

Statistics Assignment Submission - (Rishi Kumar Mishra)

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Data Science With Python Carrer Program

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Q1) According to a study, the daily average time spent by a user on a social media website is 50 minutes. To test the claim of this study, Ramesh, a researcher, takes a sample of 25 website users and finds out that the mean time spent by the sample users is 60 minutes and the sample standard deviation is 30 minutes.

Based on this information, the null and the alternative hypotheses will be:

H_0 = The average time spent by the users is 50 minutes

H_1 = The average time spent by the users is not 50 minutes

Use a 5% significance level to test this hypothesis.

ANS

Given:

Population mean (μ) = 50 minutes

Sample mean (\bar{x}) = 60 minutes

Sample standard deviation (sss) = 30 minutes

Sample size (n) = 25

Significance level (α) = 0.05

Hypotheses:

H_0 : The average time spent by the users is 50 minutes ($\mu = 50$)

H_1 : The average time spent by the users is not 50 minutes ($\mu \neq 50$)

Test Statistic: $t = \frac{\bar{x} - \mu}{s / \sqrt{n}}$

Critical Value: For a two-tailed test at $\alpha = 0.05$ and $df = n - 1 = 24$, the critical t-value can be found from t-tables or using a statistical software.

Let's calculate this using Python.

```
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Statistics Major Assignment Submission - (Rishi Kumar Mishra).ipynb Normal Distribution.ipynb
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Q1

▶
import scipy.stats as stats
# Given data
mu = 50
sample_mean = 60
sample_std = 30
n = 25
# Test statistic
t_statistic = (sample_mean - mu) / (sample_std / (n ** 0.5))
# Critical value for two-tailed test at alpha = 0.05 and df = 24
alpha = 0.05
df = n - 1
critical_value = stats.t.ppf(1 - alpha/2, df)
t_statistic, critical_value

[10] ✓ 0.0s

... (1.6666666666666667, 2.0638985616280205)
```

Q2) Height of 7 students (in cm) is given below. What is the median?

168 170 169 160 162 164 162.

