



DIGITAL ELECTRONICS

Combinational circuit

Lecture No. 9



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TOPICS TO BE COVERED 01 Parallel Adder

02 Question Practice

03 Discussion



combinational circuit

```
La Besigning
 HA, FN, H.S, F.S.
 MUX DEMUX
  Fucages, Decages
   Comparator
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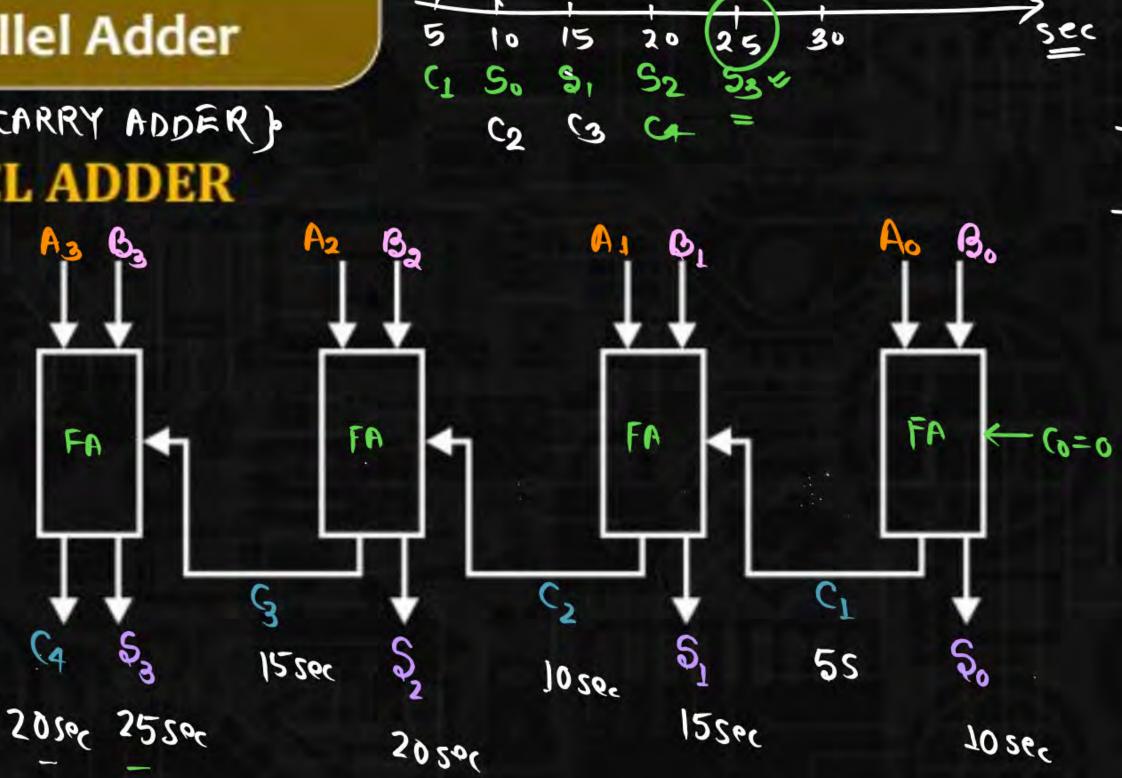


PARALLEL ADDER

h bit parallel adder

RIPPLE CARRY ADDER }

0=}



20

30

5



Tsum=10 sec Tearry = 5 sec



