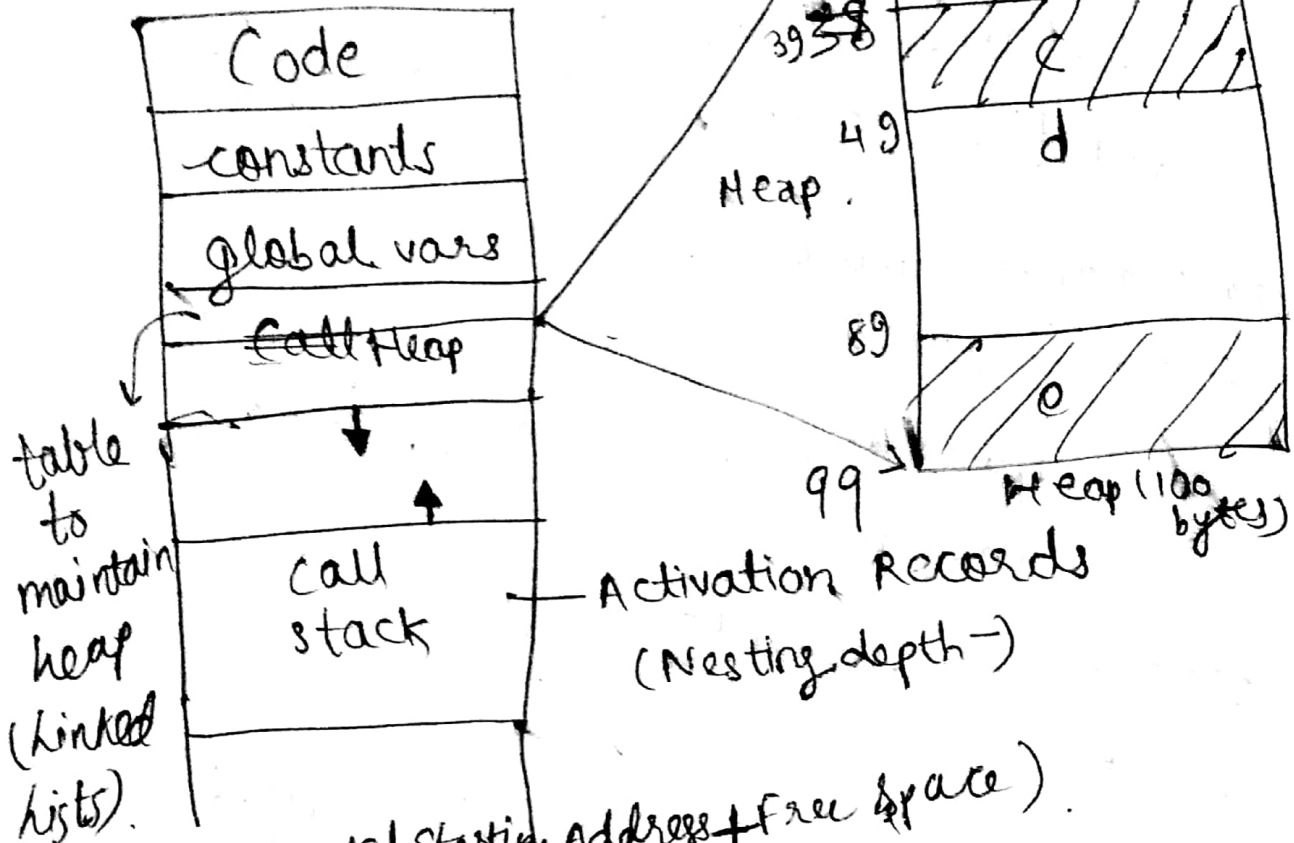


Dt: 09/02/18

* Heap Management

Memory



(size + allocated starting address + free space)

a = malloc(10)

b = malloc(30)

c = malloc(10)

d = malloc(40)

e = malloc(10)

free(c)

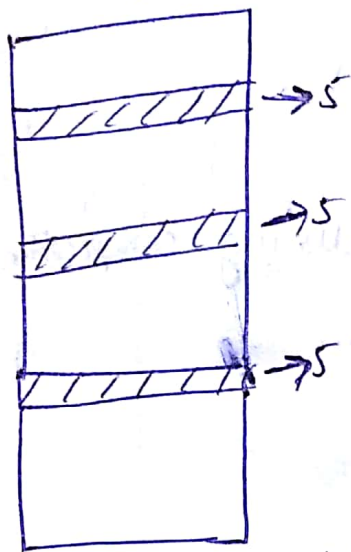
free(e)

First fit algorithm: First free area(hole)

Best fit algorithm: Size of memory requested
(or closest to size of memory).

