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CS18B045

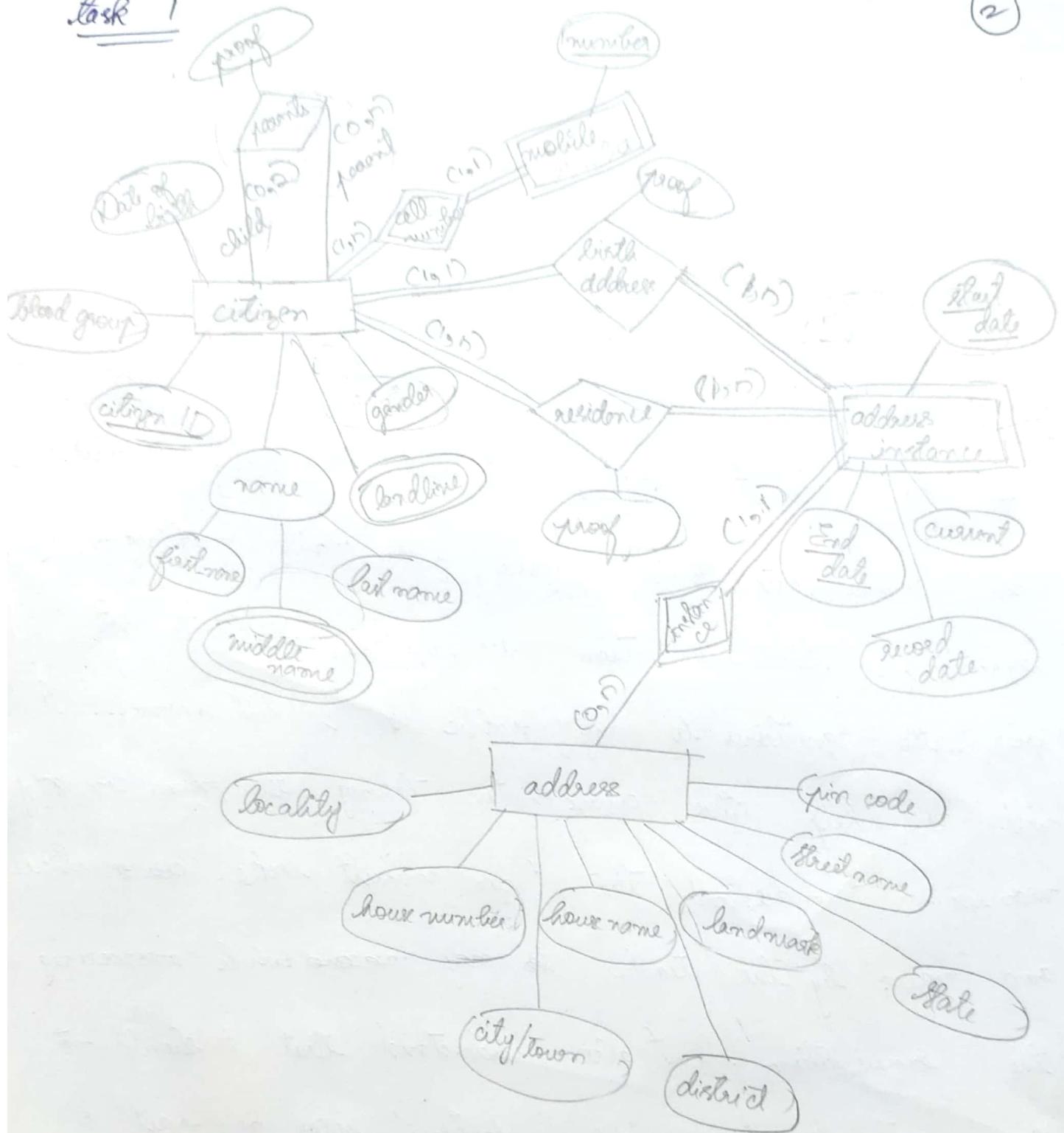
DBMS Endsem part - 2

Task - 0

I understand that take home examination is to test my own understanding of the subject and I will offer an honest attempt to meet this goal. I will not communicate with anyone else while working, answering the examination problems/tasks. I will not post the questions to any public forum to seek answers. I will not help other course-mates taking the exam in any manner. I understand that I can consult books, course slides and videos by the teacher ~~is my access~~ while answering the examination. I also understand that I should not copy materials from books, internet sites as part of my answers for the exam questions/tasks. These restrictions apply for the whole exam duration (till deadline for submission)

Jshis..

