## SHAHEED RAJGURU COLLEGE OF APPLIED SCIENCES FOR

## WOMEN

## PRACTICAL EXAMINATION Semester III, GE-3 Differential Equations

2020

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Q1.

```
In[72]:= eq1 = x'[t] == -y[t] + 2 * x[t]

eq2 = y'[t] == 2 * y[t] + x[t]

Out[73]= x'[t] == 2 x[t] - y[t]

Out[73]= y'[t] == x[t] + 2 y[t]

In[74]:= sol = DSolve[{eq1, eq2}, {y[t], x[t]}, t]

Out[74]:= {{x[t] \rightarrow e^{2t} c_1 Cos[t] - e^{2t} c_2 Sin[t], y[t] \rightarrow e^{2t} c_2 Cos[t] + e^{2t} c_1 Sin[t]}}

In[75]:= sol[[1, 1]]

sol[[1, 2]]

Out[75]= x[t] <math>\rightarrow e^{2t} c_1 Cos[t] - e^{2t} c_2 Sin[t]

Out[76]= y[t] \rightarrow e^{2t} c_2 Cos[t] + e^{2t} c_1 Sin[t]

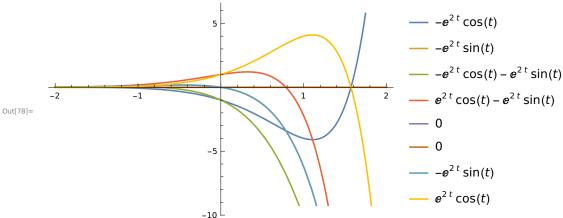
In[77]:= tab = Table[{x[t] /. sol[[1, 1]], y[t] /. sol[[1, 2]]} /. {C[1] \rightarrow i, C[2] \rightarrow j},

{i, -1, 0}, {j, 0, 1}] // Flatten

Out[77]= {-e^{2t} Cos[t] - e^{2t} Sin[t], -e^{2t} Cos[t] - e^{2t} Sin[t],

e^{2t} Cos[t] - e^{2t} Sin[t], 0, 0, -e^{2t} Sin[t], e^{2t} Cos[t]}
```

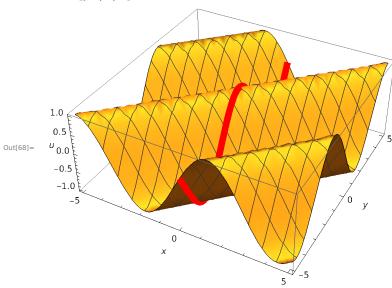
## Plot[Evaluate[tab], {t, -2, 2}, PlotLegends → "Expressions"]



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-10 L
        Q3.
        sol = DSolve[y''[x] + y[x] == 0, y[x], x]
In[44]:=
        \{\{y[x] \rightarrow c_1 Cos[x] + c_2 Sin[x]\}\}
Out[44]=
In[47]:= y1 := Cos[x];
        y2 := Sin[x];
In[49]:= f := Sec[x];
       w = y1 * D[y2, x] - y2 * D[y1, x];
In[50]:=
        w = Simplify[w]
Out[51]=
        yp = -y1 * Integrate[y2 * (f/w), x] + y2 * Integrate[y1 * (f/w), x];
In[52]:=
        yp = Simplify[yp]
        Cos[x] \times Log[Cos[x]] + x Sin[x]
Out[53]=
        0ut[44] + 0ut[53]
In[54]:=
        \{\{Cos[x] \times Log[Cos[x]] + (y[x] \rightarrow c_1 Cos[x] + c_2 Sin[x]) + x Sin[x]\}\}
        Q4.
        Eqn3 := D[u[x, y], x] + D[u[x, y], y] == 0
In[551:=
        Sol3 = DSolve[{Eqn3, u[0, y] == Cos[y]}, u[x, y], {x, y}]
In[56]:=
        \{\{u[x, y] \rightarrow Cos[x - y]\}\}
Out[56]=
        p1 = Plot3D[u[x, y] /. Sol3, \{x, -5, 5\}, \{y, -5, 5\}, AxesLabel \rightarrow \{x, y, u\}];
In[57]:=
```

p3 = ParametricPlot3D [ $\{0, y, Cos[y]\}, \{y, -5, 5\}, PlotStyle \rightarrow \{Red, Thickness[0.02]\}$ ]; In[67]:=

In[68]:= Show[p1, p3]



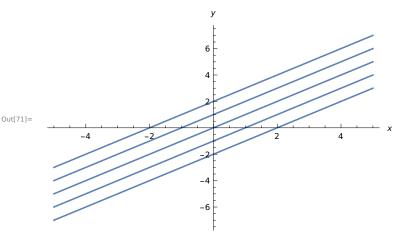
In[69]:= Soln1 = DSolve[y'[x] == 1, y[x], x](\*Characteristic Equation\*)

 $\mathsf{Out[69]} = \quad \big\{ \big\{ y \big[ x \big] \, \rightarrow \, x \, + \, \mathbb{C}_1 \big\} \big\}$ 

In[70]:= Par1 = y[x] /. Soln1 /. C[1]  $\rightarrow$  {-2, -1, 0, 1, 2}

Out[70]=  $\{\{-2+x, -1+x, x, 1+x, 2+x\}\}$ 

ln[71]:= Plot[Par1, {x, -5, 5}, AxesLabel  $\rightarrow$  {x, y}]



Q2

In[60]:= sol = DSolve[y''[x] - 
$$5*y'[x] + 6*y[x] == Exp[x] + Exp[4x], y[x], x$$
]

Out[60]= 
$$\left\{ \left\{ y[X] \rightarrow \frac{1}{2} e^{X} (1 + e^{3X}) + e^{2X} c_{1} + e^{3X} c_{2} \right\} \right\}$$

$$ln[61]:=$$
 sol1 = y[x] /. sol[[1]] /. {C[1] -> 1, C[2] -> 2}

Out[61]= 
$$e^{2x} + 2e^{3x} + \frac{1}{2}e^{x}(1 + e^{3x})$$

$$ln[62]:=$$
 sol2 = y[x] /. sol[[1]] /. {C[1] -> 2, C[2] -> 4}

Out[62]= 
$$2e^{2x} + 4e^{3x} + \frac{1}{2}e^{x}(1+e^{3x})$$

$$ln[63]:=$$
 sol3 = y[x] /. sol[[1]] /. {C[1] -> 2, C[2] -> 3}

Out[63]= 
$$2e^{2x} + 3e^{3x} + \frac{1}{2}e^{x}(1+e^{3x})$$

In[66]:= Plot[{sol1, sol2, sol3}, {x, -2, 2},

PlotStyle -> {{Red, Thickness[0.01]}, {Green, Thick}, {Blue,

Thickness[0.01]}}, PlotLegends -> {sol1, sol2, sol3},

Frame -> True,

ImageSize -> 550]

