



30/10/2022 Sersion-I

2) Shortest Job First (SJF):

Set Critéria: Burst Jime (13.7)

Mode of opn: Non-Prehmptive

Conflict Resolution: Favor Lower Pid



Idle-time = 1/

Working Principle

Among the Processes
present in Ready &'
Select the one having
Leart 'BT'; Schedule it
& Complete;



$$\frac{P.No}{\times 1 - 5 - 1}$$
 $\times 1 - 5 - 1$ 
 $\times 2 - 2$ 
 $\times 3 - 8 - 2$ 
 $\times 3 - 2 - 4$ 
 $\times 5 - 4 - 3$ 



## 3. Shortest Remaining Jime First (SRTF) Pre Emplive SJF



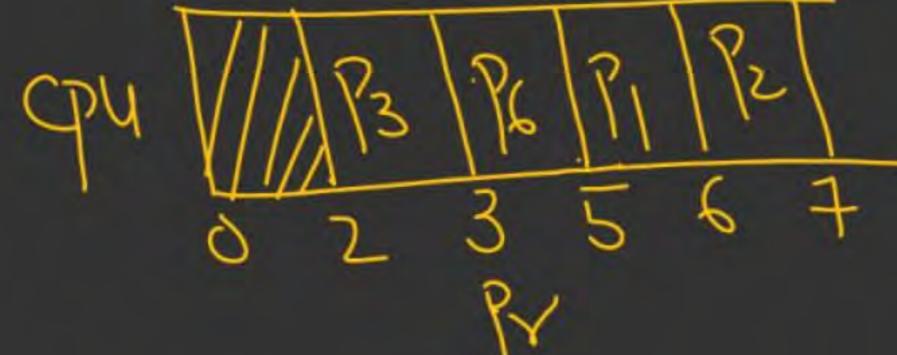
Sel. Criteria: B.T Mode g ofn: Pre Emptive Conflict resoln: Lower Pid

Preemption of running
Process is based on
arrival availability of a
Strictly Shorter process

