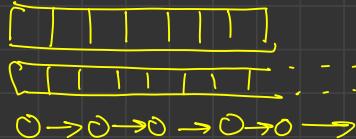




Stacks

linear data structure

→ Arrays



→ ArrayList

→ LinkedList

→ Queues

→ stacks

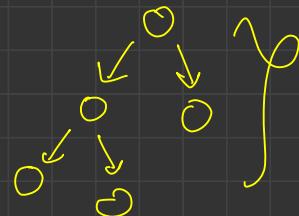


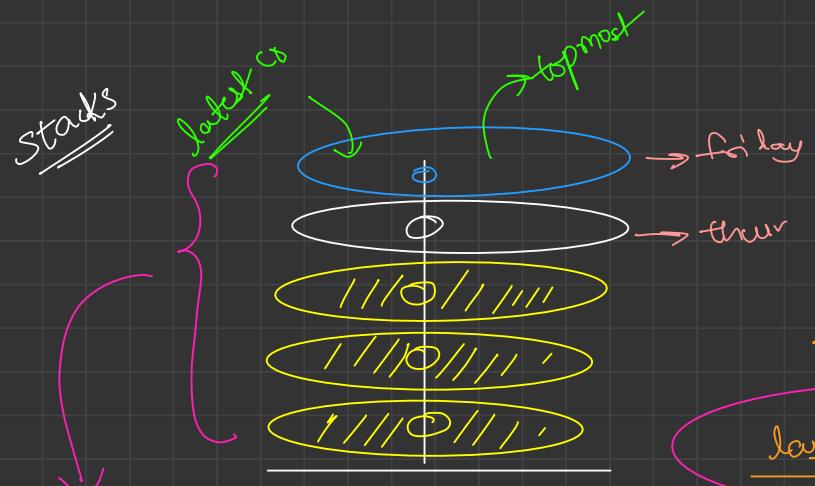
Non-Linear data structures

→ HashMap | HashSet

→ trees, tries, heaps

→ graph





{ LIFO }

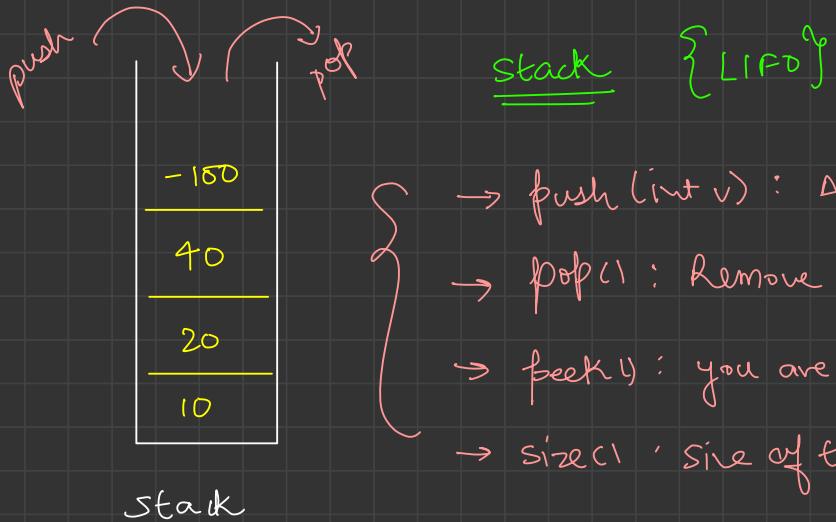
last in, first out

Stack

data: 10 | 20, 30, 40

~~off~~ 40, 30, 20, 10

40
30
20
10



- push (int v) : Add value v to topmost of stack
- pop() : Remove the topmost Element
- peek() : you are able to view topmost Element
- size() : Size of the stacks

$\underline{\underline{Tc : O(1)}}$ → for each operation

```
class Stack
```

```
{  
    ArrayList<Integer> list;  
    int size;  
  
    Stack()  
    {  
        list = new ArrayList();  
        size = 0;  
    }
```

```
void push(int v) TC:O(1)
```

```
{  
    list.add(v);  
    size++;  
}
```

