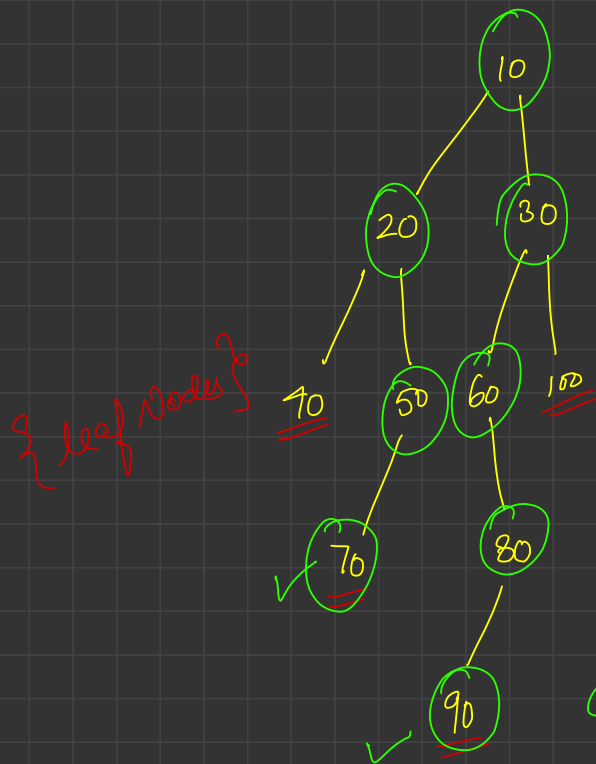




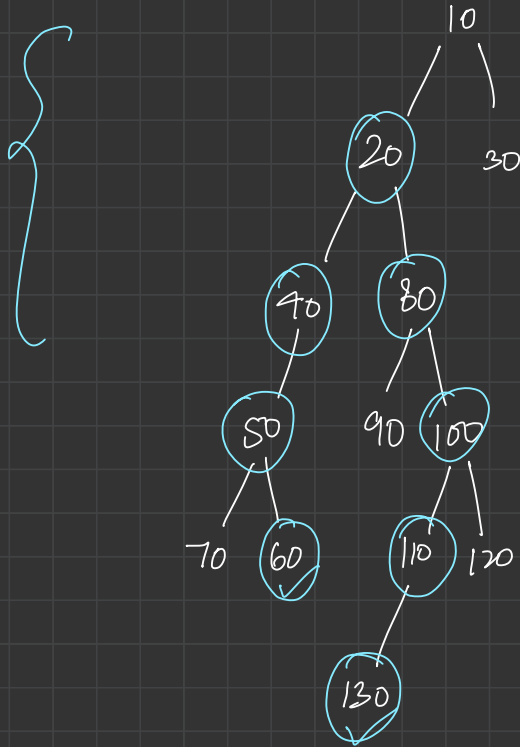
Diameter of a Tree { max<sup>m</sup> distance b/w any two leaf nodes }



$4C_2$  { No. of diff. possible diameters. }

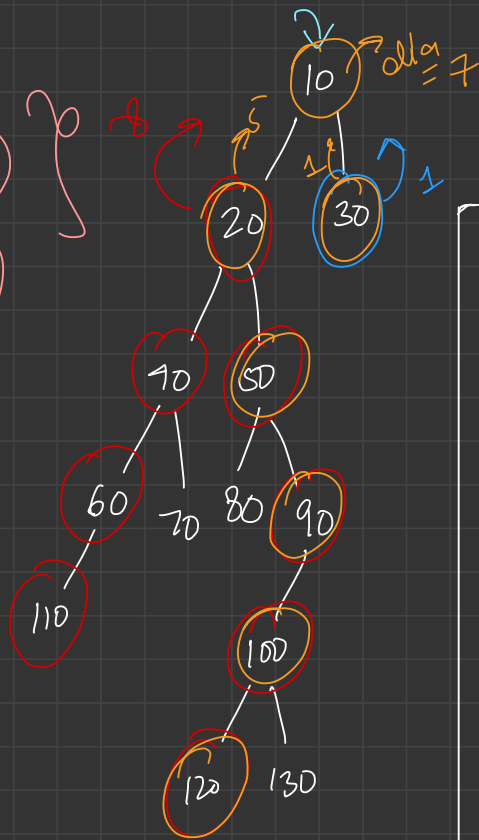
{ diameter of the tree }

diameter = 8 ✓



dia = 8

TC:  $O(N^2)$   
 SC:  $O(H)$



faith: returns diameter of the tree starting from root

int diameter (Node root)

