

1. * Operational Amplifier *



- * Op amp is a multistage amplifier in which number of amplifier stage interconnected to each other in complicated manner.
 - Internal circuits consists many transistors, FETs & resistors. All these are packed in small packages in Integrated circuits (IC) form.
 - It performs, amplification, subtraction, differentiation, addition, integration etc.
e.g IC 741.
 - It has two input & one output.
-Ve is inverting terminal &
+Ve is non-inverting
- If input signal to -Ve then output 180° out of phase.
-V_e +V_e in phase.

* Working :

If we apply two signals one at inverting & non-inverting terminals, ideal op-amp will amplify difference b/w two input signals, this difference is differential input signal.

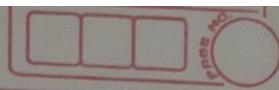
$$V_o = A_d (V_A - V_B) \quad \text{In fig.}$$

$A_d = \text{open load / differential gain}$

It has two input power supply terminals
+V_{cc} & -V_{cc}

V_A & V_B are equal when $V_A - V_B = 0$ (diffe. gain)
input voltage

* Operational Amplifiers.



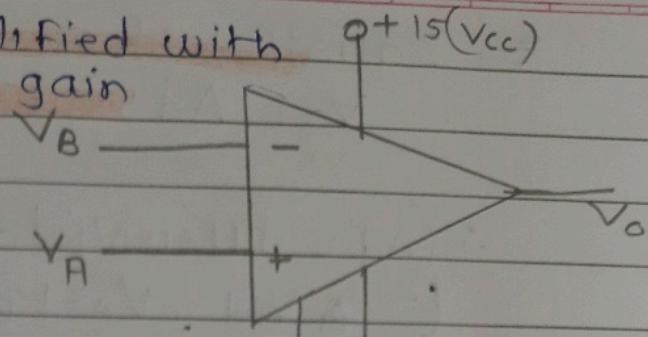
* DC coupled voltage amplified with $g+15(V_{cc})$

* Opam: very high voltage gain

V_B, V_A are inverting &

non-inverting opamp inputs V_A

$V_o \rightarrow$ output.



For opam (operational) dual polarity, DC supply

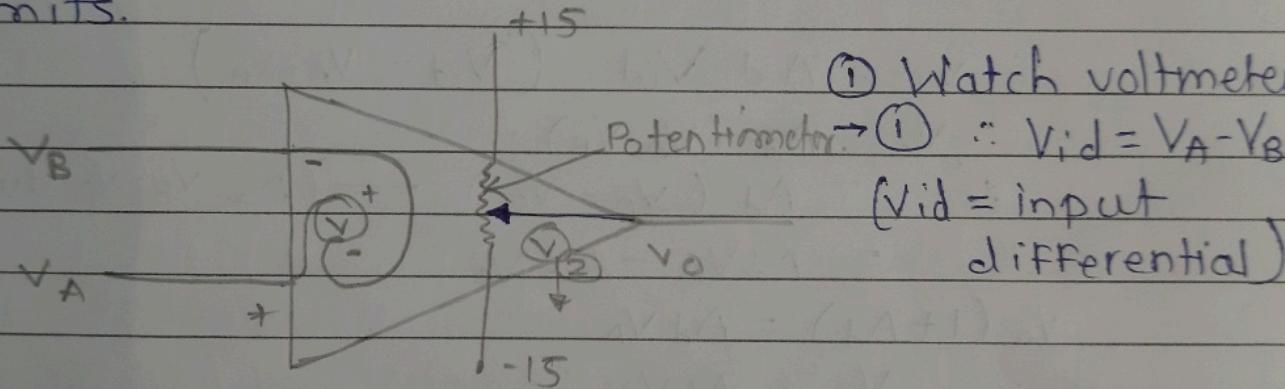
* Working :

→ It has three terminals V_B & V_A are inverting & non-inverting inputs & V_o outputs in which

Opam ensure that $V_o = 100000 V_{id}$

$V_{id} = V_A - V_B$ subject to condition that V_o

is restricted between +15v (upper) & -15v (lower) limits.



