# CS & IT ENGINEERING

Computer Organization & Architecture





## Recap of Previous Lecture







### **Topics to be Covered**









Topic

Floating Point Representation

Topic

**Memory Concept** 

Topic

Little Endian & Big Endian(Byte Ordering)

Topic

Clock Cycle Concept.

2020

Ang (C)



#Q. 44FC6000H represents a floating point number in IEEE-754 single precision format. The value in decimal form is

			5103=127
A	2017	s E(8bit)	M(23bit) E=10001001=137
В	2018	0100010	0011111100 0110 0000 0000 0000
	2019	(-1)S 1. N	$1 \times 2^{e} \Rightarrow (-1)^{s} \perp M \times 2^{e}$
C	2019		137-127

+1.1111100011000000000 X 2 +1.111110001100000000 X 2 +10



#Q. A number -1/8 is represented in IEEE 754 format as:

i)	1	01111100	000
ii)	1	01111100	100
iii)	1	01111111	00100
iv)	1	01111100	0111

Which of the following is TRUE?

i and ii

(B)

i, ii, iii

i, iii, iv

\*

$$-\frac{1}{8} \Rightarrow -0.001 \times 2$$

$$\Rightarrow -1.0 \times 2$$

$$1bit 8bit 23bit$$

$$S \mid E \mid M$$



$$bias = 127$$
  
 $C = -3$   
 $E = e + bias$   
 $= -3 + 127$ 

### [NAT]



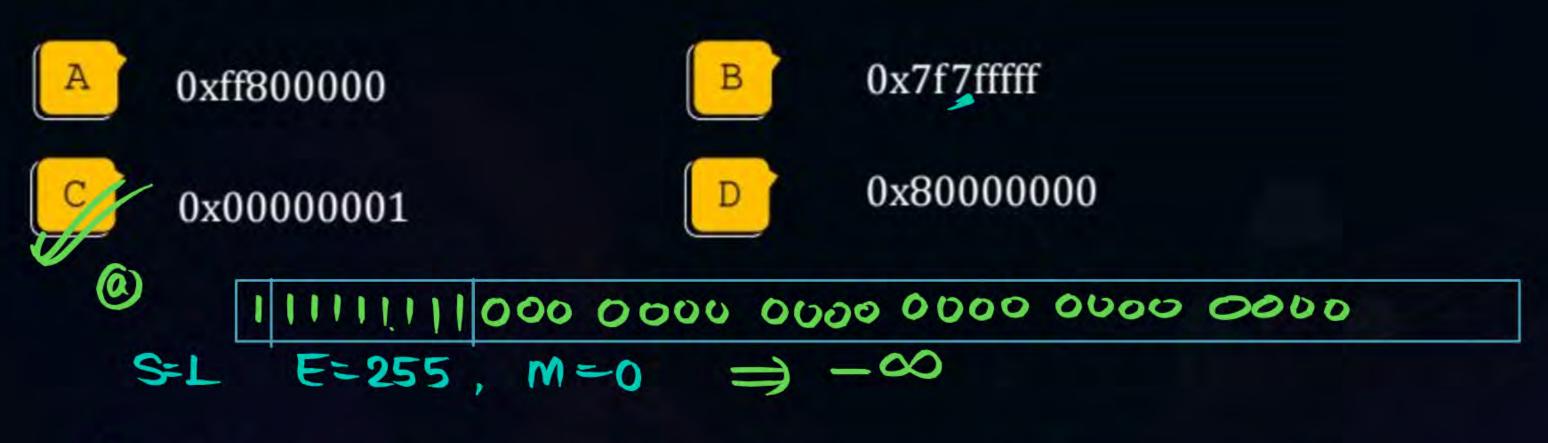
#Q. Ox3F8000000 represents a floating-point number in IEEE-754 single precision format. The value in decimal format is \_\_\_\_\_.

