Question 1

Correct

Marked out of 10.00

You are given Q queries and in each query, there are two numbers L and R. You have to calculate the number of strong primes present in the range L and R inclusive.

Note

A strong prime is a prime number that is greater than the arithmetic mean of the nearest prime above and below. Algebraically, a prime P said to be strong if

$$2P_n > P_{n-1} + P_{n+1}$$

where n is their index in the ordered set of prime numbers, where Pi denotes the ith prime.

Input format

- · The first line of the Input contains an integer Q denoting the number of Queries.
- \cdot Then Q lines follow each containing two numbers L and R.

Output format

· For each query, print the number of Strong primes present in the range L to R inclusively. The answer to each test case should come in a new line.

Constraint:

- $\cdot 1 <= Q <= 10^5$
- ·1<=L<=R<=106

Sample Input:

3

10 20

20 30

30 50

Sample Output:

2

1

2

Explanation:

For the range 10 to 20, there are 2 strong primes (11, 17).

For the range 20 to 30, there is 1 strong prime (29).

For the range 30 to 50, there are 2 strong primes (37, 41).

For example:

Input	Result	
3	2	
10 20	1	
20 30	2	
30 50		

Answer: (penalty regime: 0 %)

```
1
   q=int(input())
   max=10**6+10
3
4
   prime=[1]*max
5
  prime[0]=prime[1]=0
6 ▼ for i in range(2,int(max**0.5)+1):
7 •
       if prime[i]:
8 ,
           for j in range(i*i,max,i):
9
               prime[j]=0
  primes=[]
```

```
II ▼ | TOP I IN range(max):
12 🔻
        if prime[i]:
13
             primes.append(i)
14 strong=[0]*max
15 v for i in range(1,len(primes)-1):
16
        p=primes[i]
        if 2*p>primes[i-1]+primes[i+1]:
17 🔻
18
             strong[p]=1
19
    prefix=[0]*max
    for i in range(1,max):
20 ▼
        prefix[i]=prefix[i-1]+strong[i]
21
22 v for k in range(q):
        l,r=map(int,input().split())
print(prefix[r]-prefix[1-1])
23
24
```

	Input	Expected	Got	
~	3	2	2	~
	10 20	1	1	
	20 30	2	2	
	30 50			

Passed all tests! ✓

1