Base Case  $root == null$  : return 0;

int diaLST = diameter (root.left);

int diaRST = diameter (root.right);

⇒ Calc. dia. passing through root.

→ hLST

→ hRST

→ dia Thru root = hLST + hRST + 1;

⇒ diaTree = max(diaLST, diaRST, passing Root);

diameter in O(N)?

height

~~dia = -1 \* 2~~

TC: O(N), SC: O(H)

int dia = -1;

int height (Node root)

{ if (root == null) return 0;

int hLST = height (root->left);

int hRST = height (root->right);

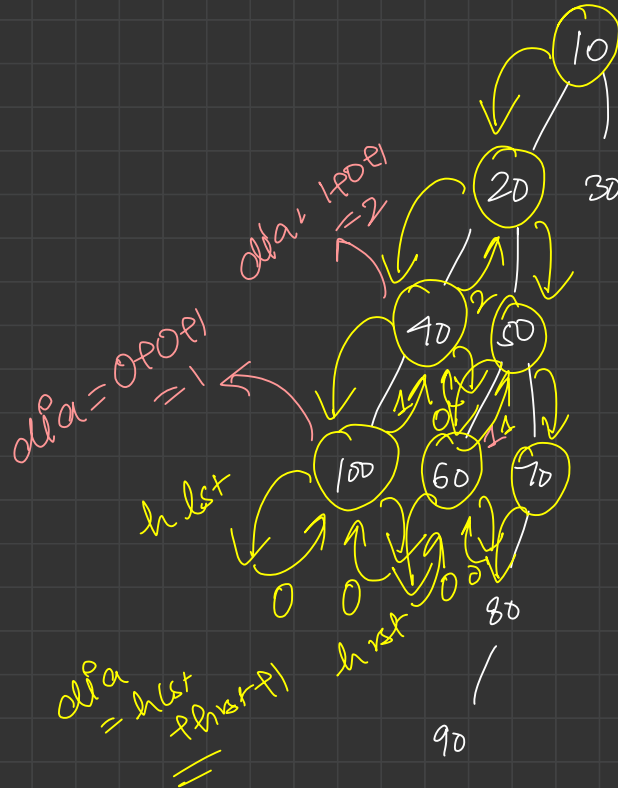
→ dia = max { dia, hLST + hRST + 1 };

return max { hLST, hRST } + 1;