3F8 00000

Ang (1)



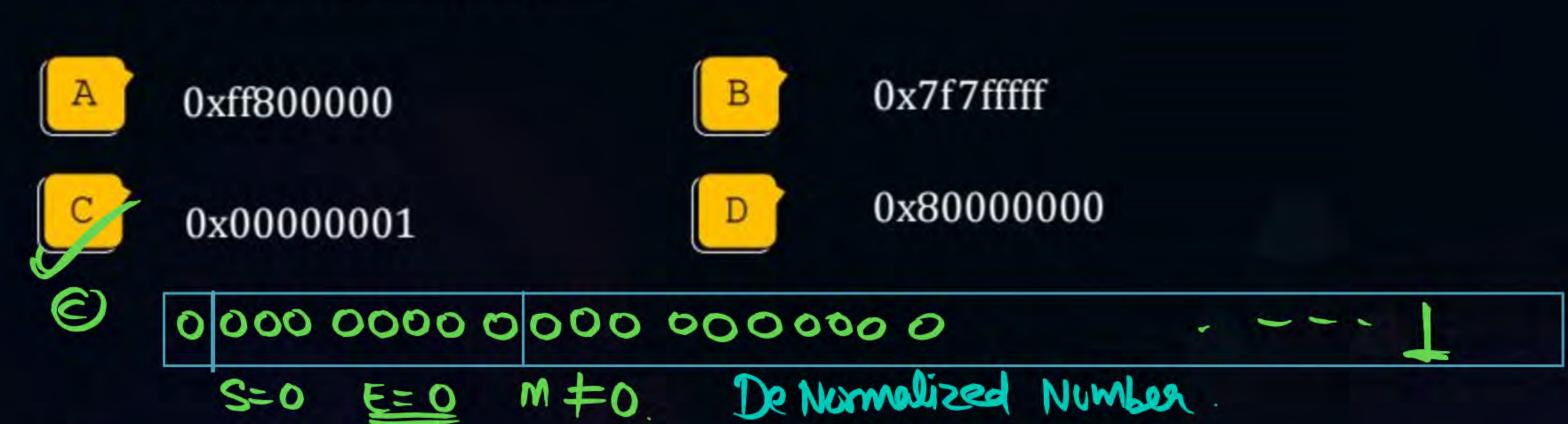
#Q. Which one of the following represents a denormal number in IEEE 754 single precision format?



6 OMMINIO MINIMINIO MINIMINIO Trublicit Normalized.



#Q. Which one of the following represents a denormal number in IEEE 754 single precision format?

