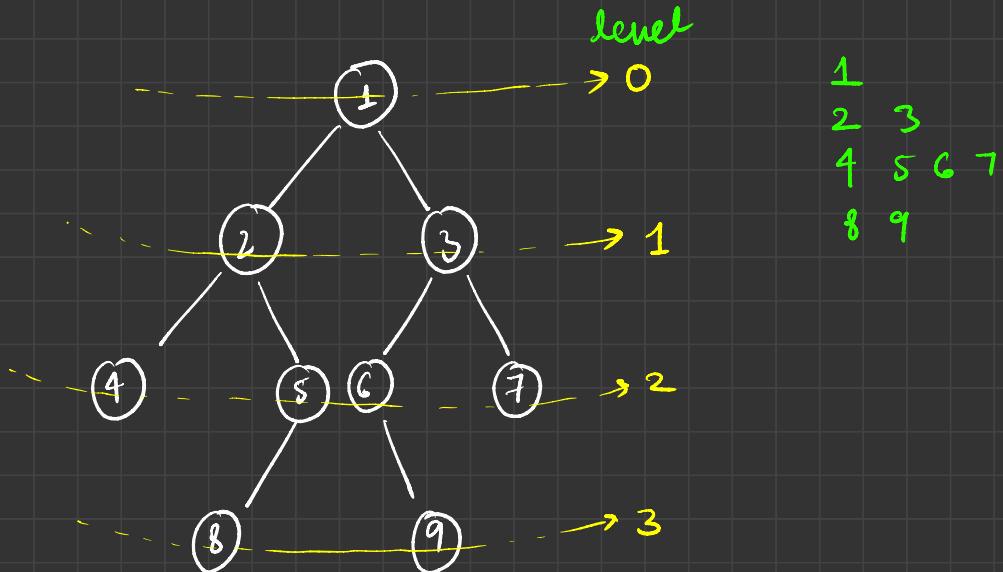


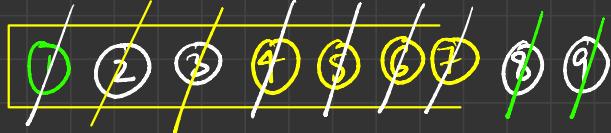
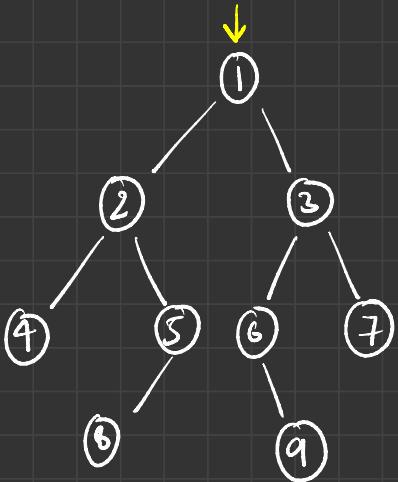
level Order traversal



level

→ 0

1
2 3
4 5 6 7
8 9



que

since: 1 / 0 / 2 / 3 / 4 / 5 / 6 / 7 / 8 / 9 / 0

1
2 3
4 5 6 7
8 9

Step1: add root in que .

Step2: Check is que , since 70

Step3: get size of the que

Step4: remove front of the que and add children.

