

CSCE 5218 & 4930 Deep Learning

Advanced Topics

Plan for this lecture

- Alternative representations
 - I. Graph networks
- Alternative learning mechanisms
 - II. Self supervision
 - III. Reinforcement learning
- Alternative tasks
 - IV. Generation
- V. Bias and ethics (optional)

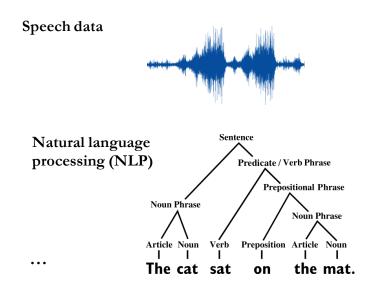
Part I: Graph Networks

- Types of graph networks
 - Graph convolutional networks
 - Graph attention networks
- Applications
 - Semi-supervised learning

Types of data typically handled with Deep Learning





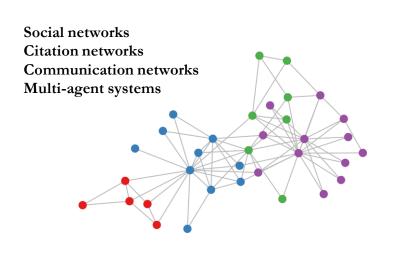


Grid games



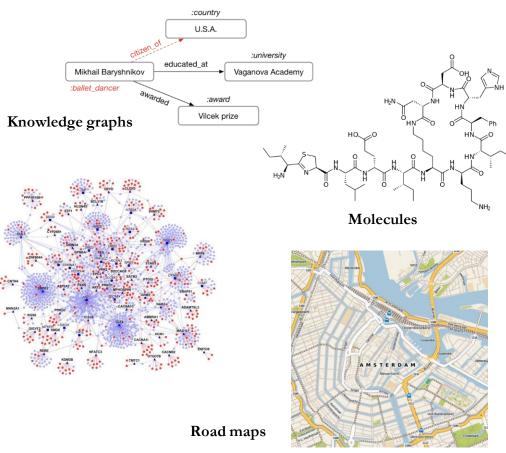
Graph-structured data

A lot of real-world data does not "live" on grids



Protein interaction networks

Standard deep learning architectures like CNNs and RNNs don't work here!



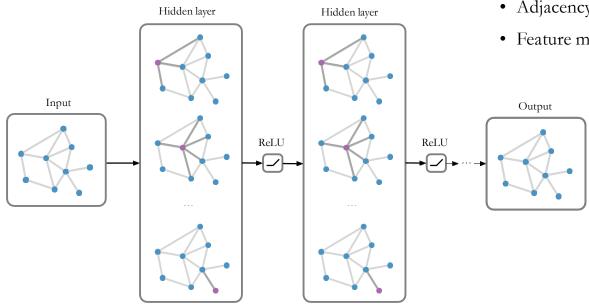
Graph Neural Networks (GNNs)

The bigger picture:

Notation: G = (A, X)

• Adjacency matrix $\mathbf{A} = \mathbb{R}^{N \to 1}$

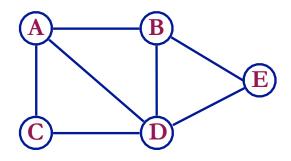
• Feature matrix $\mathbf{X} = \mathbf{R}^{N \to iF}$



Main idea: Pass messages between pairs of nodes & agglomerate

Graph convolutional networks

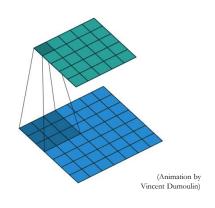
Graph:
$$G = (\mathcal{V}, \mathcal{E})$$

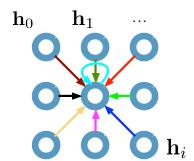


Adjacency matrix: A

Recap: Convolutional neural networks (on grids)

Single CNN layer with 3x3 filter:





Update for a single pixel:

- ullet Transform messages individually $old W_i old h_i$
- Add everything up $\sum_i \mathbf{W}_i \mathbf{h}_i$