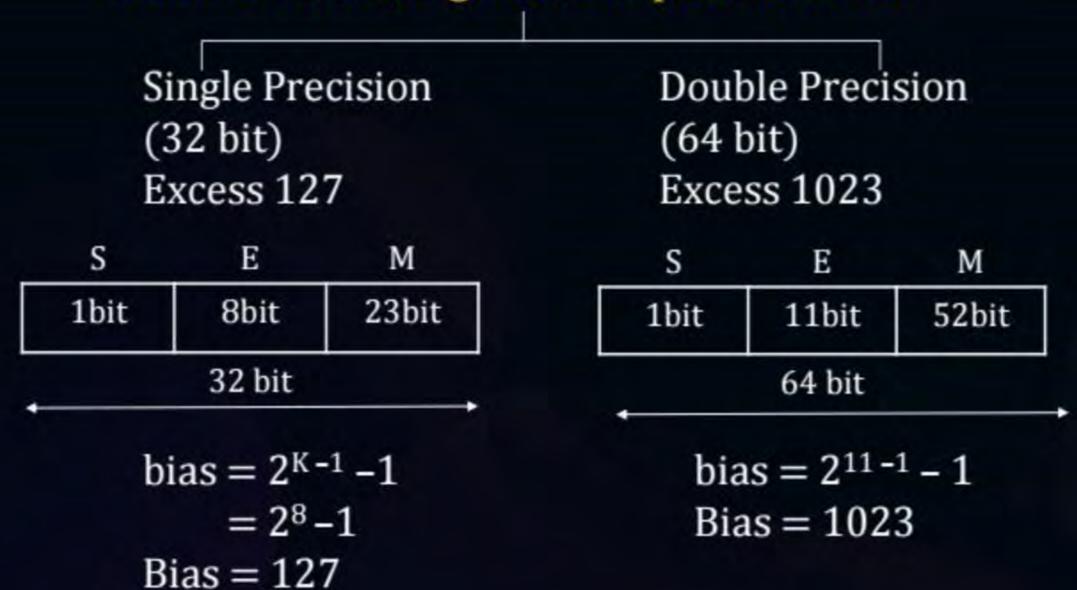




### **Topic: IEEE 754 Floating Point Representation**



### **IEEE 754 Floating Point Representation**



### Single Precision (32 bit)

6	5	1
(	V	V

S	Е	М
1 bit	8 bit	23 bit

Sign(1 bit)	E(1 bit)	M(23 bit)	Value
0 or 1	00000000 E = 0	00000000000000 0000000 M = 0	±0
0 or 1	11111111 E = 255	0000000000000000 0000000 M = 0	±∞
0 or 1	1 ≤ E ≤ 254	M =	Implicit Normalized form $(-1)^S \times 1.M \times 2^e$ $(-1)^S \times 1.M \times 2^{E-127 \text{ bias}}$
0 or 1	E=0	M ≠ 0	Denormalized number/Fractional form $(-1)^S \times 0.M \times 2^{E-127 \text{ bias}}$
0 or 1	E = 255	M ≠ 0	Not a Number (NAN)



### **Topic: Double Precision**

1-bit	11-bit	52-bit
S	Е	M



Excess - 1023

Sign (1 bit)	E(11 bit)	M(52 bit)	Value
0 or 1	0000 0000 000 E = 0	0000000000 M = 0	± 0
0 or 1	1111 1111 111 E = 2047	000000000 M = 0	± ∞
0 or 1	1 ≤ E ≤ 2046	M =	Implicit Normalization $(-1)^{S}\cdot M\times 2^{e}$ $(-1)^{S}\times 1\cdot M\times 2^{E-1023}$
0 or 1	E = 0	M ≠ 0	Denormalized number/ Fractiona Form (-1)SO·M×2E-1023
	E = 2047	M ≠ 0	Not a number



**NOTE:** When 
$$E = 0$$
 then Value 0 or fractional form

$$\begin{bmatrix} when \\ M = 0 \end{bmatrix} \qquad \begin{bmatrix} when \\ M \neq 0 \end{bmatrix}$$