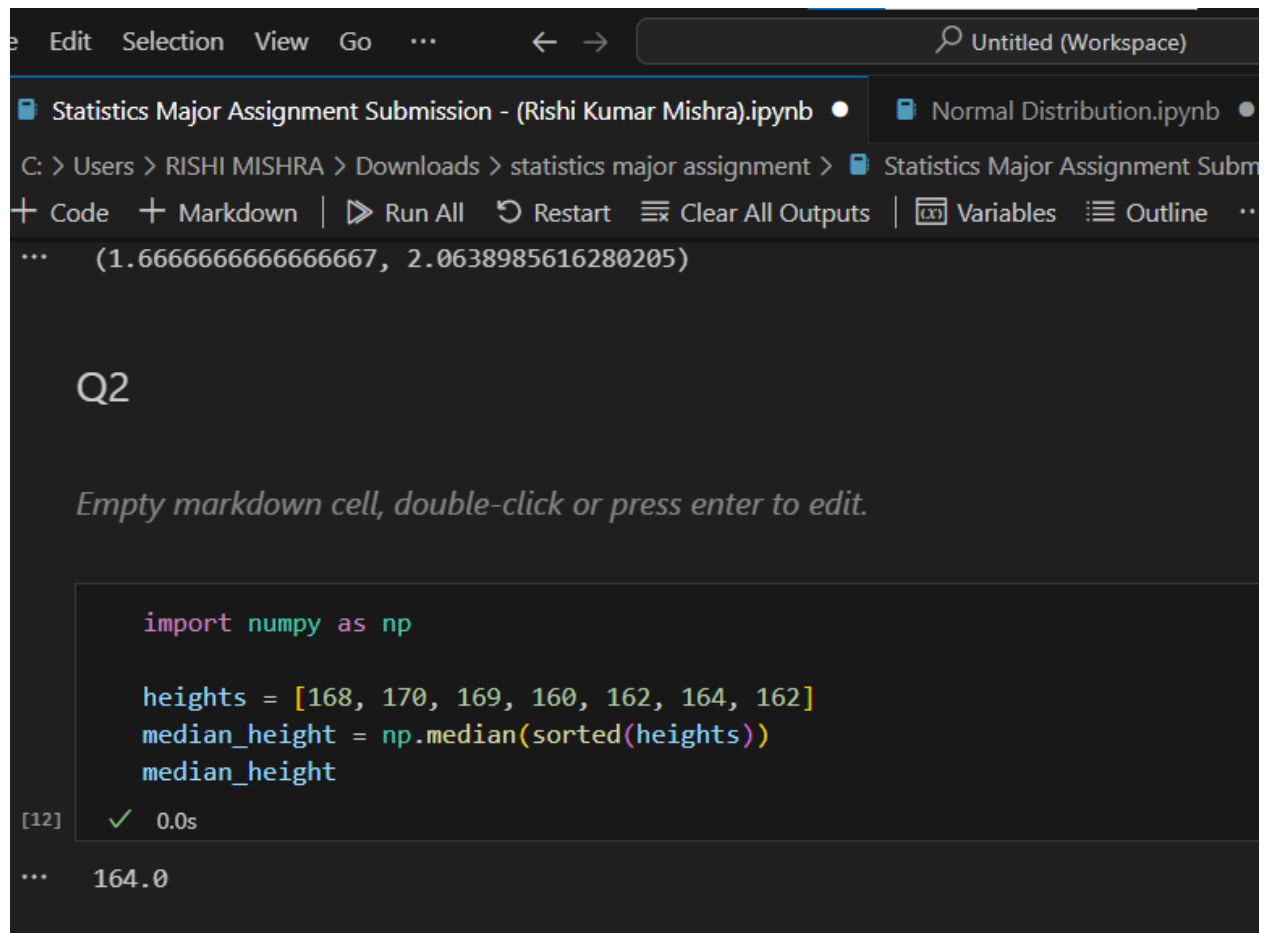
ANS

Given: Heights: 168, 170, 169, 160, 162, 164, 162

Steps:

Sort the data.

Find the middle value.



The screenshot shows a Jupyter Notebook window with a dark theme. The top bar includes a menu (File, Edit, Selection, View, Go, ...) and a search bar labeled 'Untitled (Workspace)'. Below the menu, there are two tabs: 'Statistics Major Assignment Submission - (Rishi Kumar Mishra).ipynb' (active) and 'Normal Distribution.ipynb'. The file path is displayed as 'C:\> Users > RISHI MISHRA > Downloads > statistics major assignment > Statistics Major Assignment Subm'. The toolbar contains icons for '+ Code', '+ Markdown', 'Run All', 'Restart', 'Clear All Outputs', 'Variables', and 'Outline'. The notebook content shows a code cell with the following Python code:

```
import numpy as np

heights = [168, 170, 169, 160, 162, 164, 162]
median_height = np.median(sorted(heights))
median_height
```

Below the code cell, the output is displayed as '164.0'. The cell is labeled '[12]' with a green checkmark and '0.0s' indicating execution time. Above the code cell, there is a markdown cell with the text 'Q2' and a prompt 'Empty markdown cell, double-click or press enter to edit.'

Q3) Below are the observations of the marks of a student. Find the value of mode.

84 85 89 92 93 89 87 89 92

ANS

Given: Marks: 84, 85, 89, 92, 93, 89, 87, 89, 92

Steps:

Find the most frequent value.

```
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Q3

▶ from statistics import mode

marks = [84, 85, 89, 92, 93, 89, 87, 89, 92]
mode_marks = mode(marks)
mode_marks

[18] ✓ 0.0s

... 89
```

Q4) From the table given below, what is the mean of marks obtained by **20 students**?