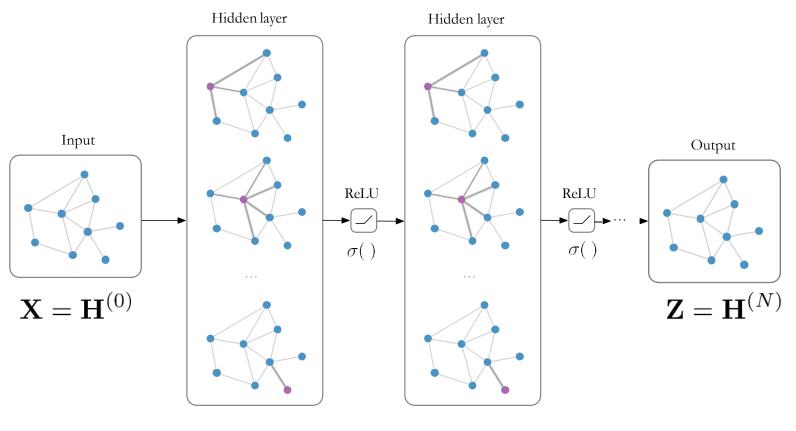
 \mathbf{h}_{i} in \mathbf{R}^{F} are (hidden layer) activations of a pixel/node

Full update:

$$\mathbf{h}_{4}^{(l+1)} = \sigma \left(\mathbf{W}_{0}^{(l)} \mathbf{h}_{0}^{(l)} + \mathbf{W}_{1}^{(l)} \mathbf{h}_{1}^{(l)} + \dots + \mathbf{W}_{8}^{(l)} \mathbf{h}_{8}^{(l)} \right)$$

Graph convolutional networks

 $\mathbf{X} \in \mathbb{R}^{N imes E}$, preprocessed adjacency matrix **Input**: Feature matrix



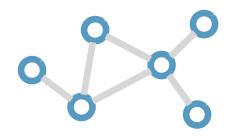
$$\mathbf{H}^{(l+1)} = \sigma \left(\hat{\mathbf{A}} \mathbf{H}^{(l)} \mathbf{W}^{(l)} \right)$$

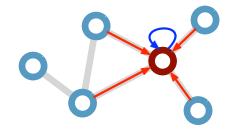
Graph convolutional networks (GCNs)

Kipf & Welling (ICLR 2017), related previous works by Duvenaud et al. (NIPS 2015) and Li et al. (ICLR 2016)

Consider this undirected graph:

Calculate update for node in red:





$$\mathbf{h}_{i}^{(l+1)} = \sigma \left(\mathbf{h}_{i}^{(l)} \mathbf{W}_{0}^{(l)} + \sum_{j \in \mathcal{N}_{i}} \frac{1}{c_{ij}} \mathbf{h}_{j}^{(l)} \mathbf{W}_{1}^{(l)} \right)$$

Scalability: subsample messages [Hamilton et al., NIPS 2017]

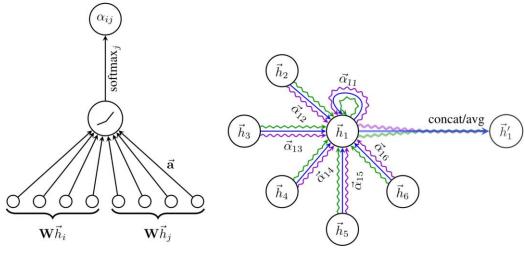
 \mathcal{N}_i : neighbor indices

 C_{ij} : norm. constant (fixed/trainable)

Graph neural networks with attention

Monti et al. (CVPR 2017), Hoshen (NIPS 2017), Veličković et al. (ICLR 2018)

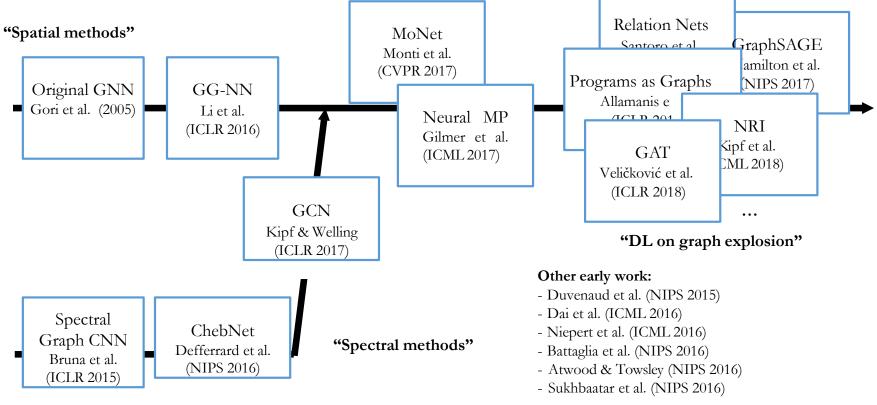
https://arxiv.org/pdf/1710.10903.pdf



[Figure from Veličković et al. (ICLR 2018)]

