
SIGNALS & SYSTEMS

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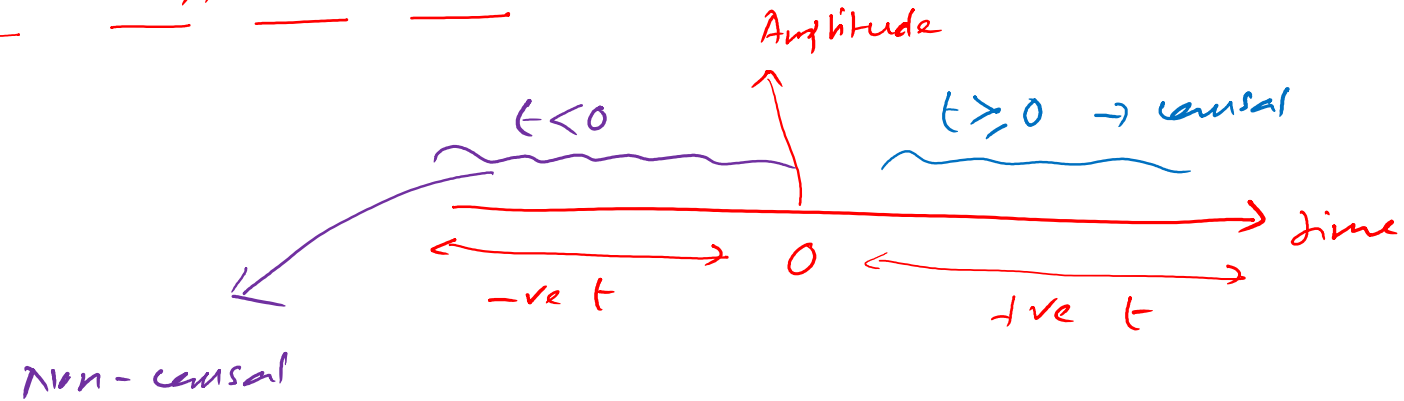
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Causal, Non-causal and Anticausal:-

$t > 0 \rightarrow$ causal.

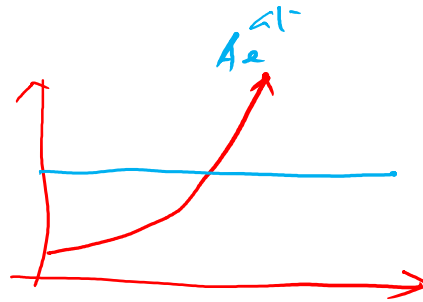


$u(t) \rightarrow$ unit step signal

$$\left. \begin{aligned} u(t) &= 1 \quad \text{if } t \geq 0 \\ u(t) &= 0 \quad \text{if } t < 0 \end{aligned} \right\} \text{always causal signal.}$$

$$x(t) = A e^{at} u(t) = 1$$

Exponential signal



$t < 0$ \rightarrow MC

$x(t) = Ae^{bt}$; it is defined for all values of t \rightarrow -ve values of t .

Anti-causal \rightarrow part of a non-causal signal but it is defined for $t < 0$ but also for $t = 0$.

