

CS & IT ENGINEERING

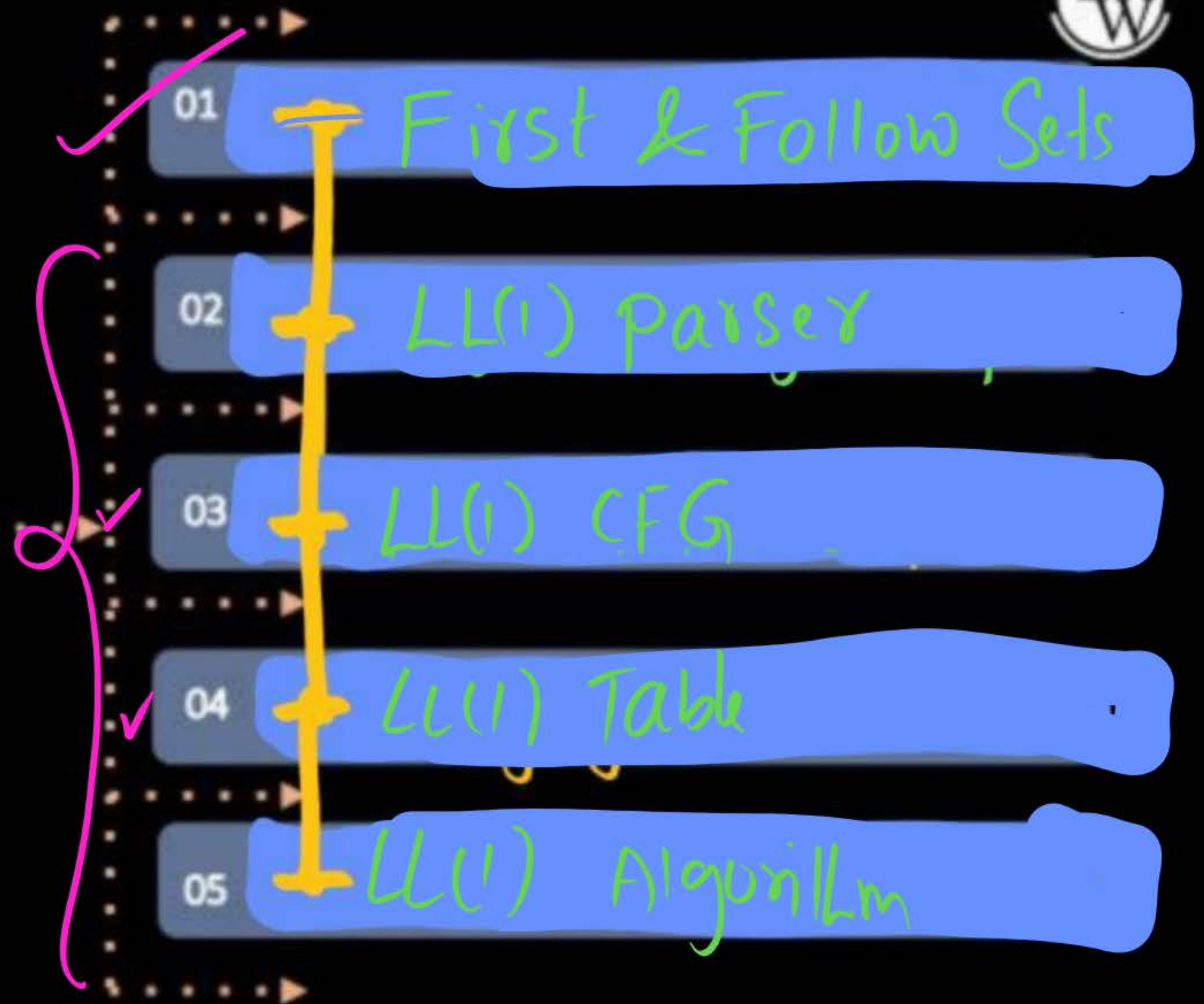
Compiler Design

Lexical Analysis & Syntax Analysis

Lecture No. 6



By- DEVA Sir



④ $S \rightarrow daT | Rf$
 $T \rightarrow aS | baT | \epsilon$
 $R \rightarrow caTR | \epsilon$

$F_i(S) = \{d, c, f\}$

$F_i(T) = \{a, b, \epsilon\}$

$F_i(R) = \{c, \epsilon\}$

$F_o(T) = \{\$, c, f\}$

$F_o(R) = \{f\}$

	a	b	c	d	f	\$
S			$S \rightarrow Rf$	$S \rightarrow daT$	$S \rightarrow Rf$	
T	$T \rightarrow aS$	$T \rightarrow baT$	$T \rightarrow \epsilon$		$T \rightarrow \epsilon$	$T \rightarrow \epsilon$
R			$R \rightarrow caTR$		$R \rightarrow \epsilon$	

⑤

$S \rightarrow Aa$

$A \rightarrow Bd$

$B \rightarrow b \mid \epsilon$

$D \rightarrow d \mid \epsilon$

~~HW~~

$$⑥ \quad S \rightarrow aAbB \mid bAaB \mid \epsilon$$

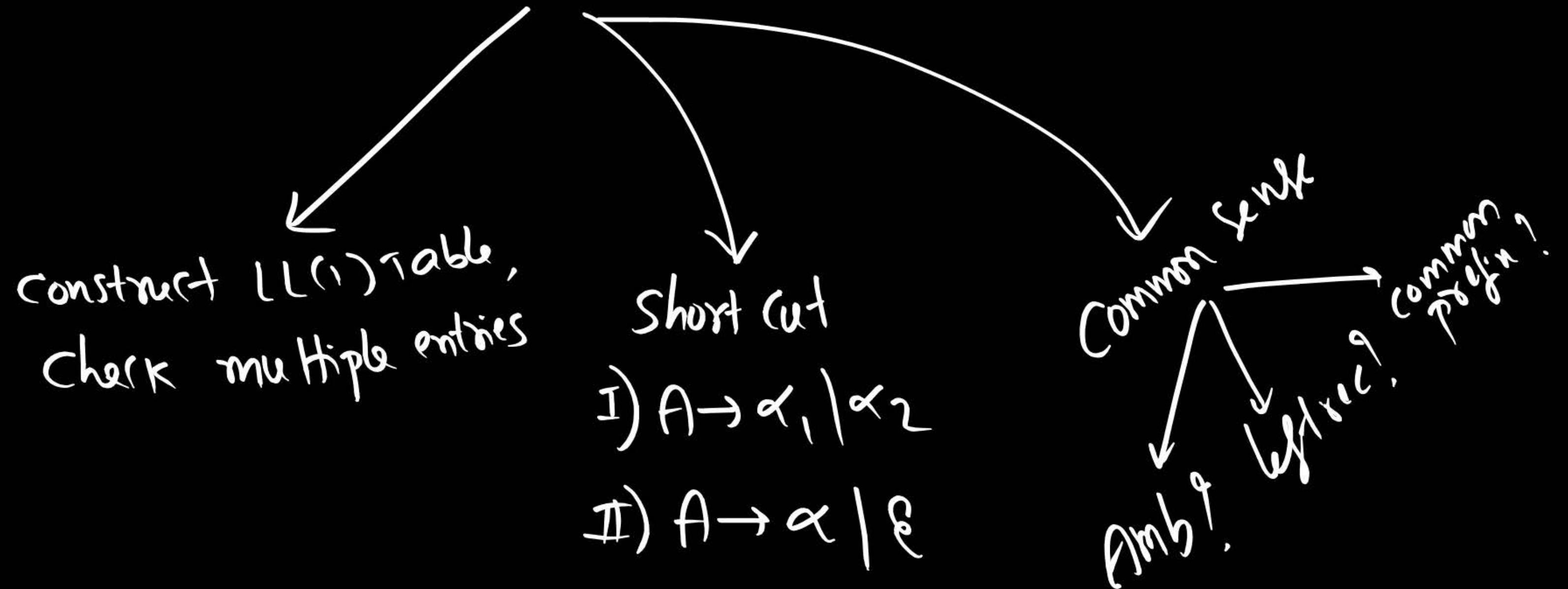
$$A \rightarrow S$$

$$B \rightarrow S$$

H.W.



