Kezdés ideje 2019. November 25., Monday, 19:04

Állapot Befejezte

Befejezés dátuma 2019. November 26., Tuesday, 08:01

Felhasznált idő 12 óra 56 perc Pontok 19,51/25,00

Pont 7,81 a maximum 10,00 közül (78%)

Információ

A feladatok megoldása során a képzetes egység jelölésére a "j" karaktert használja!

$$\sqrt{(-1)} = j$$

A képzetes egység jelölésére az "i" karaktert nem fogadjuk el!

A feladatok megoldása során a számolt értékeket 4 tizedesjegy hosszan adja meg!

Azon feladatrészekben, ahol szöget kell megadni válaszul, a szög értékét radiánban adja meg $[-\pi, +\pi]$ értékhatárok között!

1 kérdés

Helyes 2,00 közül 2,00 leosztályozva Adott egy folytonos idejű rendszer az alábbi állapotváltozós leírással:

$$\underline{x}'(t) = egin{bmatrix} 22.4918 & -29.0579 \ 25.7377 & -22.2918 \end{bmatrix} \underline{x}(t) + egin{bmatrix} -15.5 \ -16.4 \end{bmatrix} u(t)$$

$$y(t) = \begin{bmatrix} 14.4 & -1.8 \end{bmatrix} x(t) + (16.2)u(t)$$

Számítsa ki és adja meg a b_0 , b_1 , b_2 , a_0 , a_1 és a_2 paraméterek értékét a rendszer átviteli karakterisztikájának normál alakjában:

$$H(j\omega) = rac{b_0(j\omega)^2 + b_1(j\omega) + b_2}{a_0(j\omega)^2 + a_1(j\omega) + a_2}$$

$$b_0 = 16.2$$
 , b

$$b_2 = 5794.4533$$

$$a_0 = \boxed{1}$$

$$u_1 = \boxed{-0.2}$$

$$a_2 = 246.5008$$

Your last answer was interpreted as follows: 16.2

Your last answer was interpreted as follows: $-196.92\,$

Your last answer was interpreted as follows: 5794.4533

Your last answer was interpreted as follows: 1

Your last answer was interpreted as follows: -0.2

Your last answer was interpreted as follows: 246.5008

Helyes válasz. Helyes válasz. Helyes válasz. Helyes válasz. Helyes válasz.

Helyes válasz.

A correct answer is 16.2, which can be typed in as follows: 16.2

A correct answer is -196.92, which can be typed in as follows: -196.92

A correct answer is 5934.22084855 , which can be typed in as follows: $\boxed{}$ 5934.22084855

A correct answer is 1, which can be typed in as follows: 1

A correct answer is -0.2, which can be typed in as follows: -0.2

A correct answer is 246.500805589, which can be typed in as follows: 246.500805589

2,00 közül 2,00 leosztályozva

Adott egy diszkrét idejű rendszer az alábbi állapotváltozós leírással:

$$\begin{split} \underline{x}[k+1] &= \begin{bmatrix} 0.7888 & 0.0742 \\ -0.0169 & 0.9112 \end{bmatrix} \underline{x}[k] + \begin{bmatrix} 3.7 \\ -15.9 \end{bmatrix} u[k] \\ y[k] &= \begin{bmatrix} -39.7 & -33.9 \end{bmatrix} \underline{x}[k] + (-3.6)u[k] \end{split}$$

Számítsa ki és adja meg a b_0 , b_1 , b_2 , a_1 , a_2 paraméterek értékét a rendszer átviteli karakterisztikájának normál alakjában:

$$H(e^{jartheta})=rac{b_0+b_1e^{-jartheta}+b_2e^{-2jartheta}}{1+a_1e^{-jartheta}+a_2e^{-2jartheta}}$$

$$b_0 = \boxed{-3.6}$$

$$b_1 = \boxed{398.24}$$

$$b_2 = \boxed{-244.96}$$

$$a_1 = \boxed{$$
 -1.7

$$a_2 = 0.72$$

Your last answer was interpreted as follows: $-3.6\,$

Your last answer was interpreted as follows: $\ensuremath{398.24}$

Your last answer was interpreted as follows: -244.96

Your last answer was interpreted as follows: -1.7

Your last answer was interpreted as follows: 0.72

Helyes válasz.