Worst fit algorithm: Return free area of maximum size.

→ Disadvantage: External fragmentation.



→ (Much space but not contiguous)

↑ depends on threshold.

Internal fragmentation:

16 bytes allocated to any requested.

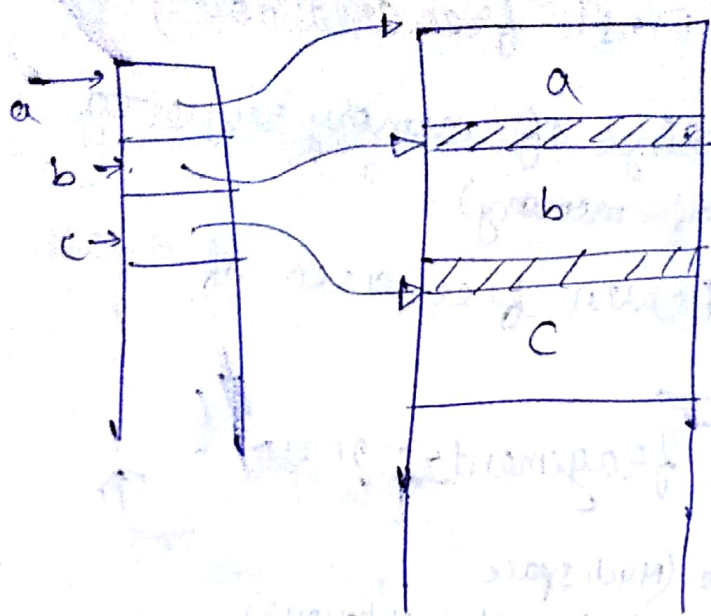
If 10 bytes asked, we waste 6 bytes because keeping overhead of 6 bytes is more trouble.

(Granularity - min. size allocated by heap)

Solⁿ for external fragmentation:

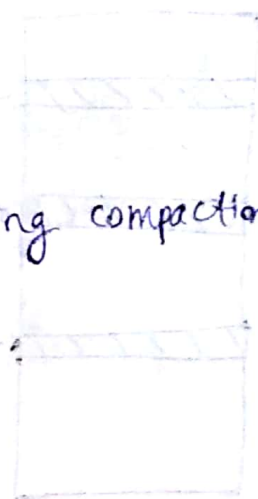
Compaction: Move the allocated spaces ahead & create larger holes.

Updation of program variables is the Que.

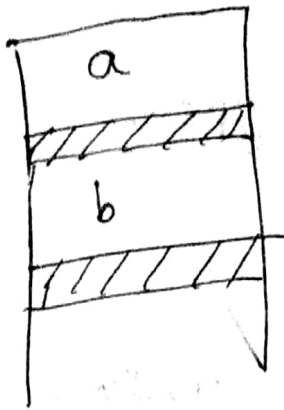


Improvement.

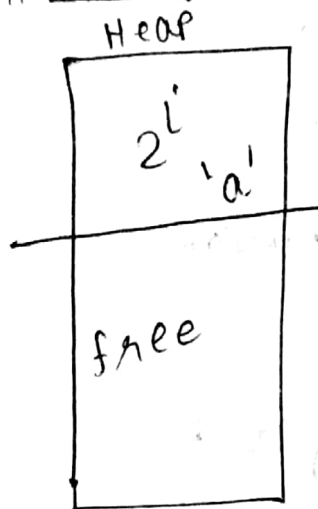
Change program variables during compaction.
(No double dereferencing).



* Dt: 12/02/18



* Buddy System

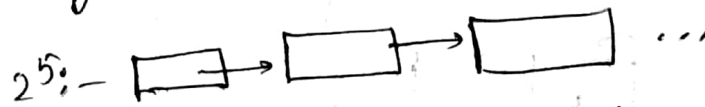


$a = x$ bytes

$$\begin{aligned} 2^i &\geq x \\ 2^{i-1} &< x \end{aligned}$$

Find such an i .

Free lists of different sizes
[say threshold 2^5]



Size: 2^n bytes

Cost: Too big internal fragmentation.

* Fibonacci Heap

The sizes we look for is Fibonacci Numbers
(closest to the request).

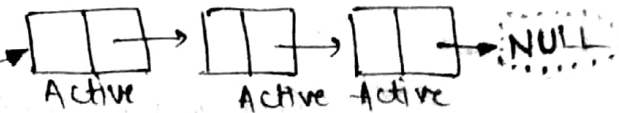
1, 1, 2, 3, 5, 8, 13, ...

