



Hashing.

(Hashing is a technique used for searching purpose)

$\left\{ \begin{array}{l} \text{Linear Search} \longrightarrow \text{TC: } O(N) \\ \text{Binary Search} \longrightarrow \text{TC: } O(\log_2 N) \end{array} \right.$

↓

TC: $O(1)$

Searching.

ele : ✓ 8, 3, 13, 6, 4, 10, 9, 7, 50 (user input)
✓ ✓ ✓ ✓ ✓ ✓ ✓ ✓

key = 13

search (for val) \rightarrow TC: $O(1)$

search (13)

0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	..	50
			T	T		T	T	T	T	T			T									T

arr

search

{ if (arr[key] == true)
return true;
else
return false }

search (16)

A lot of memory was wasted!

{ Hence, to overcome this hashing was introduced.



hashing f^n

step1

$$g(x) = k$$

↓
key

↓
integer value

step2

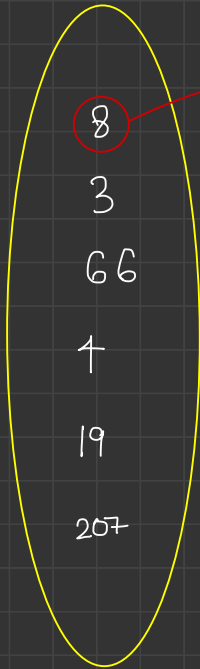
$$h(m) = y$$

↓
hashed value

$$h(x) = x \% 10$$

hash fn

hash Table



keySet

$$h(8) = 8 \% 10 = 8$$

$$h(3) = 3 \% 10 = 3$$

$$h(66) = 66 \% 10 = 6$$

$$h(4) = 4 \% 10 = 4$$

$$h(19) = 19 \% 10 = 9$$

$$h(207) = 207 \% 10 = 7$$

→ hashed
value

search(207)

→ TC: O(1)

0

1

2

3

4

5

6

7

8

9

3

4

66

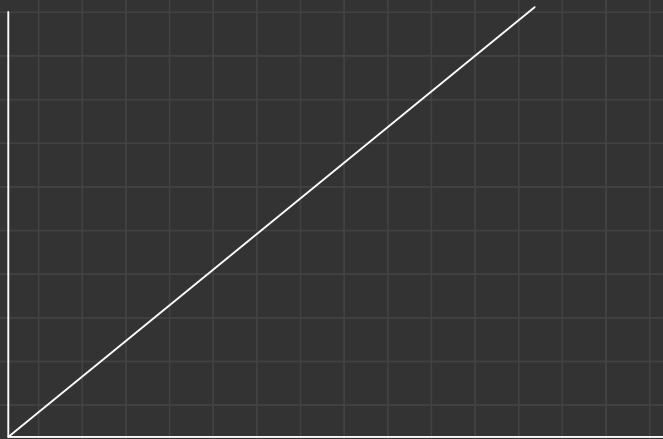
207

8

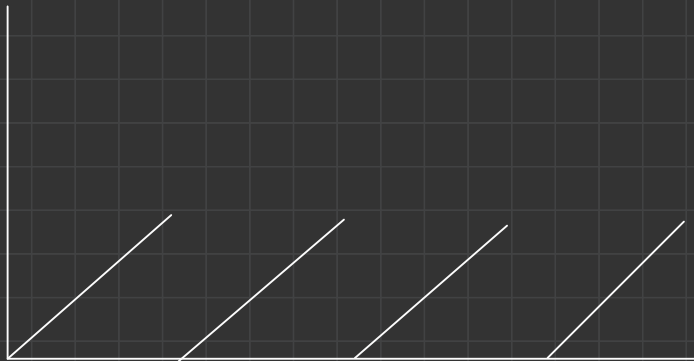
19

size of hash table = 10

One to one
mapping



many to one
mapping



$$h(x) = x \% 10$$

hash fn

hash Table

0

1

2

3

4

5

6

7

8

9

3

4

66

207

8

19

Collision!

