

42. Maximum Product Subarray

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152. Maximum Product Subarray

Medium 15.9K 481

Companies

Given an integer array `nums`, find a **subarray** that has the largest product, and return the product.

The test cases are generated so that the answer will fit in a **32-bit** integer.

Example 1:

Input: `nums = [2,3,-2,4]`
Output: 6
Explanation: `[2,3]` has the largest product 6.

Example 2:

Input: `nums = [-2,0,-1]`
Output: 0
Explanation: The result cannot be 2, because `[-2,-1]` is not a subarray.

Maximum Product Subarray

contiguous part of array.

arr = [2, 3, -2, 4] [2, -2] X (subsequence)

ans = 6

1) Brute Force

- Generate all sub array.

maxi = INT_MIN

for (i = 0; i < n; i++)

{

for (j = i; j < n; j++)

{ product = 1

for (k = i → j) // this will give subarray

{

product = product * arr[k];

```

    }
    maxi = max(maxi, product)
}

```

T.C $\Rightarrow O(n^3)$ S.C $\Rightarrow O(1)$

2) Better Solution :

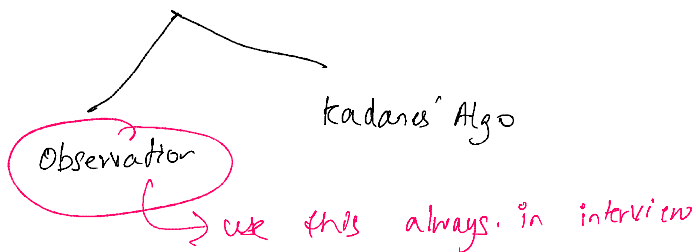
```

for(i=0; i < n; i++)
{
    product = 1
    for(j=i; j < n; j++)
    {
        prod = prod * arr[j]
        maxi = max(maxi, prod)
    }
}

```

T.C $\Rightarrow O(n^2)$ S.C $\Rightarrow O(1)$

3) Optimal Approach



arr[] = [2, 3, -2, 4]

ans = 6

1. +ve \Rightarrow multiple even no.

2. even -ve, rest +ve \Rightarrow multiple even no.

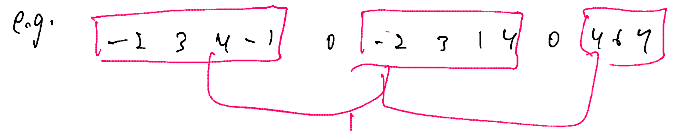
3. odd -ve rest +ve \Rightarrow will give -ve.

2. (odd) -ve, (odd) +ve \rightarrow multiply everyone

3. odd -ve, rest +ve \Rightarrow will give -ve.

we need max product, so you can do
remove one -ve nos of odd nos of -ves will
leave us with even nos of -ve.

4. if it has '0', multiplication will be '0'.



$\{ \begin{matrix} 2 & 3 & -2 & 4 \end{matrix} \}$
 $\begin{matrix} \uparrow & \uparrow & \uparrow & \uparrow \end{matrix}$

max = ~~INT_MIN~~

pref = ~~1 2 6 -12 -48~~

~~2~~ (6)

suff = ~~1 4 8 -24 -96~~

\rightarrow this is max of {2, 3}

Now if there is '0' in the array and if
you encounter '0' while multiplying then
change the prefix to '1' again. (starting up new).

Pseudo

pref = 1, suff = 1

for (i = 0 \rightarrow n-1)

$\{ \begin{matrix} \text{if (pre == 0) pre = 1} \\ \text{if (suff == 0) suff = 1} \end{matrix} \right\}$ // handling '0' in the array.

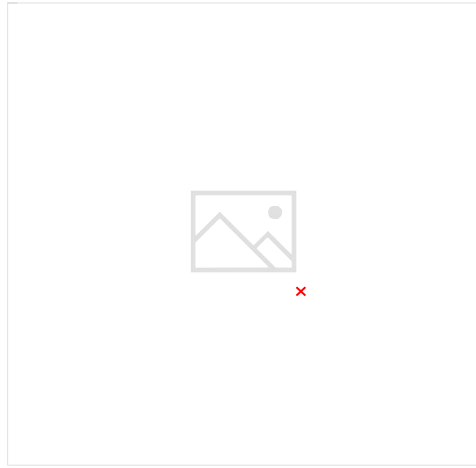
pref = pref * arr[i]

suff = suff * arr[n-i-1]; // as suff is from back.

maxi = max(maxi, max(pref, suff))

}

return maxi;



$TC \Rightarrow O(n)$ $SC \Rightarrow O(1)$