* Type Descriptor

- Keeps track of pointers in a type.

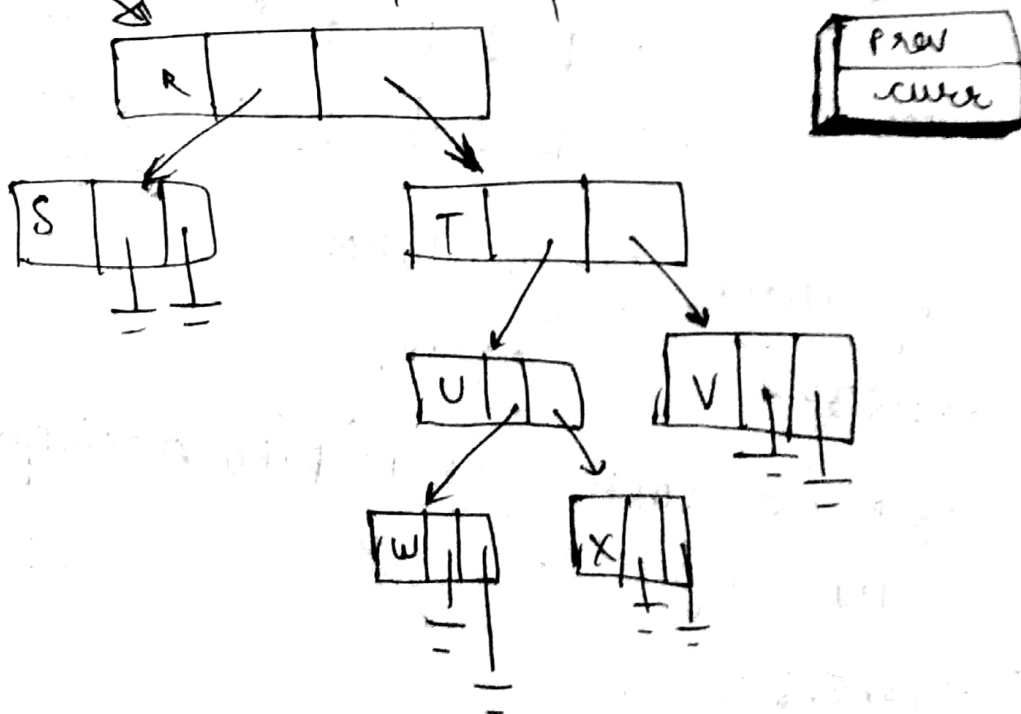
* Mark & Sweep Garbage Collection:

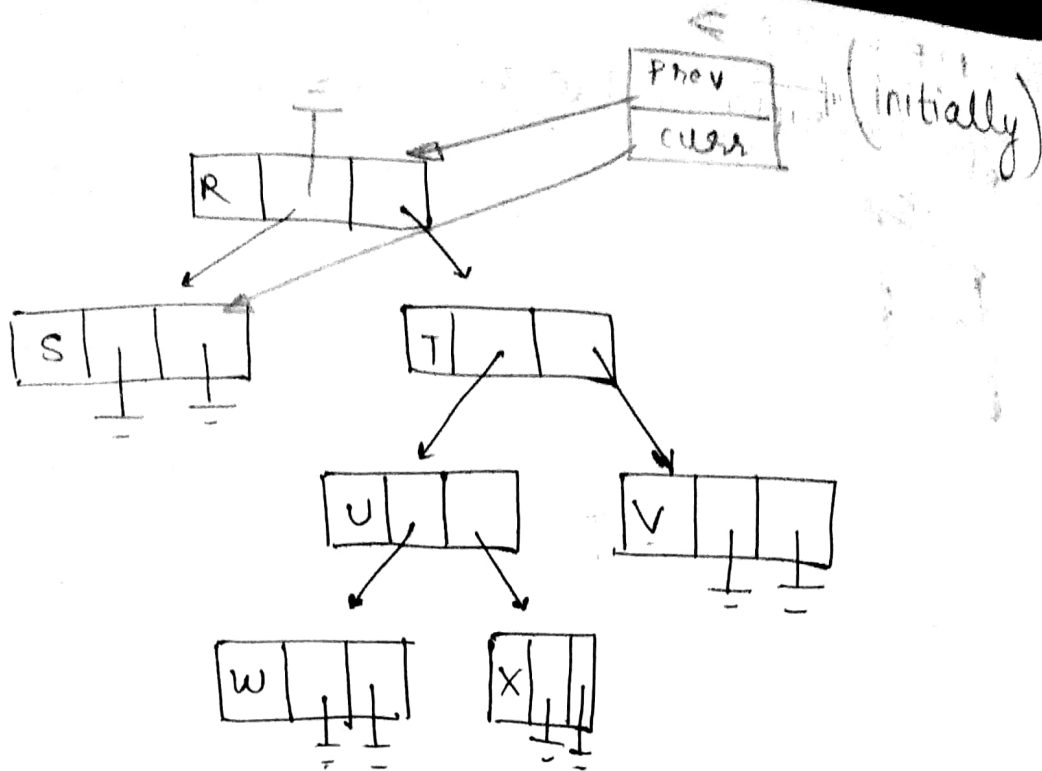
- >> Trace the heap; mark everything as being inactive.
- >> starting from pointers outside the heap mark the pointed heap element as Active.
- >> Collect out the inactive elements.