A correct answer is -3.6, which can be typed in as follows: -3.6

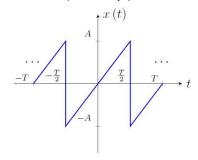
A correct answer is 398.24, which can be typed in as follows: 398.24

A correct answer is -242.372401327, which can be typed in as follows: -242.372401327

A correct answer is -1.7, which can be typed in as follows: $\boxed{\text{-1.7}}$

A correct answer is 0.720008539999, which can be typed in as follows: 0.720008539999

0,00 közül 2,00 leosztályozva Adott az alábbi T periódus idejű periodikus fűrészfog jel:



Az ábrán feltüntetett paraméterek értékei: A=7.2 .

Számolja ki a jel Fourier-polinómjának első három nem nulla értékű együtthatóját!

$$X_1 = 2.9181$$

Your last answer was interpreted as follows: 2.9181

Helytelen válasz.

Az X_1 értéke helytelen!

$$X_2 = 0.3242$$

Your last answer was interpreted as follows: 0.3242

Helytelen válasz.

Az X_2 értéke helytelen!

$$X_3 = 0.1167$$

Your last answer was interpreted as follows: $0.1167\,$

Helytelen válasz.

Az X_3 értéke helytelen!

Helytelen válasz.

A correct answer is $\frac{7.2}{\pi}$, which can be typed in as follows: 7.2/%pi

A correct answer is $-\frac{3.6}{\pi}$, which can be typed in as follows: -3.6/% pi

A correct answer is $\frac{2.4}{\pi}$, which can be typed in as follows: 2.4/%pi

4 kérdés

Helyes

2,00 közül 2,00 leosztályozva Egy diszkrét idejű periodikus jel egy periódusának értékei az alábbiak:

$$\begin{array}{l} x[0] = -4.3, x[1] = 9.6, x[2] = 4.5, x[3] = -0.4, \\ x[4] = 1.3, x[5] = -3.8, x[6] = -4.3, x[7] = 7.2 \end{array}$$

Adja meg a jel komplex Fourier-sorának 6. harmónikushoz tartozó komplex együtthatóját!

$$U_N^C = 0.4191$$
*e^(-2.8387*j)

Your last answer was interpreted as follows: $0.4191 \cdot e^{-2.8387 \cdot \mathrm{j}}$

Helyes válasz.

A correct answer is $-0.125 \cdot j - 0.4$, which can be typed in as follows: (-0.125*%i)-0.4

. .

4,00 közül 4,00 leosztályozva Egy folytonos idejű rendszer átviteli karakterisztikája a következő alakban adott:

$$H(j\omega)=rac{2\cdot j\omega+5}{\left(j\omega
ight)^2+9\cdot j\omega+5}$$

A rendszert az alábbi jel gerjeszti:

$$u(t) = 16 + 11\cos(2t) + 4\cos(4t)$$

1. Határozza meg az átviteli tényező értékeit a válasz kiszámításához szükséges körfrekvenciákon! $(\omega_0<\omega_1<\omega_2)$

$$H_0(j\omega_0)= oxed{1}$$

Your last answer was interpreted as follows: 1

Helyes válasz.

$$H_1(j\omega_1) = 0.3552$$
*e^(-0.8406*j)

Your last answer was interpreted as follows: $0.3552 \cdot e^{-0.8406 \cdot \mathbf{j}}$

Helyes válasz.

$$H_2(j\omega_2) = ext{0.2506*e^{(-0.8551*j)}}$$

Your last answer was interpreted as follows: $0.2506 \cdot e^{-0.8551 \cdot \mathrm{j}}$

Helyes válasz.

