

First Order Logic - Implementation

Step 1:  $\psi_1$  or  $\psi_2$  is a variable or constant,

- If  $\psi_1$  or  $\psi_2$  are identical, then return NIL.
- Else if  $\psi_1$  is a variable, then if  $\psi_1$  occurs in  $\psi_2$ , then return FAILURE. else return  $\{(\psi_2 / \psi_1)\}$ .

c) Else if  $\psi_2$  is a variable

- If  $\psi_2$  occurs in  $\psi_1$ , then return FAILURE.

Else return  $\{(\psi_1 / \psi_2)\}$ .

d) Else return FAILURE

Step 2: If the initial Predicate symbol in  $\psi_1$  (and  $\psi_2$  are not same, then FAILURE.

Step 3: If  $\psi_1$  and  $\psi_2$  have a different no. of arguments, then FAILURE.

Step 4: Set substitution set to NIL

Step 5: For  $i=1$  to the number of elements in  $\psi_1$ ,

a) Call Unify function with the  $i$ th element of  $\psi_1$  and  $i$ th element of  $\psi_2$ , and put the result into S.

b) If  $S = \text{failure}$ , then return Failure

c) If  $S \neq \text{NIL}$  then do,

a) Apply S to the remainder of both  $\psi_1$  and  $\psi_2$ .

b) SUBST = APPEND (S, SUBST).

Step 6: Return SUBST



# Example:

1) "John is a human"

→ Human (John)

2) "Every human is mortal"

→  $\forall x (\text{Human}(x) \rightarrow \text{Mortal}(x))$

3) "John loves Mary"

→ loves (John, Mary)

4) "There is someone who loves Mary"

→  $\exists x (\text{loves}(x, \text{Mary}))$

5) "All dogs are animals"

→  $\forall x (\text{dog}(x) \rightarrow \text{animal}(x))$

6) "Some dogs are brown"

→  $\exists x (\text{Dog}(x) \wedge \text{Brown}(x))$

## Unification

Eats (x, Apple)

Eats (Riya, y)

- Eats (Riya, Apple)



Code -

Enter a sentence similar to wiffy :

- 1) John. is a human
- 2) Every human is mortal
- 3) John loves Mary
- 4) There exists someone who loves Mary

Enter a sentence : john is mortal

First Order Logic Translation :  $M(\text{john})$

Enter : Mary loves John

First Order Logic Translation :  $L(\text{mary}, \text{john})$

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$$(A, x, \text{human}) \text{ iff } \Leftrightarrow (x, A) \text{ iff } \wedge (x) \text{ iff } M \times V$$

$$(x) \text{ iff } M \Leftrightarrow (x) \text{ iff } M$$

$$(x) \text{ iff } M \Leftrightarrow (\text{human}, x) \text{ iff } M \times V$$

$$(\text{human}) \text{ iff } M$$

$$(\text{human}, A) \text{ iff } M$$

$$(\text{human}) \text{ iff } M$$