$$\vec{h}_i' = \sigma \left(\frac{1}{K} \sum_{k=1}^K \sum_{j \in \mathcal{N}_i} \alpha_{ij}^k \mathbf{W}^k \vec{h}_j \right) \qquad \alpha_{ij} = \frac{\exp \left(\text{LeakyReLU} \left(\vec{\mathbf{a}}^T [\mathbf{W} \vec{h}_i || \mathbf{W} \vec{h}_j] \right) \right)}{\sum_{k \in \mathcal{N}_i} \exp \left(\text{LeakyReLU} \left(\vec{\mathbf{a}}^T [\mathbf{W} \vec{h}_i || \mathbf{W} \vec{h}_i] \right) \right)}$$

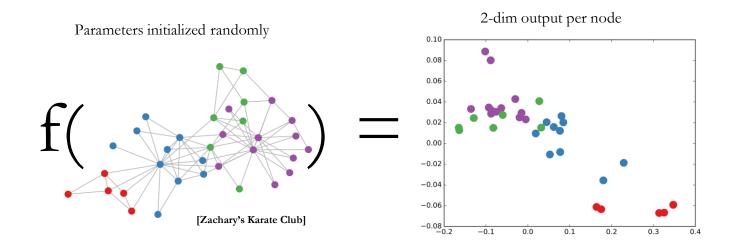
A brief history of graph neural nets



(slide inspired by Alexander Gaunt's talk on GNNs)

What do learned representations look like?

Forward pass through untrained 3-layer GCN model



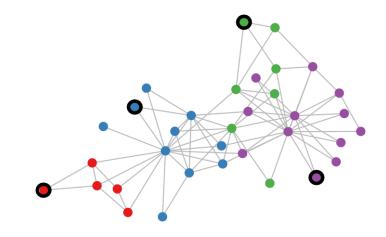
Semi-supervised classification on graphs

Setting:

Some nodes are labeled (black circle) All other nodes are unlabeled

Task:

Predict node label of unlabeled nodes



Evaluate loss on labeled nodes only:

$$\mathcal{L} = -\sum_{l \in \mathcal{Y}_L} \sum_{f=1}^F Y_{lf} \ln Z_{lf}$$

 \mathcal{Y}_L set of labeled node indices

Y label matrix

Z GCN output (after softmax)

Application: Classification on citation networks

Input: Citation networks (nodes are papers, edges are citation links,

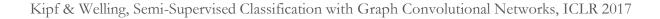
optionally bag-of-words features on nodes)

Target: Paper category (e.g. stat.ML, cs.LG, ...)

Model: 2-layer GCN
$$Z = f(X, A) = \operatorname{softmax} \left(\hat{A} \operatorname{ReLU} \left(\hat{A} X W^{(0)} \right) W^{(1)} \right)$$

Classification results (accuracy)

| | | Method | Citeseer | Cora | Pubmed | NELL |
|-------------------|--|--------------------|------------------|------------------|-------------------|-------------------|
| no input features | | ManiReg [3] | 60.1 | 59.5 | 70.7 | 21.8 |
| | | SemiEmb [24] | 59.6 | 59.0 | 71.1 | 26.7 |
| | | · LP [27] | 45.3 | 68.0 | 63.0 | 26.5 |
| | | DeepWalk [18] | 43.2 | 67.2 | 65.3 | 58.1 |
| | | Planetoid* [25] | 64.7 (26s) | 75.7 (13s) | 77.2 (25s) | 61.9 (185s) |
| | | GCN (this paper) | 70.3 (7s) | 81.5 (4s) | 79.0 (38s) | 66.0 (48s) |
| | | GCN (rand, splits) | 67.9 ± 0.5 | 80.1 ± 0.5 | 78.9 ± 0.7 | 58.4 ± 1.7 |



(Figure from: Bronstein, Bruna, LeCun, Szlam, Vandergheynst, 2016)

Part II: Self-Supervised Learning

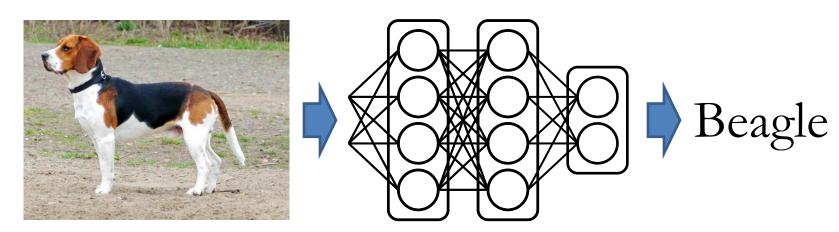
- Learn representations from context in raw data
- Language predict nearby words [already covered]
 - Word2Vec
 - Transformers
- Vision predict pixels from other pixels
 - Predict nearby patches in an image
 - Predict order of frames in a video
 - Predict ranking