2. Határozza meg a rendszer válaszának időfüggvényét a megadott gerjesztésre, ha a választ az alábbi alakban keressük:

$$y(t) = Y_0 + Y_1 \cdot cos(2t + \varphi_1) + Y_2 \cdot cos(4t + \varphi_2)$$

$$Y_0=$$
 16 , $Y_1=$ 3.9072 , $arphi_1=$ -0.8406 , $Y_2=$ 1.0024 , $arphi_2=$ -0.8551

Your last answer was interpreted as follows: 16

Your last answer was interpreted as follows: 3.9072

Your last answer was interpreted as follows: -0.8406

Your last answer was interpreted as follows: 1.0024

Your last answer was interpreted as follows: -0.8551

Helyes válasz.

Helyes válasz.

A correct answer is 1, which can be typed in as follows: $\boxed{\mathbf{1}}$

A correct answer is $\frac{4\cdot j+5}{18\cdot j+1}$, which can be typed in as follows: $\boxed{(4*\%i+5)/(18*\%i+1)}$

A correct answer is $\frac{8\cdot j+5}{36\cdot j-11}$, which can be typed in as follows: $\boxed{(8*\%i+5)/(36*\%i-11)}$

A correct answer is 16, which can be typed in as follows: $\boxed{ 16}$

A correct answer is $\frac{11\cdot\sqrt{41}}{5\cdot\sqrt{13}}$, which can be typed in as follows: (11*sqrt(41))/(5*sqrt(13))

A correct answer is $atan\left(\frac{4}{5}\right) - atan\left(18\right)$, which can be typed in as follows: atan(4/5)-atan(18)

A correct answer is $\frac{4\sqrt{89}}{\sqrt{1417}}$, which can be typed in as follows: (4*sqrt(89))/sqrt(1417)

A correct answer is $atan\left(\frac{36}{11}\right) + atan\left(\frac{8}{5}\right) + \pi$, which can be typed in as follows: atan(36/11) + atan(8/5) + %pi

Részben hely

3,87 közül 4,00 leosztályozva Egy diszkrét idejű rendszer átviteli karakterisztikája az alábbi alakban adott:

$$H(e^{jartheta}) = rac{11.54 e^{jartheta} + (-18.48)}{e^{j2artheta} + (-0.5) e^{jartheta} + 0.8}$$

A rendszert a következő jel gerjeszti:

$$u[k] = -8.0 + (-4.6)cos\left(\frac{2\cdot\pi}{7}k + (-0.11)\right) + (-2.5)cos\left(\frac{4\cdot\pi}{7}k + (-2.34)\right) + (9.0)cos\left(\frac{6\cdot\pi}{7}k + (-2.96)\right)$$

1. Adja meg a periodikus gerjesztés periódusszámát!

$$Z = 7$$

Your last answer was interpreted as follows: 7

Helyes válasz.

2. Határozza meg az átviteli tényező értékeit a válasz kiszámításához szükséges körfrekvenciákon! $(\Theta_0 < \Theta_1 < \Theta_2 < \Theta_3)$

$$H_0(e^{j\Theta_0})= lac{}{}$$
-5.3385

Your last answer was interpreted as follows: -5.3385

Helyes válasz.

$$H_1(e^{j\Theta_1}) = 22.5190$$
*e^(1.3233*j)

Your last answer was interpreted as follows: $22.519 \cdot e^{1.3233 \cdot \mathrm{j}}$

Helyes válasz.

$$H_2(e^{j\Theta_2}) = 25.9019^* \mathrm{e}^{\wedge} (-2.0729^* \mathrm{j})$$

Your last answer was interpreted as follows: $25.9019 \cdot e^{-2.0729 \cdot \mathrm{j}}$

Helyes válasz.

$$H_3(e^{j\Theta_3}) = 13.8017^* \mathrm{e}^{\wedge} (-2.8236^* \mathrm{j})$$

Your last answer was interpreted as follows: $13.8017 \cdot e^{-2.8236 \cdot \mathrm{j}}$

Helyes válasz.