How to check given CFG is LL(1)?



① $S \rightarrow a$ LL(1) CFG ✓
 Single production is always in LL(1)

② $S \rightarrow a \mid b$ } \Rightarrow LL(1) ✓
 $\{a\} \cap \{b\} = \emptyset$

③ $S \rightarrow a \mid ab$ \Rightarrow not LL(1)
 $\{a\} \cap \{a\} = \{a\}$

$$\begin{array}{c} a \\ \hline S \mid S \rightarrow a \\ \quad S \rightarrow ab \end{array}$$

④

$$S \rightarrow aSa \mid \epsilon$$

$$\{a\} \cap F_0(S)$$

$$\{a\} \cap \{\$, a\} \neq \emptyset$$

not LL(1)

$$A \rightarrow \alpha \mid \epsilon$$

$$F_i(\alpha) \cap F_0(A)$$



⑤

$$S \rightarrow aSa \mid b \text{ It is LL(1)}$$

⑥ $S \rightarrow \underline{Sa} / b$
 $\{b\} \cap \{a\} \neq \emptyset$

Not LL(1)



	b	a	\$
S	$S \rightarrow Sa$ $S \rightarrow b$	-	.

⑦ $S \rightarrow AB \mid ab$ data $\{a, b\} \neq \emptyset$

$A \rightarrow a$ ✓

$B \rightarrow b$ ✓

not LL(1)

	a
S	$S \rightarrow AB$ $S \rightarrow ab$

8)

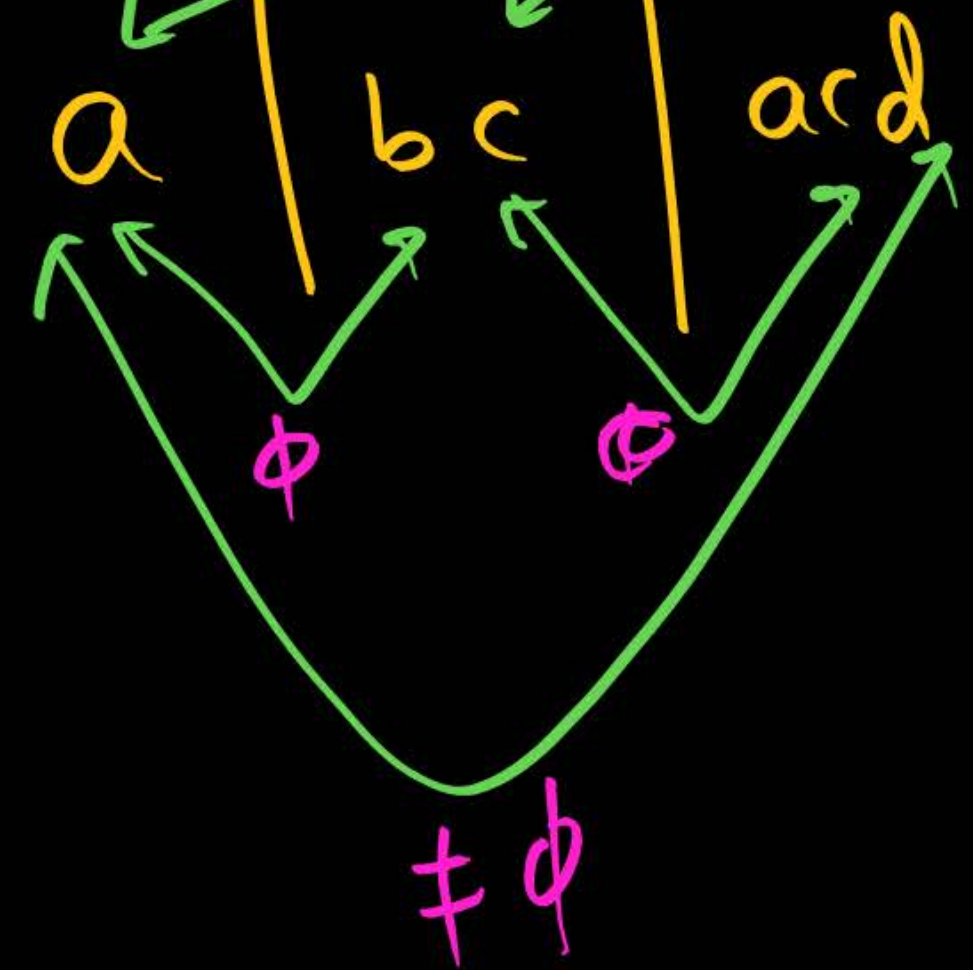
$$S \rightarrow aSb \mid \epsilon$$

It is LL(1)

$$\{a\} \cap \{a, b\} = \emptyset$$

9)

$$S \rightarrow$$



not LL(1)

	a
S	$S \rightarrow a$ $S \rightarrow acd$



10) If CFG is LL(1) then

- ☒ A) It is Unambiguous
- ☒ B) It is non Left recursive
- ☒ C) It is Left factored
- D) None

11) If CFG is Unambiguous, non left recursive, and Left factored then CFG is _____

$S \rightarrow aSa \mid \epsilon$
 $\{a\} \cap \{\$, \epsilon\}$

- A) LL(1)
- B) Not LL(1)
- ☒ C) May or may not LL(1)

12) If CFG is Unambiguous, non left recursive, 

Left factored, and free from null rules

then CFG is _____

☒ A) LL(1)

B) Not LL(1)