Step5: repeat from Step2

this will be done size times,
and people removed here
will be in same level

```

public List<List<Integer>> levelOrder(TreeNode root) {
    List<List<Integer>> lo = new ArrayList<>();
    // if no root, hence return empty List
    if (root == null) {
        return lo;
    }

    Queue<TreeNode> que = new ArrayDeque<>();
    step 1: add root
    que.add(root);

    // step 2: do your work till que size is greater than zero
    while (que.size() > 0) {
        step 3: get curr size of the que
        int size = que.size();
        List<Integer> currLevel = new ArrayList<>();

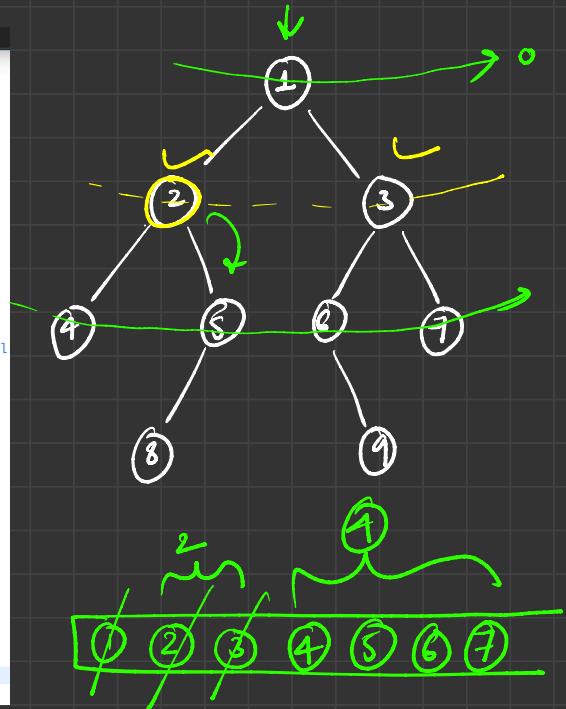
        step 4: remove size amt of fronts from the que and add there children, these size amt of people will lie on same level
        while (size > 0) {
            TreeNode rnode = que.remove();
            currLevel.add(rnode.val);

            step 5: see if children are there, add them
            if (rnode.left != null) {
                que.add(rnode.left);
            }
            if (rnode.right != null) {
                que.add(rnode.right);
            }
            size--;
        }

        lo.add(currLevel);
    }

    return lo;
}

```



size : 10 mode - 3

{ { 1 }, { 2, 3 } }

```

17    public List<List<Integer>> levelOrder(TreeNode root) {
18        List<List<Integer>> lo = new ArrayList<>();
19
20        // if no root, hence return empty List
21        if (root == null) {
22            return lo;
23        }
24
25        Queue<TreeNode> que = new ArrayDeque<>();
26        // step 1: add root
27        que.add(root);
28
29        // step 2: do your work till que size is greater than zero
30        while (que.size() > 0) {
31            // step 3: get curr size of the que
32            int size = que.size();
33            List<Integer> currLevel = new ArrayList<>();
34
35            // step 4: remove size amt of fronts from the que and add there children, these size amt of people will lie on same
36            while (size > 0) {
37                TreeNode rnode = que.remove();
38                currLevel.add(rnode.val);
39
40                // step 5: see if children are there, add them
41                if (rnode.left != null) {
42                    que.add(rnode.left);
43                }
44                if (rnode.right != null) {
45                    que.add(rnode.right);
46                }
47
48                size--;
49            }
50
51            lo.add(currLevel);
52        }
53
54        return lo;
55    }

```

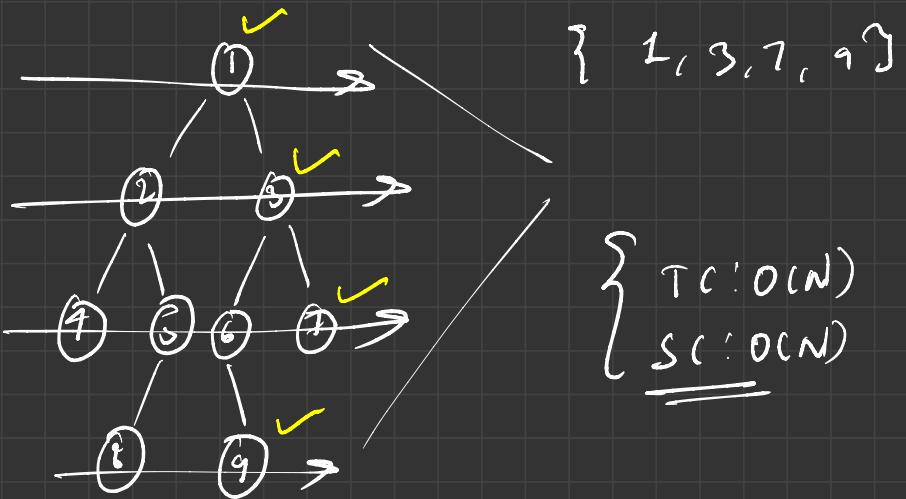
Diagram illustrating the level-order traversal of a binary tree:

Diagram illustrating the state of the queue (Que) during the traversal:

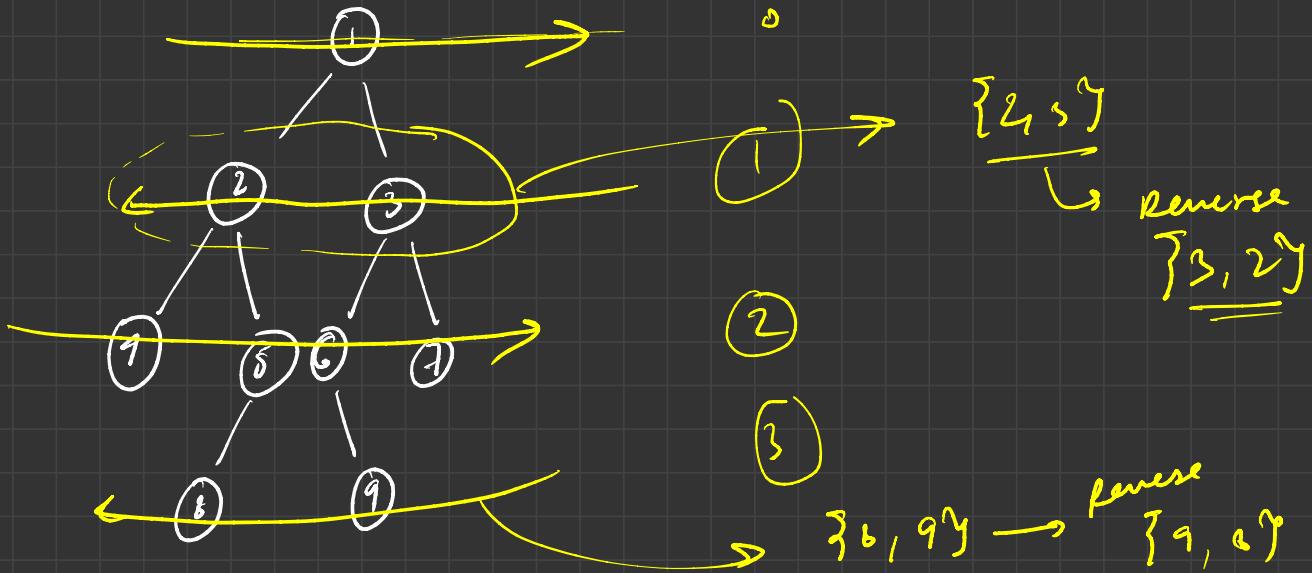
Handwritten notes:

$\underline{\text{size}} = \underline{24}$ 0

$\{1\} \{2, 3\}$
 $\{4, 5, 6, 7\}$
 $\{8, 9\}$

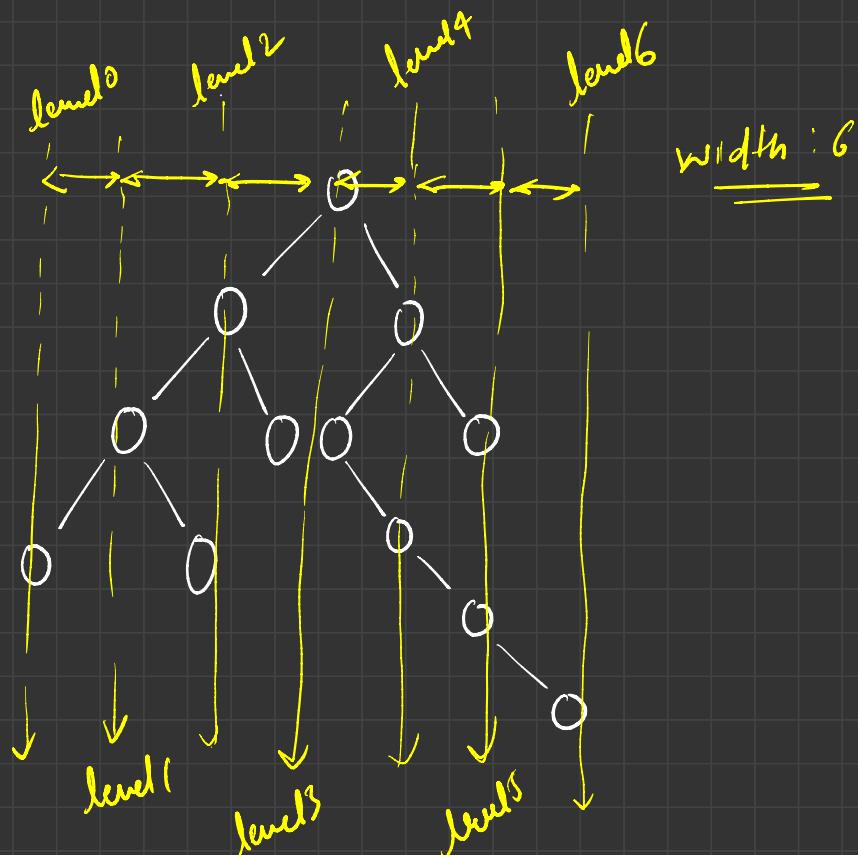


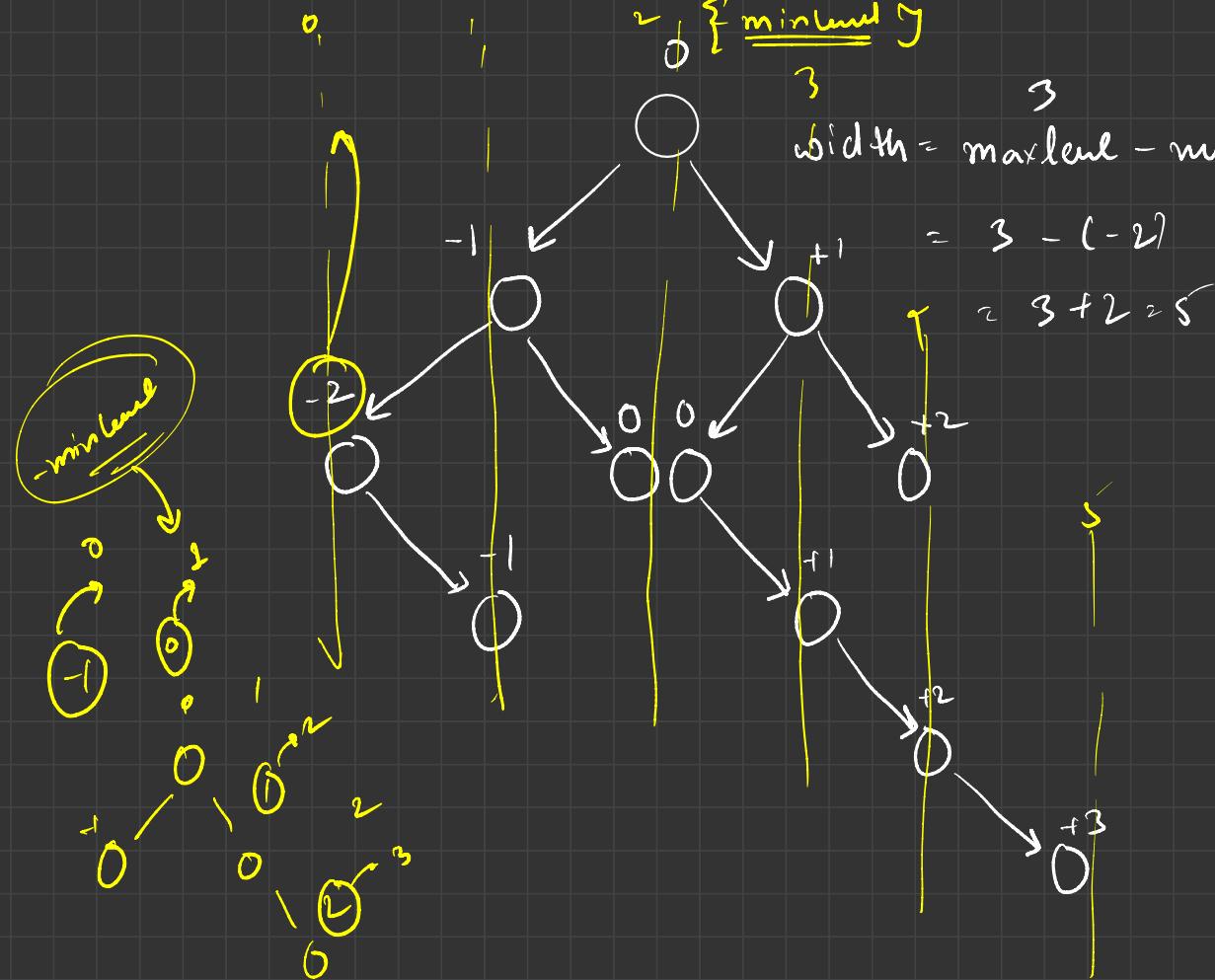
zigzag traversal



Even level: Left to Right }
Odd level: Right to Left }

Width of the BT



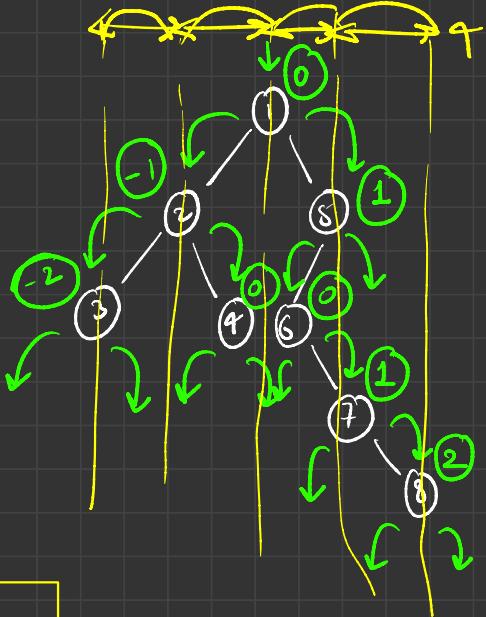


$$\begin{aligned}
 & \text{width} = \text{maxlevel} - \text{minlevel} \\
 & = 3 - (-2) \\
 & = 3 + 2 = 5