}

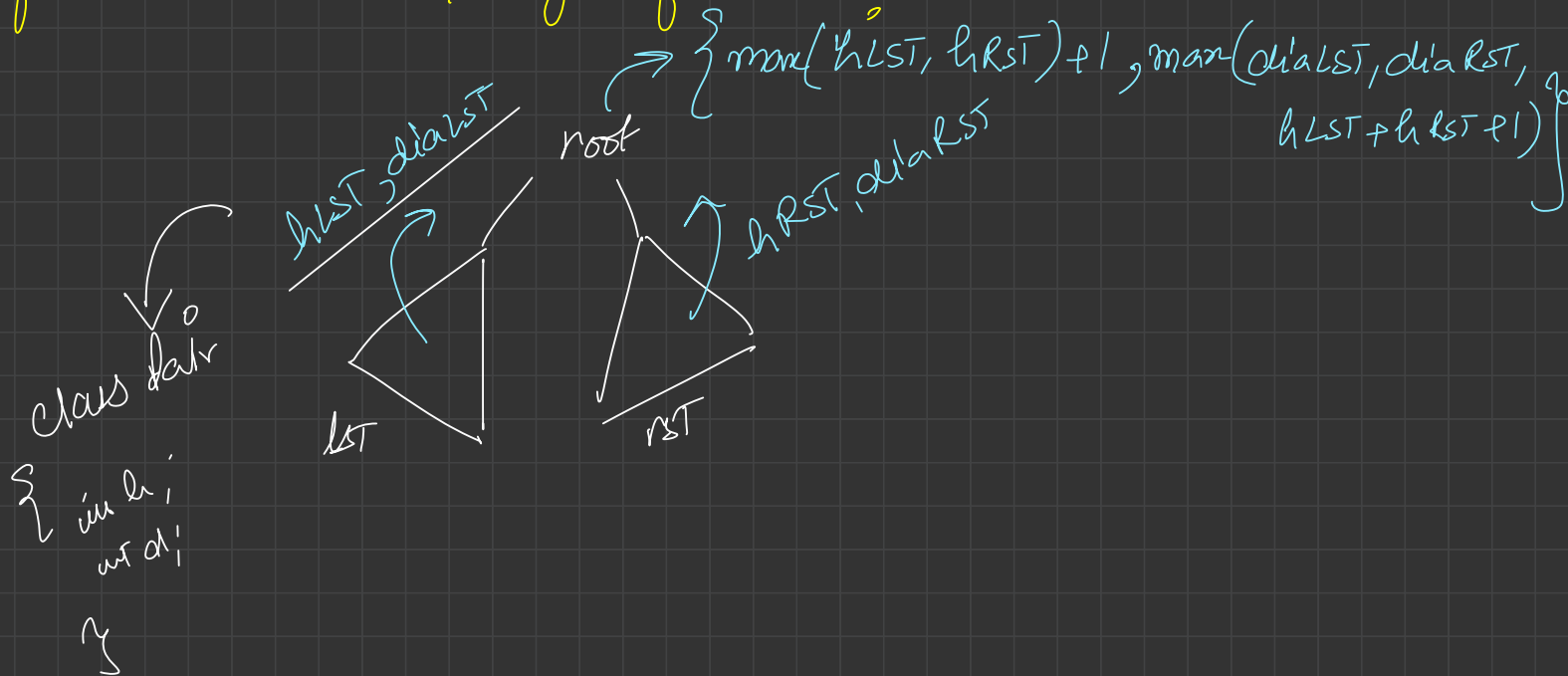
NOT ALLOWED!

in Interview



diameter of the tree →

faith: returns dia & Height of the tree!

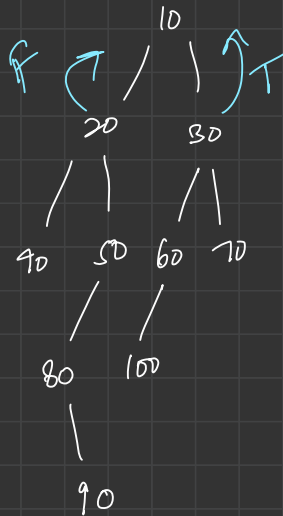


# Is Tree Balanced?

↳ When each Node is Balanced!

$$\checkmark |h_{LST} - h_{RST}| \leq 1$$

fnith? returns a tree is balanced or not - !



boolean isBalanced (Node root)

{ if (root == null) return T;

boolean LSTB = isBalanced(root.left);

boolean RSTB = isBalanced(root.right);

