9.

Given: f=focal length of converging lens = 16cm, do = object distance from optical centre of lens = 1/cm

Required: D = distance of image from optical centre of lens

Application: Thin Lens Equation > = 1 = 1 + 1

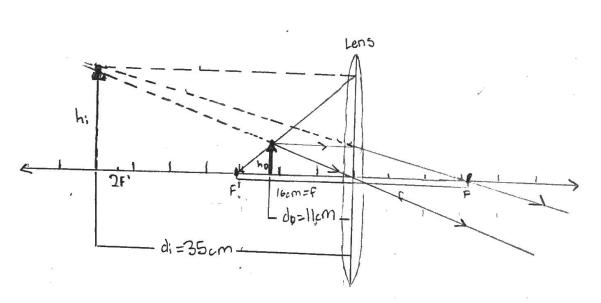
Solution:
$$\frac{1}{6} = \frac{1}{0!} + \frac{1}{0} \Rightarrow \frac{1}{16} = \frac{1}{0!} + \frac{1}{11} \Rightarrow \frac{(16)(11)}{16} = \frac{(16)(11)}{0!} + \frac{(16)(11)}{11} \Rightarrow \frac{5}{19} \text{ Digs}$$

$$\Rightarrow 11 = \frac{(16)(11)}{0!} + 16 \Rightarrow -5 = \frac{176}{0!} \Rightarrow 0! = \frac{176}{-5} = -35.2 \times -35$$

.. d; = -35em; image is virtual and 35em in front of lens

Statement: Through the Thin Lens Equation, we can see that the image of the insert is virtual, and forms 35 cm in front of the lens.

Ray Diagram - Qq



Scale = 1cm: 5cm

13 (all a,b,c)

Given: Magnification = 5.6x, do = 9.4cm, Type of image=virtual, attitude of image=upright

Required: a) Image location (di), b) Focul length of lens, c) Type of lens
Application: TLE > == do + d., Mag. Eq = M=-di

Solution:

a) M=-d; =>5.6=-d; => d;=-(9.4)(5.6) => d;=-52.64 2-53cm;d;=-53cm

 $|0\rangle_{\vec{F}} = \frac{1}{d_0} + \frac{1}{d_1} \Rightarrow |1\rangle_{\vec{F}} = \frac{1}{4.4 + \frac{1}{53}} \Rightarrow |1\rangle_{\vec{F}} = |1\rangle_{\vec{F$

the magnification is >! the image is virtual and upright, but because that diverging lenses do not satisfy.

State:

Through the Thin Lens Equation & Magnification Equation, we have shown that the image is 53cm in front of the lens, the focal length is licm, and the lens is a converging one.

Ray Diagram-Q13