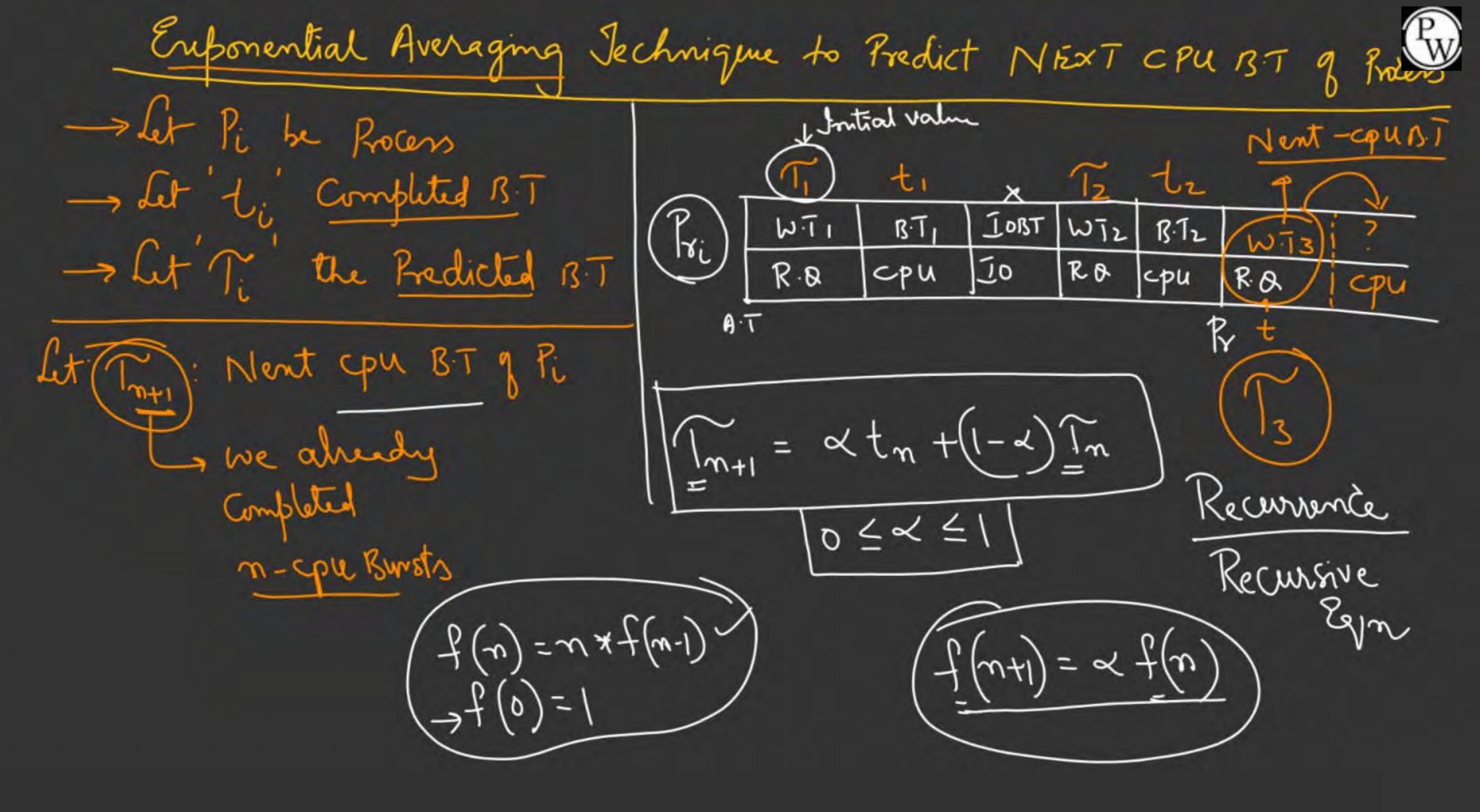


## SRTF:

SRTF:



3 SJF Cannot be implemen -> Performance of S.J.F/S.R.T.F with Real BT's, but can be -> Foros Shorter Rocers impl with Bredicted 13T's Since Burst limes of Drawback nocesses are not -> Cause Starvation to Longer Process known a priori -> Complete more # of Processes SJF SRTF is practically -> Increased Throught (Marx.) nun-Implementable; -> Minimizing Aug TAT & W.Ts;



Tm+1 = ~ tn + (1-4) Tm - 0 In = ~ tn-1 + (1-4) Tn-1 - 2 12-1 = ~ tn-2 + (-3) 7m-2-Tn+1 = ~ tm + (1-x) (~ tn-1 + (1-x) /m-1) = ~ (1-x) tn-1+ (1-x) Tn-1-(3) = atn + a(1-2) tn-1 + a(1-2) tn.2+(1-2) Tm2 + (1)

«: a Constant o≤«≤1 Back Substitution



Even if, use Implement SJF with Producted BT, then Still, it hill Suffer from the Problem of STARVATION

=> To overcome the problem of Starvalin in SJF, we use (HRRH)

Consider a System using exponential Angry to Redict ment cpu B.T. Assume ==0.5, Ti=10;

Previous Runs q a Process gonerats 13.75 q 8,12,14,10

Predict the Next cpu Burst?