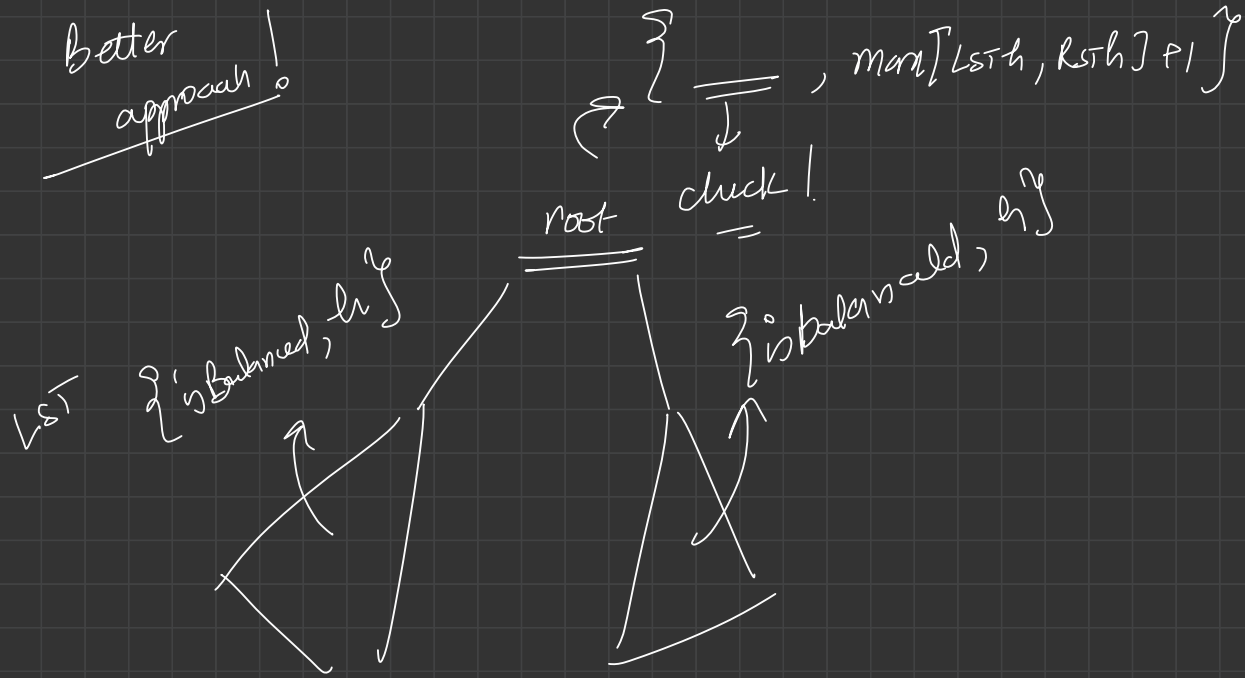
→ Check root Balanced or Not.  
↳ get higher and also diff.

if (LSTB == True && RSTB == True && root.isBal == True)

return T;

else return F;

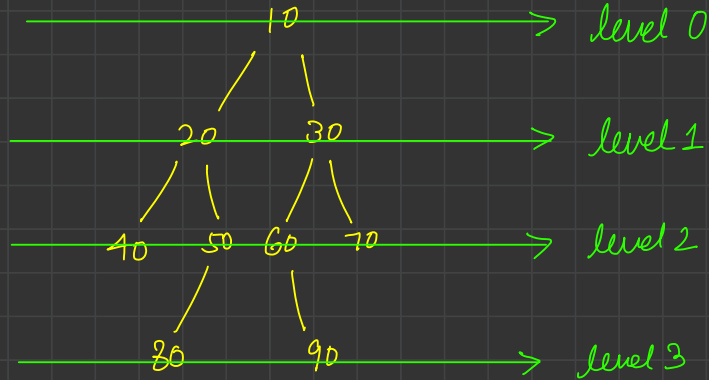
better approach!