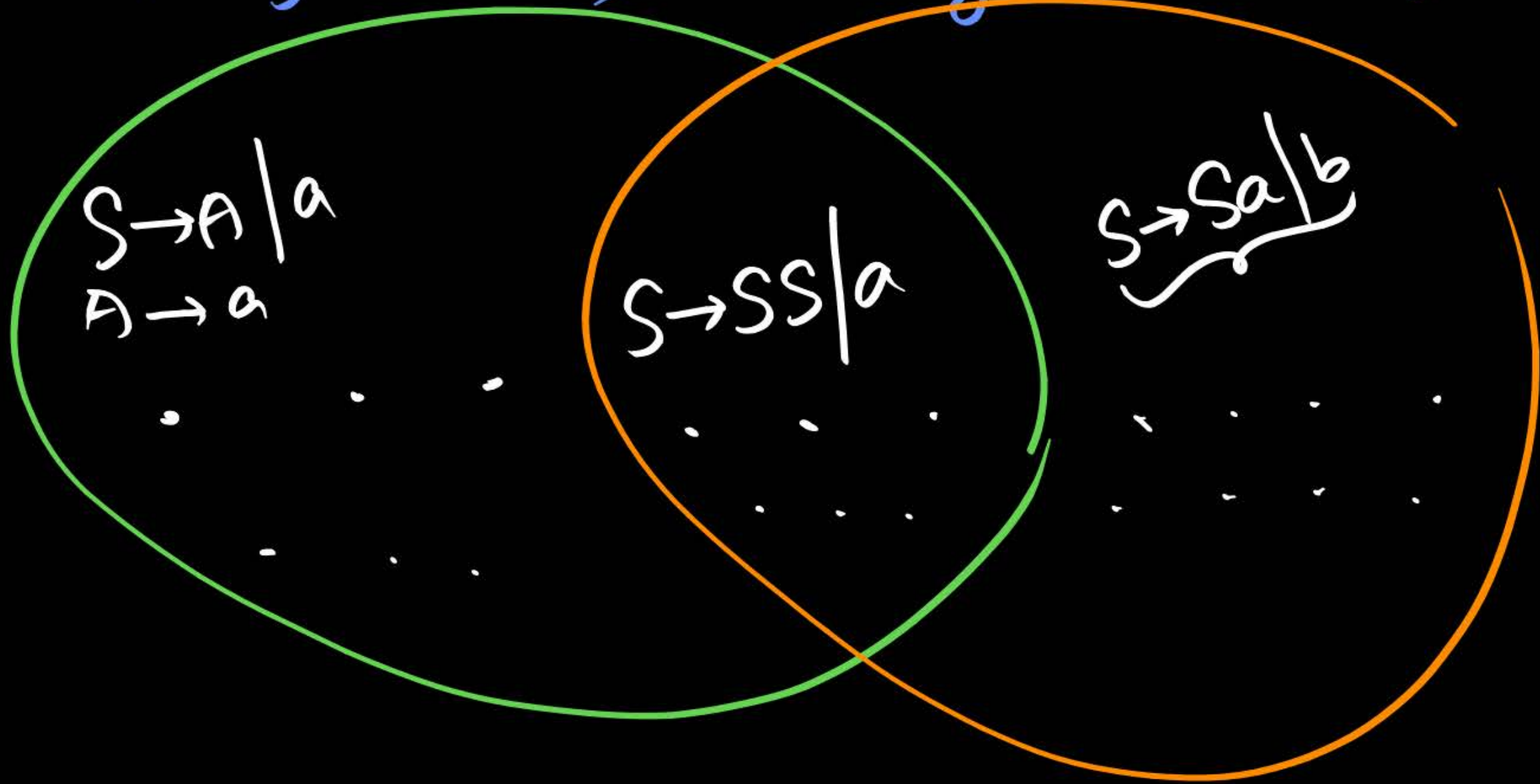
C) Need not be LL(1)

Note: No relation b/w Ambiguous & Left recursion



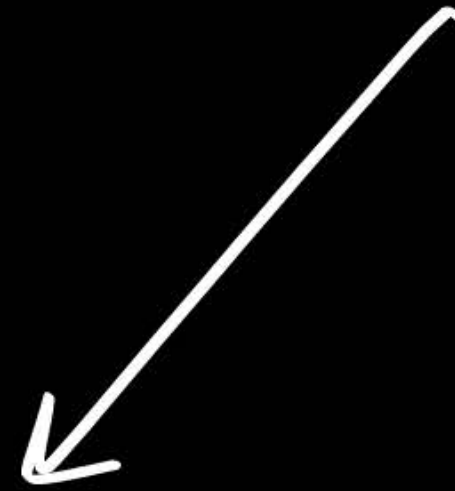
Ambiguous CFGs

Left Recursive CFGs





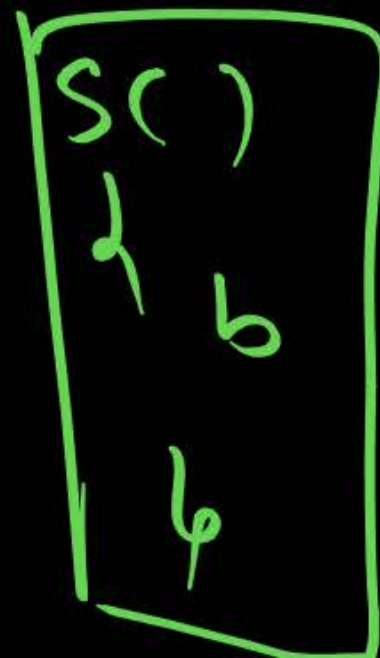
LL(1) parser [predictive parser]
[top-down parser]



Recursive-descent parser

Every production has procedure

$S \rightarrow a \mid b$



(Table Approach)
Non-Recursive descent parser

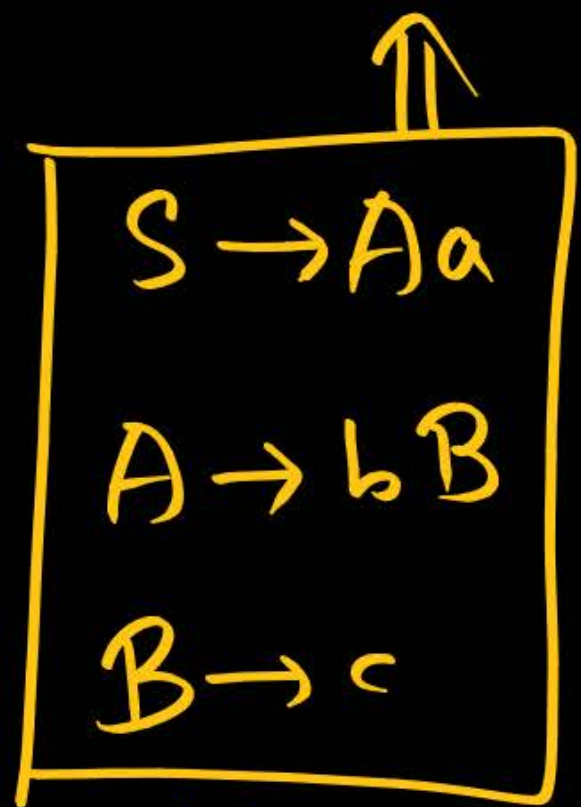
	a	b	\$
S	$S \rightarrow a$	$S \rightarrow b$	

13) LL(1) parser is —



- ☒ A) Top-down parser
- ☒ B) Uses LMD
- ☒ C) Predictive parser
- ☒ D) Recursive-descent parser
- ☒ E) Non-recursive descent parser

14) LL(0) V_s LL(1) V_s LL(2) V_s ...