eg:  (Uses Recursion)

h
(outside the heap)

root To Avoid Recursion (use of stack)



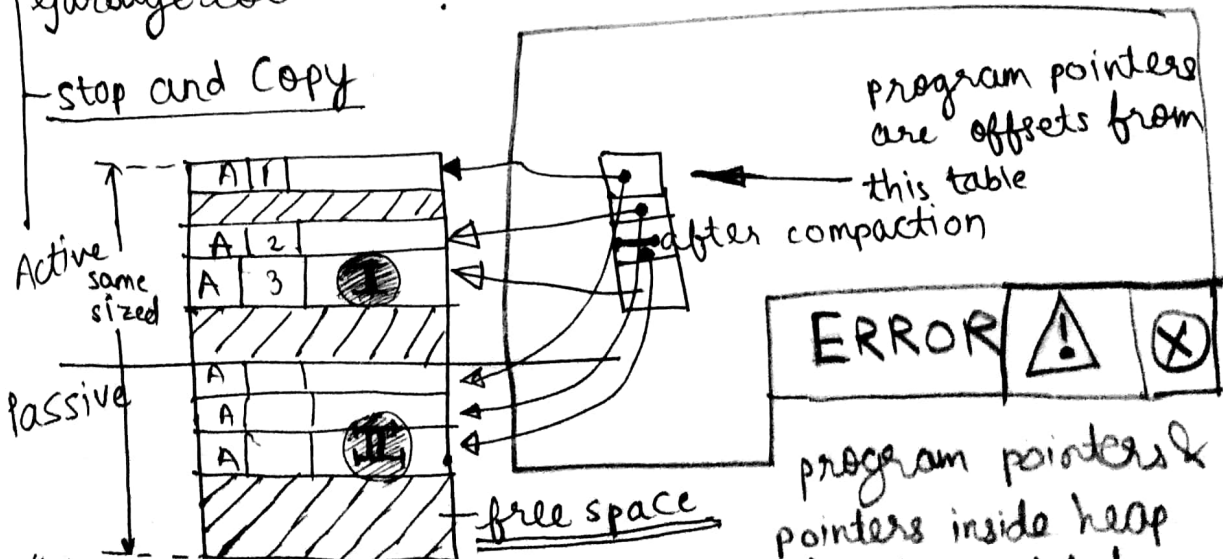


{gc - garbage collector for Java explicitly }

* Any n-ary tree can be converted to binary tree. *

* How can we do compaction after garbage collection? *

stop and Copy



(Virtual Memory - used here).

Assume malloc uses 'I' only. Can I do it better?
When 'I' is full, collect garbage and copy the active elements to 'II'.

Dt: 19 Feb 2018 ➔

* Type Descriptor Table :



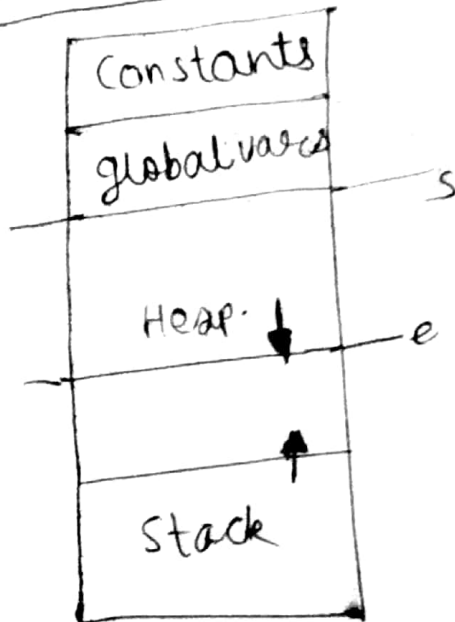
*Generational collection:

Divide the heap into multiple small parts



perform promotion.