 \end{aligned}$$

$$TC: \underline{O(N)} \quad SC: O(W)$$

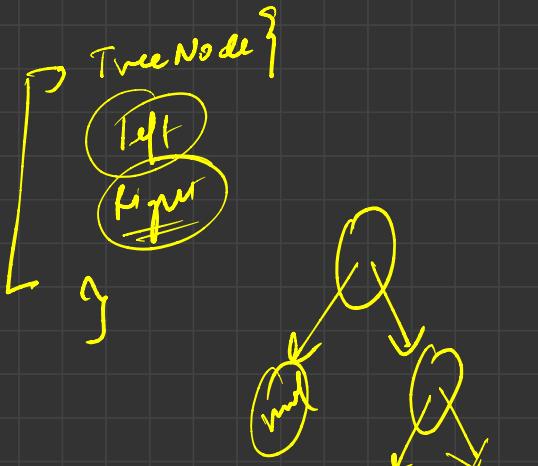
```
int minLevel = 0;
int maxLevel = 0;

public void verticalLevels (TreeNode root, int level) {
    if (root == null) {
        return;
    }
    verticalLevels(root.left, level - 1);
    verticalLevels(root.right, level + 1);
    minLevel = Math.min(level, minLevel);
    maxLevel = Math.max(level, maxLevel);
}
```