Mathematical operations on signals -

Addition Subⁿ Multiⁿ Division



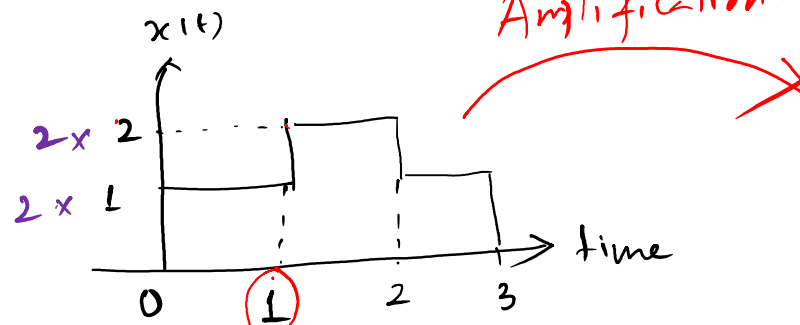
Amplitude scaling and Time scaling



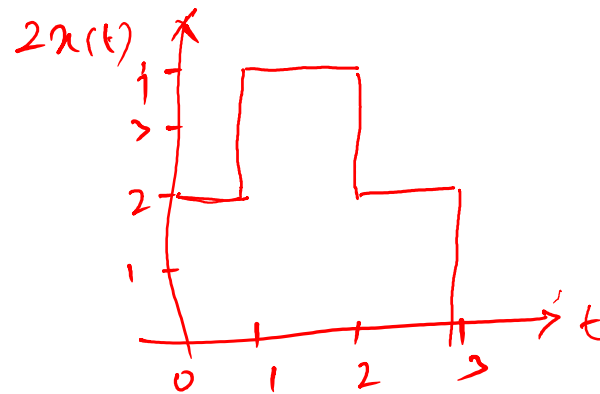
Multiply the amplitude of the signal by ~~some~~^a constant value.

Q. $x(t)$ is given in fig. below:- Then draw the $2x(t)$ and $0.5x(t)$ plot for the given $x(t)$.

$$2[x(t)] \quad \textcircled{1} \xrightarrow{\times 2} \textcircled{2}$$

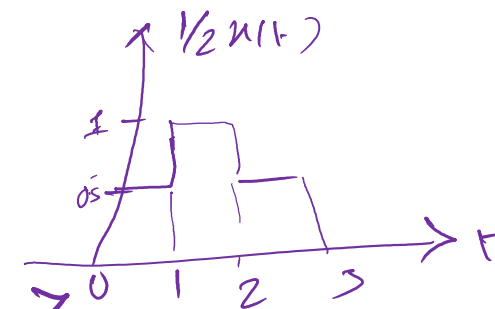


Time doesn't change
Only amplitude varies



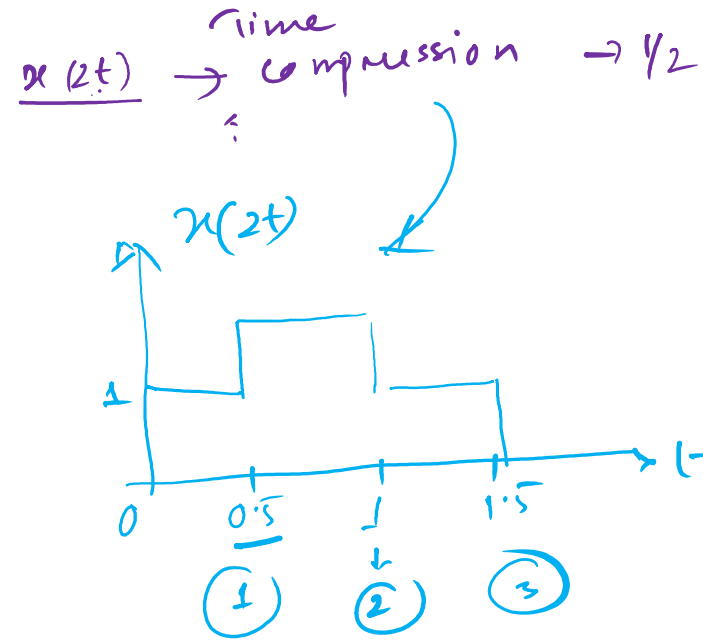
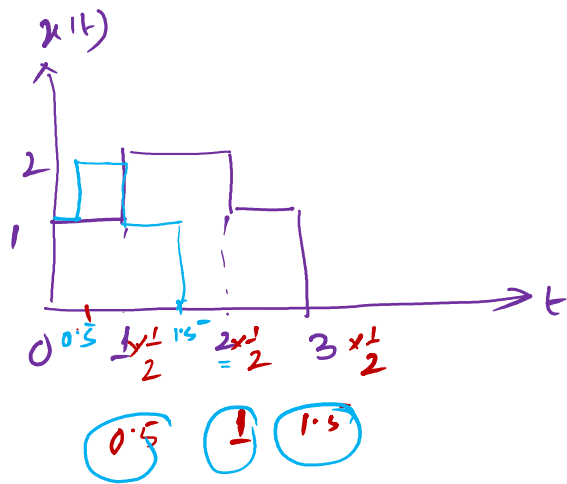
$$2 \times 1/2 = 1$$