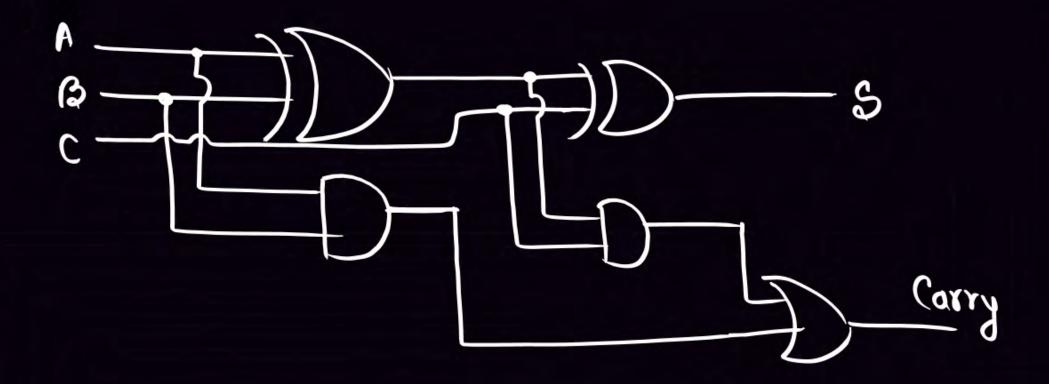
"h" bit parallel adder

Belay

Ex
$$T_{sum} = 10s$$

 $T_{corry} = 5s$
 $T = (4-1)5 + Max {10,5}
 $T = 3x5 + 10 = 25 sec$$



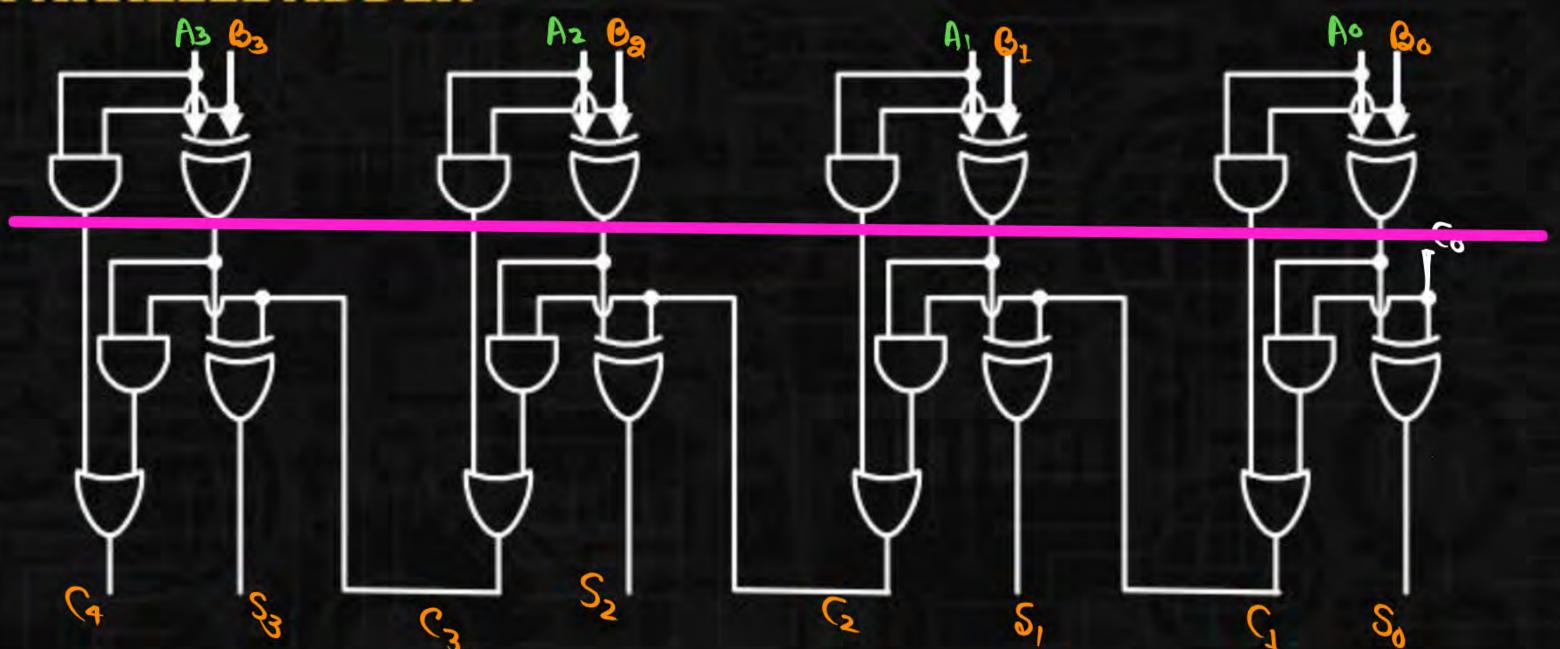






T= (n-1) {TAND+ TOR}+ Max{Tsum, Tcorry}

PARALLEL ADDER





Q.1

A 16-bit ripple carry adder is realized using 16 identical full adders. The carry propagation delay of each full adder is 12 ns and the sum propagation delay of each full adder is 15 ns. The worst case delay of this 16 bit adder will be