(t1 t2 t3 ty) 15

$$T_{5} = \langle t_{4} + (1-\lambda)T_{4} \rangle$$

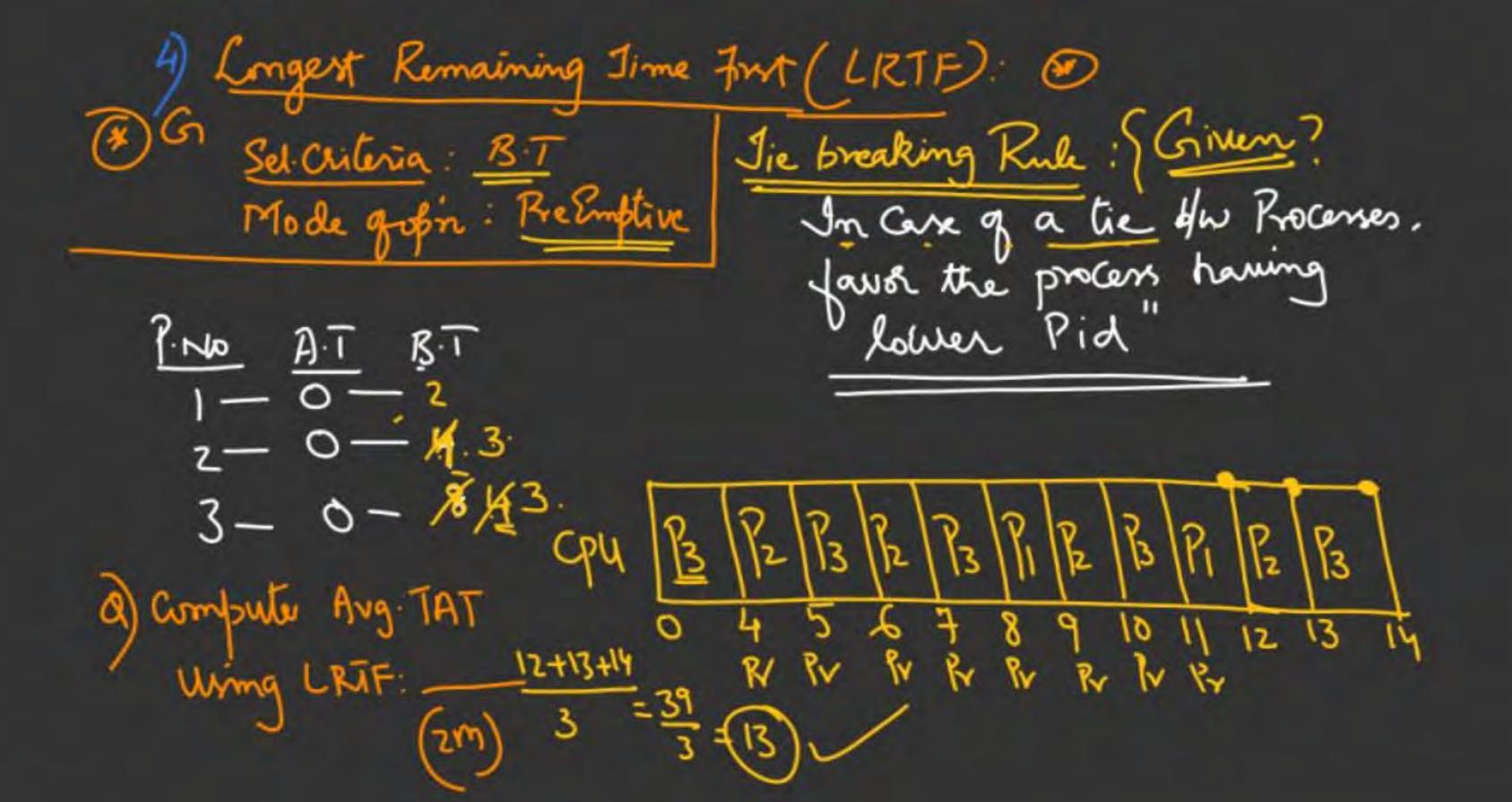
$$= \frac{1}{2} (t_{4} + T_{4}) = \frac{1}{2} (10 + T_{4}) = \frac{1}{2} (10 + 12 \cdot 25) = \frac{22 \cdot 25}{2} = (11 \cdot 125)$$

$$T_{4} = \frac{1}{2} (t_{3} + T_{3}) = \frac{1}{2} (14 + T_{3}) = \frac{1}{2} (14 + 10 \cdot 5) = \frac{245}{2} = 12 \cdot 25$$

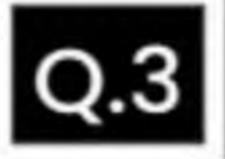
$$T_{3} = \frac{1}{2} (t_{2} + T_{2}) = \frac{1}{2} (12 + T_{2}) = \frac{21}{2} = 10 \cdot 5$$

$$T_{2} = \frac{1}{2} (t_{1} + T_{1}) = \frac{1}{2} (8 + 10) = 9$$





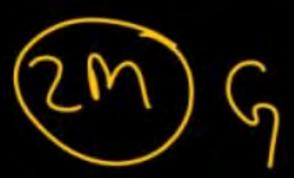




Consider the following processes, with the arrival time and the length of the CPU burst given in milliseconds. The scheduling algorithm used is preemptive Shortest Remaining-Time First (SRTF).

Process	Arrival Time	Burst Time
P1	0	10
P2	3	6
P3	7	1
P4	8	3

The average turnaround time of these processes is \_\_\_\_\_ milliseconds.





Consider the following four processes with arrival times (in milliseconds) and their length of CPU bursts (in milliseconds) as shown below:

Process	P <sub>1</sub>	P <sub>2</sub>	P <sub>3</sub>	P <sub>4</sub>
Arrival time	0	1	3	4
CPU burst time	3	1	3	Z

These processes are run on a single processor using preemptive Shortest Remaining Time First (SRTF) Scheduling Algorithm. If the average waiting time of the processes is 1 millisecond, then the value of Z is