① Watch voltmeter ① ($V_{id} = V_A - V_B$) and ensure that or consider $V_o = 100000 V_{id}$.

② Given Opam amplifier runs between +15v to -15v inputs.

e.g. ~~.....~~.

e.g. Consider $V_{id} = V_A - V_B = 10mV$. &

③ $V_o = 0.5V$ then $V_o \neq 100000 V_{id}$.

∴ current output is less than expected, then change voltmeter nob. & to left.

Hence,

What you want is less than expected then move left and vice versa, (move right)

Here $(V_A - V_B)$ is differential input voltage.

* Equation of opamp Subject +15 (i.e. V_{CC})

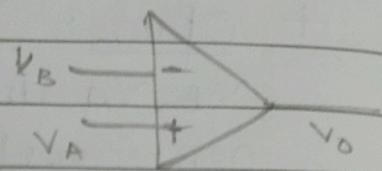
$$V_o = A_d V_{id}$$

$$V_o = 10^5 V_{id}$$

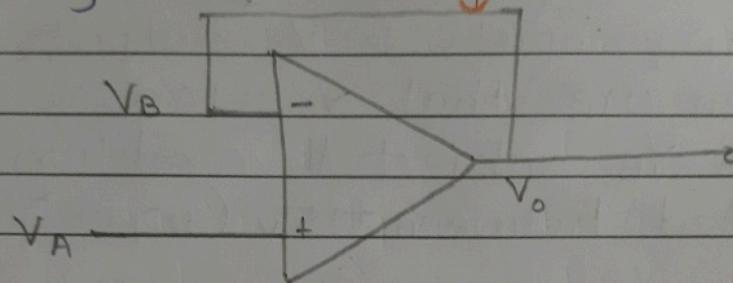
$\therefore (A_d = \text{differential gain}) \quad -15 \text{ (i.e. } V_{CE})$

$$\therefore A V_{id} = V_A - V_B$$

Note (V_{CC} should any value between $+V_{CC}$ to $-V_{CC}$)



* Voltage Follower. Feedback



V_o depends on V_B

$$V_B \rightarrow V_o$$

V_B is V_o ①

$$\therefore V_o = A_d V_{id} \quad (V_{id} = V_A - V_B)$$

$$\therefore V_o = A_d (V_A - V_B)$$

$$\therefore V_o = A_d (V_A - V_o) \quad \leftarrow (\text{As } V_B = V_o \text{ due to feedback})$$

$$\therefore V_o = A_d V_A - A_d V_o$$

$$V_o (1 + A_d) = A_d V_A$$

$$\therefore V_o = \frac{A_d V_A}{(1 + A_d)} \quad \text{Divide by } A_d.$$

$$\therefore V_o = \left(\frac{1}{1 + 1/A_d} \right) V_A$$

$$\text{if } A_d = 10^5 \quad \therefore V_o \approx V_A$$

\therefore Output follows the input.

$$\text{if } V_A = 15 \quad V_o = 14.99$$

if $V_A = 20$ then $V_o = 15$ because Opamp can't deliver beyond $+15V$.

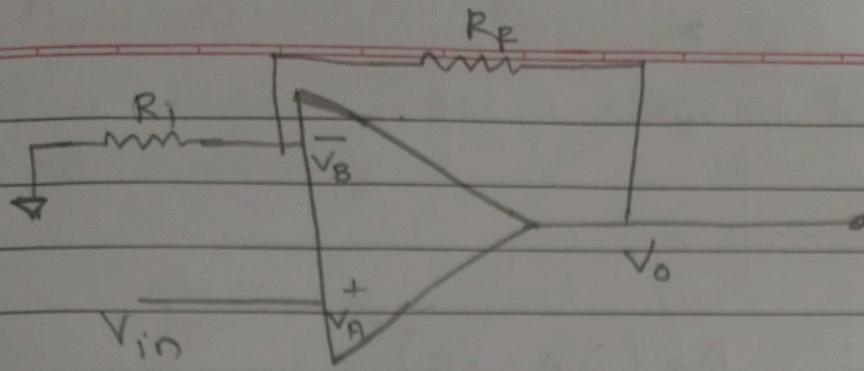
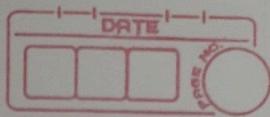
* Non-Inverting Amplifier.

