Date-26/10/21 100 Codo deman may land 37

ha Find first four moments about mean from the following deila.

2: 10 15 20 25 30

J: 2 5 4 9 5 2= 5/x

Doling : x = 22 117 - 1 1000 - 1 = 550 = 22

$$\bar{\chi} = \frac{\sum \int x}{N}$$

$$= \frac{550}{25} = 22$$

			V.P.	0 /10/ -		
a	f	n - Á	f(x-2)	f(x-x)-	f (x-x1)	- f (x-2)"
10	2	-12	- 24	288	-3456	41472
15	5	4.672 0	35	245	-1715	12005
20	142	0 2 1	3.58	1576	-32	64
25	9	3	27	- 81	243	729
30	5	1 8 V	40	320	2560	20480

\(\frac{1}{(x-\overline{x})^2} = 950 \, \(\frac{2}{5} \left(\alpha-\overline{x} \right)^2 = -2400 \, \(\frac{2}{5} \left(\alpha-\overline{x} \right)^4 = 74750 \) $M_1 = 0$ $M_2 = \frac{950}{25}$ $M_3 = \frac{-2900}{25}$ $M_4 = \frac{74750}{25}$ = 38 = -96 = 2990

$$M_{1}=0$$
 $M_{2}=\frac{950}{25}$

Ex The first pour moments about any Point 28.5.
of a distribution one 0.294, 7.144, 42.409, Calculate the mean and first four moments about mean. Dol": Given, M'= 0.294, M'= 7.144, M'= 42.409 My = 454.98. 12/8M'= 80.294 7 I Zfn - 28.5 xN = 0.29h a = 28.794 Now, obriously, M=0 M2 = M2-M, = 7.144- (0.294)

=7.058.

 $M_{3} = M_{3}' - 3M_{1}'M_{2}' + 2(M_{1}')^{8}$ $= 42.409 - 3\times0.294\times7.058 + 2\times(0.294)^{8}$ $= 42.409 - \frac{6.301}{6.225} + 0.051$ = 36.235 - 36.159

My = M'4 - 4M'M'g + 6M2'(M')2 + 4 (M')4

= $454.98 - 4 \times 0.294 \times 42.409 + 6 \times 7.144 \times (0.294)^{1}$ + $4 \times (0.294)^{4}$

= 454.98 - 49.87 + 3.70 + 0.03

= 408.84