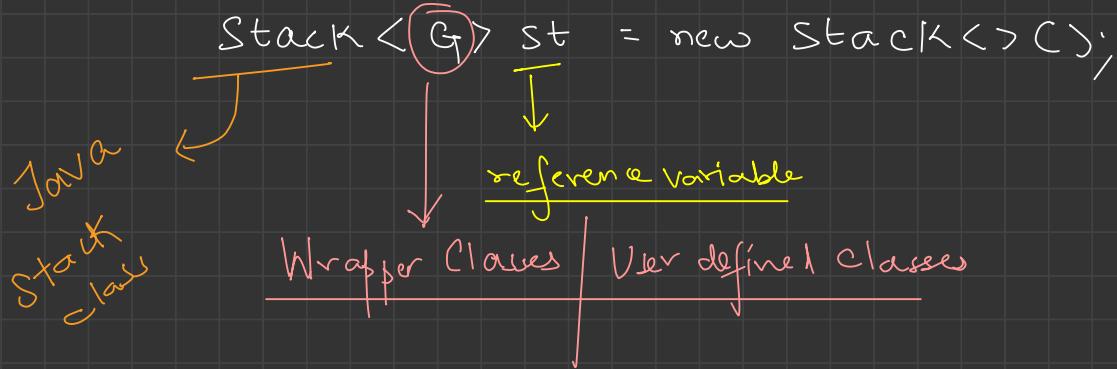
```
int pop() TC:O(1)  
{  
    if (size > 0)  
    {  
        int ele = list.remove(size - 1);  
        size--;  
        return ele;  
    }  
    else  
    {  
        System.out.println("Stack Underflow");  
        return -1;  
    }  
}  
  
int size()  
{  
    return size;  
}
```

Practical Examples of Stack



- Recursion
- Memory Management
- Cache
- Browser History | Back functionality

Syntax



st.push(10);

st.push(20);

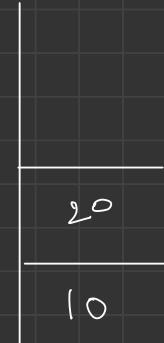
st.push(-100);

front(st.peek()); $\rightsquigarrow -100$

st.pop();

front(st.peek()); $\rightsquigarrow 20$

front(st.size()); $\rightsquigarrow 2$



Q

Extra Brackets

→ NO

$$\text{String str} = "(\alpha + b)";$$

$$= "(\underline{\alpha + b})"; \rightarrow \underline{\text{Yes}}$$

$$= "(a+b) + (c+d + (e*f)c)"; \rightarrow \underline{\text{Yes}}$$

$$= "((\alpha) + (b))"; \rightarrow \underline{\text{NO}}$$

$stx = "((a + (b * d + f - (m + n - o) * (p)))$

c
*
+
a
c

Stack

```

public boolean ExtraBrackets(String exp) {
    // Write your code here

    Stack<Character> st = new Stack<>();

    for (int i = 0; i < exp.length(); i++) {
        char ch = st.charAt(i);

        if (ch != ')') {
            st.push(ch);
        } else {
            // find corresponding opening bracket

            if (st.peek() == '(') {
                // no exp in between
                return true;
            } else {
                // remove exp
                while (st.size() != 0 && st.peek() != '(') {
                    st.pop();
                }

                // as we have a exp in between, so this pair is not a extra bracket
                st.pop();
            }
        }
    }

    return false;
}

```

$\text{exp} = "((a+b)*(d*f))"$



Stack

$T C; O(N)$

$S C - O(N)$

Next Greater Element On Right

$$\text{arr}[] = \{ 0, 1, 2, 3, 4, 5, 6, 7, 8, 9 \}$$

nger[] = { 6, 7, 2, 7, -1, 4, 5, 2, 5, -1 }

~~Brute force~~ Nested loop }
TC: $O(N^2)$
SC: $O(1)$

$\boxed{\text{TC: } O(N) ?}$



```
// potential next greater elements on right
Stack<Long> st = new Stack<>();
long[] nger = new long[n];

for (int i = n - 1; i >= 0; i--) {
    // do you have people in stack
    // if there are people in stack, are they big enough to be mine next greater on right
    // if not remove them
    while (st.size() > 0 && st.peek() <= arr[i]) {
        st.pop();
    }
    if (st.size() == 0) {
        nger[i] = -1;
    } else {
        nger[i] = st.peek();
    }

    // I can also be a potential nger for left people
    st.push(arr[i]);
}

return nger;
```

