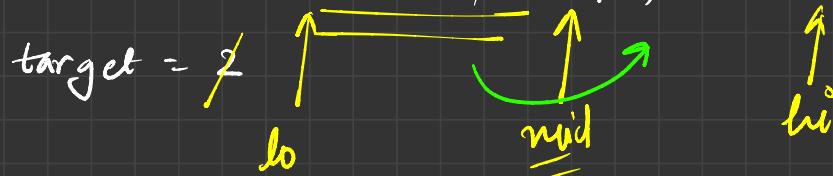




Search In A Rotated Sorted Array

int[] arr = [4, 8, 6, 7, 8, 9, 1, 2, 3]



Sorted Unsorted

if in Range : $\underline{\underline{\text{hi}}} = \underline{\underline{\text{mid}}} - 1$; }
else

$\underline{\underline{\text{lo}}} = \underline{\underline{\text{mid}}} + 1$; }

0 1 2 3 4 5 6 7 8
 [4, 8, 6, 7, 8, 9, 1, 2, 3]
 ↑ ↑ ↑
 lo mid hi

target = 2

$$\frac{5+8}{2} = 6$$

if ($\text{arr}[\text{mid}] == \text{target}$)
return mid;

else if : $\text{arr}[lo] \leq \text{arr}[mid]$

left part is sorted

if ($\text{arr}[lo] \leq \text{target} \& \& \text{arr}[\text{mid}] > \text{target}$)

$$hi = \underline{\text{mid} - 1}$$

else $lo = \underline{\text{mid} + 1}$

else right part is sorted!

if ($\text{arr}[\text{mid}] < \text{target} \& \& \text{arr}[\text{hi}] \geq \text{target}$)

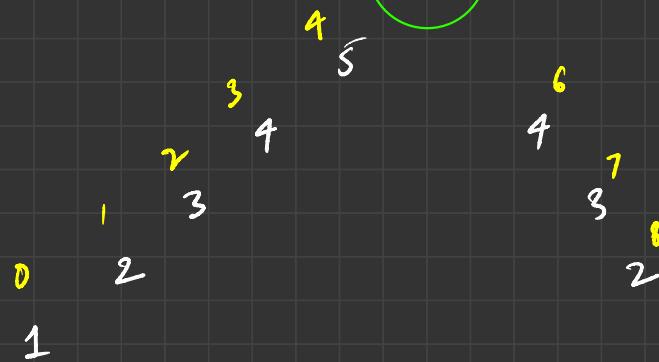
$$lo = \underline{\text{mid} + 1}$$

else $hi = \underline{\text{mid} - 1}$

Peak Index in A Mountain Array

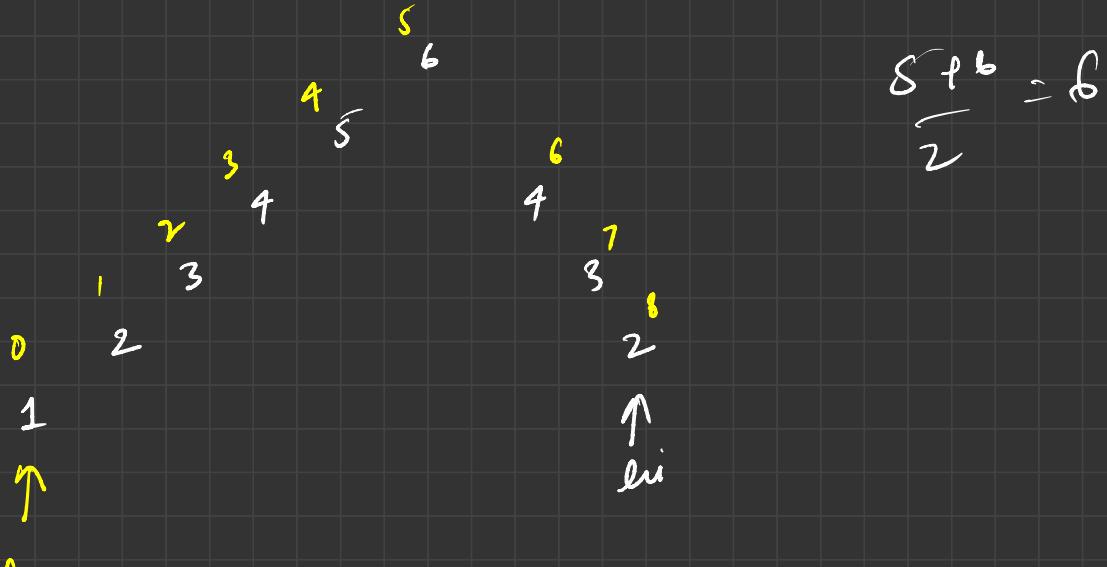
5
6

Maximum of this array



Boute forte
o(N)