3. Határozza meg a rendszer válaszának időfüggvényét a megadott gerjesztésre, ha a választ az alábbi alakban keressük:

$$y[k] = Y_0 + Y_1 cos(N_1 \frac{2 \cdot \pi}{7} k + X_1) + Y_2 cos(N_2 \frac{2 \cdot \pi}{7} k + X_2) + Y_3 cos(N_3 \frac{2 \cdot \pi}{7} k + X_3)$$

$$Y_0 = 42.7077$$
 , $Y_1 = 103.5874$, $N_1 = 1$, $X_1 = 2.1249$, $Y_2 = 64.7548$, $N_2 = 2$, $X_2 = 2$, $X_3 = 124.2153$, $X_3 = 3$, $X_4 = 2$, $X_5 = 2$, $X_7 = 2$, $X_8 = 2$

Your last answer was interpreted as follows: 42.7077

Your last answer was interpreted as follows: 103.5874

Your last answer was interpreted as follows: $2.1249\,$

Your last answer was interpreted as follows: 64.7548

Your last answer was interpreted as follows: 2

Your last answer was interpreted as follows: -1.2713

Your last answer was interpreted as follows: 124.2153

Your last answer was interpreted as follows: 3

Your last answer was interpreted as follows: 0.1428

Your last answer was interpreted as follows: 1

Részben helyes válasz. X_1 értéke helytelen! X_3 értéke helytelen!

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Részben helyes válasz.
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A correct answer is 7, which can be typed in as follows: 7

A correct answer is $\frac{11.54e^{\frac{2j\pi}{7}}-18.48}{e^{\frac{4j\pi}{7}}-0.5\cdot e^{\frac{2j\pi}{7}}+0.8}$, which can be typed in as follows:

(11.54*%e^((2*%i*%pi)/7)-18.48)/(%e^((4*%i*%pi)/7)-0.5*%e^((2*%i*%pi)/7)+0.8)

A correct answer is $\frac{\frac{4\cdot j\pi}{7}-18.48}{-0.5\cdot e^{\frac{4\cdot j\pi}{7}}+e^{-\frac{6\cdot j\pi}{7}}+0.8}, \text{ which can be typed in as follows:}$ $(11.54*\%e^{((4*\%i*\%pi)/7)-18.48})/((-0.5*\%e^{((4*\%i*\%pi)/7))+\%e^{-((6*\%i*\%pi)/7)+0.8})$

A correct answer is $\frac{11.54\cdot e^{-\frac{6\cdot j\pi}{7}}-18.48}{-0.5\cdot e^{\frac{6\cdot j\pi}{7}}+e^{-\frac{2\cdot j\pi}{7}}+0.8}$, which can be typed in as follows:

(11.54*%e^((6*%i*%pi)/7)-18.48)/((-0.5*%e^((6*%i*%pi)/7))+%e^-((2*%i*%pi)/7)+0.8)

A correct answer is 42.7076923076 , which can be typed in as follows: 42.7076923076

 $\frac{4.6 \cdot \sqrt{133.171599999 \cdot \sin^2\left(\frac{2\pi}{7}\right) + \left(11.54 \cdot \cos\left(\frac{2\pi}{7}\right) - 18.48\right)^2}}{\sqrt{\left(\sin\left(\frac{4\pi}{7}\right) - 0.5 \cdot \sin\left(\frac{2\pi}{7}\right)\right)^2 + \left(\cos\left(\frac{4\pi}{7}\right) - 0.5 \cdot \cos\left(\frac{2\pi}{7}\right) + 0.8\right)^2}}}, \text{ which can be typed in as follows:}$ A correct answer is -

(4.6*sqrt(133.171599999*sin((2*%pi)/7)^2+(11.54*cos((2*%pi)/7)-18.48)^2))/sqrt((sin((4*%pi)/7)-0.5*sin((2*%pi)/7))^2+(cos((4*%pi)/7)-0.5*co<mark>*</mark>((2