Jitendra Malik: "Supervision is the opium of the AI researcher"
Alyosha Efros: "The AI revolution will not be supervised"
Yann LeCun: "Self-supervised learning is the cake, supervised learning is the icing on the cake, reinforcement learning is the cherry on the cake"

Unsupervised Visual Representation Learning by Context Prediction

Carl Doersch, Alexei Efros and Abhinav Gupta ICCV 2015

ImageNet + Deep Learning



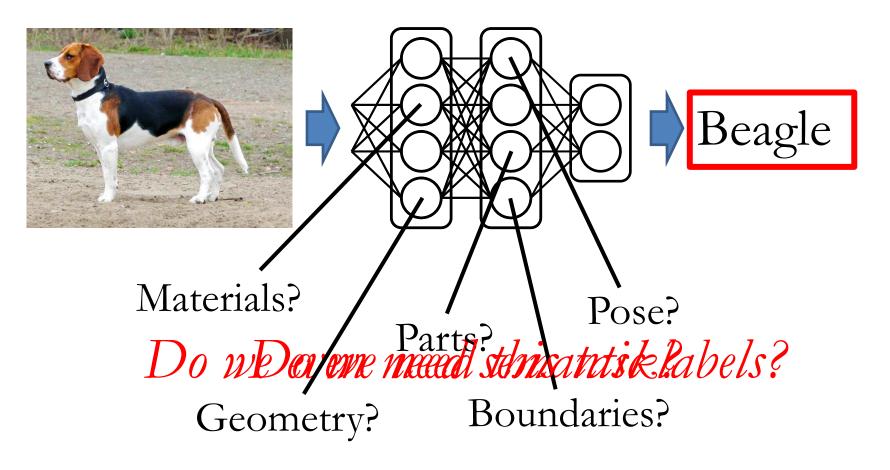


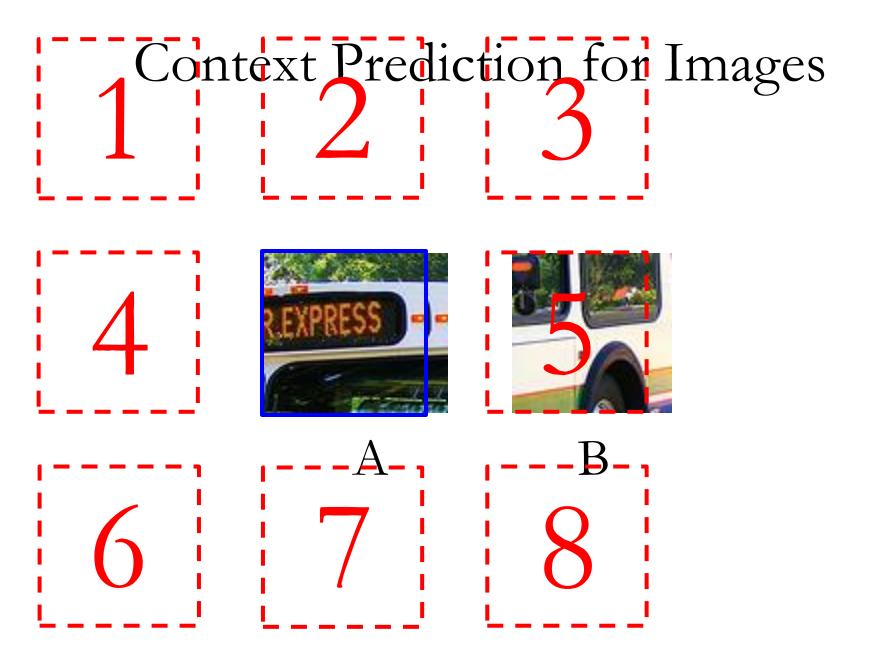


- Image Retrieval
- Detection (RCNN)
- Segmentation (FCN)
- Depth Estimation

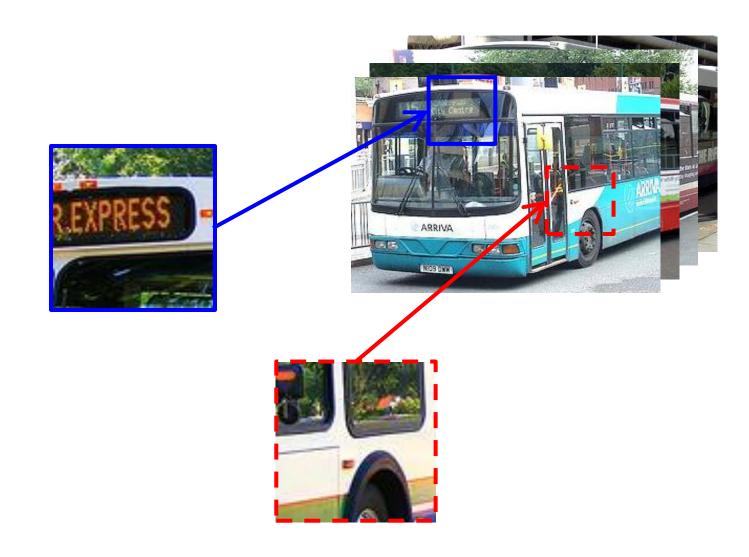
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ImageNet + Deep Learning

