

QuickSort

→ Sort in ascen/dec. order.

T.C $\Rightarrow O(N \log N)$ S.C $\Rightarrow O(1)$

arr[] = 4 6 2 5 7 9 1 3

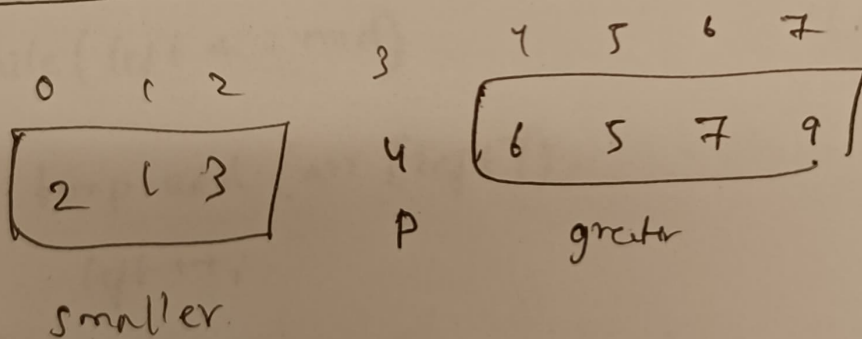


S1 → Pick a pivot element (any element)

$P = 4$

~~S2~~ → Place the pivot in the correct place in the sorted array

S2 ⇒ Smaller on the left, larger on the right



1 2 3 4 5 6 7 9 → Sorted.

let's pick smaller one and again perform same steps

2 1 3

$p = 2$

$S-1 \Rightarrow$ 1
smaller 2 3
larger

$S-2 \Rightarrow$ 1 2 3

wherever array has '1' element we don't do anything.
because '1' element is sorted in itself.

So, now in original place it get chosen

Now for larger

6 5 7 9

$p = 6$

$S1 \Rightarrow$ 5 6 7 9

$S2 \Rightarrow$ 5 6 7 9

single array

Original array

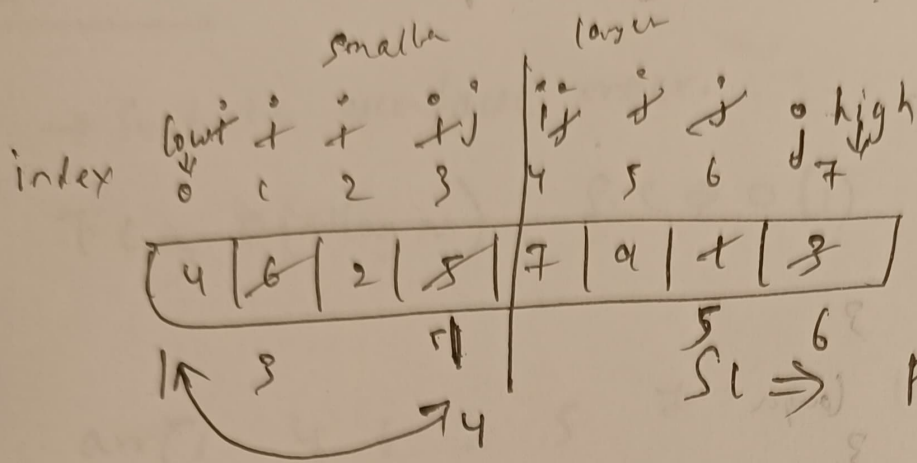
Now for larger

$p = 7$ 7 9

$S1 \Rightarrow$ 7 9

$S2 \Rightarrow$ 7 9

* We will use low and high pointer.



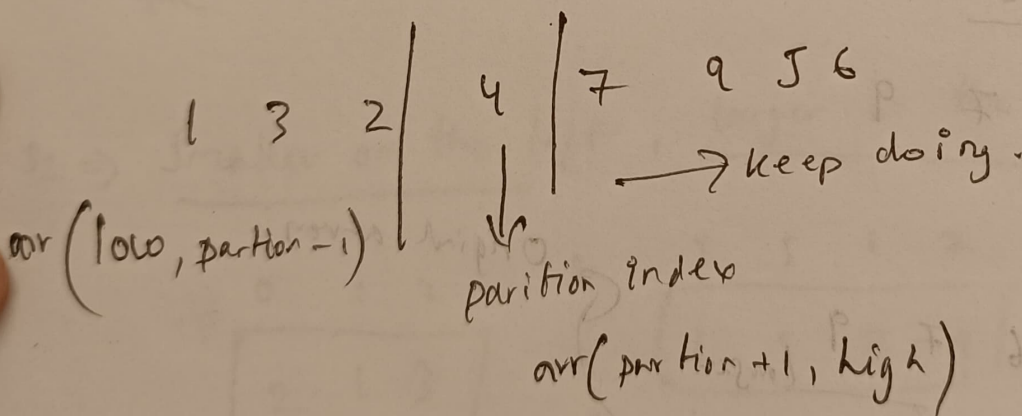
$S2 \Rightarrow$

figure out 1st guy ⁱ greater than pivot in the left

and smaller guy lesser than pivot in the right

and then swap

same thing



$qs(\text{arr}, \text{low}, \text{high})$

if $(\text{low} < \text{high})$

$\text{partIndex} = f(\text{arr}, \text{low}, \text{high})$

$qs(\text{arr}, \text{low}, \text{partIndex} - 1)$

$qs(\text{arr}, \text{partIndex} + 1, \text{high});$

int f(arr, low, high)

pivot = arr[low];

i = low;

j = high;

while (i < j)

{ // for left

while (arr[i] <= ~~arr[pivot]~~^{arr[pivot]} && i <= high)

{ i++ }

// for right

while (arr[j] > ~~arr[pivot]~~^{arr[pivot]} && j >= low)

{ j-- }

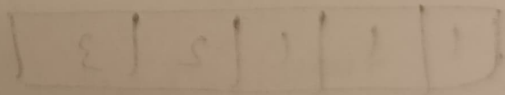
if (i < j) swap(arr[i], arr[j]);

return j;

}

T.C $\Rightarrow O(n \log n)$

S.C $\Rightarrow O(1)$



(arr, low, high)

print(arr)