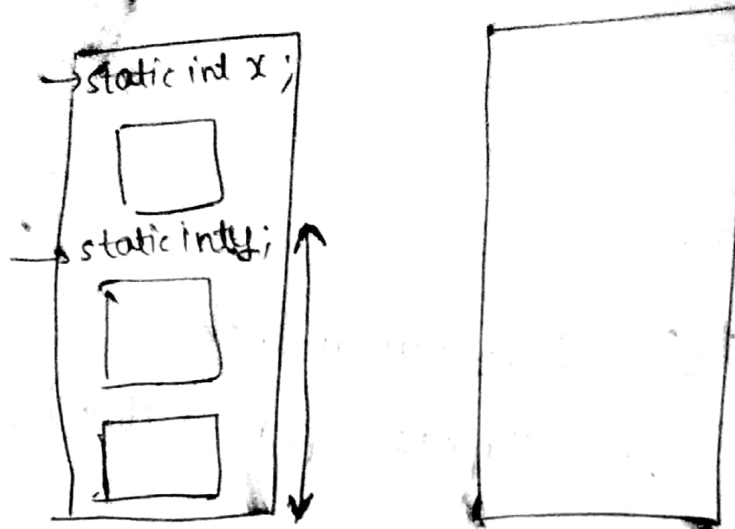
*Conservative Collection : (do away with Typedescriptor table).



Some of inactive
elements are not
freed/up (collected).
Compaction not possible.

Dt: 23 Feb 2018

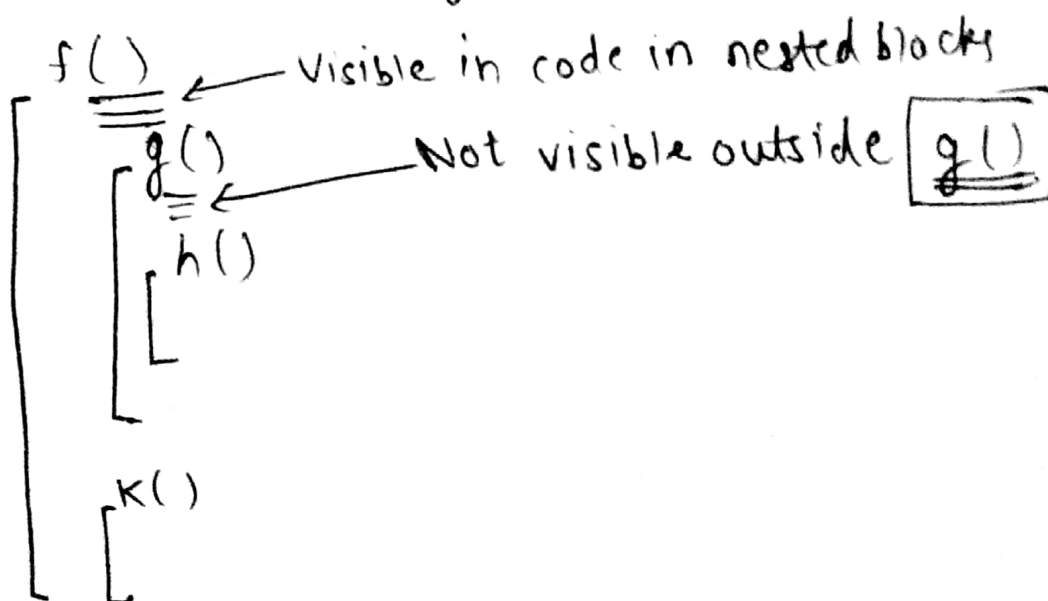
• Names & Scopes

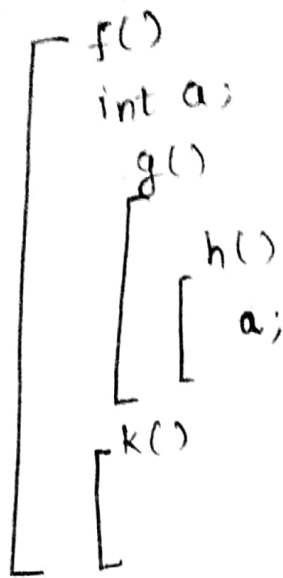


Static Scoping languages: Every reference to a variable can be mapped to a particular definition;

Block structured languages

inside function begins becomes local to outside function





Dynamic Scoping Languages :

```

f(){
  a; // access to a
}

g(){
  int a;
  f();
}

h(){
  float d;
  f();
}
  
```

} searches for definition in f();
 if (not found)
 then looks where it was called from.
 #

O/P depends on what kind of scoping a lang. supports.

program abc;

var a: integer;

procedure first;

begin

a := 1;

end;

procedure second;