$$1 \times 1/2 = 0.5$$



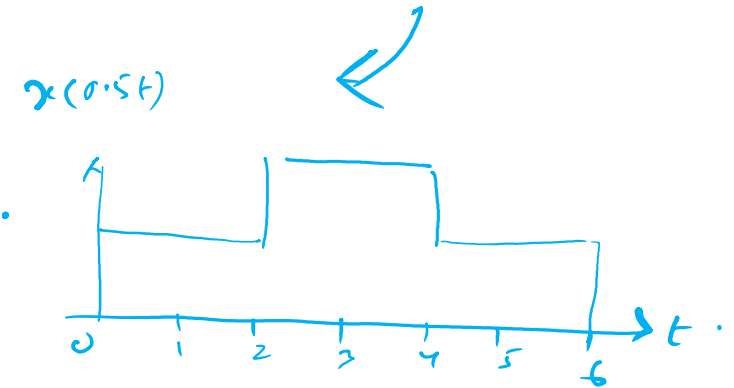
Time scaling:- Amplitude remains constant -
 Tempers with the time

$$x(t) \rightarrow x(at) \rightarrow \left(\frac{1}{a}\right)$$



$$x\left(\frac{1}{2}t\right) \text{ or } x(0.5t)$$

Expansion of time



$$1 \times 2 = 2$$

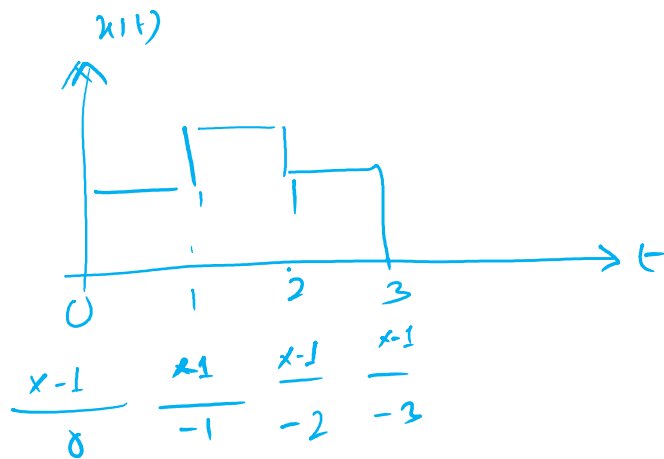
$$2 \times 2 = 4$$

$$3 \times 2 = 6$$

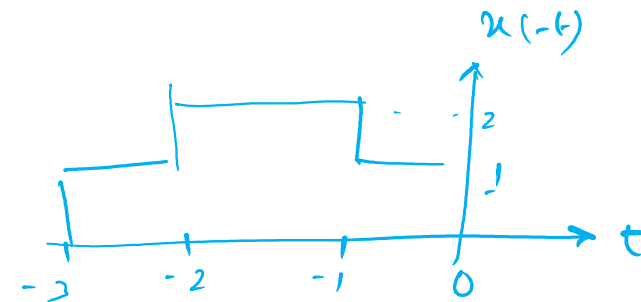


Time folding :- Time Reversal :- Reflection or Inverse :-

$$x(t) \longrightarrow x(-t)$$

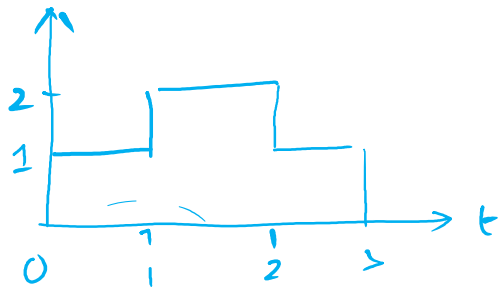


Time folding
 \Rightarrow



Time shifting: -

$x(t)$



(t) → time is an ind. variable.