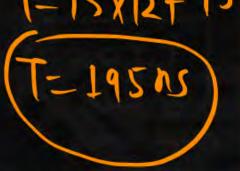
195 ns

T=(n-1) Trarry + Max {Tsum, Trarry}

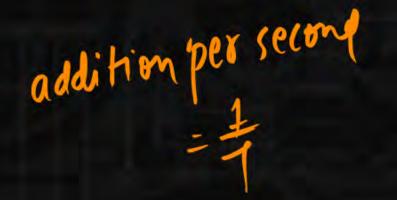
T=(16-1) Izns + Max {15ns, B. 220 ns



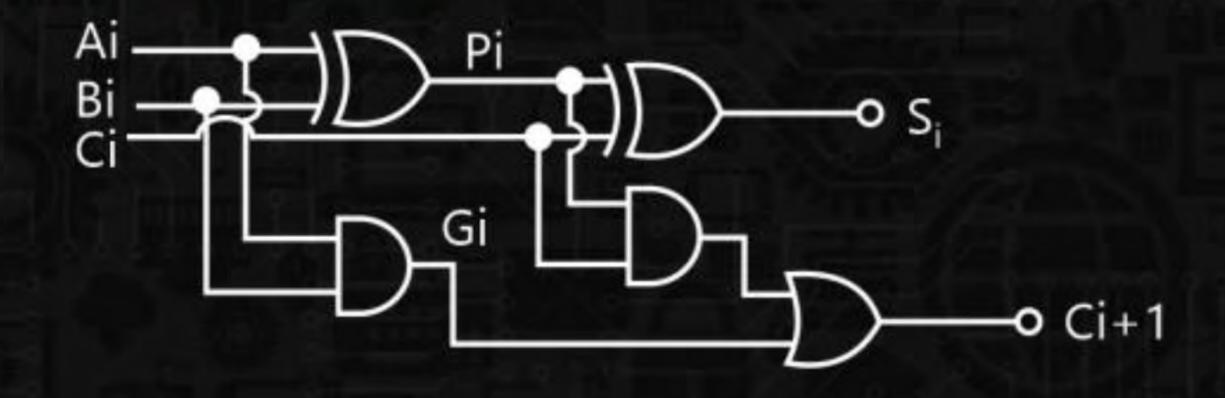
c. 250 ns



D. 300 ns



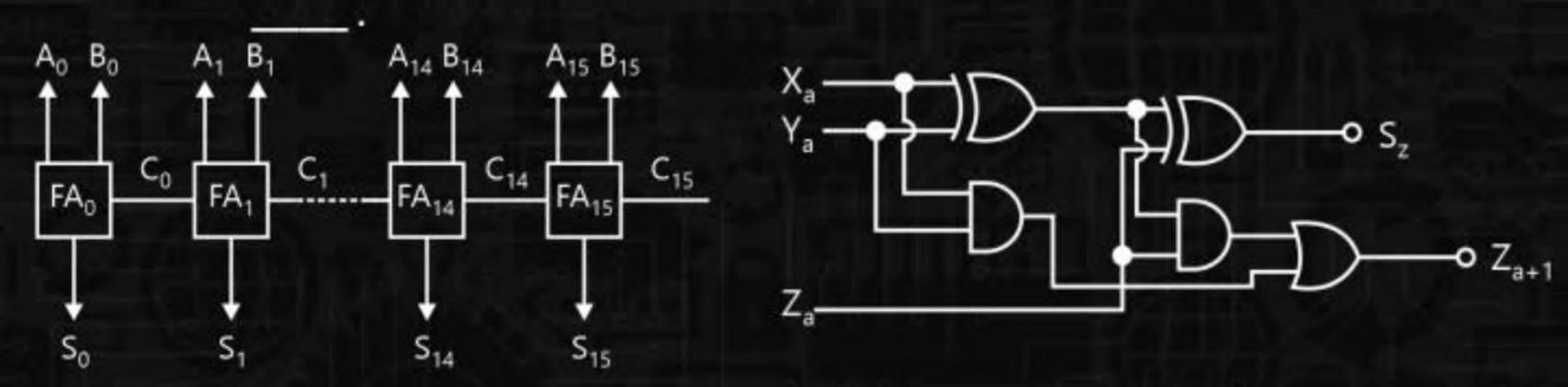






Q.3

A 16-bit ripple carry adder is realized using 16 identical full adders (FA) as shown in the figure. The carry-propagation delay of each FA is 12 ns and the sum-propagation