~~var~~ var a: integer;

begin

first;

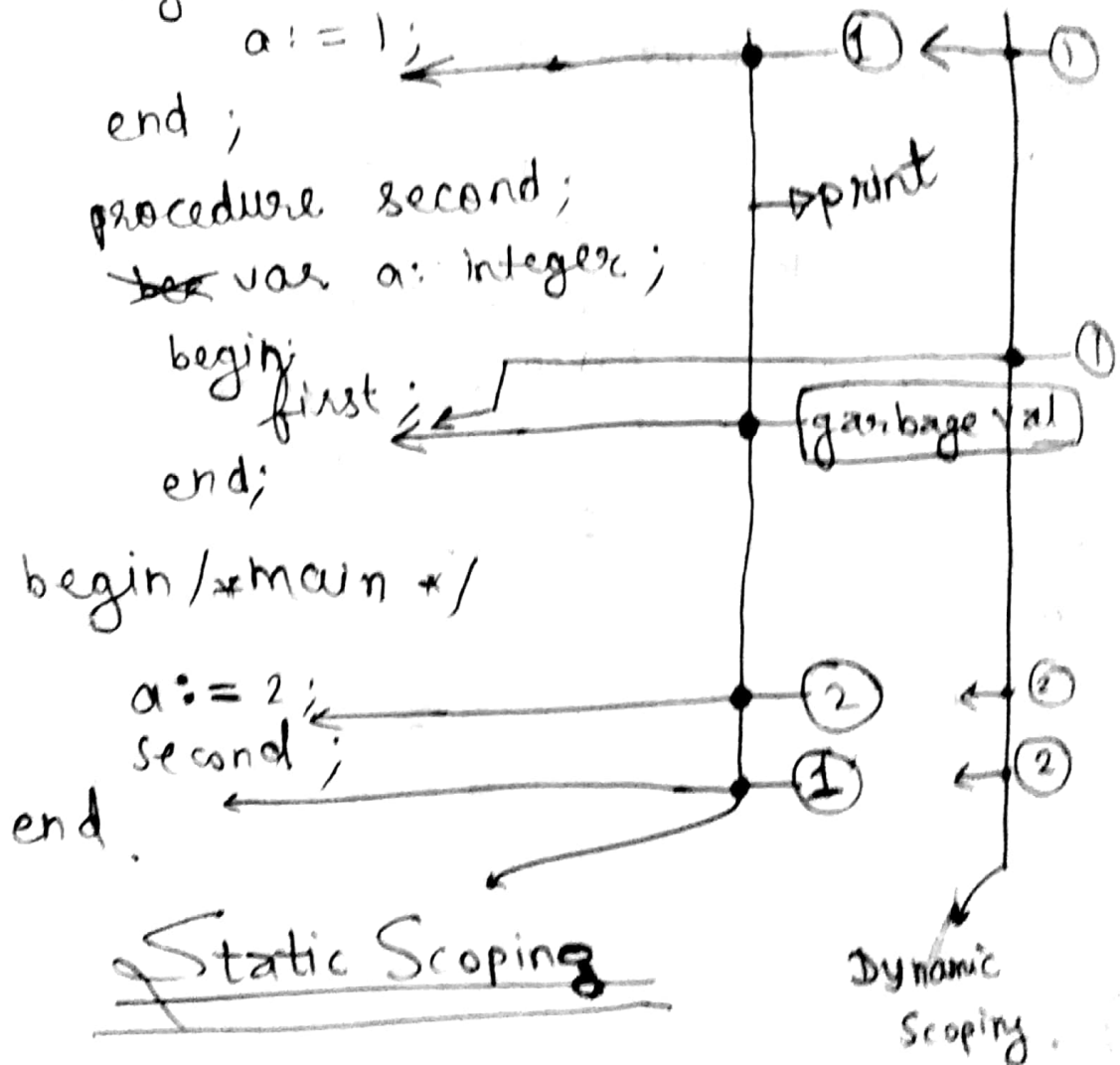
end;

begin /* main */

a := 2;

second;

end.



double sum, sum_of_squares;

void accumulate(double &x) { // cpp

sum += x;

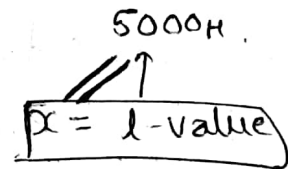
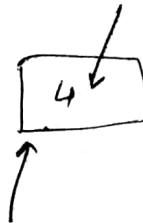
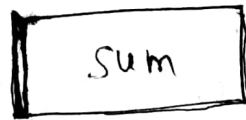
sum_of_squares += x * x;

sum = 8

64

}
sum = 4; sum_of_squares = 0;
accumulate(sum);

*x & *sum are aliases



Dt: 26 Feb 2018

* aliases: Two or more names referring to the same object.