Shift this t by (m) $\begin{cases} \rightarrow t+m \\ \rightarrow t-m \end{cases}$

m is +ve

$m=10$

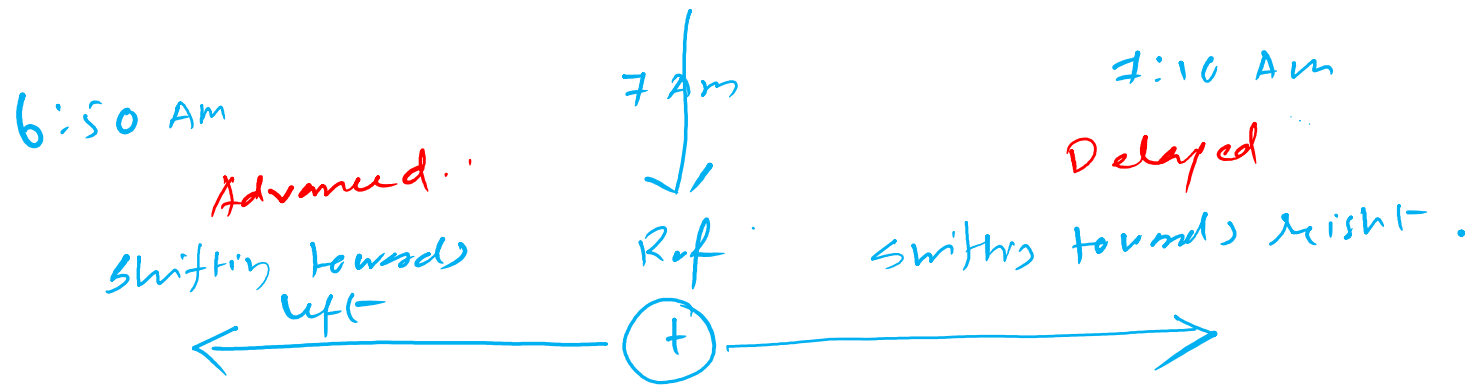
7 am $\xrightarrow{10 \text{ min}}$
 $7:10 \text{ am}$

7 am $\xrightarrow{10 \text{ min}}$ $6:50 \text{ am}$
Khanapara.

←
Shift towards left

t - seconds





$$(7:10 - 50)$$

$$x(t) \rightarrow x(\underline{t+m})$$

$$m = 10$$

$$t+m=0$$

$$\Rightarrow t = -m$$

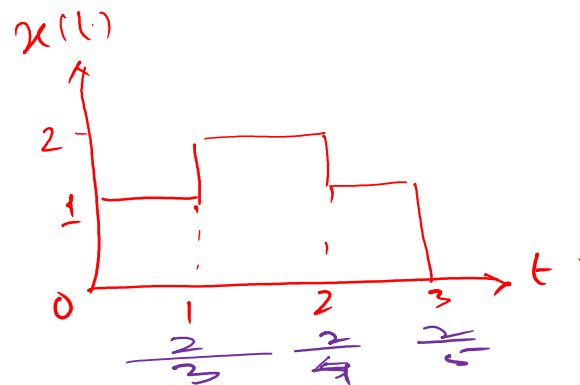
$$\underline{6:50 + 10} = \underline{7}$$

Advanced

$$(t-m)=0$$

$$\Rightarrow t = \underline{m}$$





→ Delay version
Delay by 2 units.

$$\underline{x(t-2)}$$

$$t-2=0$$

$$\Rightarrow t=2$$



$$\frac{t+2}{-1}$$

$$t+2=0 \Rightarrow t = -2 \rightarrow \text{shifting towards left}$$

Advanced of original.

$$\frac{-\frac{1}{2}}{-1}$$

$$\frac{-\frac{1}{2}}{0}$$

$$\frac{-\frac{1}{2}}{1}$$

