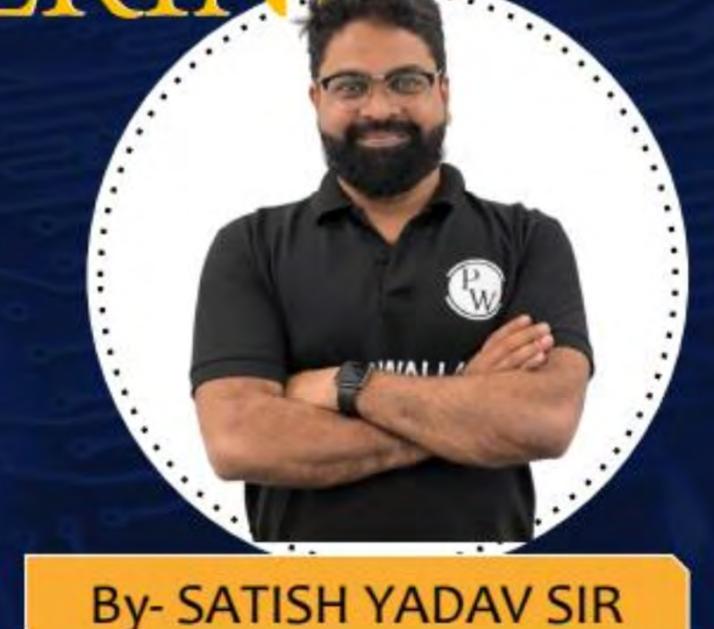
CS & IT



DISCRETE MATHS
SET THEORY



Lecture No. 02







01 onto Functions

...

02 1:1 correspondance Functions

...

03 Number of Functions

...

04 Types of Functions

....

05 Various Examples in Functions





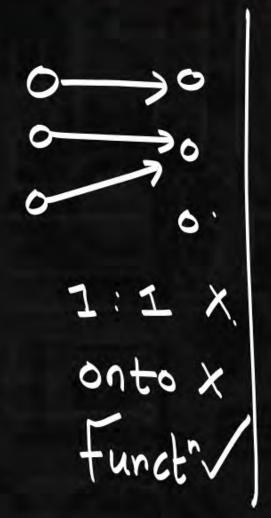
$$f: G_1 \rightarrow G_2(1:1)$$

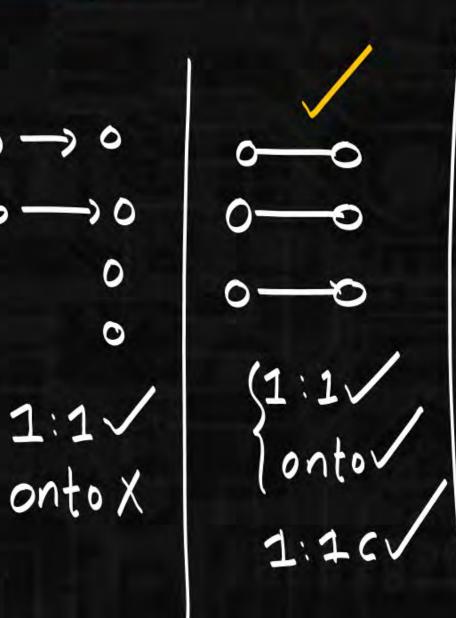
$$f: V_1 \rightarrow V_2 \quad |v_1| = |v_2|$$

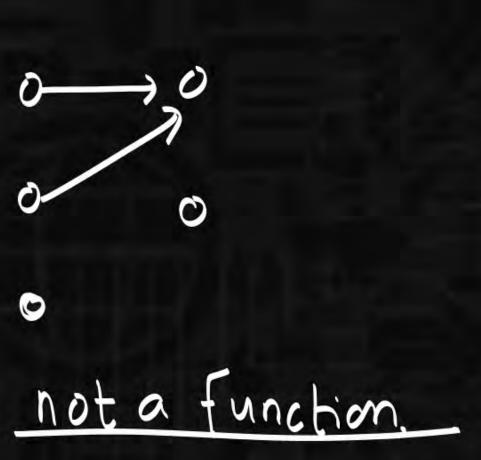
$$f: E_1 \rightarrow E_2 \quad |E_1| = |E_2|$$











identity Function la: A > A.

f: A > A

a > a

f(n) = n.