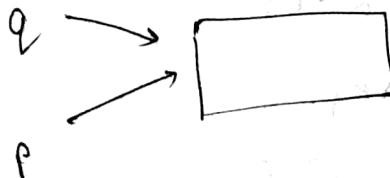
int a, b;
int *p, *q; *p = 10;

a = *p;

*q = 3;

b = *p;

if p & q refer to same object

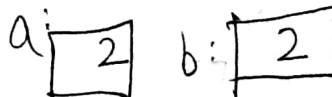


* Var-Value Model of Variables

a = 2

b = 2

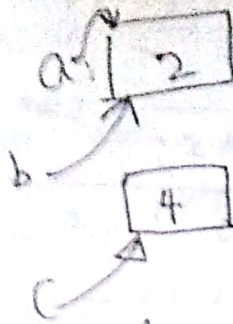
c = a + b



Value Model

Execution Efficiency ↑

In Var-value Model,



Var-Value Model

Sequence Controls:

Expressions: $a + b - c$

1) Three-address code:

$R_1 \leftarrow a$

$R_2 \leftarrow b$

~~$R_3 \leftarrow c$~~

$R_1 \leftarrow R_1 + R_2$

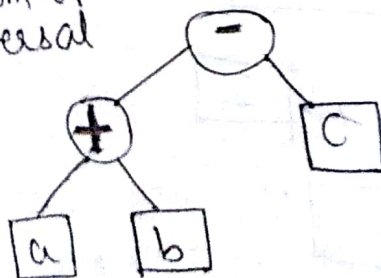
$R_2 \leftarrow c$

$R_1 \leftarrow R_1 - R_2$

$d \leftarrow R_1$

2) Expression Tree

bottom-up traversal



* $a - f(b) - c * d$

3) Postfix form / Prefix



Operators after operands

$a \quad b \quad c \quad * \quad +$

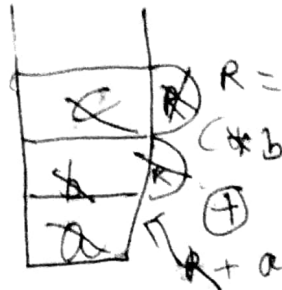
$a \quad b * c \quad +$

$a + Res$

Final Result



operator before operands



* Order of Evaluation

$a - f(b) - c * d$

↓
function

may have side effects.

why order of evaluation left to compiler designer?

$a = B[i]$

$C = a * 2 + d * 3$
I II

Pipeline stalling

I
II → wait till I finishes

DL: 01/03/18

* Boolean Expression

if $((a > b) \text{ and } (b > c))$
then

$x = x + 1$

else

$x = 0$.

end.

Short-circuiting of Boolean Expression

```
p = head;  
while (lp != NULL && (p->val != v))  
{  
    p = p->next;  
}
```

if $((a > b) \text{ and } (c > d)) \text{ or } (e \neq f)$
then S_1 ;
else S_2 ;

Syntax directed

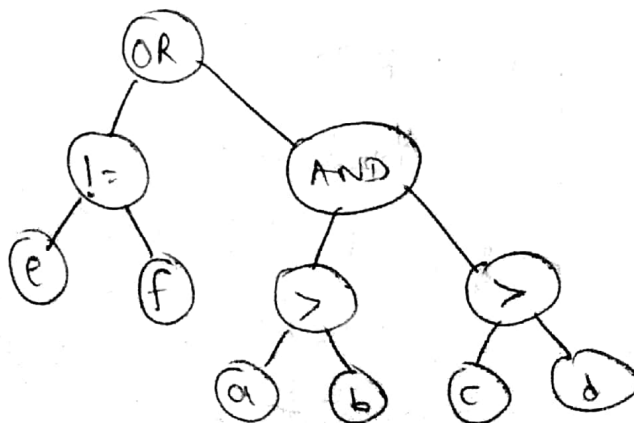
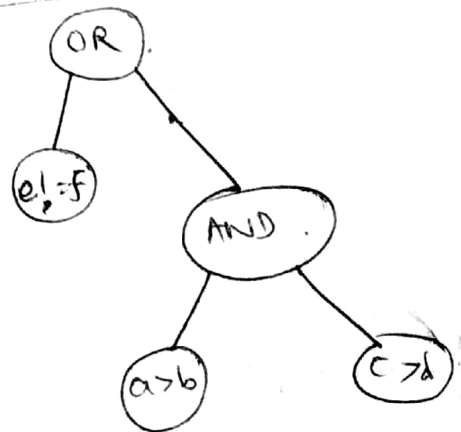
$R_1 \leftarrow a$

CMP R1, R2
 JLE L1 ; A <= B Jump
 L1: CMP R3, R4
 JLE L2
 L2: CMP R5, R6
 JE L3
 S1
 JMP L4

pack-patching
 filling label
 addresses.