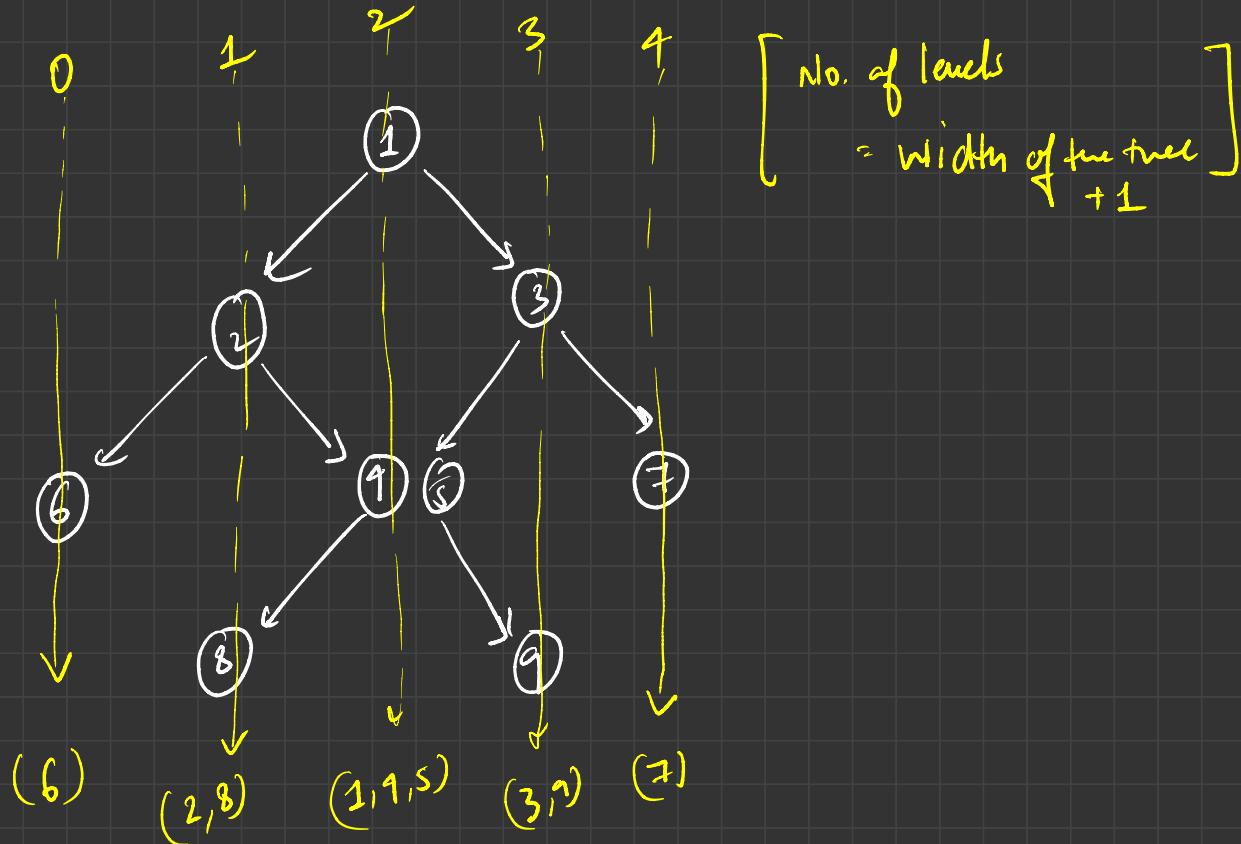
$$\text{mislabel} = \emptyset - 2$$
$$\text{maxlabel} = \emptyset 2$$