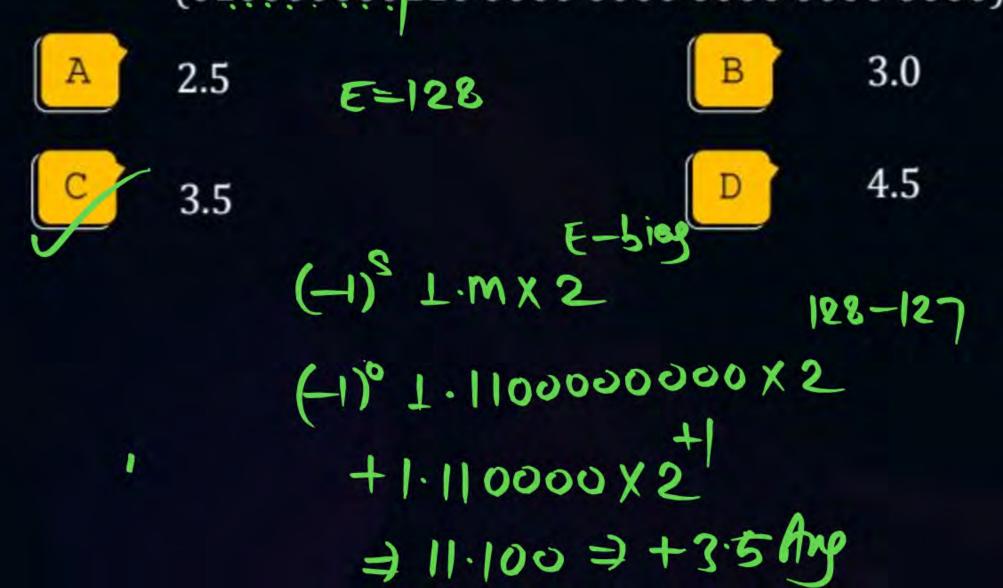
**NOTE:** When 
$$E = 2047$$

then Value ∞ or Not a Number(NAN)

$$\begin{bmatrix} when \\ M = 0 \end{bmatrix} \qquad \begin{bmatrix} when \\ M \neq 0 \end{bmatrix}$$



#Q. Which of the given number has its IEEE-754 32-bit floating point representation as (010000000 110 0000 0000 0000 0000)





#Q. The range of representable normalized numbers in the floating point binary fractional representation in a 32-bit word with 1-bit sign, 8-bit excess 128 biased exponent and 23-bit mantissa is



$$2^{-128}$$
 to  $(2-2^{-23}) \times 2^{127}$ 





$$(2-2^{-23}) \times 2^{-127}$$
 to  $2^{128}$ 



$$(2-2^{-23}) \times 2^{-127}$$
 to  $2^{23}$ 



$$2^{-129}$$
 to  $(2-2^{-23}) \times 2^{127}$ 











$$0 | 11111111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 | 1111 |$$

>(-1), T-1111 1111 1111 111 111 X 5

Left Shift 23 time.

0.111111111 
$$\times 2 \times 2$$
  
24 fimes  $127$   
 $1-2^{24} \times 2 \times 2$   
 $2-2^{23} \times 2$  Are  $2-2^{23} \times 2$ 

$$= \frac{-23}{2} \times \frac{127}{2} \times \frac{$$



$$0111 - 1 - \frac{1}{23}$$
 $(1 - \frac{2}{2})$ 



#Q. Consider IEEE 754 single precision floating point format

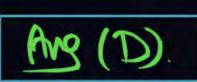
Sign	Exponent	Fraction
	8bits	23 bits

31 30 2322 0

What is the maximum positive normal value represented by this format?



2127



В

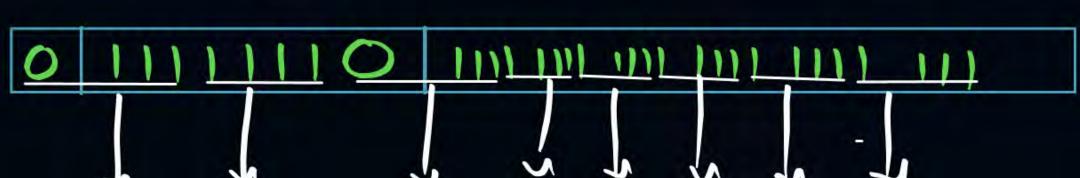
 $2^{128}$ 



 $(1-2^{24}).2^{127}$ 



 $(1-2^{24}).2^{128}$ 







$$(-1)^{S}$$
 1.  $IMX$  2  $E=254$   
 $(-1)^{o}$  1.  $IMX$  2  $E=254$ 

+ L. IIII III X 2

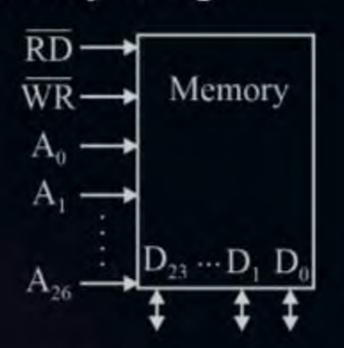
Right Shift 16H

leftshift 23 bits.