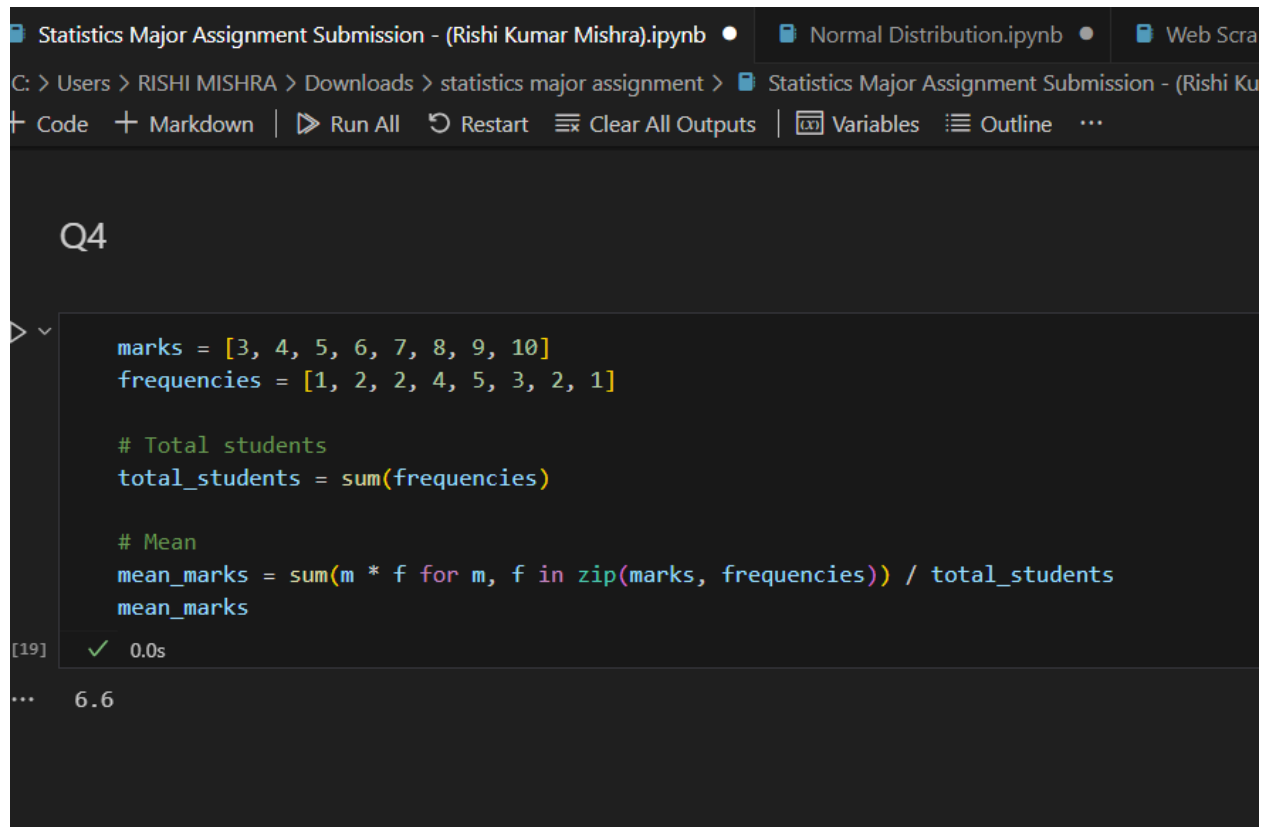
Marks X_i	No. of students f_i
3	1
4	2
5	2
6	4
7	5
8	3
9	2
10	1
Total	20

ANS

Given: $\sum_{f_i=20} \sum f_i = 20 \sum_{f_i=20} \sum f_i X_i \sum f_i X_i$

Steps:

1. Calculate the sum of $f_i X_i$.
2. Divide by the total number of students.



```
marks = [3, 4, 5, 6, 7, 8, 9, 10]
frequencies = [1, 2, 2, 4, 5, 3, 2, 1]

# Total students
total_students = sum(frequencies)

# Mean
mean_marks = sum(m * f for m, f in zip(marks, frequencies)) / total_students
mean_marks
```

[19] ✓ 0.0s

... 6.6

Q5 For a certain type of computer, the length of time between charges of the battery is normally distributed with a mean of **50 hours** and a standard deviation of **15 hours**. John owns one of these computers and wants to know the probability that the length of time will be between **50** and **70 hours**.

ANS

Given:

- Mean (μ) = 50 hours
- Standard deviation (σ) = 15 hours
- $P(50 \leq X \leq 70)$

Steps:

1. Standardize the values.
2. Use the cumulative distribution function (CDF).

The screenshot shows a Jupyter Notebook window with two tabs: "Statistics Major Assignment Submission - (Rishi Kumar Mishra).ipynb" and "Normal Distribution.ipynb". The active tab is the first one. The file path is "C: > Users > RISHI MISHRA > Downloads > statistics major assignment > Statistics Major Assignment Submission - (Rishi Kumar Mishra).ipynb". The notebook has a dark theme. The code cell is labeled "Q5" and contains the following Python code:

```
mean = 50
std_dev = 15

# Z-scores
z1 = (50 - mean) / std_dev
z2 = (70 - mean) / std_dev

# Probabilities
probability = stats.norm.cdf(z2) - stats.norm.cdf(z1)
probability
```

The code cell has a status bar showing "[20] ✓ 0.0s". The output of the code cell is "0.4087887802741321".