$$\text{width} : 2 - (-2) = 2 + 2 = 4$$

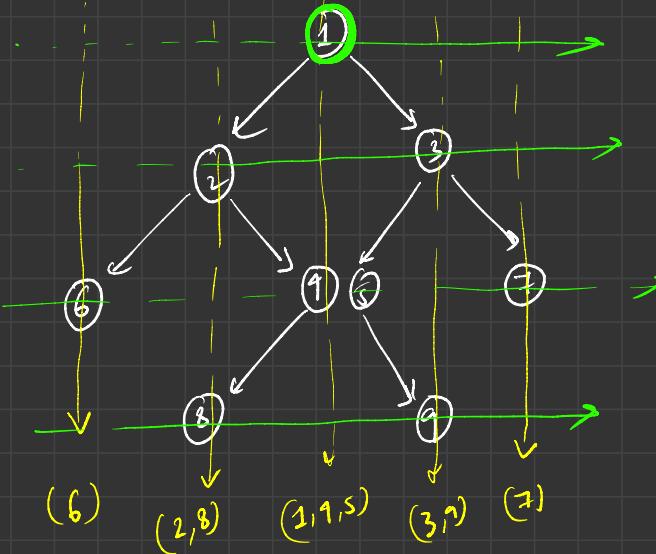


Vertical Order Traversal

{
6
2, 8
1, 4, 5
3, 9
7

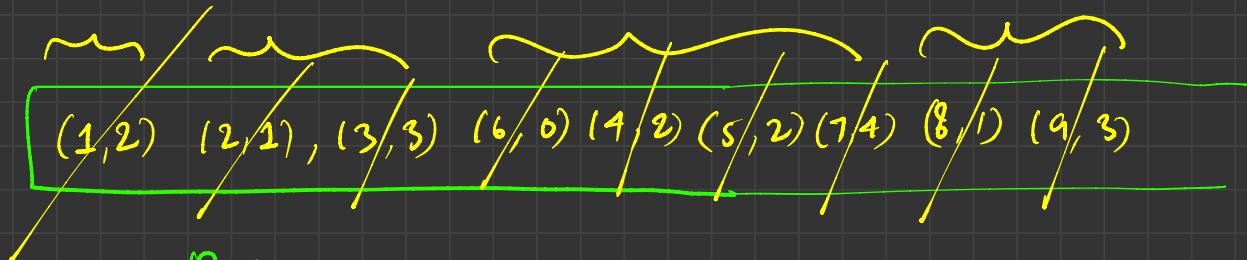


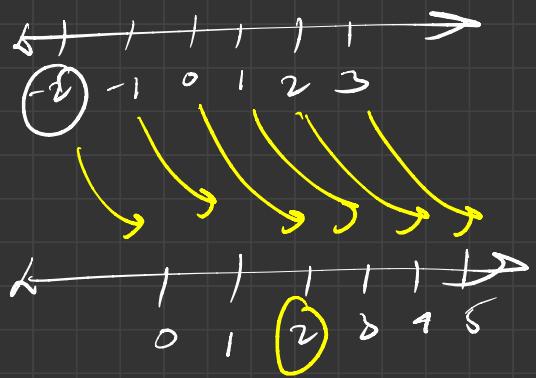
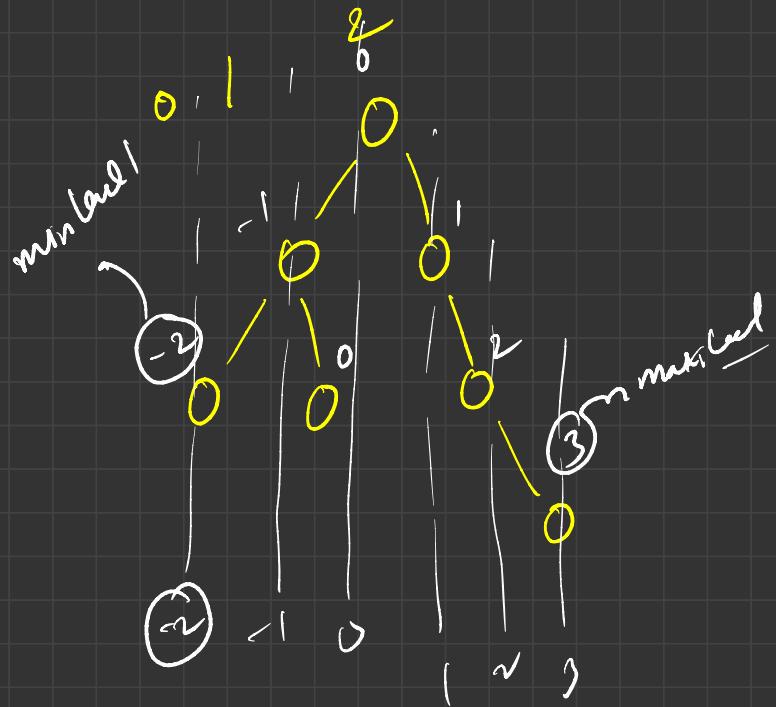
minVal = -2
 maxVal = 2