facth! returns is Tree Balanced & height



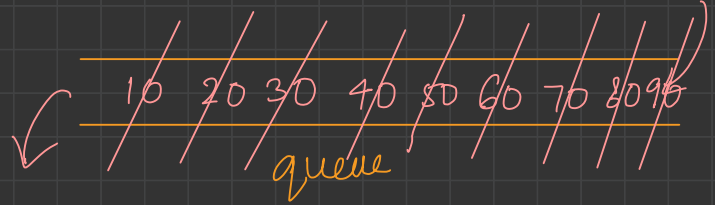
# Level Order Traversal



O/P

{  
↳ 10  
↳ 20, 30  
↳ 40, 50, 60, 70  
↳ 80, 90

BFS



80  
90

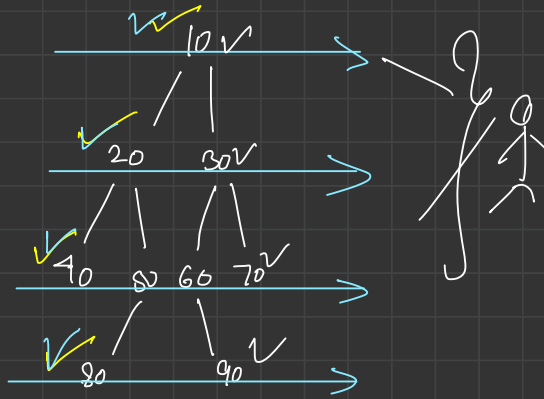
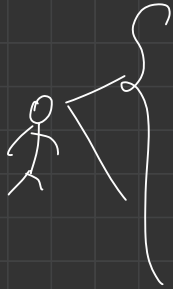
size = ~~1~~ ~~1~~ 0

O/P

10  
↳ 20, 30  
↳ 40, 50, 60, 70  
↳ 80, 90

Left View

{ first Node of each Level }



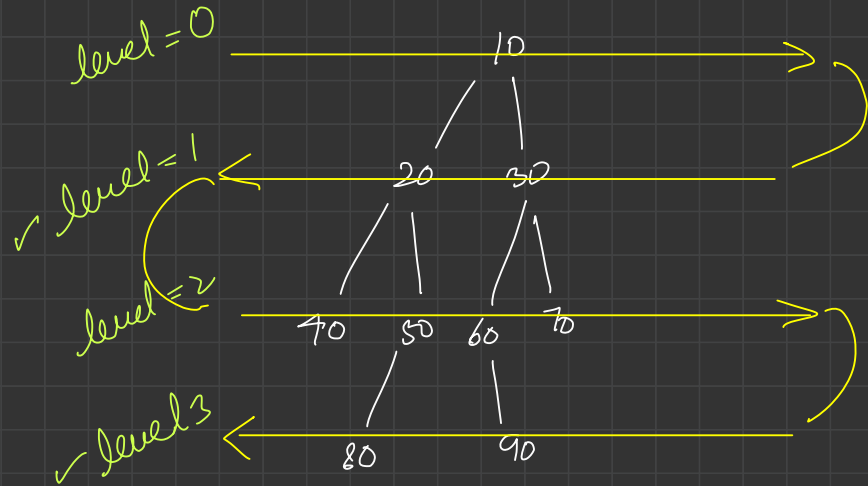
Right View

{ Last Node of each Level }

→ o/p 10, 30, 70, 90

→ o/p 10, 20, 40, 80

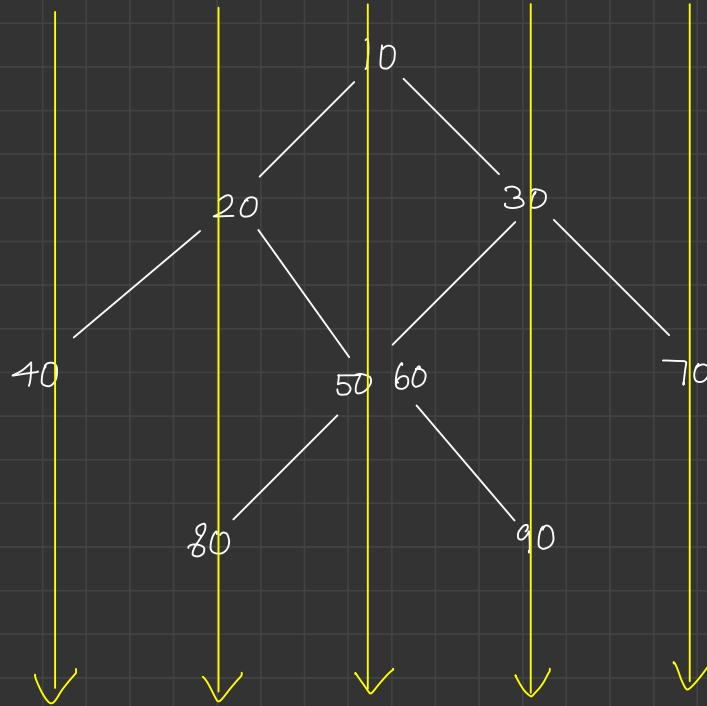
# Zig Zag Traversal



odd level No. (R → L)  
= reverse  
even level No.  
(L → R)