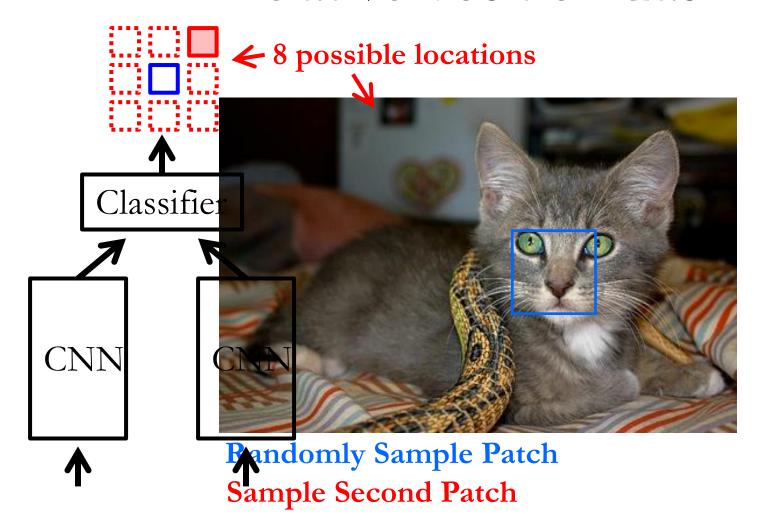


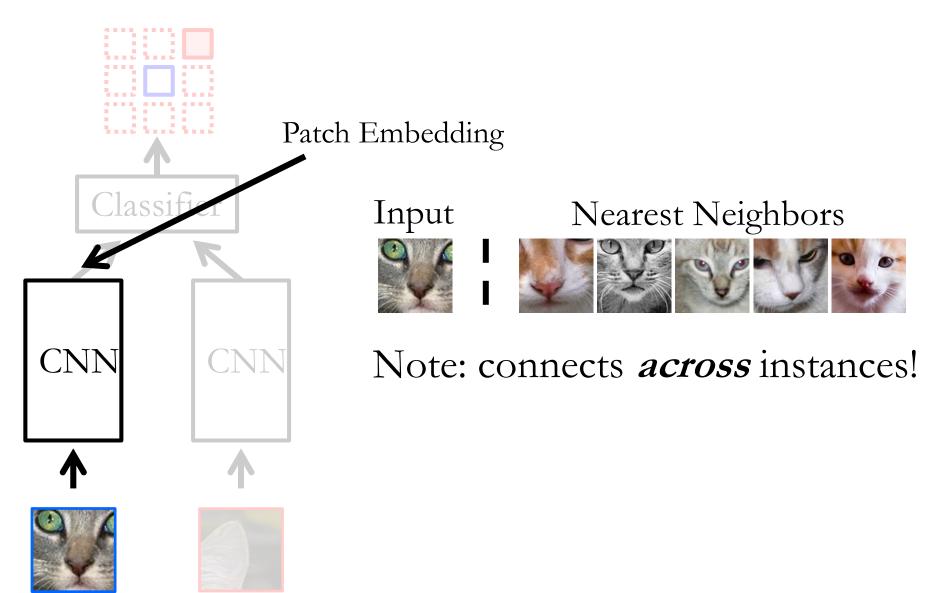


Semantics from a non-semantic task

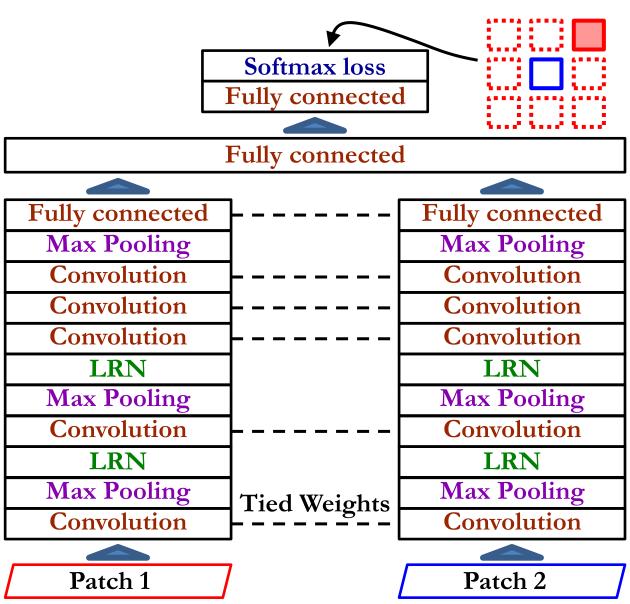