delay of each FA is 15 ns. The worst case delay (in ns) of this 16-bit adder will be

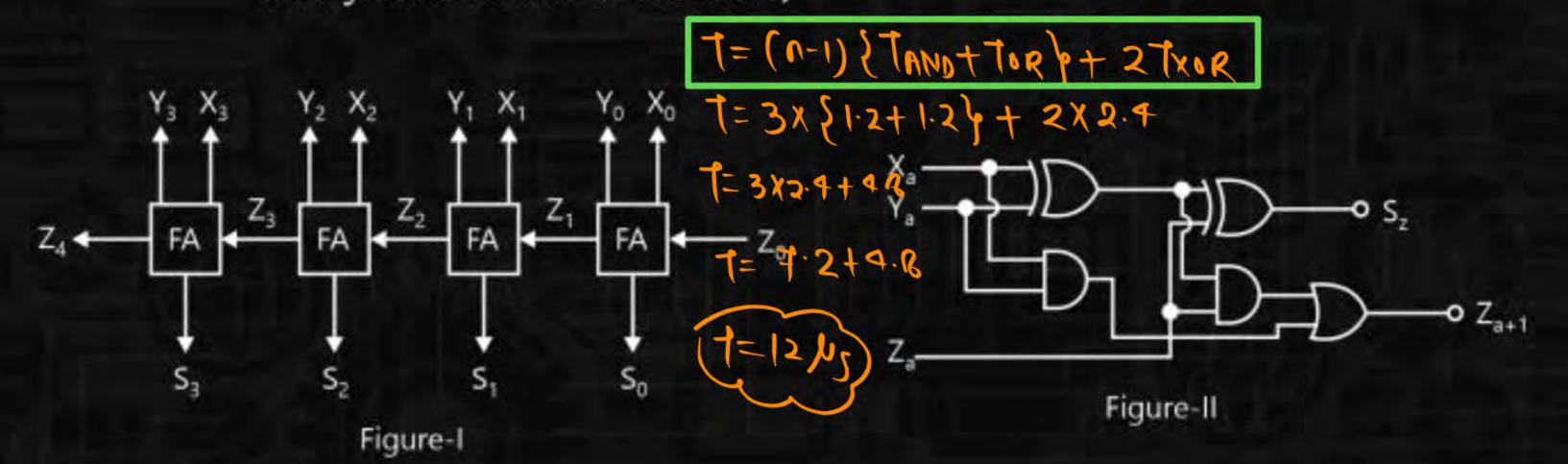






Q.4

A half adder is implemented with XOR and AND gates. A full adder is implemented with two half adders and one OR gate. The propagation delay of an XOR gate is twice that of an AND/OR gate. The propagation delay of an AND/OR gate is 1.2 microseconds. A 4-bit ripple-carry binary adder is implemented by using full adders. The total propagation time of this 4-bit binary adder in microseconds is,