o/p { 10, 30, 20, 40, 50, 60, 70, 90, 80 }

# Vertical Order Traversal



o/p

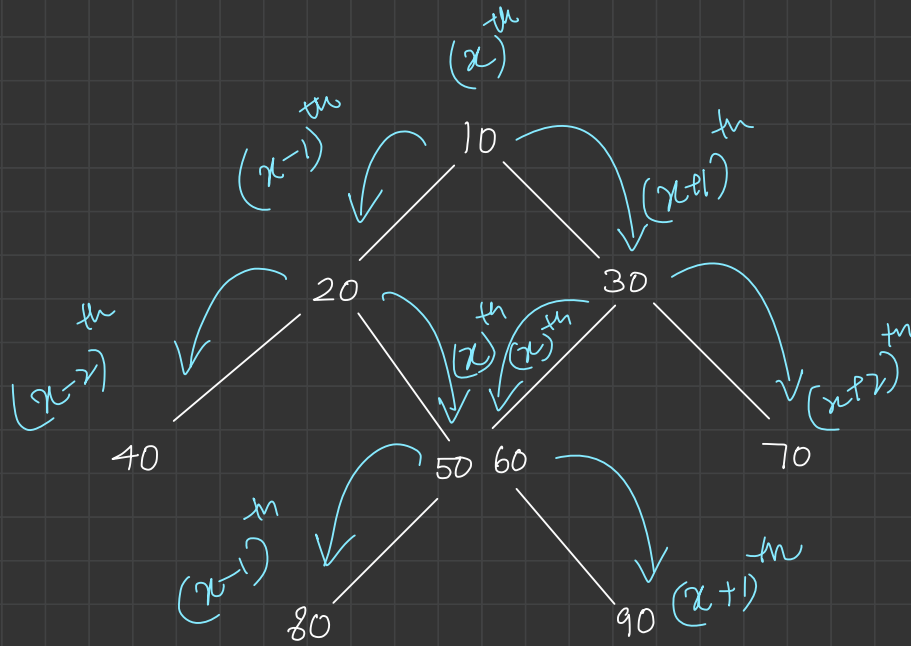
40

20, 80

10, 50, 60

30, 90

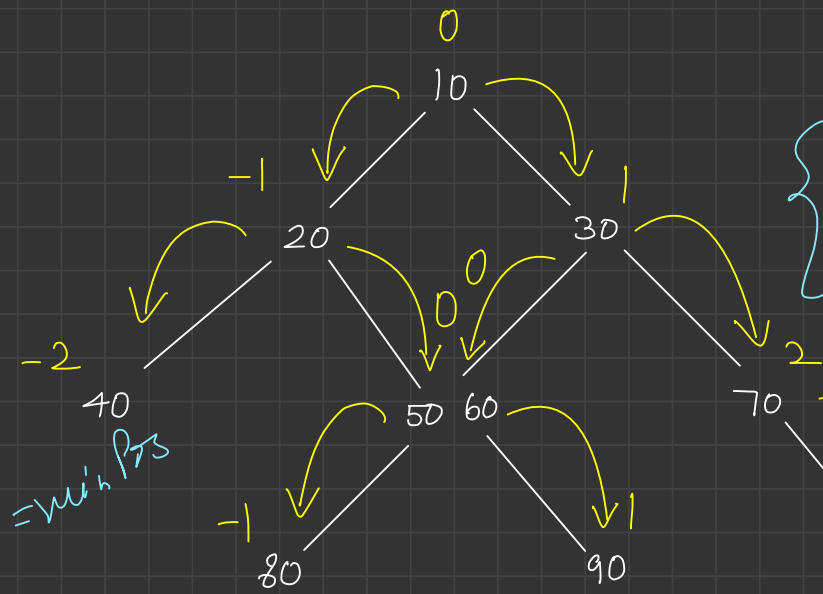
70



~~(60, x)~~ ~~(70, x+2)~~ ~~(80, x-1)~~ ~~(90, x+1)~~

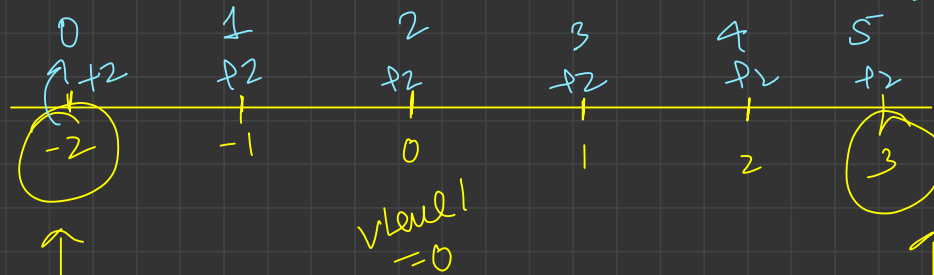
$x-2 \rightarrow 40$   
 $x-1 \rightarrow 20, 80$   
 $x \rightarrow 10, 50, 60$   
