```
1 const bar = (n) => {  
2   for (let i = 0; i < 3; i++) {  
3     for (let j = 0; j < n; j++) {  
4       console.log(j);  
5     }  
6   }  
7   for (let k = 0; k < 10000; k++) {  
8     console.log(k);  
9   }  
10 }  
11 };  
12  
13 bar(10);
```

$O(n)$, where n is the input number

$3n = n$

10000

$n + 10000 = n$

Time Complexity Example 3

```
1 const boom = (n) => {  
2   for (let i = 0; i < 3; i++) {  
3     bam(n);  
4   }  
5  
6   for (let k = 0; k < 10000; k++) {  
7     console.log(k);  
8   }  
9 };  
10  
11 const bam = (m) => {  
12   for (let j = 0; j < m; j++) {  
13     console.log(j);  
14   }  
15 };
```

$O(n)$, where n is the input number

Time Complexity Example 3

```
3     bam(n);  
4   }  
5  
6   for (let k = 0; k < 10000; k++) {  
7     console.log(k);  
8   }  
9 };  
10  
11 const bam = (m) => {  
12   for (let j = 0; j < m; j++) {  
13     console.log(j);  
14   }  
15 };  
16  
17 boom(10);
```

line 2 = 3

line 3 = n

2nd for loop = 10000

$3n + 10000 = O(n)$

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