

Programming Efficiency:

- efficiency is all about Time & Space Complexity

→ Greedy Dynamic Programming (DP)

- In Greedy approach, whatever is the solution for the problem given at the first go is fixed as the final solution.

Note:- This is not the best approach for all the scenarios, however it also works for some cases.

→ In DP we will be find out all the possible solutions for the given problem out of which the best will be picked.

→ Time & Space Complexity:-

Asymptotic Notations:-

- ① Big O(n) Notation
- ② Omega Notation
- ③ Theta Notation

⇒ Swajith is having one lakh in bank account in the date of interest is 12% per annum. In the 5th month swajith is withdrawing ₹5000/- in order to buy gift for his loved one. In 9th month ₹10000/- is been deposited in his account by his 2nd loved one. End of the financial year how much swajith is having in his account? Note: simple interest not Compound acc.

$$\begin{aligned}
 & \text{Sol: } \\
 & \frac{3 \times 8 \times 12}{100} = \frac{27}{20} \quad 3000 \\
 & \frac{56 \times 12}{100} = \frac{85000 \times 27}{25} = 8100 \\
 & \underline{= 91800} \\
 & \frac{12000}{100} = \frac{12000}{100} - \text{payment} \\
 & \frac{12000}{100} = \frac{12000}{100} - \text{PTR} \\
 & \Rightarrow \frac{1 \times 12}{100} = \frac{12000}{100} - 12\% \\
 & 75000 \\
 & \frac{85000 \times 12 \times 1}{100} \\
 & \underline{\underline{85000}} \\
 & 85000 \\
 & \frac{85000}{100} \\
 & \underline{\underline{85000}}
 \end{aligned}$$

→ def rate of interest (amount):

$$\text{rate of interest} = \text{amount}/100$$

return rate of interest;

$$\text{amount} = 100000$$

$$b = \text{amount} = 25000$$

$$\text{new} = b + 100000$$

$$\begin{aligned}
 & \text{print(new} + (\text{rate of interest(amount)} * 4) + \\
 & (\text{rate of interest(new} * 4) + (\text{rate of interest(new})^R))
 \end{aligned}$$

in the
nth
year
even
of the
his
class

struct

```
{  
    int -- 4  
    char -- 1  
}  
space = 4 + 1 + (highest datatype)  
= 4 + 1 + 3  
= 8
```

union

```
=  
{  
    int ... 4  
    int ...  
    char ...  
}  
space = 4.
```

$\Rightarrow \{$
int ... 8
int ... 2
}

space \Rightarrow 10.

$\Rightarrow \{$
int ... 8
double ... 2
}

Space \Rightarrow 10

\Rightarrow Combines two
data types
datatype + datatypes

\Rightarrow
double 8
char 1

}

Space = 8 bytes

$$\Rightarrow 8 + 1 + 7 = 16$$

$\Rightarrow \{$ highest datatype occupies all space
int = 8
double = 8
Space = 8

$\Rightarrow \{$
int ... 4
char ... 1 byte
}
Space

- \Rightarrow In consists only of one type
- \Rightarrow only 1 highest datatype
- \Rightarrow lowest datatype is allocated in highest datatype
- \Rightarrow lowest is occupied in highest.

→ struct

int. v

double s

char -

space = 4.

= 4 + 8 + 1 + 1

→ How many times statement is getting executed why?

efficiency of the program:

Type 1:

For (i=0; i<n; i++)

{ statements;

}

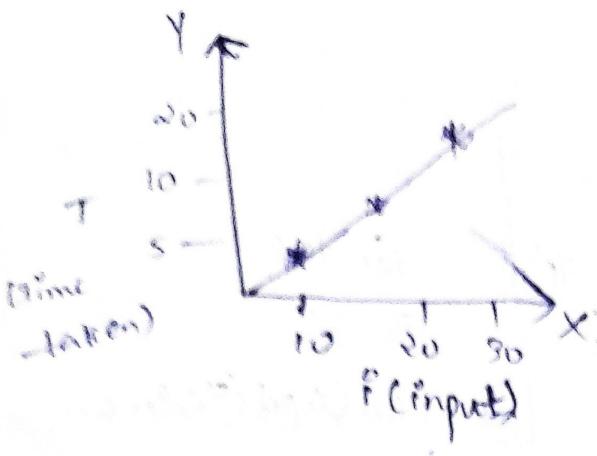
→ n+1 times

$$\begin{aligned} &\text{ex: } n=5 \\ &- n+1 = \\ &\quad 5+1=6 \end{aligned}$$

⇒ Big(O)n. - (or) in ordered

→ polynomial theorem = $n+1$.

Time Complexity



①

$\Rightarrow \text{for}(i=1; i \leq n; i++)$

{
 statements
 }

statements

y

$n/2$

$$f(n) = n/2$$

degree of polynomial is n

so $n/$ anything is n

so here also

$$O(n)$$

\Rightarrow anything $/n$ gives same
Time complexity $O(n)$.

$$in & in \Rightarrow O(n)$$

② it include condition
int main()

int b[n];

for (i=0; i<n; i++)

printf("%d\n", i);

printf("final i : %d\n", i);

return 0;

}

Time Complexity = $O(n)$

Q) Get one number int as input & find sum of digits of given number -

Variables
int sum
int num
int rem

a = 0 // multiple/ same ips
b = input("enter number")
while ("i<5")

a=a+1

Point b

→ #include <stdio.h> int main()

{
int number = "enter number"

→ int input("enter number")
rem

→ while loop :-

#include <stdio.h>

int main()

{
int rem, i;

printf("enter the value:");

scanf("%d", &n);

int sum=0

while (n>0)

for loop

num = int(input("enter an

integer number:"))

sum = 0

num = abs(num)

for digit in str(num):

digit = int(digit)

sum += digit

print("sum of digits:",
sum)

rem = %/10

n=n/10;

sum = sum + rem;

printf("sum is %d", sum);

return 0;

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