→ It has positive gain. (R_1, R_F in $K=2$)

Input is +ve & output is +ve.

V_A & V_B are internal.

Opamp donot draw current



$$\text{As } V_o = A_d (V_A - V_B) \\ = A_d (V_{in} -$$

$\therefore V_B$ is potential divider element of R_F, R_1 & ground.

$$\therefore V_B = \left(\frac{R_1}{R_F + R_1} \right) V_o$$

$$\therefore V_o = A_d \left(V_{in} - \frac{R_1}{R_F + R_1} V_o \right) \\ \therefore = A_d V_{in} - \frac{A_d R_1}{R_F + R_1} V_o$$

$$(R_F + R_1) V_o = A_d V_{in} (R_F + R_1) - A_d R_1 V_o$$

$$\therefore V_o (R_F + R_1 + A_d R_1) = A_d V_{in} (R_F + R_1)$$

$$\therefore V_o = \frac{A_d (R_F + R_1)}{R_F + R_1 + A_d R_1} V_{in}$$

Divide by A_d .

$$V_o = \frac{R_F + R_1}{R_1 + \left(\frac{R_F + R_1}{A_d} \right)} V_{in}$$

$\because A_d$ is quite large then

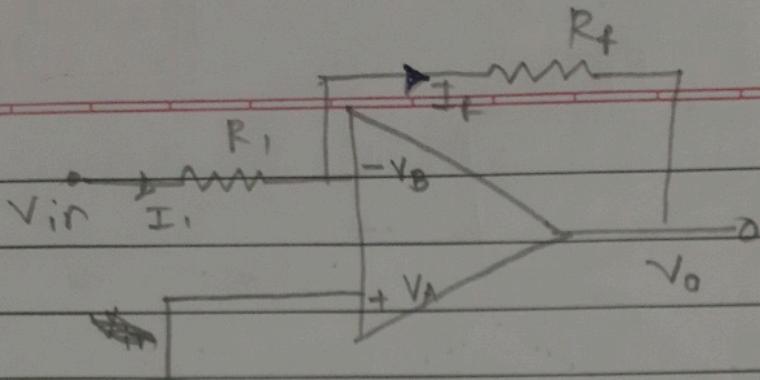
As compare to R_1 , $\frac{R_F + R_1}{A_d}$ is negligible.

$$\therefore V_o = \frac{R_F + R_1}{R_1} V_{in}$$

$$\therefore \boxed{V_o \approx 1 + \frac{R_F}{R_1}} V_{in}$$

V_o is $-ve$ or $+ve$ but it can't beyond its limit.

* Inverting Amplifier.



$$\therefore V_0 = A_d (V_A - V_B)$$

$$= A_d (0 - V_B)$$

$$\therefore V_0 = -A_d V_B \quad \text{--- (1)}$$

$\therefore V_B$ is calculated by Kirchoff law, R_1, R_f, V_0

If I_1 through R_1 & I_2 is R_f then by KVL

$$\therefore \frac{V_{in} - V_B}{R_1} = \frac{V_B - V_0}{R_f}$$

$$\therefore R_f V_{in} - R_f V_B = R_1 V_B - V_0 R_1$$

$$\therefore R_f V_B (R_1 + R_f) = R_f V_{in} + R_1 V_0$$

$$\therefore V_B = \frac{R_f V_{in} + R_1 V_0}{R_1 + R_f}$$

From (1)

$$V_0 = -A_d \left(\frac{R_f V_{in} + R_1 V_0}{R_1 + R_f} \right)$$

$$(R_1 + R_f) V_0 = -A_d R_f V_{in} - A_d R_1 V_0$$

$$V_0 (R_1 + R_f + A_d R_1) = -A_d R_f V_{in}$$

$$= -\frac{A_d R_f V_{in}}{(R_1 + R_f) + A_d R_1}$$

Dividing by A_d .