Q6) Find the range of the following.
 $g = [10, 23, 12, 21, 14, 17, 16, 11, 15, 19]$

ANS

Given: $g = [10, 23, 12, 21, 14, 17, 16, 11, 15, 19]$

Steps:

1. Find the difference between the maximum and minimum values.

The screenshot shows a Jupyter Notebook window with a dark theme. The top bar includes menu items like 'Edit', 'Selection', 'View', 'Go', and a search icon. Below the menu, there are two tabs: 'Statistics Major Assignment Submission - (Rishi Kumar Mishra).ipynb' and 'Normal Distribution.ipynb'. The file path is visible as 'C: > Users > RISHI MISHRA > Downloads > statistics major assignment > Statistics Major Assignment Submissi'. The toolbar contains icons for '+ Code', '+ Markdown', 'Run All', 'Restart', 'Clear All Outputs', 'Variables', 'Outline', and a menu icon. The main area displays 'Q6' and a code cell with the following Python code:

```
g = [10, 23, 12, 21, 14, 17, 16, 11, 15, 19]
range_g = max(g) - min(g)
range_g
```

 The output of the cell is '[21] ✓ 0.0s'. At the bottom left, there is a '...' icon and the number '13'.

Q7) It is estimated that **50%** of emails are spam emails. Some software has been applied to filter these spam emails before they reach your inbox. A certain brand of software claims that it can detect **99%** of spam emails, and the probability of a false positive (a non-spam email detected as spam) is **5%**. Now if an email is detected as **spam**, then what is the probability that it is in fact a **non-spam email**?

ANS

Given:

- Probability of spam ($P(S)P(S)P(S) = 0.5$)
- Probability of detecting spam given it is spam ($P(D|S)P(D|S)P(D|S) = 0.99$)
- Probability of false positive ($P(D|N)P(D|N)P(D|N) = 0.05$)

UseBayes' Theorem

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Q7

▶

```
# Given probabilities
P_S = 0.5
P_D_given_S = 0.99
P_D_given_N = 0.05

# Complementary probability
P_N = 1 - P_S

# Bayes' Theorem
P_N_given_D = (P_D_given_N * P_N) / ((P_D_given_S * P_S) + (P_D_given_N * P_N))
P_N_given_D
```

[22] ✓ 0.0s

... 0.04807692307692308

Q8)Given the following distribution of returns, determine the **lowerquartile**:

{10 25 12 21 19 17 16 11 15 19}

ANS

Given: Data=[10,25,12,21,19,17,16,11,15,19]\text{Data} = [10, 25, 12, 21, 19, 17, 16, 11, 15, 19]Data=[10,25,12,21,19,17,16,11,15,19]

Steps:

1. Sort the data.
2. Find the 25th percentile.

The screenshot shows a Jupyter Notebook window with the title bar 'Untitled (Workspace)'. The file explorer on the left shows the path 'C:\> Users > RISHI MISHRA > Downloads > statistics major assignment > Statistics Major Assignment'. The code cell contains the following Python code:

```
data = [10, 25, 12, 21, 19, 17, 16, 11, 15, 19]
lower_quartile = np.percentile(sorted(data), 25)
lower_quartile
```

The output of the code cell is 12.75, displayed below the code cell. The code cell is labeled '[23]' and has a green checkmark and '0.0s' indicating successful execution.

Q9) For a Binomial distribution, the number of trials(n) is 25, and the probability of success is 0.3. What's the variability of the distribution?

ANS

Given:

- Number of trials (n) = 25
- Probability of success (p) = 0.3

Steps:

1. Calculate the variance.

$$\sigma^2 = n \cdot p \cdot (1 - p) \quad \sigma^2 = 25 \cdot 0.3 \cdot (1 - 0.3)$$

The screenshot shows a Jupyter Notebook window with the title "Statistics Major Assignment Submission - (Rishi Kumar Mishra).ipynb". The file path is "C: > Users > RISHI MISHRA > Downloads > statistics major assignment > Statistics Maj". The toolbar includes buttons for "Code", "Markdown", "Run All", "Restart", "Clear All Outputs", and "Variables". The notebook content shows a code cell with the following Python code:

```
n = 25
p = 0.3

# Variance
variance = n * p * (1 - p)
variance
```

The output of the code cell is "5.25".