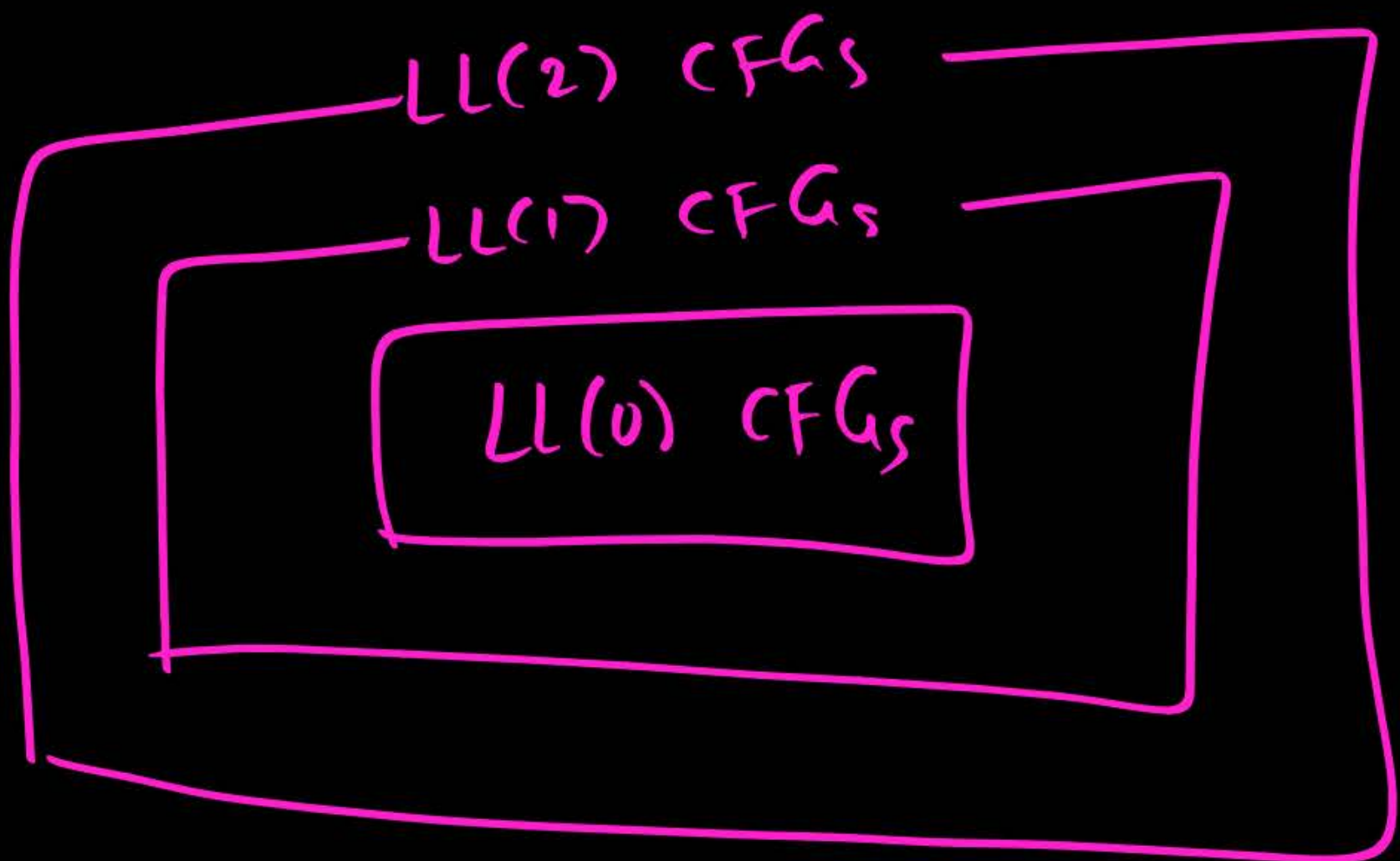
LL(0)
LL(1)
LL(2)
LL(3)
;



LL(1) but not LR(0)
LL(2)
LL(3)
;



LL(2) but not LL(1)



...

15) $S \rightarrow \epsilon$ $LL(0) \checkmark [LL(1), LL(2), \dots]$



16) $S \rightarrow a|b$ $LL(1)$ but not $LL(0)$

17) $S \rightarrow a|ab$ $LL(2)$ but not $LL(1)$

18) $S \rightarrow a|ab|abc$ $LL(3)$ but not $LL(2)$

19) $S \rightarrow a|ab|abc|abcd$ $LL(4)$ but not $LL(3)$

20) $S \rightarrow a|ab|abc|abcd|abcde$ $LL(5)$ but not $LL(4)$



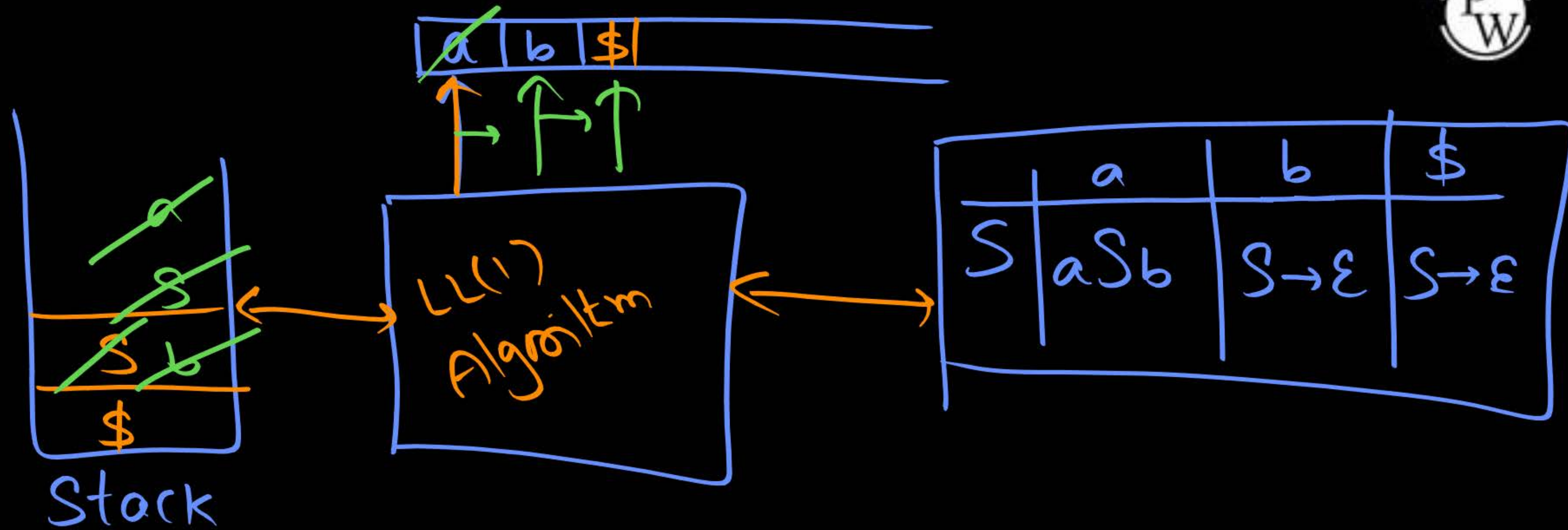
$k \geq 0$

Note: Any $LL(k)$ CFG is convertible to $LL(1)$ CFG.