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for this database, I made 4 entities, citizen, address, address instance and mobile. Here address instance & mobile are weak entities as they don't exist without a address & citizen respectively

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The attributes for citizen are all the details required like name, citizen ID, gender, DOB, ~~cell~~ landline number, blood group etc. I made mobile a separate entity as there is atleast 1 or more & this can't be captured by an attribute. & The parents of a citizen are modeled as a recursive relationship with proof documents as attribute. I assumed that a child has at most 2 parents.

& Each time an address is given as previous or present address of a citizen, it is modelled through the relation instance and weak entity address instance with attributes start & end date of living where end date is nullable if it is present address, date of recording and a boolean attribute current to represent if it is present address. The citizen and address instance have a relation residence to represent all the addresses



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that that person stayed and the durations.. f (4)  
assumed that a house has only 1 way of  
writing an address for and there are no variations  
to it. \$

### task - 11

1. Each operation in RA can be represented exactly using TRC.

select :-

$$\sigma_c(R_j)$$

this means that tuple belongs to  $R_j$  &  
we need ~~the attribute~~ those satisfying  $c$ .

$$\begin{aligned} \Rightarrow \text{TRC query } R \\ \{ A_i \} \\ \{ t \mid t \in R_j \wedge c \} \end{aligned}$$

Here  $\forall$  tuple  $t \in \sigma_c(R_j)$

$t \in R_j$  ,  $t$  satisfies  $c$

$\therefore t$  is present in  $R$

project :-

$$\pi_{A_i}(R_j)$$

$\Rightarrow$   $t$  is in  $R_j$  and we need  $A_i$  from  $t$

if RA query works  $\Rightarrow A_i \in R_j$

$\therefore$  TRC query will be  $\{A_i | \exists t, t \in R_j\}$

prob 2-

$$R_i \circledast R_j$$

here st  
combination of above :-

$$\pi_{A_i}(\sigma_c(R_j))$$

$\Rightarrow$  as we want a particular attribute  
from result of select, TRC can do  
the same

$$\Rightarrow \{A_i | \exists t, t \in R_j\}$$

Join :

$$R_i \bowtie R_j$$

as Join can be written as combination of

2 conditions, first part  $\in R_i$  & second part  $\in R_j$

if attributes of  $R_i$  are  $A_1 \dots A_m$

and  $R_j$  are  $A_{m+1} \dots A_k$

$$\Rightarrow \text{TRC} \Rightarrow \{ (A_1 \dots A_m, A_{m+1} \dots A_k) \}$$

$$\exists t_1 \in R_i \wedge \exists t_2 \in R_j$$

for set difference  $R_i - R_j \Rightarrow t \text{ in } R_i \text{ but not } R_j \Rightarrow \{ t \mid \exists t_1 \in R_i \wedge t_1 \notin R_j \}$

intersection, union act parallelly as part of condition C and C is put in TRC

directly without any change.

for set & nega

Thus all other operations can be expressed using this (like crossproduct). and so all operations are translatable to safe TRC.

∴ Hence proved.

$$1. G = \{ABCD \rightarrow E, E \rightarrow D, A \rightarrow B, AC \rightarrow D\}$$

step 2:

$$G = \{ABCD \rightarrow E, E \rightarrow D, A \rightarrow B, AC \rightarrow D\}$$

no change

step 3:

$$ABCD \rightarrow E \Rightarrow BBCCD \rightarrow E$$

$$\Rightarrow BCD \rightarrow E$$

$$\therefore BCD \rightarrow E$$

$$ABCD \rightarrow E$$

$$BDD \rightarrow E$$

$$\therefore BD \rightarrow E$$

$$BC \rightarrow D$$

$$BD \rightarrow E$$

$$E \rightarrow D$$

$$BCD \rightarrow D$$

$$CE \rightarrow D$$

$$\{BD \rightarrow E, E \rightarrow D, A \rightarrow B, AC \rightarrow D\}$$

$$\{AC \rightarrow E, E \rightarrow D, A \rightarrow B, AC \rightarrow D\}$$

step 4:

$$\{BD \rightarrow E, E \rightarrow D, AC \rightarrow D\}$$

$$\{AC \rightarrow E, E \rightarrow D, A \rightarrow B\}$$



$$4. D_2 \{ A \rightarrow B, B \rightarrow C, C \rightarrow D \}$$

$$G = \{ A \rightarrow B, B \rightarrow C, A \rightarrow D \}$$

both are minimal and equivalent

$$3. \cancel{F = \{ A \rightarrow B, C \rightarrow B \}}$$

$$F = \{ B \rightarrow C, BCDE \rightarrow A, B \rightarrow D, A \rightarrow D, BC \rightarrow E \}$$

give different results.