A correct answer is 1, which can be typed in as follows: 1

A correct answer is 1.21, which can be typed in as follows: 1.21

 $\frac{2.5 \cdot \sqrt{133.171599999 \cdot \sin^2\left(\frac{4 \cdot \pi}{7}\right) + \left(11.54 \cdot \cos\left(\frac{4 \cdot \pi}{7}\right) - 18.48\right)^2}}{\sqrt{\left(-\sin\left(\frac{6 \cdot \pi}{7}\right) - 0.5 \cdot \sin\left(\frac{4 \cdot \pi}{7}\right)\right)^2 + \left(\cos\left(\frac{6 \cdot \pi}{7}\right) - 0.5 \cdot \cos\left(\frac{4 \cdot \pi}{7}\right) + 0.8\right)^2}}, \text{ which can be typed in as follows:}$

 $(2.5* \mathsf{sqrt}(133.171599999* \mathsf{sin}((4*\% \mathsf{pi})/7)^2 + (11.54* \mathsf{cos}((4*\% \mathsf{pi})/7) - 18.48)^2))/\mathsf{sqrt}(((-\mathsf{sin}((6*\% \mathsf{pi})/7)) - 0.5* \mathsf{sin}((4*\% \mathsf{pi})/7))^2 + (\mathsf{cos}((6*\% \mathsf{pi})/7) - 0.5* \mathsf{cos}))/2 + (\mathsf{cos}((6*\% \mathsf{pi})/7) - 0.5* \mathsf{cos})/2 + (\mathsf{cos}((6*\% \mathsf{pi})/7) - 0.5*$

A correct answer is 2, which can be typed in as follows: 2

A correct answer is 1.87, which can be typed in as follows: 1.87

 $\frac{9.0 \cdot \sqrt{133.171599999 \cdot \sin^2\left(\frac{6 \cdot \pi}{7}\right) + \left(11.54 \cdot \cos\left(\frac{6 \cdot \pi}{7}\right) - 18.48\right)^2}}{\sqrt{\left(-0.5 \cdot \sin\left(\frac{6 \cdot \pi}{7}\right) - \sin\left(\frac{2 \cdot \pi}{7}\right)\right)^2 + \left(-0.5 \cdot \cos\left(\frac{6 \cdot \pi}{7}\right) + \cos\left(\frac{2 \cdot \pi}{7}\right) + 0.8\right)^2}}\,, \text{ which can be typed in as follows:}$ A correct answer is -

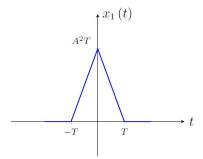
(9.0*sqrt(133.171599999*sin((6*%pi)/7)^2+(11.54*cos((6*%pi)/7)-18.48)^2))/sqrt(((-0.5*sin((6*%pi)/7))-sin((2*%pi)/7))^2+((-0.5*cos((6*%pi)/7)/1))+

A correct answer is 3, which can be typed in as follows: 3

A correct answer is 0.5, which can be typed in as follows: 0.5

Halvos

3,00 közül 3,00 leosztályozva 1. Adja meg az alábbi ábrán látható $x_1(t)$ szimmetrikus háromszögimpulzus komplex spektrumának C_1 , C_2 , C_3 és φ paramétereit, ha A= 1.8, és T=3.1.



A spektrum alakja:

$$X_1(j\omega) = C_1 rac{sin(\omega C_2)}{\left(\omega C_3
ight)^2} sin(\omega C_2) e^{-jarphi}$$

$$C_1 = 31.1364$$

Your last answer was interpreted as follows: 31.1364

Helyes válasz.

$$C_2 = \boxed{ exttt{1.55} }$$

Your last answer was interpreted as follows: $1.55\,$

Helyes válasz.

$$C_3= \boxed{$$
 1.55

Your last answer was interpreted as follows: $1.55\,$

Helyes válasz.

$$arphi=$$
 0

Your last answer was interpreted as follows: $\boldsymbol{0}$

Helyes válasz.

2. Adja meg a spektrum valós $(Re\{X_1(j\omega)\})$ és képzetes $(Im\{X_1(j\omega)\})$ részének értékét az ω =61 körfrekvencián.

$$Re\{X_1(j61)\} = 0.0003$$

Your last answer was interpreted as follows: $3.0E-4\,$

Helyes válasz.

$$Im\{X_1(j61)\}= \boxed{0}$$

Your last answer was interpreted as follows: 0

Helyes válasz.

