Ex. A 3-P, 4 wire system with an effective line voltage of 120 V, has three impedances of 20<-30° I in a Y-connection. Determine the line currents and draw the voltage-current phasor diagram.

Line voltage, $V_L = 120 \text{ V}$ Phase voltage, $V_{ph} = \frac{V_L}{\sqrt{3}}$ (for Y)

$$= \frac{120}{\sqrt{3}} V$$
$$= 69.28 V$$

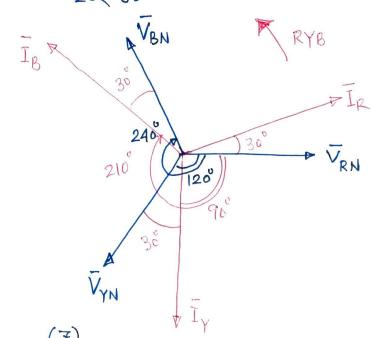
Considering sequence RYB and phase vollages

Phase currents = Line currents (in case of Y)

$$I_{R} = \frac{V_{RN}}{\bar{z}} = \frac{V_{ph}\langle 0^{\circ}}{20\langle -30^{\circ}} = 3.464\langle 30^{\circ} A$$

$$\overline{I}_{Y} = \frac{\overline{V}_{YN}}{\overline{z}} = \frac{V_{Ph} \langle -120^{\circ}}{20 \langle -30^{\circ}} = 3.464 \langle -90^{\circ} A$$

$$\bar{I}_{B} = \frac{\bar{V}_{BN}}{\bar{z}} = \frac{\bar{V}_{Ph} \langle -240^{\circ}}{20 \langle -30^{\circ}} = 3.464 \langle -210^{\circ} A$$



Ex A 3-0, system, with an effective voltage 70.7V, has a balanced A-connected load with impedance 20/45° 2. Obtain the line currents and draw the voltage-current phasor diagram.

$$V_{L} = V_{ph} (in \Delta)$$

$$= 70.7V$$

$$\overline{Z} = 20 (45^{\circ} \Omega)$$

$$\overline{I}_{RB}$$

$$20 (45^{\circ} \Omega)$$

$$\overline{I}_{B}$$

$$20 (45^{\circ} \Omega)$$

$$\overline{I}_{B}$$

$$20 (45^{\circ} \Omega)$$

$$\overline{I}_{B}$$

$$\overline{I}_{BY}$$

$$\overline{I}_{AY}$$

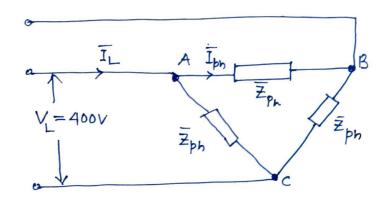
Phase voltages:
$$V_{RY} = |V_{RY}| < 0^\circ$$
, $V_{YB} = |V_{YB}| < -120^\circ$

$$V_{BR} = |V_{BR}| < -240^\circ$$
, $|V_{RY}| = |V_{YB}| = |V_{BR}| = 70.7V$

$$I_{RY} = \frac{70.7 < 0^\circ}{20 < 45^\circ} = 3.535 < -45^\circ$$
A, $I_{YB} = \frac{70.7 < -120^\circ}{20 < 45^\circ} = 3.535 < -165^\circ$ (A)
$$I_{BR} = \frac{70.7 < -240^\circ}{20 < 45^\circ} = 3.535 < -285^\circ = 3.535 < 75^\circ$$
(A)
$$I_{RY} = I_{RB} + I_{RY} = -I_{BR} + I_{RY}$$

Ex A 3-0 power system with a line voltage of 400 V is supplying a A-connected load of 1500 W at 0.8 power factor lagging. Determine the phase and line currents and also the phase impedance.

$$V_L = 400 \text{ V}$$
 $V_P = V_L = 400 \text{ V}$
 $(\Delta - \text{connected})$



$$\Rightarrow$$
 1500 = $\sqrt{3} \times 400 \times I_{L} \times 0.8$

$$\Rightarrow I_{L} = \frac{15\phi\phi}{\sqrt{3} \times 4\phi\phi \times 0.8} = 2.71 \text{ A}$$

In A-connected system I_= \(\frac{1}{3} \) Iph = 1.56 A Since the pf is 0.8 lagging, $cos 0 = 0.8 \Rightarrow 0 = 36.9^{\circ}$

$$I_{ph} = 27 \frac{1.56}{-36.9} = \frac{40000}{1.56(-36.9)} = 256(36.9) (1)$$

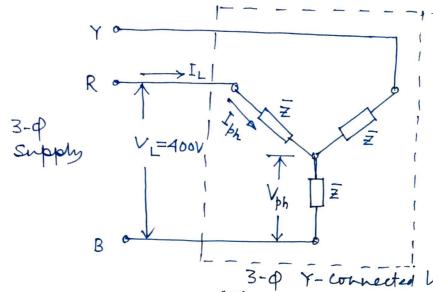
$$I_{ph} = \frac{V_{ph}}{I_{ph}} = \frac{40000}{1.56(-36.9)} = 256(36.9) (1)$$

Ex. A balanced &- connected load of impedance 16+j12 2/phase is connected to a 3-0 400V supply. Find the phase current, line current, powerfactor, power, reactive VA and total VA. Also draw a phasor diagram.

$$[Ans. Iph = 20 (-36.9^{\circ}A, pf = 0.8(lag), P = 19.2 kW, Q = 14.4 kVAR, S = 24 kVA]$$

Ex A balanced star-connected load is supplied from a symmetrical 3-9, 400V (line-to-line) supply. The current in each phase is 50A and lags 30° behind the phase vollage. Find (a) phase vollage (b) phase impedance and (c) active power drawn by the load. Also draw the phasor diagram.

[Ans. (a) 231 V (b) 4+j2·31 2 (c) 30 kW.]



 $V_{L} = \sqrt{3} V_{ph}$ $V_{ph} = \frac{400}{\sqrt{3}} = 231 V$ (reference phaser)

$$I_L = I_{ph} = 50 \text{ A}$$
 and lags $30^\circ = 50 \langle -30^\circ \text{ A} \rangle$
 $\therefore \bar{Z} = \frac{V_{ph}}{\bar{I}_{ph}} = \frac{231 \langle 0^\circ \rangle}{50 \langle -30^\circ \rangle} = \frac{231 \langle 0^\circ \rangle}{50 \langle -30^\circ$

$$P = \sqrt{3} V_{L} I_{L} \cos \theta$$

$$= \sqrt{3} \times 400 \times 50 \cos 30$$

$$-V_{R}$$

$$V_{R}$$

$$V_{R}$$