$$= -\frac{R_f V_{in}}{\left(\frac{R_1 + R_f}{A_d} + R_1\right)}$$

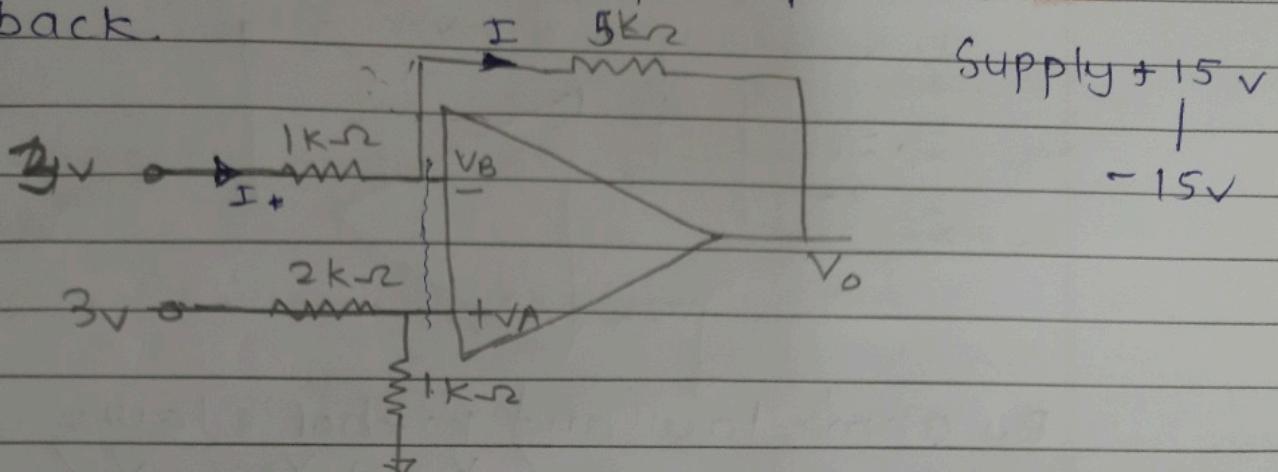
Here by neglecting $\frac{R_1 + R_f}{A_d}$ as A_d large to compare R_1, R_f

$$\therefore V_0 = \left(-\frac{R_f}{R_1} \right) V_{in} \quad \text{as } V_{in} \text{ inverting gain is } -V_0$$

\therefore There is feedback from output to V_B terminal

* Thun Rule to deal with Op Amp. with -Ve feedback.

e.g.



Rule.

- ① Disconnect op-amp input terminals logically
(Op-amp terminals don't draw any current)
- ② Calculate voltage at non-inverting input (V_A)
- ③ Transfer V_A to inverting terminal
i.e. have $V_B = V_A$
- ④ Calculate V_o by ohm's & kirchoff's laws around inverting terminal node.