3. Adja meg az $\,x_1(t)$ jel energiáját (E_1) .

$$E_1 = \boxed{ 208.489}$$

Your last answer was interpreted as follows: 208.489

Helyes válasz.

Helyes válasz.

A correct answer is 31.1364, which can be typed in as follows: $\boxed{\mbox{31.1364}}$

A correct answer is 1.55, which can be typed in as follows: 1.55

A correct answer is 1.55, which can be typed in as follows: 1.55

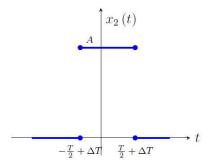
A correct answer is $\mathbf{0}$, which can be typed in as follows: $\mathbf{0}$

A correct answer is 3.0855313323E-4 , which can be typed in as follows: $\fbox{3.0855313323E-4}$

A correct answer is 0, which can be typed in as follows: $\boxed{\text{0}}$

A correct answer is 208.4893344, which can be typed in as follows: 208.4893344

Részben helyes 2,65 közül 3,00 leosztályozva 1. Adja meg az alábbi ábrán látható $x_2(t)$ szimmetrikus, eltolt négyszögimpulzus komplex spektrumának C_1 , C_2 , C_3 és C_4 paramétereit, ha az impulzus amplitúdója A=7.7, a szélessége T=4.1 és az eltolás $\Delta T=20$.



A spektrum alakja:

$$X_2(j\omega)=C_1rac{sin(\omega C_2)}{\omega C_3}e^{-j\omega C_4}$$

$$C_1 = 31.57$$

Your last answer was interpreted as follows: 31.57

Helyes válasz.

$$C_2 = 2.05$$

Your last answer was interpreted as follows: 2.05

Helyes válasz.

$$C_3 = 2.05$$

Your last answer was interpreted as follows: 2.05

Helyes válasz.

$$C_4=$$
 20

Your last answer was interpreted as follows: 20

Helyes válasz.

2. Adja meg a spektrum valós $(Re\{X_2(j\omega)\})$ és képzetes $(Im\{X_2(j\omega)\})$ részének C_5 - C_{14} paramétereit, ha a függvények alakjai a következőek:

$$Re\{X_2(j\omega)\}=C_5rac{sin(\omega C_6)}{\omega C_7}cos(\omega C_8)e^{j\omega C_9}$$

$$Im\{X_{2}(j\omega)\} = -C_{10}rac{sin(\omega C_{11})}{\omega C_{12}}sin(\omega C_{13})e^{j\omega C_{14}}$$

$$C_5 = 31.57$$

Your last answer was interpreted as follows: $31.57\,$

Helyes válasz.

$$C_6 = 2.05$$

Your last answer was interpreted as follows: $2.05\,$

Helyes válasz.

$$C_7 = 2.05$$

Your last answer was interpreted as follows: $2.05\,$

Helyes válasz.

$$C_8=$$
 20

Your last answer was interpreted as follows: $20\,$

Helyes válasz.

$$C_9=$$
 0

Your last answer was interpreted as follows: $\boldsymbol{0}$

Helyes válasz.

$$C_{10}= \boxed{$$
 31.5

Your last answer was interpreted as follows: $31.5\,$

Helyes válasz. $C_{11} = 2.05$ Your last answer was interpreted as follows: 2.05Helyes válasz. $C_{12}=\left|
ight.$ 2.05 Your last answer was interpreted as follows: $2.05\,$ Helyes válasz. $C_{13} = 20$ Your last answer was interpreted as follows: $20\,$ Helyes válasz. $C_{14} = 0$ Your last answer was interpreted as follows: $\boldsymbol{0}$ Helyes válasz. 3. Adja meg a spektrum valós $(Re\{X_2(j\omega)\})$ és képzetes $(Im\{X_2(j\omega)\})$ részének értékét az ω =75 körfrekvencián. $Re\{X_2(j75)\} = -0.0225$ Your last answer was interpreted as follows: -0.0225Helytelen válasz. A spektrum valós részének az értéke az adott körfrekvencián helytelen! $Im\{X_2(j75)\} = 0.2032$ Your last answer was interpreted as follows: 0.2032Helytelen válasz. A spektrum valós részének az értéke az adott körfrekvencián helytelen! 4. Adja meg az $x_2(t)$ jel energiáját (E_2) . $E_2 = 243.089$ Your last answer was interpreted as follows: 243.089

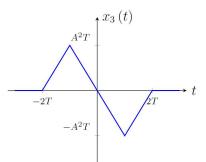
Helyes válasz.