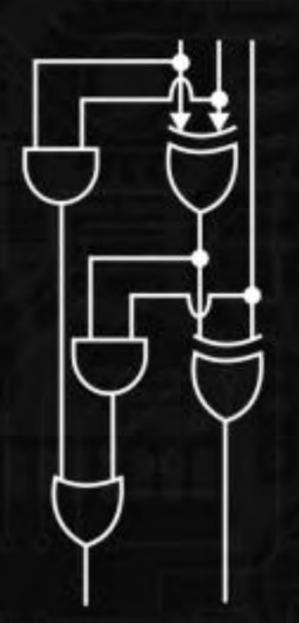


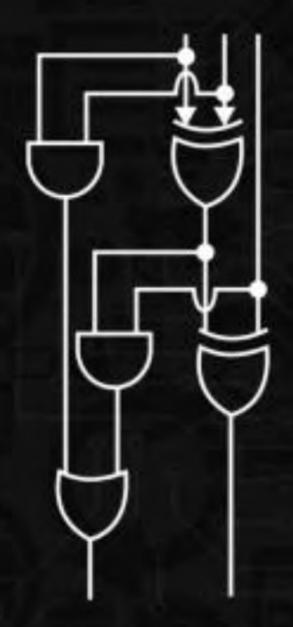


PARALLEL ADDER





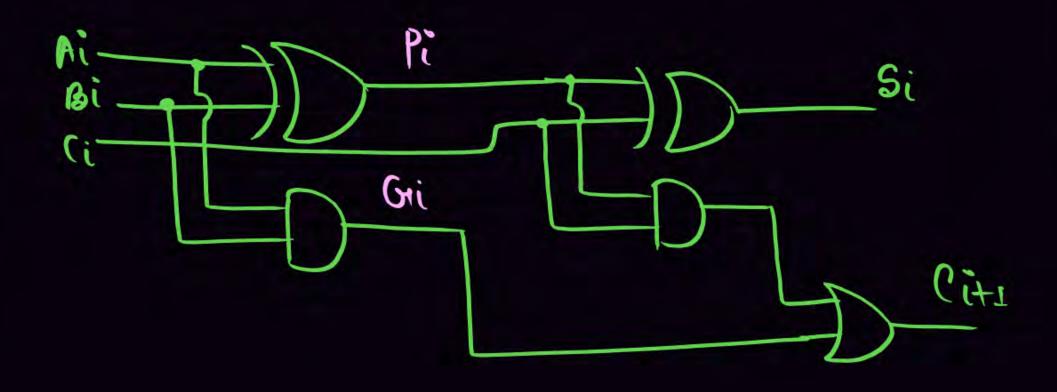






Look Ahead (arry odder (LACA)

- fastest adder among all the adder.

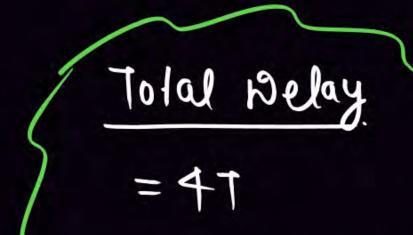


Pi -> corry propagating

Gi -> corry generating term.

Pi= Ai & Bi

Gri=AiBi



Carry Block Heloy

In carry Block

Number of AND GIATE = $\frac{n(n+1)}{2}$ Number of OR WATE = n.