e.g. Here $\frac{3 - V_o}{10^3} = \frac{1 - V_o}{10^3}$

$\therefore V_o = -9$

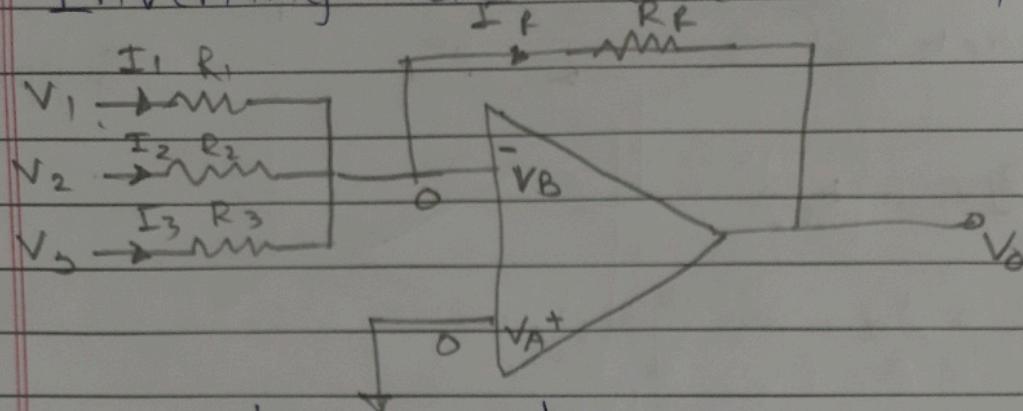
IF the V_o value is greater than -15 then

- ⑤ IF $-15V \leq V_o \leq +15V$. answer is correct but if not, then
- ⑥ If (a) $V_o < -15 \Rightarrow$ make $V_o = -15V$
- (b) $V_o > +15 \Rightarrow$ $V_o = +15$

Here, $V_A = V_B$ called virtual short it is valid.
iff output computed is betn window +15 to -15
then, $V_A \neq V_B$.

- ⑦ Recalculate V_B based on ohm's & kirchoff's OR based on given voltages of V_o (± 15 or) at inverting terminal.
if $V_o = +15$ OR -15

* Inverting Adder (Scaler Amplifier)



By Ohm's law and Kirchhoff's laws.

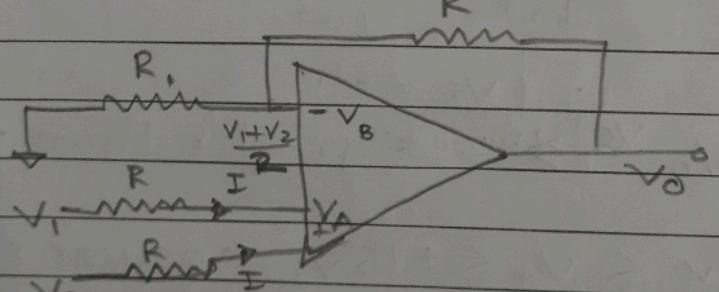
$$V_0 = -R_F \left(\frac{V_1}{R_1} + \frac{V_2}{R_2} + \frac{V_3}{R_3} \right) \quad (\because R_F = R_1 + R_2 + R_3)$$

$$V_0 = -\frac{R_F}{R} (V_1 + V_2 + V_3)$$

If further $R_F = R$.

$$\boxed{-V_0 = -(V_1 + V_2 + V_3)} \quad \text{-ve inverting.}$$

* Non-inverting Adder (Scalar amp)