represents
 $LL(1)$ language

$\left\{ \begin{array}{l} L_1 = \text{Set of all languages generated by } LL(1) \text{ CFGs} \\ L_2 = \text{" " " " " by } LL(2) \text{ CFGs} \\ L_3 = \text{" " " " " by } LL(3) \text{ CFGs} \end{array} \right.$

$$L_1 = L_2 = L_3$$



$$S \rightarrow aSb / \epsilon$$

$$w = \underline{a} \underline{b} \$$$

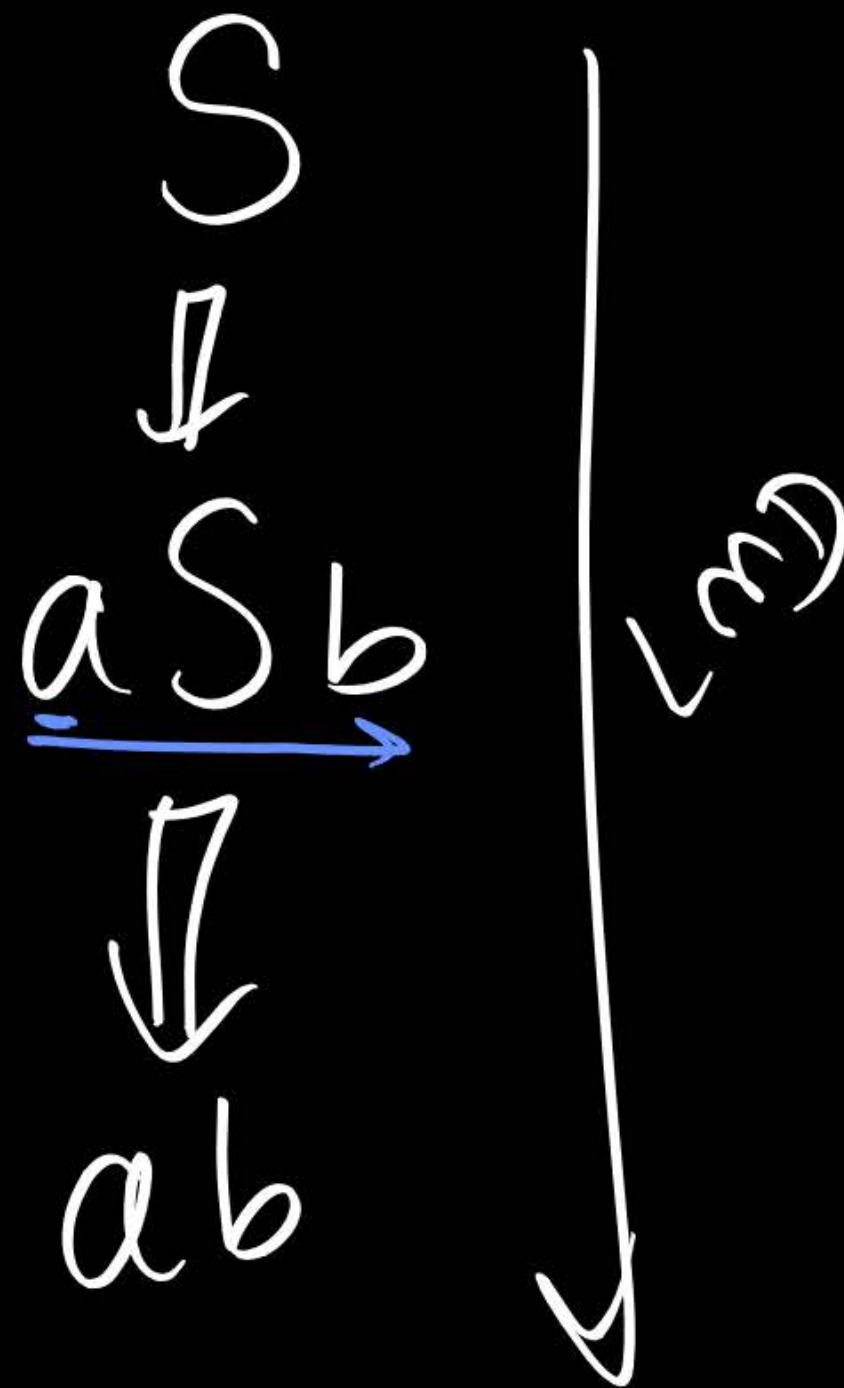


Table:

M	a	b	\$
S	$S \rightarrow aSb$	$S \rightarrow \epsilon$	$S \rightarrow \epsilon$

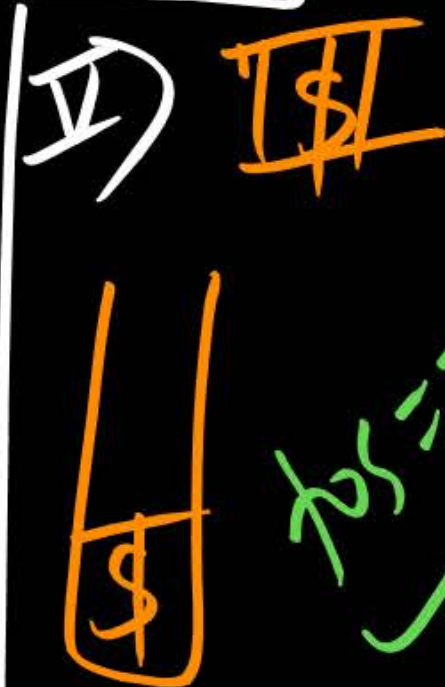
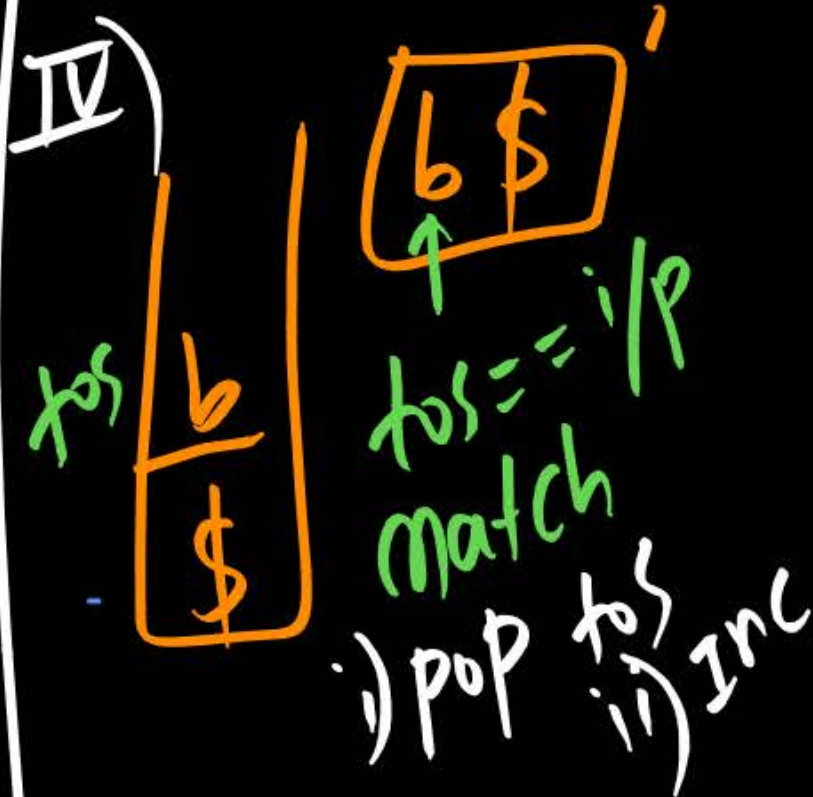
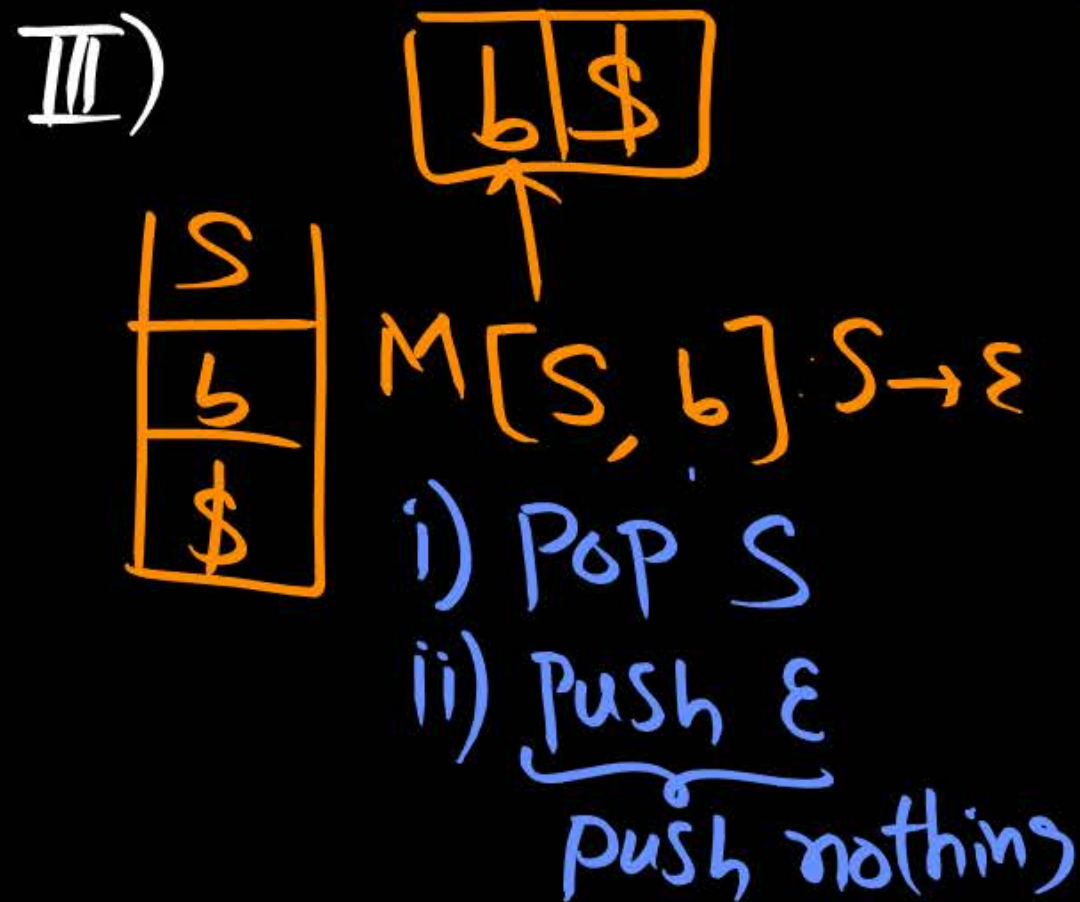
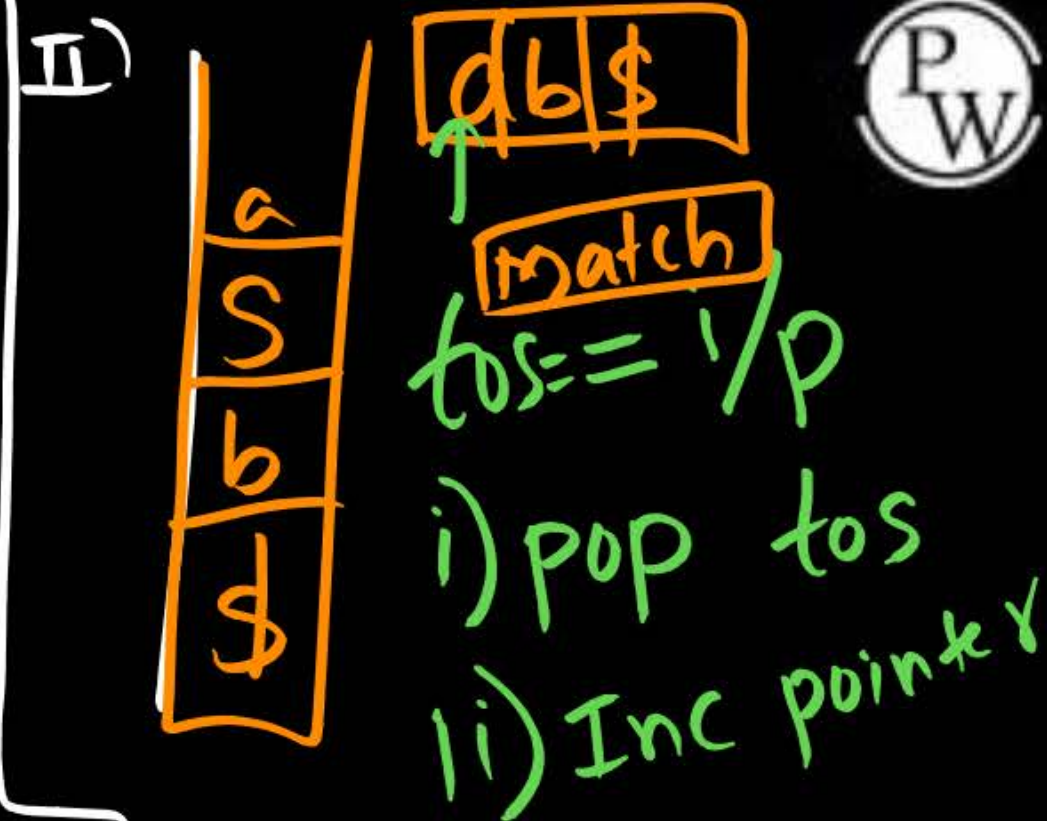
Input: ab