### [NAT]



### Consider the following memory design:



Address = 27

Data = 24 bits

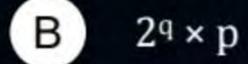
$$27 \times 24 \text{ bits}$$
 $27 \times 24 \text{ bits}$ 
 $27 \times 3844e$ 

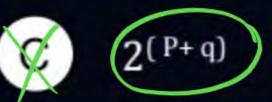
In above design  $A_0$  to  $A_{26}$  are address pins and  $D_0$  to  $D_{23}$  are data pins. The memory size in terms of byte is 384 MB.  $\Rightarrow 128$  M  $\times$  384 C

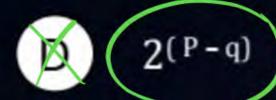


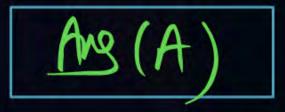
The memory size for P address lines and q data lines is given as:









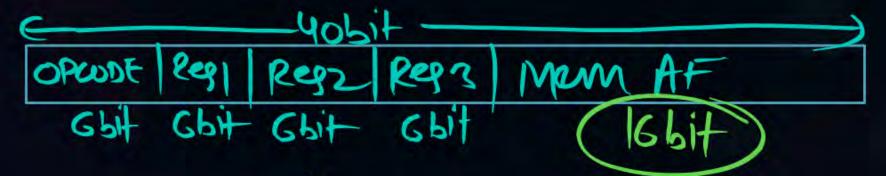




A processor has 51 distinct instructions and 50 general purpose register. System supports word addressable memory. Word size is 40 bits. One word instruction has an opcode, 3 register operands and memory operand. What is the size of main memory possible in the system?

- A 64 kB
- B 320 kw
- 320 kB
  - D None the these

51 Instroponation	n => opense = Gbit	Word Size = 40 bit
50 Register >	Reg AF - Gbit	





The capacity of a memory unit is defined by the number of word multiplied by the number of bits/word. How many separate address and data lines are needed for a memory of 36K ×16?

- A 8 address, 8 data line
  - 15 address, 16 data line

- B 14 address, 8 data line
- D 16 address, 16 data line

### [NAT]

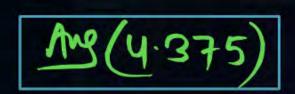


Consider a computer system having 2 category of code module x & y with the following details.

Instruction type	CPI for this Instruction type
Type -1	
Type -2	2
Type -3	3
Type -4	<b>(4)</b>

For the particular programing language statements, complier writer is considering 2 category of code module x & y with the following instruction count.

Code Module	Instructions Count. (IC) Instruction type			
	Type-1	Type-2	Type-3	Type-4
X	(1)	(2)	2	(1)
Y	411	2	1/	1



The CPI code module X is A & CPI for code module Y is B then the value of A + B



CODE MODULE X = 1+2+2+1 = 6 Inst Total CODE MODULEY = 4+2+1+1 = 8 Instr

CPU Clock Cycle = & IC; X CPIi

MODULEX = 1x1+2x2+2x3+1x4=1+4+6+4=15 cycle

MODULE y = 4x1+2\*2+1\*3+1\*4=4+4+3+4=15 Cycle

Any CPIX =  $\frac{1}{6} = 2.5$ Any CPIX =  $\frac{1}{8} = 1.875$ 

A+B= 2.5+1.875 = 4.375 Avg

# Machine Instruction & ADDRESSING MODE.



Consider the following signed data and perform the addition operation

11010101

11010010

What is the status of carry, overflow, zero and sign flags after processing

respectively?

Coarlie = 
$$T = 1 \oplus 1 = 0$$





The unsigned integer can be written in 32bit- binary as 11110100 10011000 10110111 00001111

Am(D)

Putting it into four byte of memory beginning at address 100100 in big endian byte ordering scheme given in which picture?

