

8. LC 39. Combination Sum

Given an array of **distinct** integers **candidates** and a target integer **target**, return a **list of all unique combinations** of **candidates** where the chosen numbers **sum to target**. You may return the combinations in **any order**.

The **same** number may be chosen from **candidates** an **unlimited number of times**. Two combinations are unique if the frequency of at least one of the chosen numbers is different.

It is **guaranteed** that the number of unique combinations that sum up to **target** is less than **150** combinations for the given input.

Example 1:

Input: candidates = [2,3,6,7], target = 7

Output: [[2,2,3],[7]]

Explanation:

2 and 3 are candidates, and $2 + 2 + 3 = 7$. Note that 2 can be used multiple times.

7 is a candidate, and $7 = 7$.

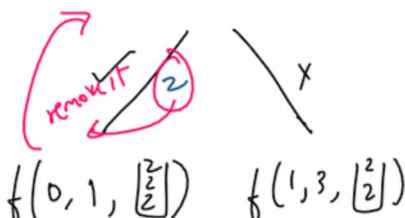
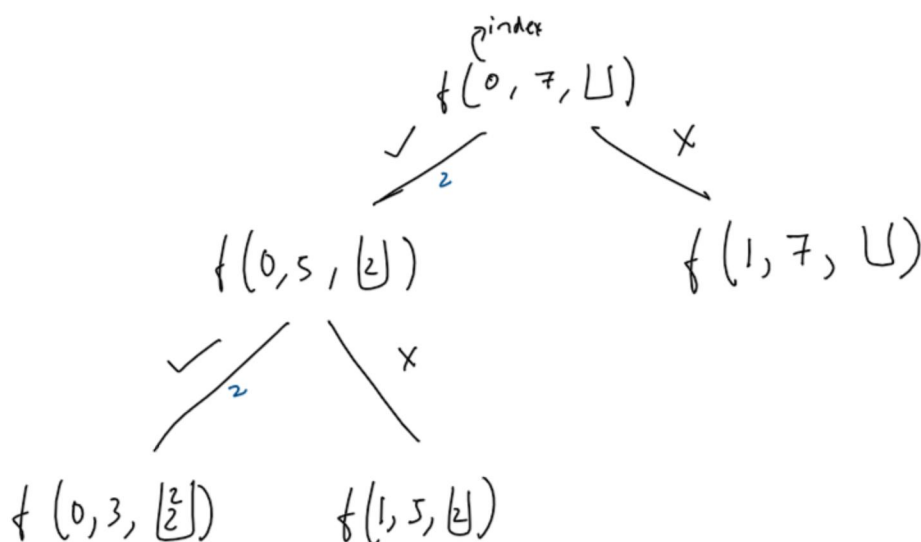
These are the only two combinations.

$$\text{arr} [] = \{ 2, 3, 6, 7 \} \quad \text{target} = 7$$

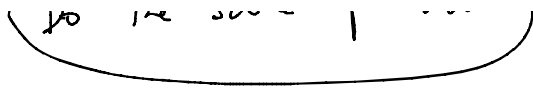


$$\text{arr} [] = \{ 2, 3, 6, 7 \} \quad \text{target} = 7$$

0 1 2 3



Do the same for all



ind == end
target == 0

$(2, 2, 3) \Rightarrow$ one of the combinations

\mathbb{P}^1 \mathbb{P}^1 \mathbb{N} \mathbb{N}
 0 1 2 3

$$f(ind, target, ds)$$

ds.add(a[ind])

$f(ind, target - a[ind], ds)$ // pick $f(ind+1, target, ds)$ // Not pick

if ($a[ind] \leq target$)

base case

if ($ind == n$)

if ($target == 0$) ds \rightarrow U

else return;

T.C $\Rightarrow O(2^k * k)$

S.C $\Rightarrow O(k * n)$

Here the pattern is pick and not pick

```
class Solution {
    private void findCombination(int ind, int[] arr, int target, List<List<Integer>> ans, List<Integer> ds){
        // base case
        if(ind == arr.length){
            if(target == 0){
                ans.add(new ArrayList<>(ds));
            }
            return;
        }
        //pick condition
        if(arr[ind] <= target){
            ds.add(arr[ind]);
            findCombination(ind, arr, target - arr[ind], ans, ds);
            ds.remove(ds.size() - 1); //backtrack
        }
        // not pick condition
        findCombination(ind + 1, arr, target, ans, ds);
    }

    public List<List<Integer>> combinationSum(int[] candidates, int target) {
        List<List<Integer>> ans = new ArrayList<>();
        // new ArrayList<>() in findCombination is empty ds as we start with empty ds
        findCombination(0, candidates, target, ans, new ArrayList<>());
        return ans;
    }
}
```

```

class Solution {
public:
    void findCombination(int ind, int target, vector<int> & arr, vector<vector<int>> &ans, vector<int> &ds){
        if(ind == arr.size()){
            if(target == 0){
                ans.push_back(ds);
            }
            return;
        }
        //pick up
        if(arr[ind] <= target){
            ds.push_back(arr[ind]);
            findCombination(ind, target - arr[ind], arr, ans, ds);
            ds.pop_back();
        }
        //not pick-up
        findCombination(ind + 1, target, arr, ans, ds);
    }

public:
    vector<vector<int>> combinationSum(vector<int>& candidates, int target) {
        vector<vector<int>> ans;
        vector<int>ds;
        findCombination(0, target, candidates, ans, ds);
        return ans;
    }
};

```