$O(N)$ \rightarrow $O(N \log N)$

N times



$$\begin{matrix} n^1 & n^2 \\ \cdot & \cdot \\ a & b \end{matrix} \dots =$$

$$\sum_i \text{work} = a + b + c + \dots + z$$

$$= \underline{\underline{O(N)}}$$

$T_C : O(N)$
$S_C : O(N)$

$ans[] = \{ 0, 1, 2, 3, 4, 5, 6, 7, 8, 9 \}$

$nger[] = \{ 6, 7, 2, 7 \}$

Monotonic stack

Adv

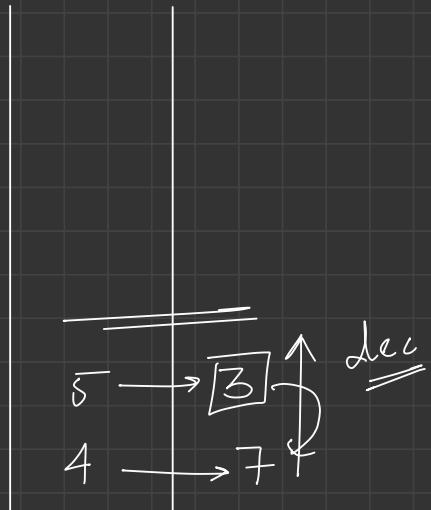
① you get index

S

② you can compute

nger_l, nger_r

→ same iteration!



stack → people looking nger!

Stock Span problem.