Inverse function



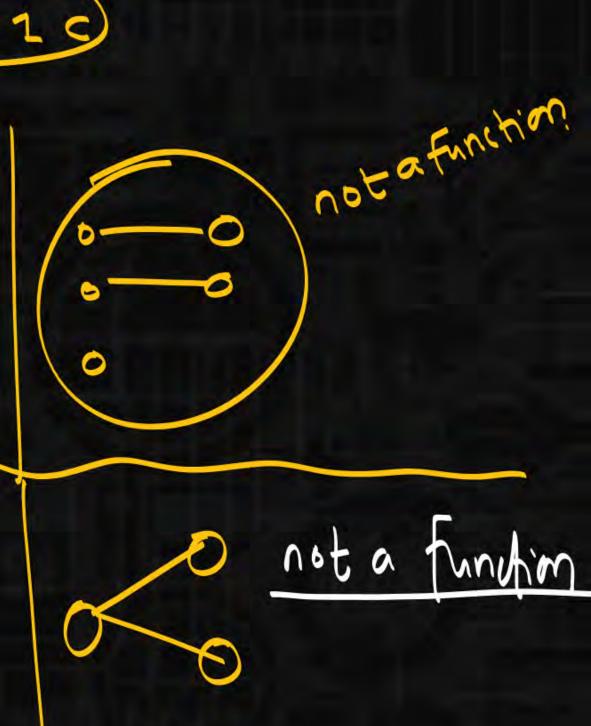
$$\begin{array}{c} a \rightarrow x \\ b \rightarrow y \\ \end{array}$$

$$f(a) = x$$
.
 $f(b) = y$.
 $f(c) = z$.

$$a = \frac{\pi}{2}$$
 $a = \frac{\pi}{2}$
 $f(x) = a$
 $f(x) = b$
 $f(x) = c$

$$a = \frac{\pi}{2}$$
 $a = \frac{\pi}{2}$
 $f(x) = a$
 $f(y) = b$
 $f(y) = c$







$$f: Z \rightarrow Z.$$

$$f(x) = x + 3$$

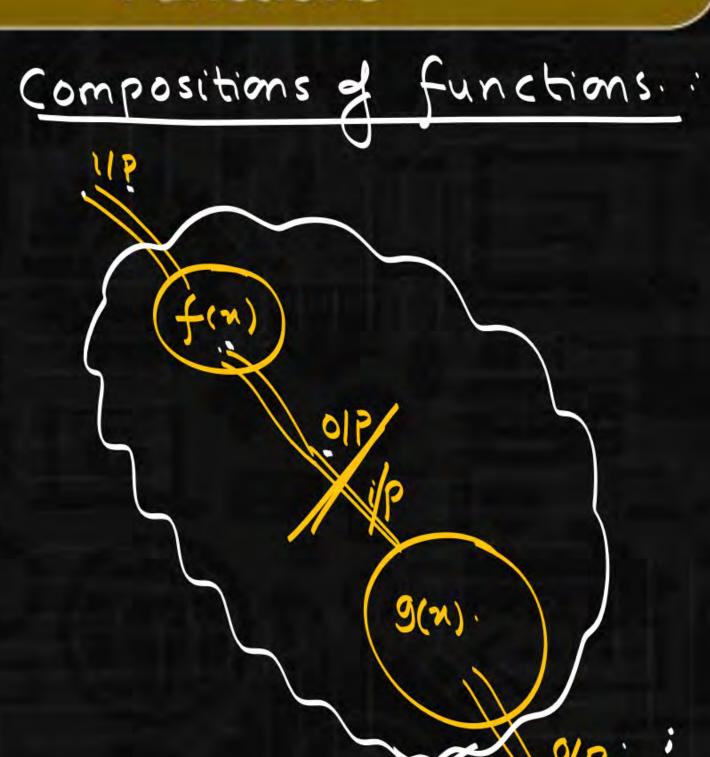
$$f: A \rightarrow B (1:1c)$$
 $1AI = 1BI = N$

what will be no of 1:1c.

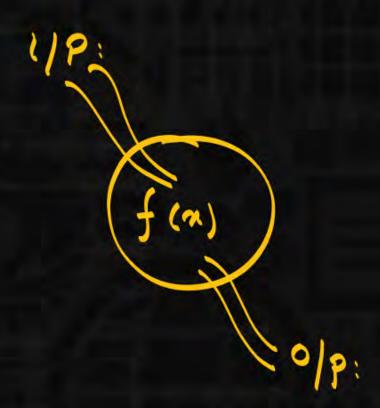
Functions = nI

3:2.1

 $n.(n-1)$
 $n.(n-1)$









$$g(f())$$
 $f(a) = 3$
 $f(b) = y$
 $f(c) = 2$

$$\frac{f(x) = x}{g(x) = 0}$$

$$g(x) = 0$$

$$g(x) = 0$$

$$g(f(x)) = 0$$

$$g(x) = 0$$

$$g(f(x)) = 0$$

$$f(x) = x + 2 \qquad g(x) : 2x + 3$$

$$g(f(x)) = g(f(x))$$

$$= g(x + 2)$$

$$= 2(x + 1) + 3$$

$$= 2x + 5$$

$$fog = f(9(n))
 = f(2x+3)
 = (2x+3) + 1
 = 2x+4$$



$$f(x) = x^2 + x - 1$$
 $g(x): 3x + 2$

$$Q(n) = 1 - n + n^2 - f(n) = ax + b$$

$$qof(n) = qn^2 - qn + 3$$

$$\int og(n) - gof(n) = 6(n+1)^2$$

what will be atb= ?