S2
 JMP L4

w/o



• CMP R1, R2
 JLE L1
 CMP R3, R4
 JGT L2
 L1: CMP R5, R6
 JLE L3

L2: S1
 JMP L4.

L3: S2

L4:

With
short
circuiting

CMP R1, R2
 JGT L1
 JLE L2
 L3: CMP R3, R4
 JGT L4
 JLE L5

$R7 \leftarrow R7 \& R8$

CMP R5, R6

JNE L6

JE L7

Without
short
circuiting

L1: $R7 \leftarrow 1$
 JMP L3
 L2: $R7 \leftarrow 0$
 JMP L3
 L4: $R8 \leftarrow 1$
 JMP L9
 L5: $R8 \leftarrow 0$
 JMP L9

L6: $R8 \leftarrow 1$
 JMP L8

L7: $R8 \leftarrow 0$

~~JMP~~

L8: $R7 \leftarrow R7 \text{ OR } R8$
 JFLIO (JMP on false)

S1
 L10: JMP L11
 L11: S2

Consider
multi-logic

Dt: 05/03

case x

1: S1

2: S2

3: S3

10:

ELSE:

END

$R1 \leftarrow$

CMP

JZ

CMP

JZ

CMP

JZ

CMP

~~JZ~~

JLT

CMP

JLE

L6: CMP

~~JZ~~

JMP

Consider a switch stmt & convert it to multi-legged if statements. (Homework)

Dt: 05/03/18 (05th March 2018)

case x of

L7: (following case)

1: stmt A

2: stmt B

3: stmt C

10: stmt D

ELSE: stmt E

END

Assembly

R1 ← x

CMP R1, #1

JZ ~~stmt~~ L1

CMP R1, #2

JZ L2

CMP R1, #7

JZ L2

CMP R1, #3

~~JZ~~

JLT L6

CMP R1, #5

JLE L3

L6: CMP R1, #10

~~JZ~~ JZ L4

JMP L5

L1: stmt 1

JMP L#

= 7

L2: stmt 2

JMP L#

L3: stmt 3

JMP L#

L4: stmt 4

JMP L#

L5: stmt 5

JMP L#

L7:

* Jump Table :

T: &L1

&L2

&L3

&L3

&L5

&L2

&L5

&L5

&L4

L6: $r_1 \leftarrow x$

CMP $r_1, \#10$

JLT L5

CMP $r_1, \#10$

JGT L5

DEC r_1

$r_2 \leftarrow T[r_1]$; Jump Table

JMP $*r_2$;

(2 comparisons only)

L1: stmt A
JMP L7

L2: stmt B
JMP L7

L3: stmt C
JMP L7

L4: stmt D
JMP L7

L5: stmt E

L7:

*Loops

① for

for (i ← 1 to 10 step 2 do
S1;

$r_1 \leftarrow \#1$ $r_2 \leftarrow \#2$
LOOP: ~~S~~ CMP $r_1, \#10$.

JGT END.

S1

~~INR r_1 .~~

~~LOOP:~~

ADD $r_1, \#2, r_1$

JMP LOOP.

END:

~~$r_1 \leftarrow 1$~~

~~$r_2 \leftarrow 1$~~

~~$r_1 \leftarrow 1$~~

~~$r_2 \leftarrow 10$~~

step

~~step~~ lower limit.

upper limit

Loops

for $i \leftarrow 1$ to 10 step 1 do

S1;

$r_3 \leftarrow i$

$r_1 \leftarrow 1$ lower limit

$r_2 \leftarrow 1$ step

$r_4 \leftarrow 10$ upper limit

L1: CMP r_3, r_1

JLT L2

CMP r_3, r_4

JGT L2

S1

ADD r_3, r_2

JMP L1

L2: $i \leftarrow r_3$

Optimization

$r_3 \leftarrow i$

$r_1 \leftarrow$ lower limit

~~$r_2 \leftarrow$~~ step

$r_4 \leftarrow$ upper limit

CMP r_3, r_1

JLT L3

JMP L2

L1: S1

ADD r_3, r_2

L2: CMP r_3, r_4

JLE L1

L3: $i \leftarrow r_3$