$$\{ 0, 1, 2, 3, 4, 5, 6 \}$$
$$\{ 100, 80, 60, 70, 60, 75, 85 \}$$

$$\{ 1, 1, 1, 2, 1, 4, 6 \}$$

—————

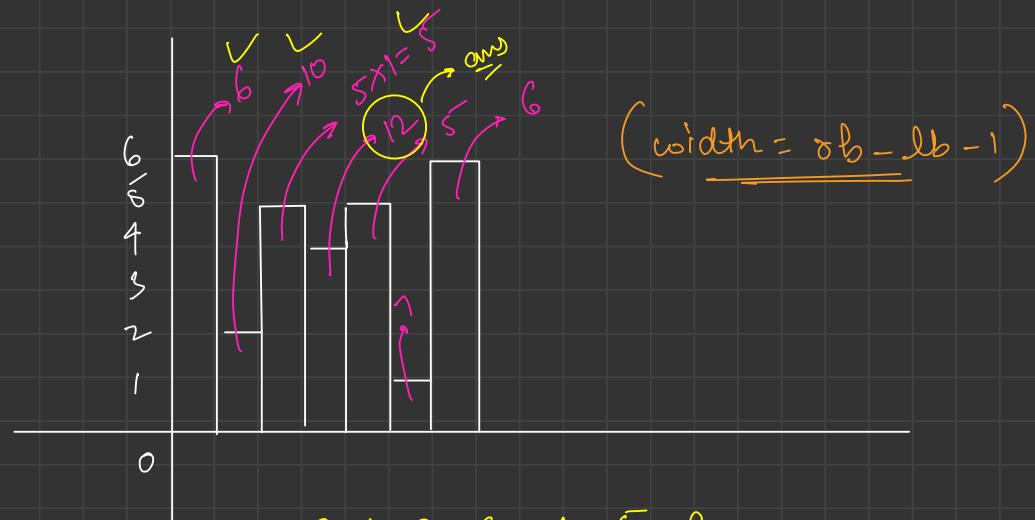
ngeli

$$\{ -1, 0, 1, 1, 3, 1, 0 \}$$

—————

↳ $\mathcal{O}(n^2)$

Largest Area Histogram



$$\text{heights} [] = \{ 6, 2, 5, 4, 5, 1, 6 \}$$

$$\text{nseli} [] = \{ -1, -1, 1, 1, 3, -1, 5 \}$$

$$\text{nseki} [] = \{ 1, 5, 3, 5, 5, 7, 7 \}$$

$$1 - c - d - 1 = 1$$

$$6 \times 1 = 6$$

$$5 - c - d - 1 = 5$$

$$5 \times 2 = 10$$

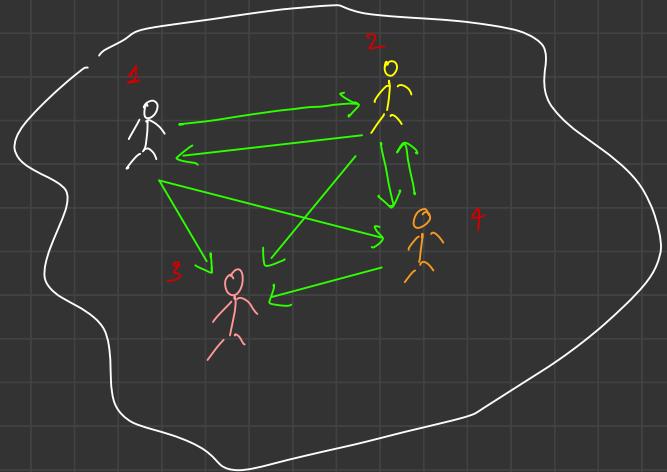
$$5 \times 1 = 5$$

Steps
=

- ① get next small ele. on left index
- ② get next small ele. on right index
- ③ compute width = $rb - lb - 1$
compute area = width * height
- ④ Max area is your ans

```
public static long maximumArea(long hist[], long n) {  
    //Your code here  
  
    // get nseli  
    int[] nseli = getNSELI(hist, (int) n);  
  
    // get nseri  
    int[] nseri = getNSERI(hist, (int) n);  
  
    // get max area  
    long maxArea = 0;  
    for (int i = 0; i < (int) n; i++) {  
        long h = hist[i];  
        int w = nseri[i] - nseli[i] - 1;  
        long area = h * w;  
  
        maxArea = Math.max(maxArea, area);  
    }  
  
    return maxArea;  
}
```

Celebrity Problem



person	knows
1	→ 2, 3, 4 ✓
2	→ 1, 3, 4 ✓
3	→
4	→ 2, 3 ✓

{ Celebrity is a person who is known by everyone and he doesn't know anyone! .

int Δ Γ Γ arr =



Matrix with handwritten annotations:

	0	1	2	3	4
0	0	1	1	1	1
1	1	0	1	1	1
2	1	1	0	0	1
3	1	1	1	0	1
4	0	0	0	0	0

Annotations:

- Crossed-out entries: (0,1), (1,0), (2,1), (3,2), (3,3), (4,1), (4,2), (4,3), (4,4).
- Circled entries: (0,0), (1,1), (2,0), (3,0), (4,0).
- A green oval encloses the last four columns (1, 2, 3, 4).
- A green arrow points from the matrix to the text "complete col= 1".
- A green circle encloses the first row (0, 1, 2, 3, 4).
- A green arrow points from the matrix to the text "complete row= 0".