Relative Position Task

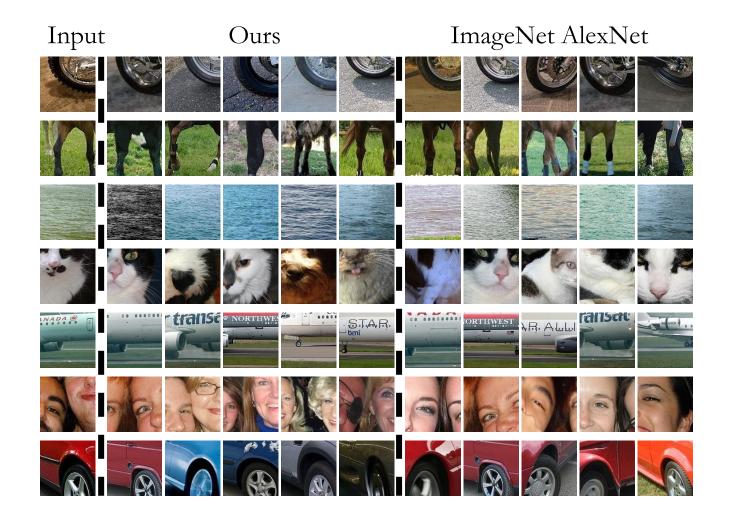




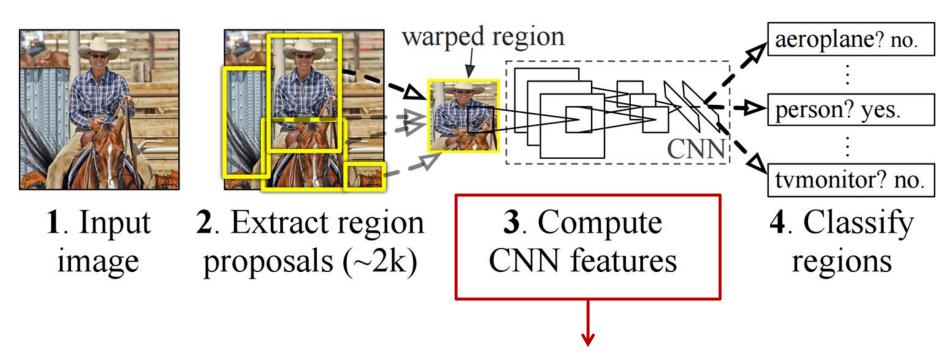
Architecture



What is learned?