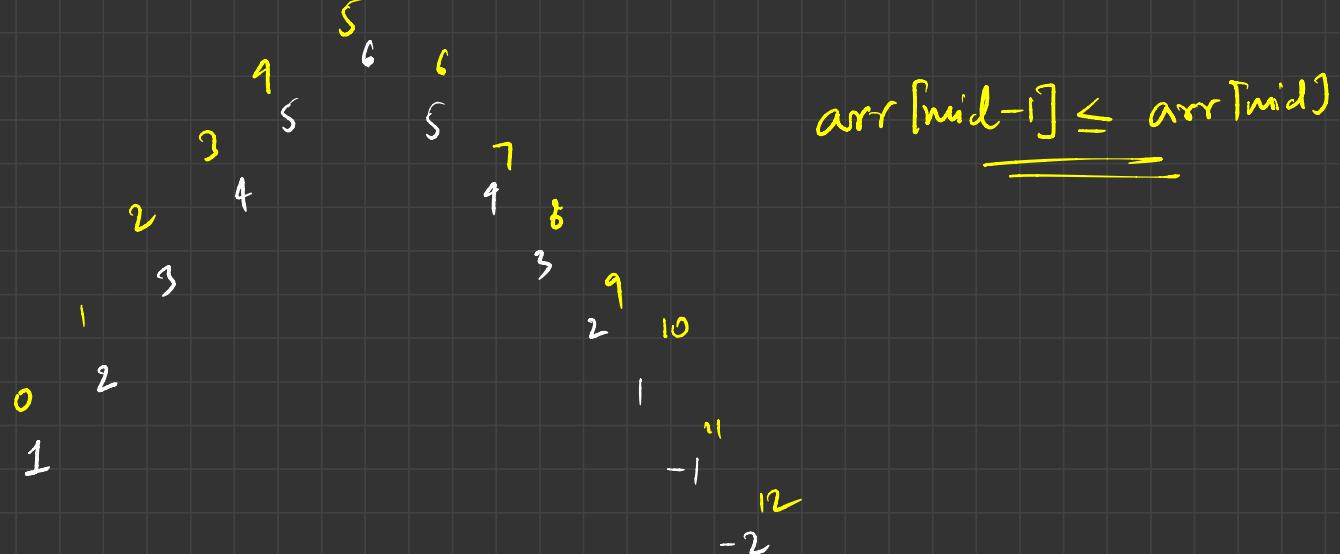
if (arr[n] > arr[n+1]) qq arr[n] > arr[n-1]) \rightarrow peak at n



```

if ( peak(mid) )
    return mid;
else if ( arr[mid-1] <= arr[mid] ) // left Part sorted
    lo = mid + 1;
else
    hi = mid - 1;

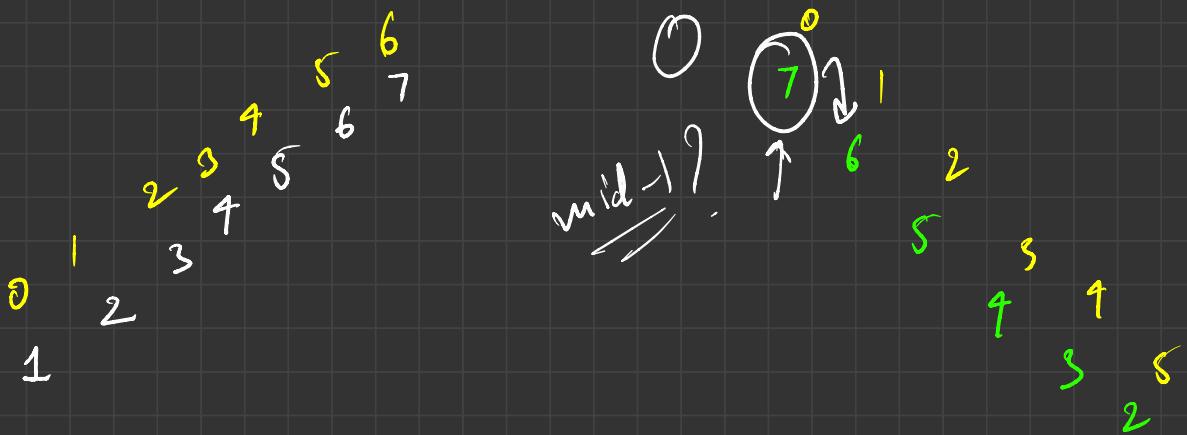
```