$M[S, a]: S \rightarrow aSb$

i) Pop S

ii) Push aSb in reverse

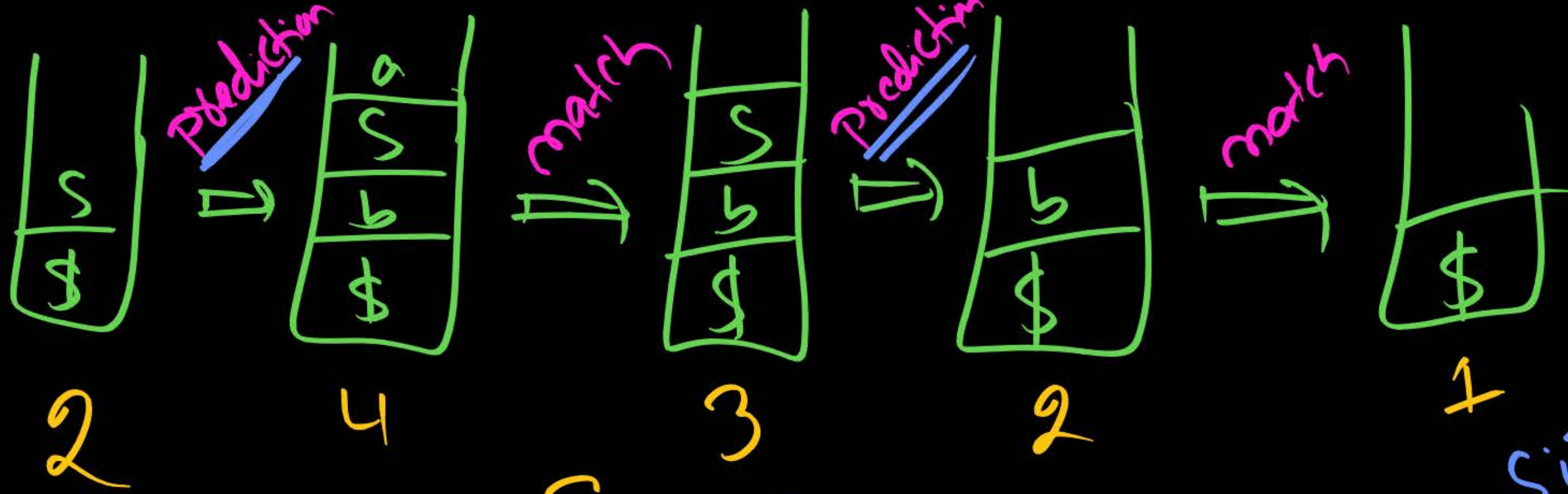


$tos == i/p$

Accept

(no syntax error)





$S \xRightarrow{a} aSb$
 $S \xRightarrow{b} \epsilon$

max stack size
 during LR(0) parsing
 to derive "ab" by assuming
 initially $\$$ and S present on
 stack = 4



If tos is Non-terminal

↓
check table

↓
prediction (substitution)

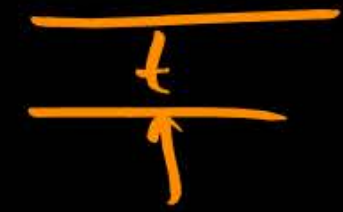
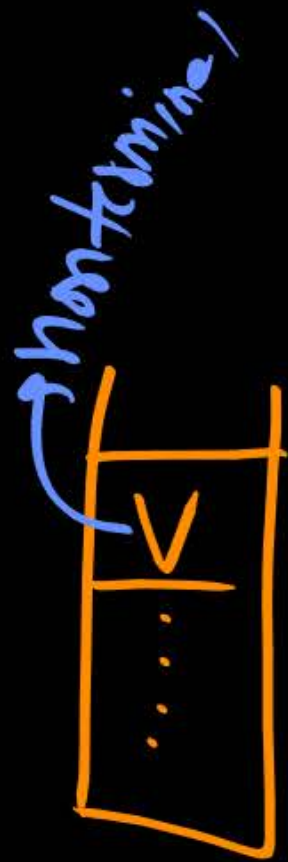
If tos is terminal

↓
match with i/p

LL(1) parsing

↳ What are the problems can be faced

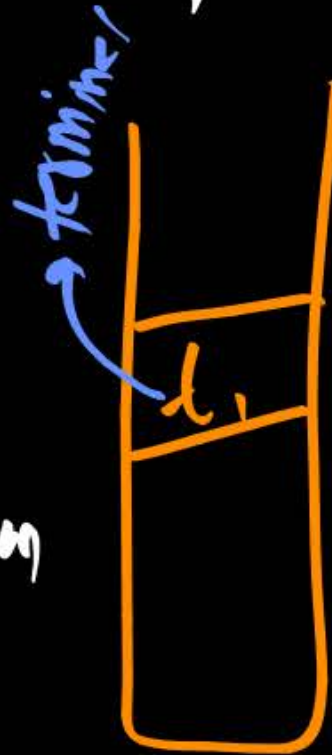
during parsing i/p



$M[v, t] = \text{Blank}$

If table has no production

I) N-conflict



$t_1 \neq t_2$

II) T-conflict
If t_{os} is not matching with i/p

I) N-conflict
If t_{os} is non-terminating

II) T-conflict
If t_{os} is terminating

TDP

S



string
ab

using LMD
Predictions (Substitutions)

BUP

[Shift-Reduced
parser]



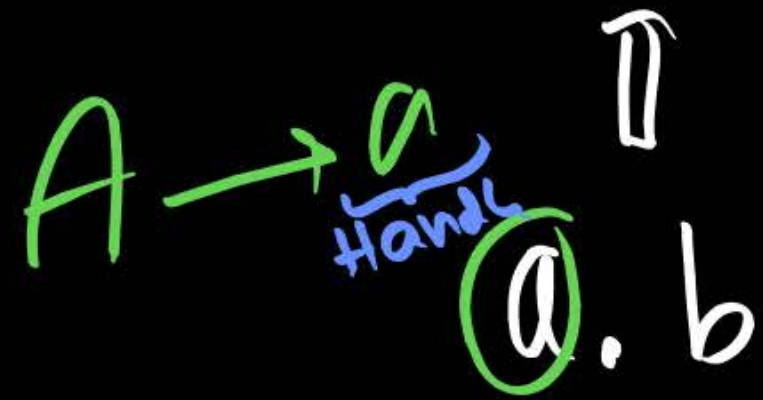
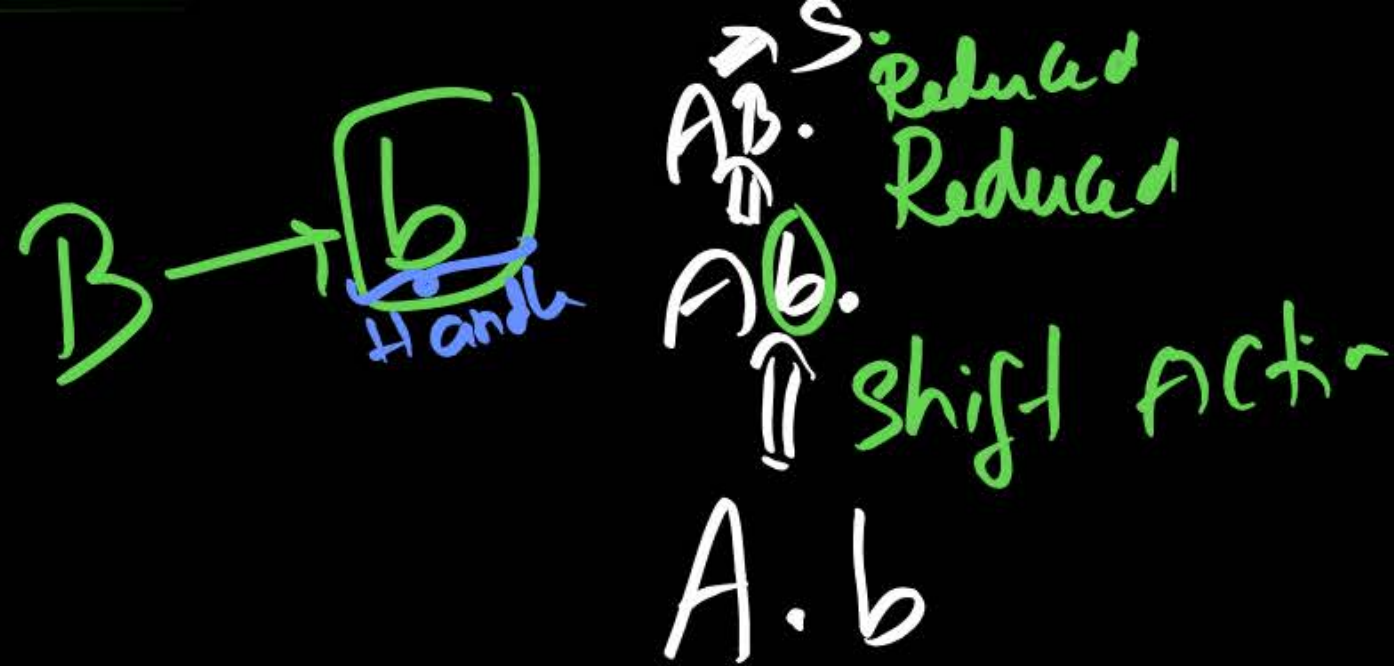
S