By Kirchoff's law,

$$\therefore V_A = \frac{V_1 + V_2}{2} \quad \text{①}$$

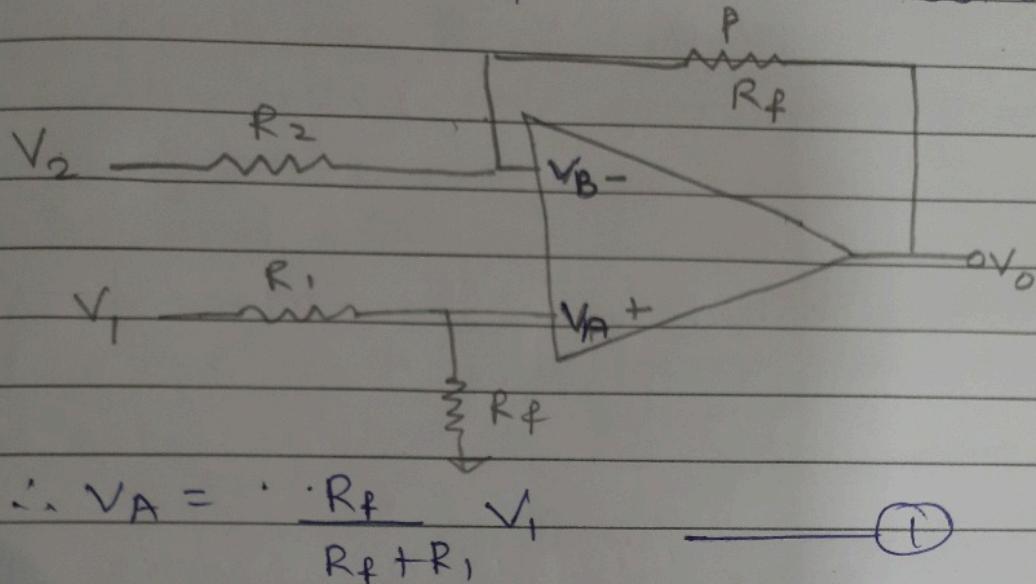
$$\text{By KVL} \quad \frac{V_1 + V_2}{R} = V_0 - \frac{V_1 + V_2}{R}$$

$$\therefore \boxed{V_0 = V_1 + V_2} \quad \text{- direct addition}$$

If

$$\therefore \boxed{V_0 = \left(1 + \frac{R_F}{R_1} \right) \left(\frac{V_1 + V_2}{2} \right)}$$

Difference Amplifier \Rightarrow Subtractor.



By KVL,

$$\frac{V_2 - V_B}{R_1} = \frac{V_B - V_o}{R_f}$$

$$\therefore R_f V_2 - R_f V_B = R_1 V_B - R_1 V_o$$

$$R_1 V_o = (R_f + R_1) V_B - R_f V_2$$

As $V_A = V_B \quad \therefore V_B = \text{---}$ from ①

$$\therefore R_1 V_o = R_f V_1 - R_f V_2$$

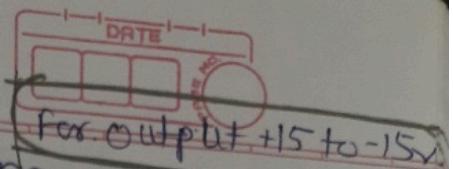
$$\therefore V_o = \frac{R_f}{R_1} (V_1 - V_2)$$

If $R_f = R_1$ then

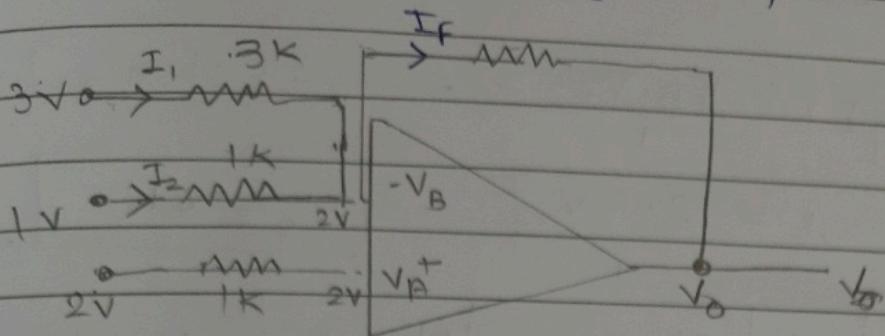
$$V_o = V_1 - V_2$$

All these circuits uses negative feedback provided that input is betn +15v & -15v

Numericals of opamp



Q1. Calculate V_o & V_B in given opamp.