$$90f(x) = 9(f(x))$$

- $a+2ab=-9. = 9(ax+b)$

$$g(ax+b)=1-(ax+b)+(ax+b)^2$$
.
 $g(a)=1-a+a^2$.

$$\alpha = 3 = I - (antb) + (antb)^2$$

$$g(x) = 1 - x + x^2 f(x) = ax + b$$

$$\alpha^2 = 9$$

$$\alpha = \pm 3$$

$$90f(n) = 9n^2 - 9n + 3$$

$$=(1-b+b^2)+(-ax+2axb)$$

$$b^{2}-b+1=3$$
 $b=$
 $b^{2}-b-2=0$
 $b^{2}-2b+b-2=0$

$$\frac{b^2 - b + 1 = 3}{b^2 - b - 2 = 0} = 0$$

$$\frac{a^2 n^2 + (-a + 2ab)n + (-b + b^2)}{b^2 - b - 2 = 0} = 0$$

$$f: A \rightarrow B$$
 $(1:1c)$
 $Inverse exist$
 $f^{-1}: B \rightarrow A$

$$\frac{1}{\int_{-\infty}^{2nd} \int_{-\infty}^{1} \int_{-\infty}^{\infty} \int$$

$$f^{-1}\circ f=iA$$



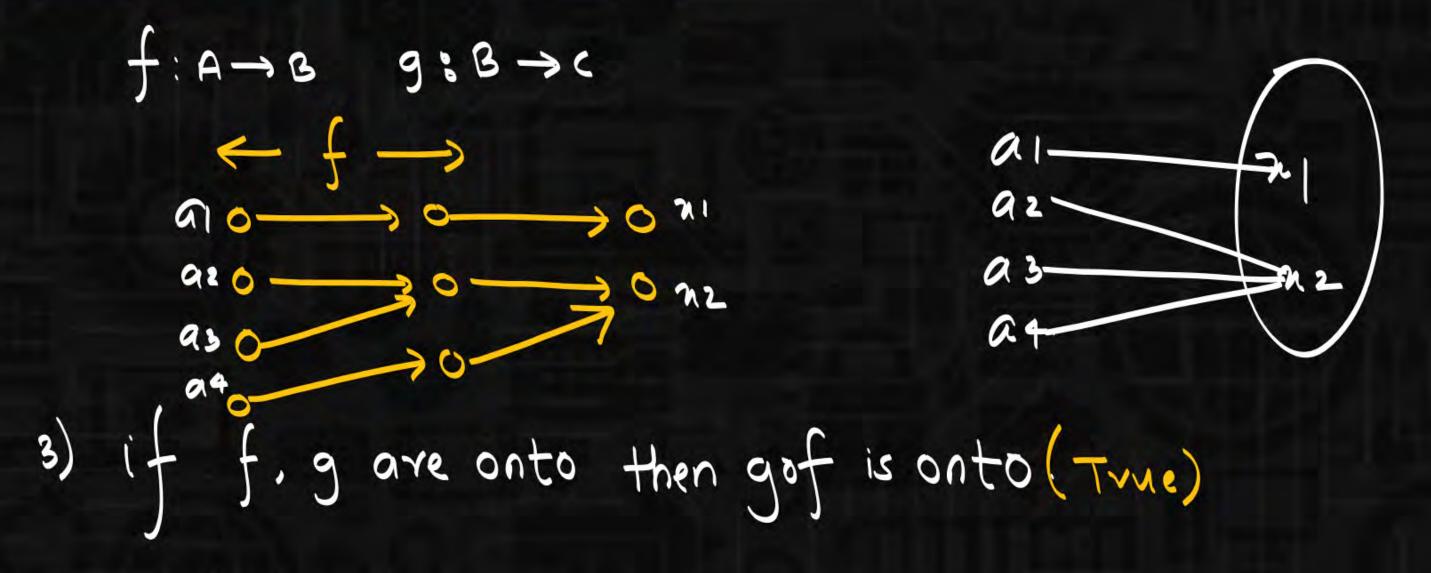


f: A
$$\rightarrow$$
 B g: B \rightarrow C

if f. g are 1:1 then gof is 1:1. (The)

along the second along the







$$f: A \rightarrow B$$
 $g: B \rightarrow C$

check.

if $f & g$ are $1:1C$ then $g \circ f$ is $1:1C$.