Q10)Download the [Cell Phone Survey Dataset](#) and perform the below-mentioned operations on the dataset:-

- Checking **datatypes** of each column in the dataset.
- Find the **Mean** of the Signal strength column using the Pandas and Statistics library.
- Find the **Median** of Customer Service column using Pandas and Statistics library.
- Find the **Mode** of Signal strength column using Pandas and Statistics library.
- Find the **Standard deviation** of the Customer Service column using **Pandas** and **Statistics** library.
- Find the **Variance** of Customer Service column using

Pandas and **Statistics** library.

- Calculate **Percentiles** of Value for the Dollar column using NumPy.
- Calculate the **Range** of Value for the Dollar column using Pandas.
- Calculate **IQR** of Value for the Dollar column using Pandas.
- Hypothesis Testing - Using the data in the Cell Phone Survey dataset, apply **ANOVA** to determine if the **mean** response for Value for dollar is the same for different types of cell phones.

ANS

10.1 Checking datatypes:

The screenshot shows a Jupyter Notebook interface with two tabs: "Statistics Major Assignment Submission - (Rishi Kumar Mishra).ipynb" and "Normal Distribution.ipynb". The active tab is the first one. The file path in the top bar is "C:\> Users > RISHI MISHRA > Downloads > statistics major assignment > Statistics Major Assignment Submission". The notebook has a toolbar with buttons for "Code", "Markdown", "Run All", "Restart", "Clear All Outputs", "Variables", and "Outline". The code cell is labeled "Q10.1" and contains the following Python code:

```
import pandas as pd
df = pd.read_csv(r'C:\Users\RISHI MISHRA\Downloads\cell_phone_survey.csv')
df.dtypes
```

The output of the code is displayed below the cell, showing the data types for each column:

```
[47] ✓ 0.0s
... Gender                object
Carrier                  object
Type                    object
Usage                   object
Signal strength          int64
Value for the Dollar     int64
Customer Service         int64
dtype: object
```

10.2 Mean of Signal strength

Q10.2

```
mean_signal_strength = df['Signal strength'].mean()  
mean_signal_strength
```

[62] ✓ 0.0s

... 3.3076923076923075

10.3 Median of Customer Service

Q10.3

```
median_customer_service = df['Customer Service'].median()  
median_customer_service
```

[63] ✓ 0.0s

... 3.0

10.4 Mode of Signal strength

Q10.4

```
mode_signal_strength = df['Signal strength'].mode()[0]  
mode_signal_strength
```

[64] ✓ 0.0s

... 3

10.5 Standard deviation of Customer Service

Q10.5

```
std_customer_service = df['Customer Service'].std()  
std_customer_service
```

[65] ✓ 0.0s

... 0.9623375261979595

10.6 Variance of Customer Service

Q10.6

```
variance_customer_service = df['Customer Service'].var()  
variance_customer_service
```

[66] ✓ 0.0s

... 0.9260935143288084

10.7 Percentiles of Value for the Dollar

Q10.7

```
import numpy as np

percentiles_value_for_dollar = np.percentile(df['Value for the Dollar'], [25, 50, 75])
percentiles_value_for_dollar
```

[67] ✓ 0.0s

... array([3., 3., 4.])

10.8 Range of Value for the Dollar

Q10.8

```
range_value_for_dollar = df['Value for the Dollar'].max() - df['Value for the Dollar'].min()
range_value_for_dollar
```

[68] ✓ 0.0s

... 4

10.9 IQR of Value for the Dollar

Q10.9

```
Q1 = df['Value for the Dollar'].quantile(0.25)
Q3 = df['Value for the Dollar'].quantile(0.75)
IQR_value_for_dollar = Q3 - Q1
IQR_value_for_dollar
```

[69] ✓ 0.0s

... 1.0

10.10 Hypothesis Testing – ANOVA

Q10.10

```
import statsmodels.api as sm
from statsmodels.formula.api import ols

# Ensure column names are correctly referenced
df.columns = df.columns.str.replace(' ', '_')

# Performing ANOVA
model = ols('Value_for_the_Dollar ~ C(Type)', data=df).fit()
anova_table = sm.stats.anova_lm(model, typ=2)
anova_table
```

[72] ✓ 0.0s

	sum_sq	df	F	PR(>F)
C(Type)	5.261230	2.0	3.111194	0.053454
Residual	41.431078	49.0	NaN	NaN

THANK YOU

RISHI KUMAR MISHRA