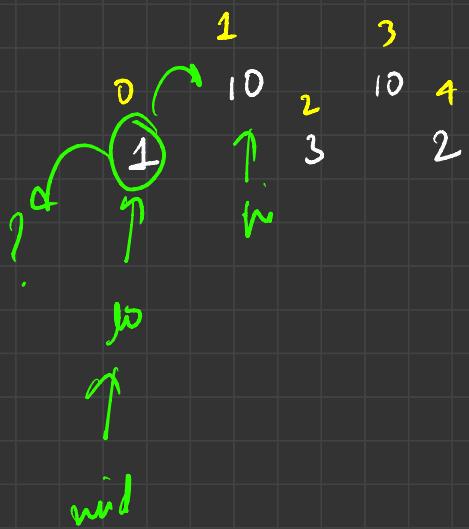
if (Peak(mid))
return mid;

if (arr[mid-1] <= arr[mid]) // left Part Solved
lo = mid + 1;

else hi = mid - 1;



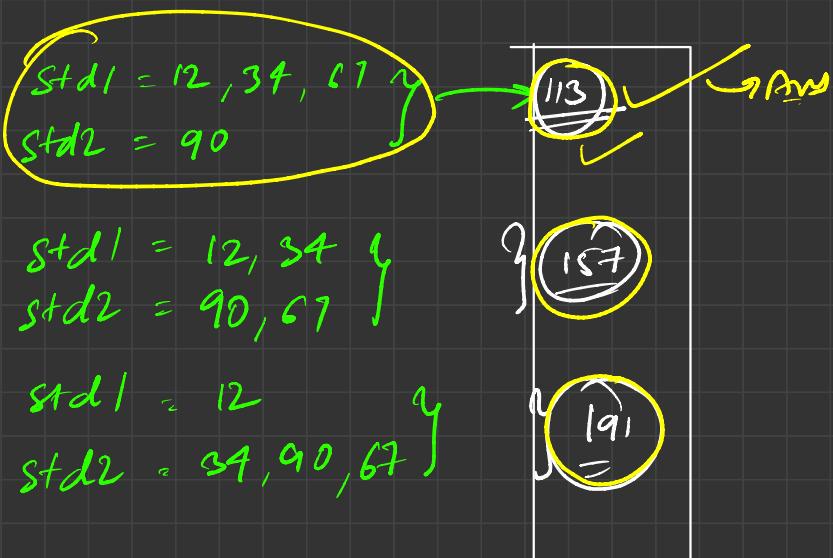
→(1)