Részben helyes válasz. A correct answer is 2.05, which can be typed in as follows: 2.05A correct answer is 2.05, which can be typed in as follows: 2.05A correct answer is 20, which can be typed in as follows: 20 A correct answer is 2.05, which can be typed in as follows: 2.05A correct answer is 2.05, which can be typed in as follows: 2.05 A correct answer is 20, which can be typed in as follows: 20A correct answer is $\mathbf{0}$, which can be typed in as follows: $\mathbf{0}$ A correct answer is 2.05, which can be typed in as follows: 2.05 A correct answer is 2.05, which can be typed in as follows: 2.05A correct answer is 20, which can be typed in as follows: 20A correct answer is 0, which can be typed in as follows: 0A correct answer is $0.038383746548 \cdot \cos(1500)$, which can be typed in as follows: 0.038383746548* $\cos(1500)$ A correct answer is $-0.038383746548 \cdot \sin(1500)$, which can be typed in as follows: -0.038383746548* $\sin(1500)$ A correct answer is 243.089, which can be typed in as follows: 243.089



Nincs rá válasz

3,00 közül leosztályozva 1. Adja meg az alábbi ábrán látható $x_3(t)$ jel komplex spektrumának C_1, C_2, C_3 és C_4 paramétereit, ha A=1.8 és T=3.1.



A spektrum alakja:

$$X_3(j\omega)=C_1rac{sin^2(\omega C_2)}{\left(\omega C_3
ight)^2}sin(\omega C_4)e^{jC_5}$$

$$C_1 =$$

$$C_2 =$$

$$C_3 =$$

$$C_4 =$$

$$C_5=$$

2. Adja meg a spektrum valós $(Re\{X_3(j\omega)\})$ és képzetes $(Im\{X_3(j\omega)\})$ részének C_6 - C_{11} paramétereit, ha a függvények alakjai a következőek:

$$Re\{X_3(j\omega)\} = C_6$$

$$Im\{X_{3}(j\omega)\} = C_{7}rac{sin^{2}(\omega C_{8})}{\left(\omega C_{9}
ight)^{2}}sin(\omega C_{10})e^{jC_{11}}$$

$$C_6 =$$

$$C_7 =$$

$$C_8 =$$

$$C_9 =$$

$$C_{10}= oxed{egin{array}{c} }$$

$$C_{11} =$$

3. Adja meg a spektrum valós $(Re\{X_3(j\omega)\})$ és képzetes $(Im\{X_3(j\omega)\})$ részének értékét az ω =61 körfrekvencián.

$$Re\{X_3(j61)\} =$$

$$Im\{X_3(j61)\} =$$

4. Adja meg az $\,x_3(t)$ jel energiáját (E_3) .

$$E_3 =$$

A correct answer is 62.2728, which can be typed in as follows: 62.2728

A correct answer is 1.55, which can be typed in as follows: 1.55

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A correct answer is 3.1, which can be typed in as follows: $\boxed{\textbf{3.1}}$

A correct answer is $\frac{\pi}{2}$, which can be typed in as follows: %pi/2

A correct answer is 0, which can be typed in as follows: $\boxed{\mathfrak{o}}$

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A correct answer is 3.1, which can be typed in as follows: 3.1

A correct answer is 0, which can be typed in as follows: $\[em o \]$

A correct answer is $\mathbf{0}$, which can be typed in as follows: $\mathbf{0}$

A correct answer is 3.50702744894E-4, which can be typed in as follows: $\fbox{3.50702744894E-4}$

A correct answer is 416.9786688, which can be typed in as follows: 416.9786688

■ 1. Házi feladat

Ugrás...

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