Brute force

$$\frac{\{ \text{TC}: O(n^2) \}}{\text{SC}: O(1)}$$

$\text{int } \text{arr}[5][5]$ arr =

	0	1	2	3	4
0	0	1	1	1	1
1	1	0	1	1	1
2	1	1	0	0	1
3	1	1	1	0	1
4	0	0	0	0	0



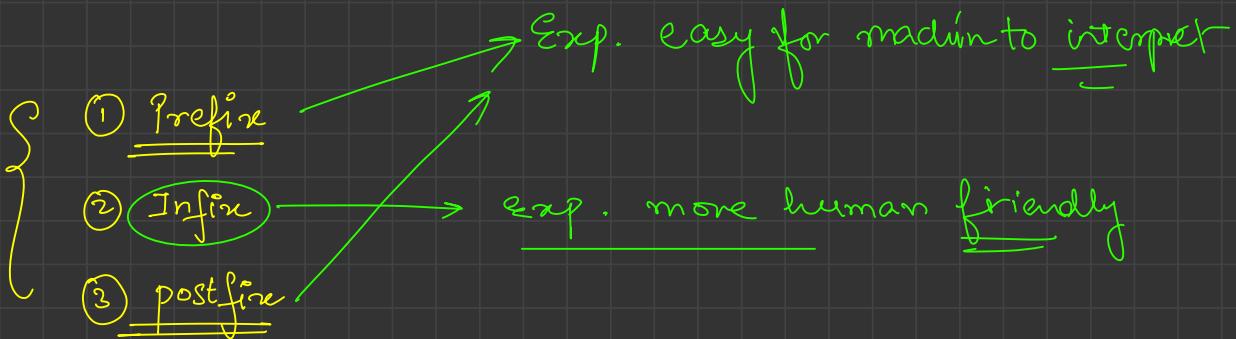
4

celeb Stack

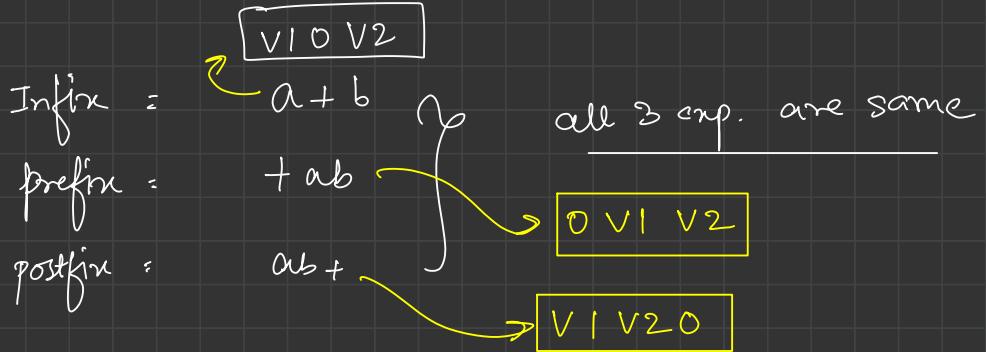


Infix Evaluation

Infix Expression



eg



$$\text{Exp} = ((2 + ((6 * 4) / 8)) - 3)$$

$$= ((2 + (24 / 8)) - 3)$$

$$= ((2 + 3) - 3)$$

$$= (5 - 3)$$

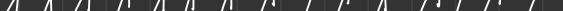
$$= 2$$

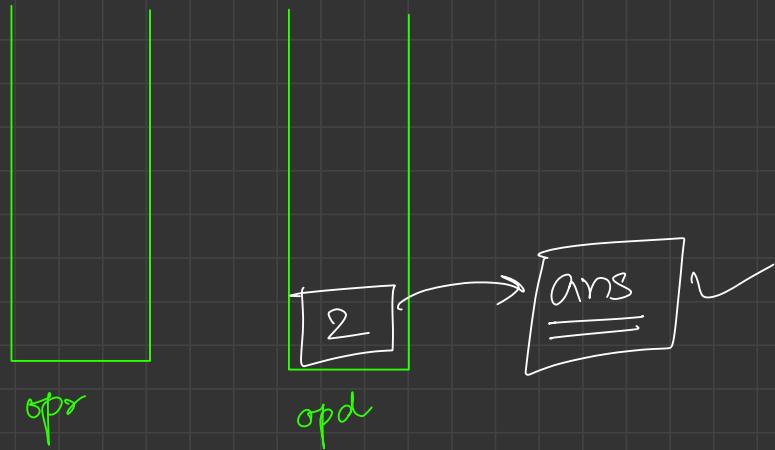
evaluate

precedence

MC.

* , /
+, -

$$\text{Exp} = ((2 + ((6 * 4) / 8)) - 3)$$




exp : $(15 * 3) / 5$

~~15 * 3~~ ~~/~~ ~~5~~

$$45 \mid 5$$

$\boxed{=9}$

$\boxed{/}$

opr

$\boxed{5}$

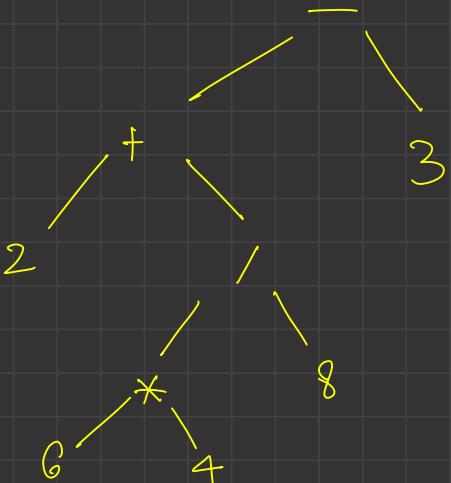
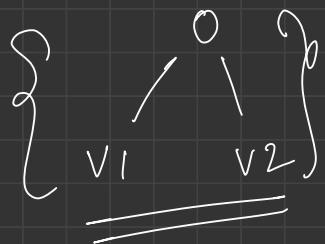
opd

$15 * 3$

$\overline{\quad} = 45 \overline{\quad}$

~~E2P~~. $((2 + ((6 * 4) / 8)) - 3)$

v1 0 v2



$- + 2 / * 6 4 8 3$

prefix

Infix = v1 0 v2 {
prefix = 0 v1 v2 }
postfix = v1 v2 0 }