The state of the state of		
11110100 100110	00 1011 01	111 0000 1111

	100100	100101	100102	100103
A	00001111	10110111	10011000	11110100



P	100100	100101	100102	100103
В	10110111	00001111	11110100	10011000

	100100	100101	100102	100103
C	10011000	11110100	00001111	10110111

100103	100/02	100101	100100
111 6000	1011011	1001 1000	11110100

B	100100	100101	100102	100103
	11110100	10011000	10110111	00001111

### [NAT]



If each address space represents one byte of storage space. The number of address lines needed to access the RAM CHIPS arranged in 4×8 array. Where size of each RAM CHIP 16K × 4 bits is\_\_\_\_\_.



Consider a 32 bit register which stores floating numbers in IEEE single precision format. What is the value of the number, if 32 bit are given below?

Sign(1bit)	Exponent (8bit	) Mantissa (23 bit)
0	10000011	1101 0000 0000 0000 0000 000
	E=13)	131-127
70	1. 1101 00000	30
C 56 +	1-110100000	None of these
	11101.00000	
	(+29) Avg	Ang (D)

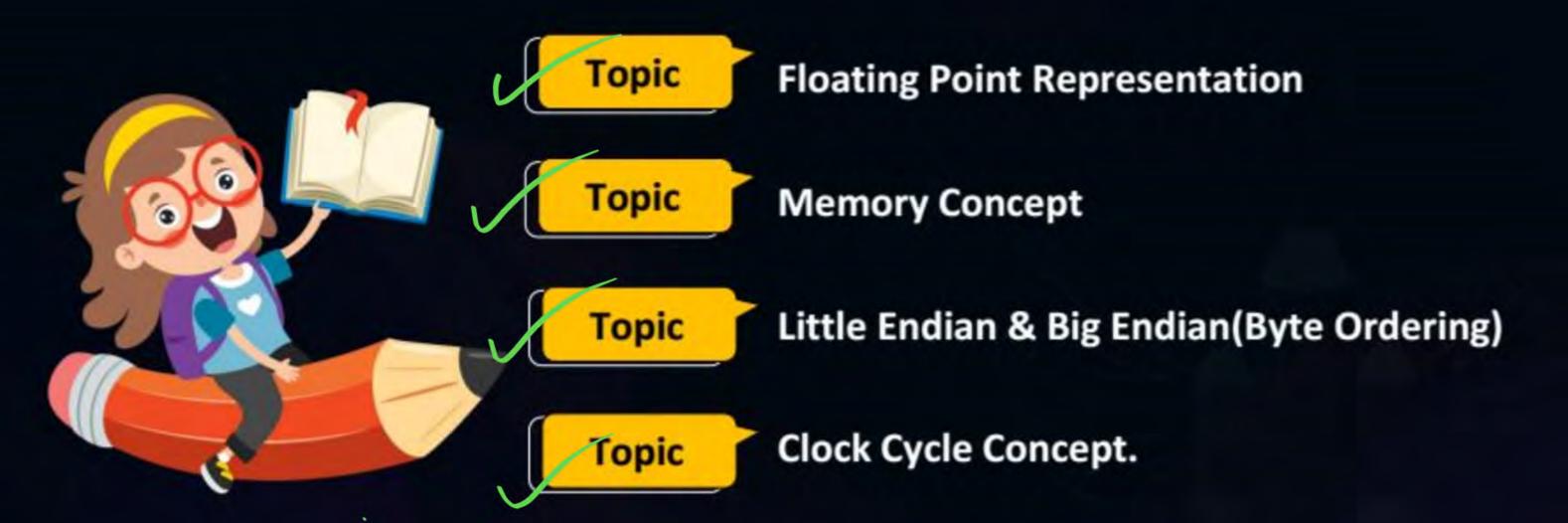


### 2 mins Summary











# THANK - YOU