→ Here $V_A = 2V$ — (opamp draws no current)
As in V_A to V_A

$\therefore I_F = I_1 + I_2$ — (KCL) (at invert)

$$\frac{2-V_o}{2} = \frac{3-2}{3} + \frac{1-2}{1}$$

$$\frac{2-V_o}{2} = \frac{1}{3} - 1$$

$$6-3V_o = 2 - 6$$

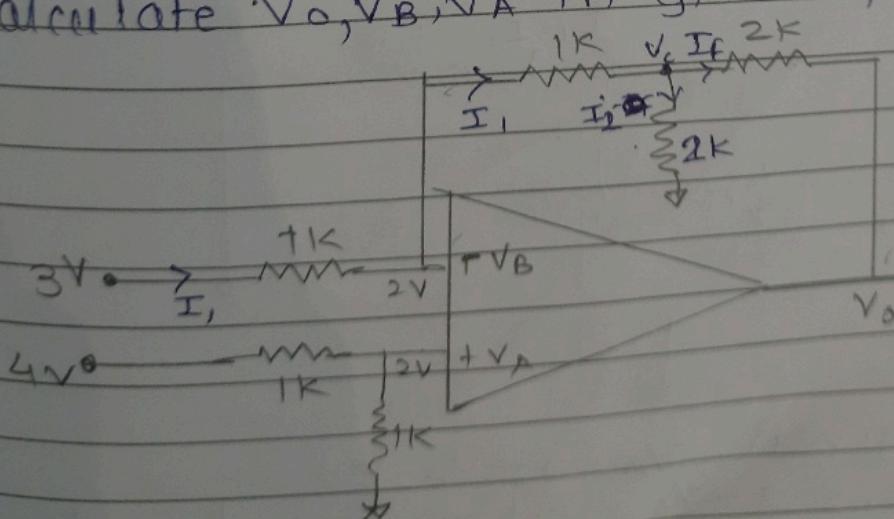
$$-3V_o = -10$$

$$\therefore V_o = \frac{-10}{3} V$$

As $\therefore V_B = V_A$ — \Rightarrow

$$V_B = 2V$$

Q2) Calculate V_o, V_B, V_A in given opamp.



① Calculating V_A .

$$V_A = \frac{4}{2(1k+1k)} = 2$$

$$V_A = 2V$$

$$\text{Now, } I_1 = \frac{3 - 2}{1} - 1 \text{ mA} \quad V_A = V_B = 2V$$

$$\text{Now, } I_1 = \frac{V_B - V_C}{1} \quad \leftarrow \text{(Ohm's law)}$$

$$\therefore I = 2 - V_C \quad \therefore V_C = +1V$$

$$\therefore I_2 = \frac{V_C - 0}{2} = +\frac{1}{2} \text{ mA} \quad \text{— by KCL}$$

$$\text{Now } I_F = \frac{V_C - V_O}{2} \quad \text{KCL at } V_C$$

$$I_{Ff} = I_2 + I_F$$

$$\therefore I = I_2 + I_F$$

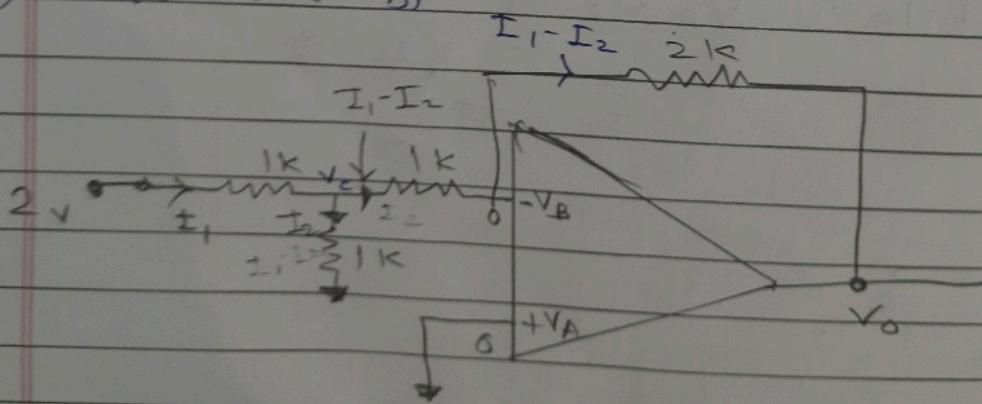
$$\therefore I_F = +\frac{1}{2} \text{ mA}$$