size of hash table = 10

8

3

66

4

19

207

56

KeySet

$$h(8) = 8 \% 10 = 8$$

↳ hashed value

$$h(3) = 3 \% 10 = 3$$

$$h(66) = 66 \% 10 = 6$$

$$h(4) = 4 \% 10 = 4$$

$$h(19) = 19 \% 10 = 9$$

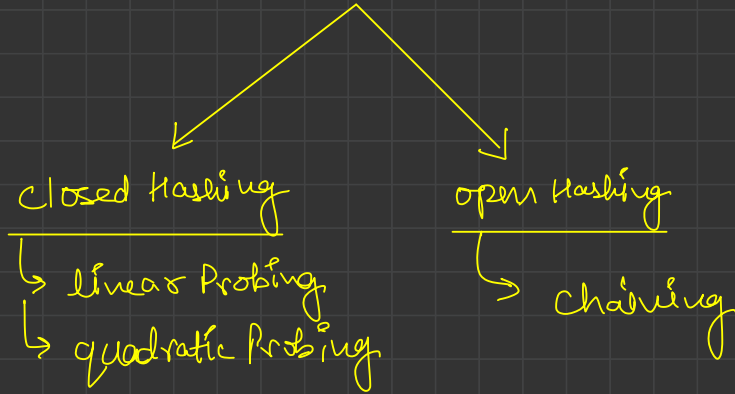
$$h(207) = 207 \% 10 = 7$$

$$h(56) = 56 \% 10 = 6$$

search(207)

↳ TC: O(1)

To remove collision



Chaining

$$h(x) = x \% 10 \quad \text{hash fn}$$

- 8
- 3
- 66
- 4
- 19
- 207
- 56
- 6

KeySet

$$h(8) = 8 \% 10 = 8$$

→ hashed value

$$h(3) = 3 \% 10 = 3$$

$$h(66) = 66 \% 10 = 6$$

$$h(4) = 4 \% 10 = 4$$

$$h(19) = 19 \% 10 = 9$$

$$h(207) = 207 \% 10 = 7$$

$$h(56) = 56 \% 10 = 6$$

$$h(6) = 6 \% 10 = 6$$

search(207)

→ TC: O(1)

hash Table

0	
1	
2	
3	3
4	4
5	
6	66 → 56 → 6
7	207
8	8
9	19

size of hash table = 10

✓ size of hashtable = 75 % of Range of i/p

Linear Probing

$$h(x) = [h'(x) + g(i)] \% 10$$

hash fⁿ

$$h'(x) = x \% 10$$

$$g(i) = i, \quad i \rightarrow 0, 1, 2, \dots$$

66

54

16

26

KeySet

$$h(66) = [h'(66) + g(i)] \% 10$$

$$h(66) = [6 + 0] \% 10 = 6$$

$$h(54) = [h'(54) + g(i)] \% 10$$
$$= [4 + 0] \% 10 = 4$$

$$h(16) = [h'(16) + g(i)] \% 10$$
$$= [6 + 0] \% 10 = 6$$
$$= [6 + 1] \% 10 = 7$$

$$h(26) = [h'(26) + g(i)] \% 10$$
$$= [6 + 0] \% 10 = 6$$
$$= [6 + 1] \% 10 = 7$$

$$= [6 + 2] \% 10$$
$$= 8$$

hash Table

0	
1	
2	
3	
4	54
5	
6	66
7	16
8	26
9	

clustering

size of hash table = 10

quadratic probing

$$h(x) = [h'(x) + g(i)] \% \text{size}$$

$$h'(x) = x \% \text{size}$$

$$g(i) = i^2, \quad i \rightarrow 0, 1, 2, 3, \dots$$

2 - Data Structures

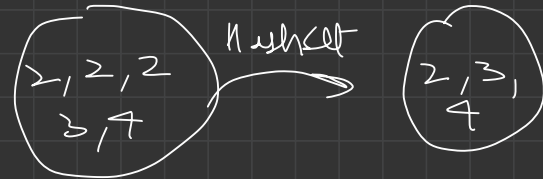
① Hash Map

② HashSet

↓ Key - value pairs

{ lay → 2
cookies → 3
coke → 4

↓
unique entity



Hash Map

(string)

key

value (int)

lays

→ 2

coke

→ 2

→ unique entity

PY1

Tree Map

key is in a sorted format

TreeSet

value present are in sorted format

TC of each Method $\log(N)$

Searching, add, removing

red-Black tree