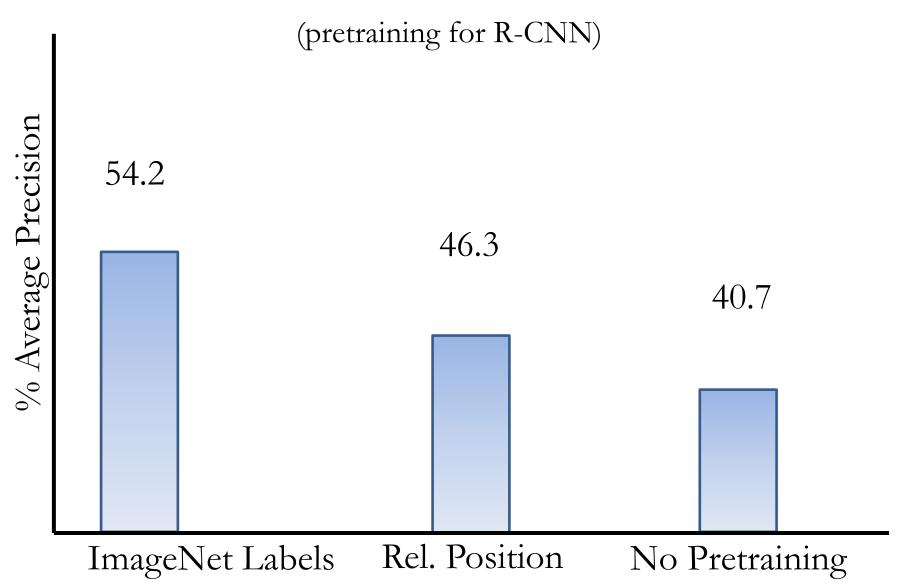


Pre-Training for R-CNN



Pre-train on relative-position task, w/o labels

VOC 2007 Performance



Which will be better?

- Option 1: pretrain (unsup) on dataset B
- Option 2: pretrain (sup) on dataset A
- Test on dataset B

Shuffle and Learn: Unsupervised Learning using Temporal Order Verification

Ishan Misra, C. Lawrence Zitnick, and Martial Hebert ECCV 2016

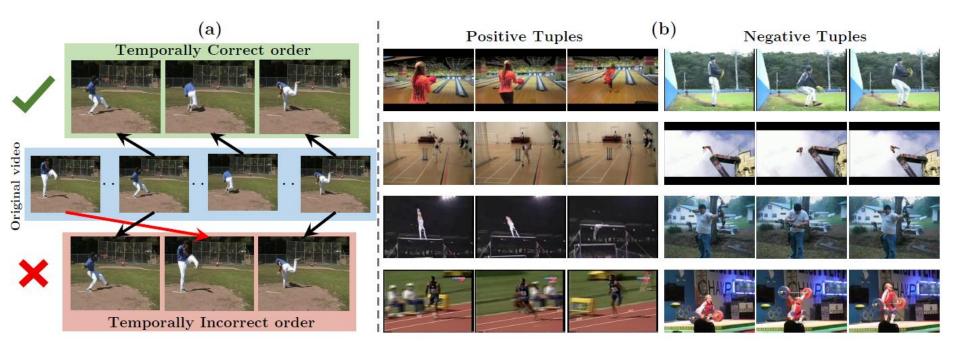


Fig. 1: (a) A video imposes a natural temporal structure for visual data. In many cases, one can easily verify whether frames are in the correct temporal order (shuffled or not). Such a simple sequential verification task captures important spatiotemporal signals in videos. We use this task for unsupervised pre-training of a Convolutional Neural Network (CNN). (b) Some examples of the automatically extracted positive and negative tuples used to formulate a classification task for a CNN.

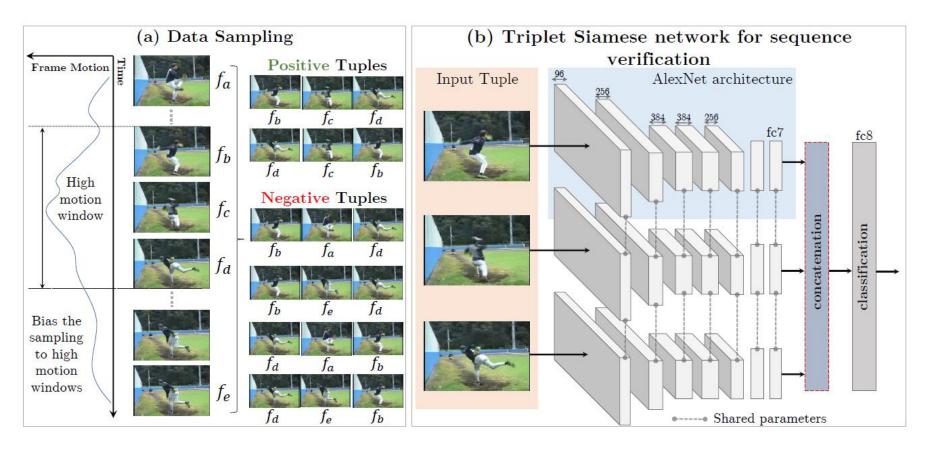


Fig. 2: (a) We sample tuples of frames from high motion windows in a video. We form positive and negative tuples based on whether the three input frames are in the correct temporal order. (b) Our triplet Siamese network architecture has three parallel network stacks with shared weights upto the fc7 layer. Each stack takes a frame as input, and produces a representation at the fc7 layer. The concatenated fc7 representations are used to predict whether the input tuple is in the correct temporal order.