<u>VL</u>	
0	6
1	2, 8
2	1, 4, 5
3	3, 9
4	7

class pair {
 Node
 level
}





$$\left\{ \begin{array}{l} \text{- } \underline{\text{minval}} \\ \text{- } (-2) = \textcircled{2} \end{array} \right\}$$

Priority Queue

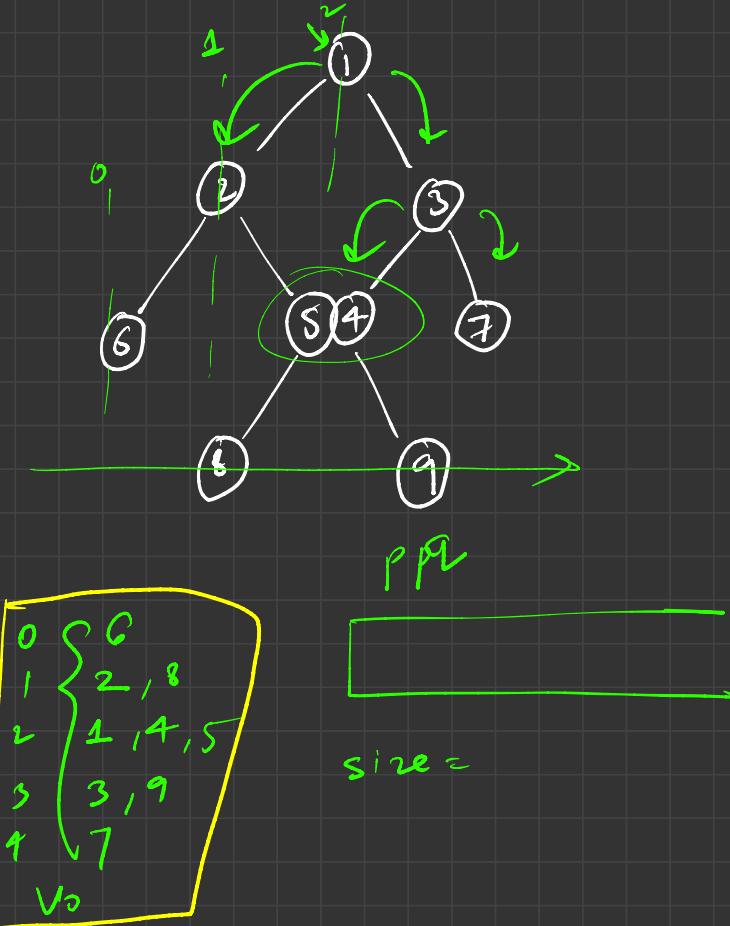
→ Acts as a normal queue only

→ But it can manage its values or elements, using a particular priority.

```

public List<List<Integer>> verticalTraversal(TreeNode root) {
    verticalLevels (root, 0);
    int width = maxLevel - minLevel;
    int numberofLevels = width + 1; → 5
    List<List<Integer>> vo = new ArrayList<>();
    for (int i = 0; i < numberofLevels; i++) {
        vo.add(new ArrayList<>());
    }
    PriorityQueue<Pair> Ppq = new PriorityQueue<>();
    pq.add(new Pair(root, -minLevel));
    while (Ppq.size() > 0) {
        int size = Ppq.size(); →
        PriorityQueue<Pairs> Cpq = new PriorityQueue<>();
        while (size > 0) {
            Pair rpair = Ppq.remove();
            vo.get(rpair.vLevel).add(rpair.node.val);
            if (rpair.node.left != null) {
                Cpq.add(new Pair(rpair.node.left, rpair.vLevel - 1));
            } →
            if (rpair.node.right != null) {
                Cpq.add(new Pair(rpair.node.right, rpair.vLevel + 1));
            } →
            size--;
        }
        Ppq = Cpq;
    } →
    return vo;
}

```



TOP UPS