Allocate Minimum Number of Pages

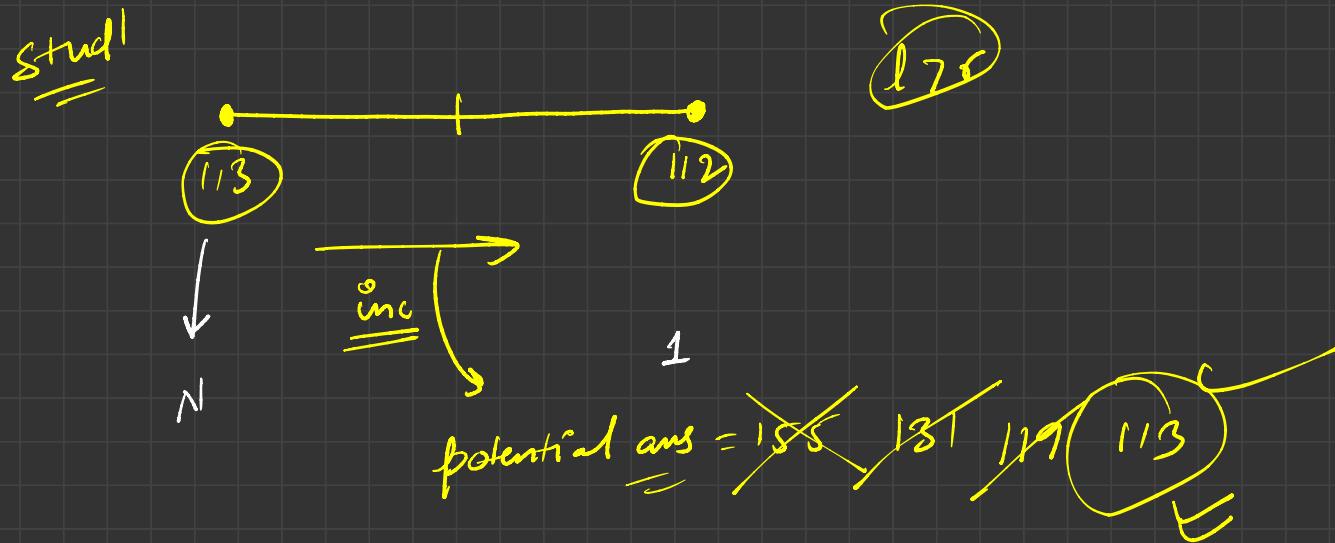
book[] = [12, 34, 67, 90]

Students = 2



- ① Each Student Should have minimum 1 book
- ② Book allotment to a student Should be contiguous Array.

book[] = [12 34, 67 90] { student = 2 }



$\text{books}[] = \{12, 34, 67, 90\}$

Stud = 2



~~Ans = 116~~ \rightarrow 111 \rightarrow 113

$N + N - 1 + N - \dots - \log N$ time

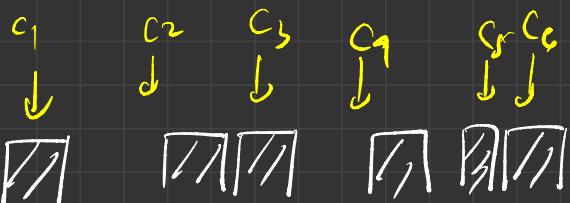
$N \times \log N$

$T_C: O(N \log N)$

Aggressive Cows

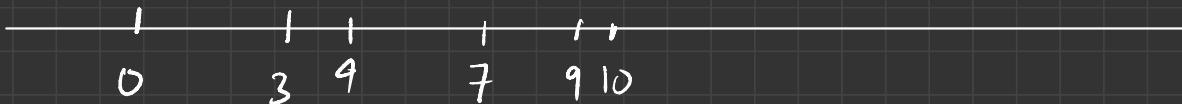
$\text{pos}[j] : \{0, 3, 4, 7, 10, 9\}$ cows = 4

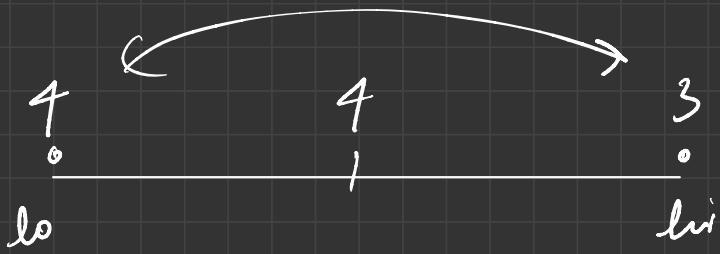
2 cows



$\text{dist} : 1 \xrightarrow{\min} =$

$\underline{\text{dist} = 10} \xrightarrow{\max} =$





$\text{co } w_2 4$

potential Ans = ~~2~~(3)

$\text{pos}[1] : \left\{ \begin{matrix} 0, 3, 9, 7, 9, 10 \\ \uparrow \quad \uparrow \quad \uparrow \\ c_1 \quad c_2 \quad c_3 \end{matrix} \right\}$

$\text{co } w_2 3$