ab

using RMD in reverse
(Reverse of RMD)

[Shift action
&
Reduced actions]



↑ shift action

A.6

1

Reduced action [RHS is reduced to LHS]

shift action (dot moved before ϵ to after terminal)

(Read ^{to you} terminal)

Bottom-UP Parser



L → left to right scan
R → RMD in reverse

Operator precedence parser

LR parsers

→ LR(0) parser

→ SLR(1) parser [SLR parser]

→ LALR(1) " [LALR parser]

→ CLR(1) " [CLR parser] [LR(1) parser]

Simple

Look-a-head

Canonical

look-a-head

LR(0) Parser



→ I) Augmented CFG

→ II) Items

→ III) closure () and goto () functions

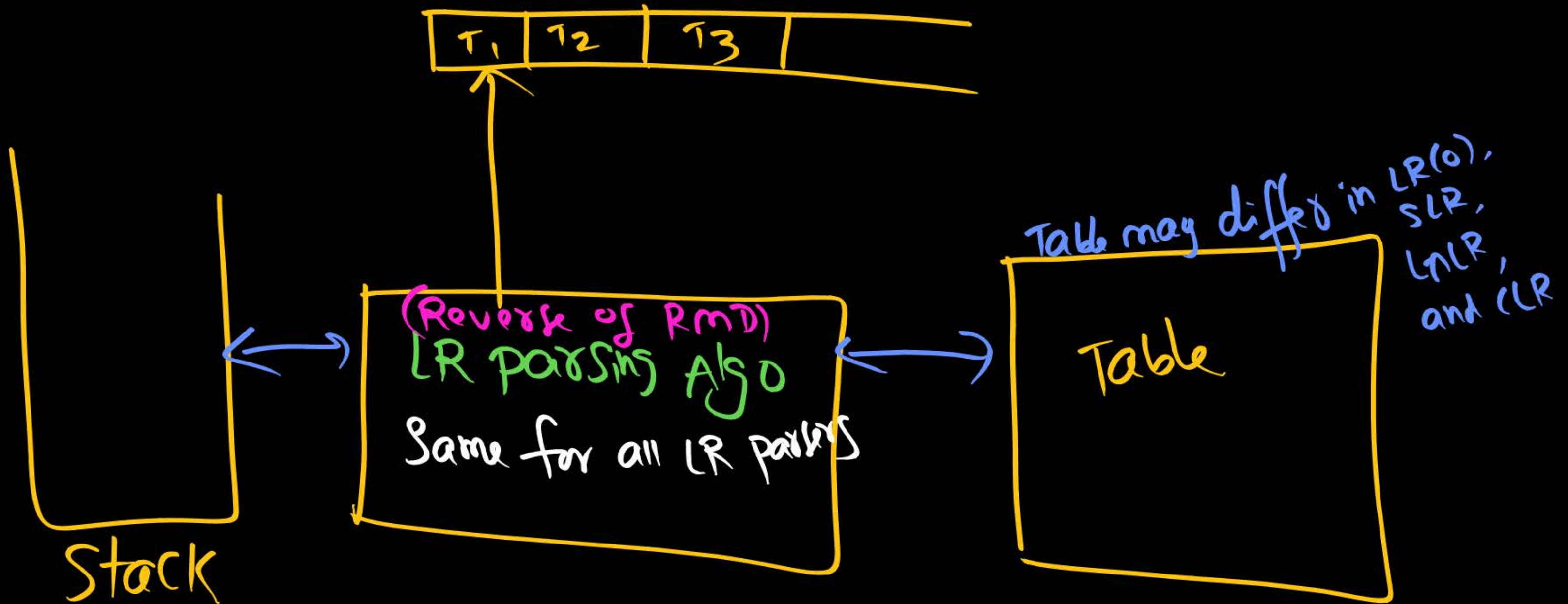
→ IV) parsing DFA
(Diagram)

or set of LR(0) items
(Sets)

V) parsing Table

*
*
*
*

LR PARSERS (LR(0) / SLR / LALR / CLR)



TRUE?



~~A)~~ BUP uses RMD in reverse.

~~B)~~ LR parser " " "

~~C)~~ SR parser " " "

~~D)~~ LR(0) " " "

~~E)~~ SLR " " "

~~F)~~ LALR " " "

~~G)~~ CLR " " "

Q1) What is Augmented Grammar?



$S \rightarrow AB$
 $A \rightarrow a$
 $B \rightarrow a$
CFG

Append
 $S \rightarrow S$
(new start S')

$S' \rightarrow S$
 $S \rightarrow AB$
 $A \rightarrow a$
 $B \rightarrow a$

Augmented CFG

In BUP, $S' \rightarrow S$ will help to accept given ip.

Q2) What is Item? [It is a production along with "dot"] PW

$S \rightarrow aAbB$
production

$S \rightarrow \cdot aAbB$

$S \rightarrow a \cdot AbB$

$S \rightarrow aA \cdot bB$

$S \rightarrow aAb \cdot B$

$S \rightarrow aAbB \cdot$

items

Types of Items: [based on symbol immediately after Dot]



- I) Shift Item [terminal present just after dot] $S \rightarrow \cdot a A b B$ [shift item]
- II) State Item (goto Item) [Non-terminal present just after dot] $S \rightarrow a \cdot A b B$ [state item]
- III) Reduced Item (completed Item) [Dot is at the end]
- $S \rightarrow a A \cdot b B$ [shift item]
- $S \rightarrow a A b \cdot B$ [state item]
- $S \rightarrow a A b B \cdot$ [Reduced Item (completed)]

$S \rightarrow \underbrace{AB}_{\text{Handle}} \mid \underbrace{ad}_{\text{Handle}}$

$A \rightarrow \underbrace{a}_{\text{Handle}}$

$B \rightarrow \underbrace{b}_{\text{Handle}}$

Production is called
as Handle

LL(1)



First
&
Follow

LR parser



Where is dot?
Who is after dot immediately?

→ LL(1) CFG ✓

LL(1) Algo ✓

LR concepts ✓

Next: closure()
goto()