$$\text{Now, } I_F = \frac{V_C - V_O}{2} \quad \text{(by ohm's law)}$$

$$\therefore I_2 = +1 - V_O$$

$$\therefore V_O = 0V$$

Q3) Calculate V_B, V_O



In given. $V_A = 0 = V_B$

$$I_1 = \frac{2 - V_C}{1} \quad \therefore I_1 = 2 - V_C \quad \text{(By ohm's law)}$$

$$I_2 = \frac{V_C - 0}{1} \quad [I_2 = V_C]$$

$$\boxed{I_1 - I_2 = 2 - 2V_C}$$

$$I_1 - I_2 = \frac{V_C + 0}{1} = V_C$$

① - (from fig) ②

from ① & ②

$$\begin{aligned} V_C &= 2 - 2V_C \\ V_C &= \frac{2}{3}V_C \end{aligned}$$

$$(I_1 - I_2) = 2 - 2(I_1 - I_2)$$

$$3(I_1 - I_2) = 2$$

$$\boxed{I_1 - I_2 = \frac{2}{3}}$$

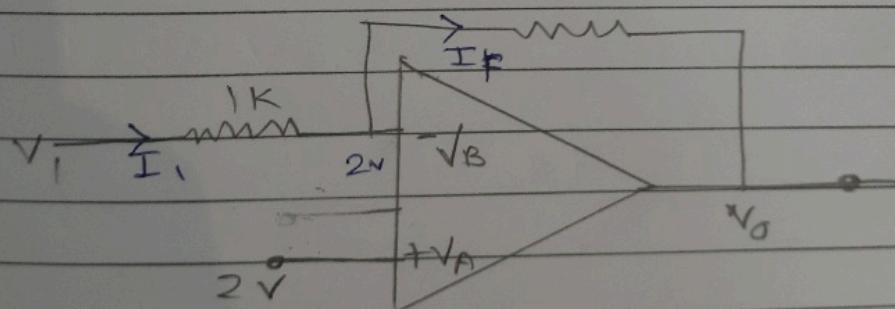
Now,

$$\frac{0 - V_o}{2} = I_1 - I_2 \quad \text{--- (Ohm's law)}$$

$$\therefore \frac{-V_o}{2} = \frac{4}{3}$$

$$\therefore \boxed{-V_o = -\frac{4}{3}V}$$

Q4) Calculate V_B & V_o in case ① If $V_1 = 3$ ② If $V_1 = 8$



→ ① $V_A = 2V$ then $\boxed{V_B = 2V}$

$$\boxed{V_1 = 3V}$$

$$\therefore I_F = I_1$$

$$\left(\because I_1 = \frac{V_1 - 2}{1} \quad I_F = \frac{2 - V_o}{5} \right)$$

~~3~~ ~~2~~ Δ

$$I_1 = \frac{2 - V_o}{5} = \frac{3 - 2}{1}$$

$$2 - V_o = 10$$

$$\boxed{V_o = -8V}$$



→ Q) For $V_1 = 8V$ assume $V_B = 2V$.

$I_F = I_1$

$$\therefore \frac{2 - V_o}{5} = \frac{8 - 2}{1}$$

$$\therefore [V_o = -28V] \text{ but } [V_o = -15V] \text{ should}$$

assumption $V_B = 2V$ is wrong.

so, for V_B ,

$$\frac{V_1 - V_B}{1} = \frac{V_B - (-15)}{5} \quad \text{--- (ohm's law)}$$

$$\therefore \frac{8 - V_B}{1} = \frac{V_B + 15}{5}$$

$$\therefore 6V_B = 25$$

$$\therefore [V_B = \frac{25}{6}V]$$