 $x+1 \rightarrow 30, 90$   
 $x+2 \rightarrow 70$

- \* vLevel of root }
- \* No. of vLevel }

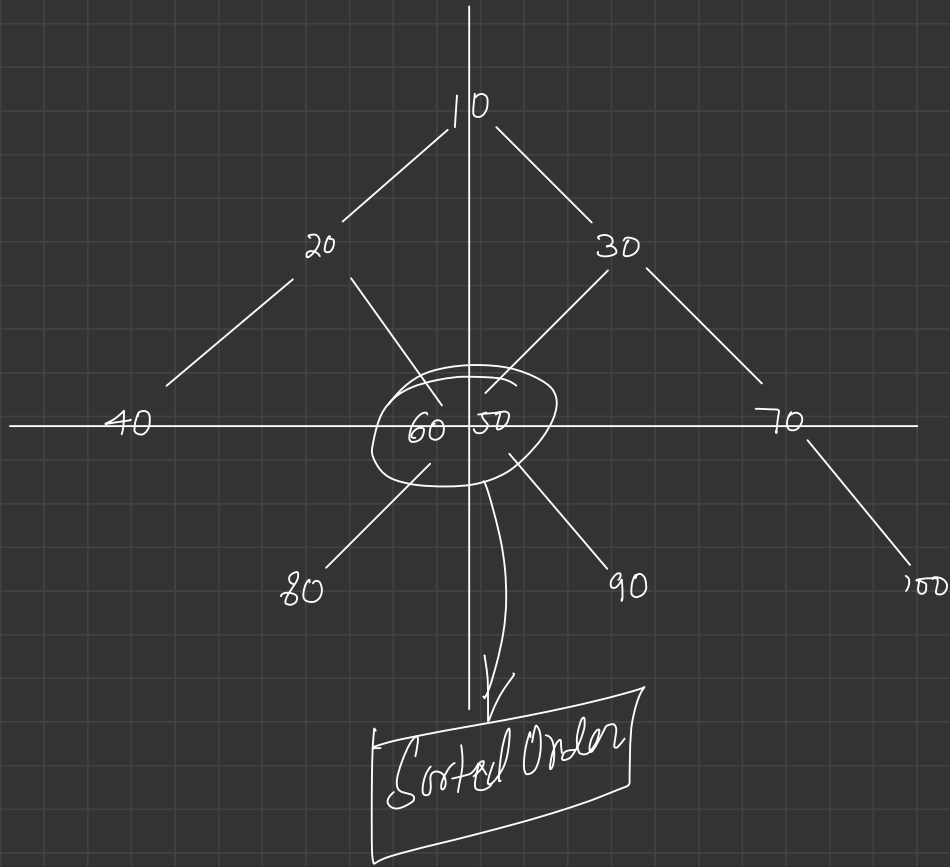


$\left\{ \begin{array}{l} \text{No. of VLevel} \\ = \text{max Pts} - \text{min Pts} + 1 \end{array} \right.$

$\left\{ \begin{array}{l} \text{Vlevel of root} = -\text{min Pts}; \end{array} \right.$



$$3 - (-2) + 1 = 6$$



{ PriorityQueue  
↳ own priority!