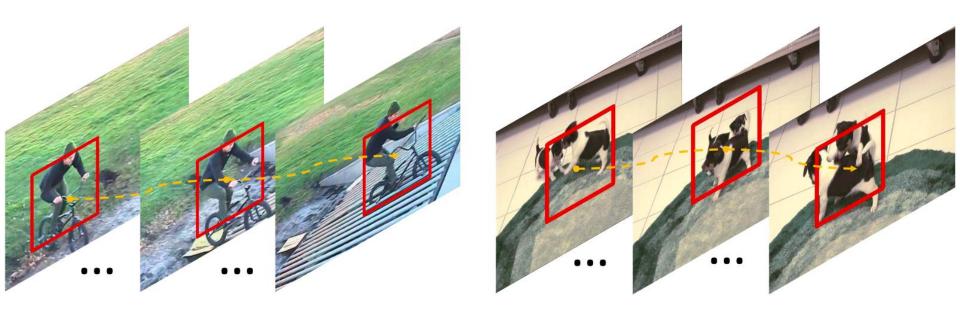
Table 2: Mean classification accuracies over the 3 splits of UCF101 and HMDB51 datasets. We compare different initializations and finetune them for action recognition.

| Dataset | Initialization | Mean Accuracy |
|---------|---------------------------|---------------|
| UCF101 | Random | 38.6 |
| | (Ours) Tuple verification | 50.2 |
| HMDB51 | Random | 13.3 |
| | UCF Supervised | 15.2 |
| | (Ours) Tuple verification | 18.1 |

Unsupervised Learning of Visual Representations using Videos

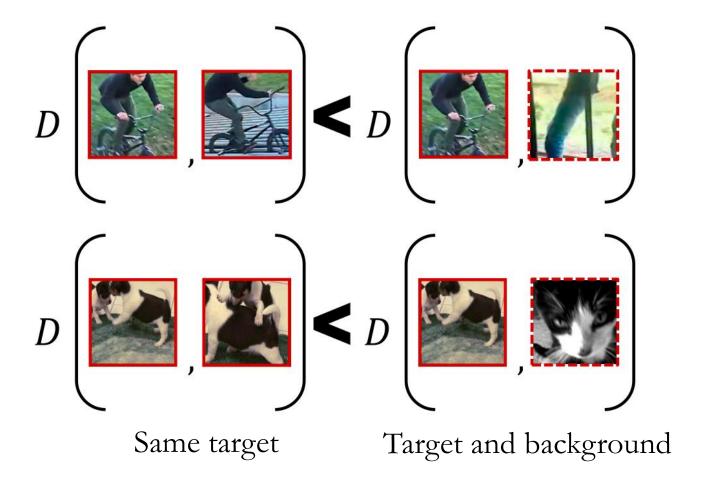
Xiaolong Wang, and Abhinav Gupta ICCV 2016

Visual Supervision from Tracking

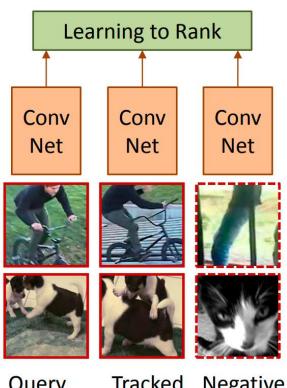


The tracking target is the same instance in the video.

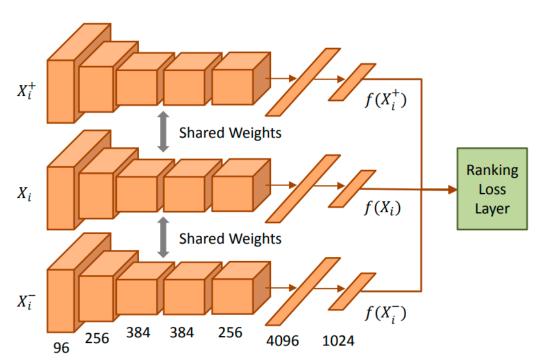
Distance in Deep Feature Space



Learning to Predict Ranking



Query Tracked Negative (First Frame) (Last Frame) (Random)



$$L(X_i, X_i^+, X_i^-) = \max\{0, D(X_i, X_i^+) - D(X_i, X_i^-) + M\}$$
$$D(X_1, X_2) = 1 - \frac{f(X_1) \cdot f(X_2)}{\|f(X_1)\| \|f(X_2)\|}$$

Results

