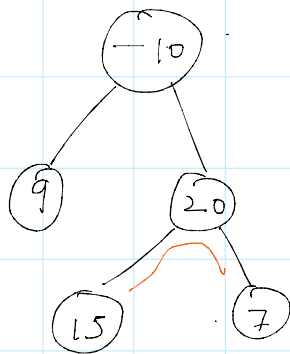


## 124. Binary Tree Maximum Path Sum

19 February 2022 10:41 AM

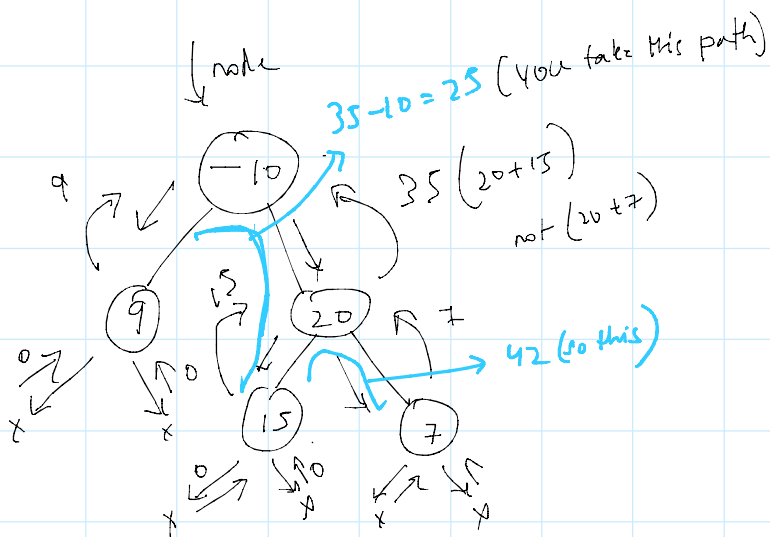


$$\text{maxi path} = 15 + 20 + 7 = 42$$

\* Finding the maxi height of a BT / width of a B.T



$$\text{formula} \Rightarrow \text{val} + (\text{maxL} + \text{maxR})$$



$$\text{maxi} = 0 \text{ } 9 \text{ } 15 \text{ } 42$$

for node 9

$$\text{maxi} = \max(0, 0 + 0 + 9)$$

$$\text{maxi} = 9$$

int maxPath (node, maxi)

{

if (node == null) return 0;

leftSum = maxPath (node.left, maxValue)

rightSum = maxPath (node.right, maxValue)

maxi = max (maxi, leftSum + rightSum + node);

return (node.val) + max (leftSum, rightSum);

}

return  $9 + 0 = 9$

for node  $(-10)$

left sum it got  $= 9$

now for right sum  $= 35$  (found below)

$\text{maxi} = \max(42, 9 + (-10) + 35)$   
 $= 42$   $\swarrow 39$

for node  $(7)$

$\text{maxi} = \max(15, 0 + 0 + 7)$

$\text{maxi} = 15$

return  $7 + 0 = 7$

for node  $(15)$

$\text{maxi} = \max(9, 0 + 0 + 15)$

$\text{maxi} = 15$

return  $15 + 0 = 15$

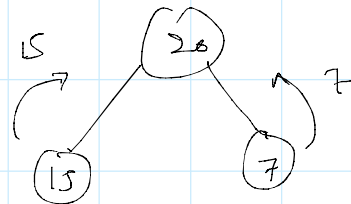
for node  $(20)$

$\text{maxi} = \max(15, 15 + 7 + 20)$

$\text{maxi} = 42$

So now if you look

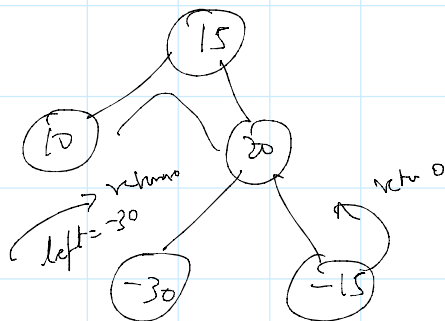
return  $(\text{node.val}) + \max(ls + rs)$



return  $20 + 15 = 35$

Here you consider  
15 as it max

Test Case



This logic won't work here

When there is (-ve) return 0.

taking (-ve) will not give max path

So return 0; and ignore -ve path.

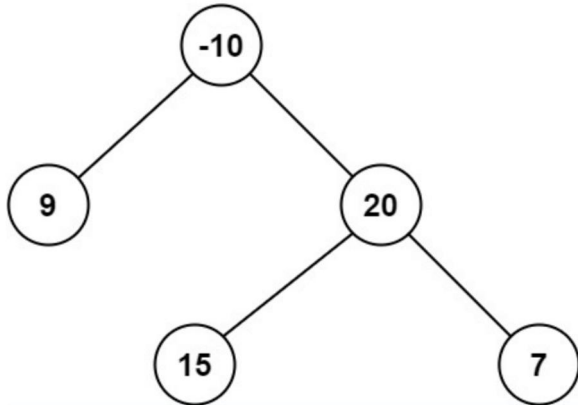
## 124. Binary Tree Maximum Path Sum

Hard 8568 508 Add to List Share

A **path** in a binary tree is a sequence of nodes where each pair of adjacent nodes in the sequence has an edge connecting them. A node can only appear in the sequence **at most once**. Note that the path does not need to pass through the root.

The **path sum** of a path is the sum of the node's values in the path.

Given the **root** of a binary tree, return the **maximum path sum** of any **non-empty path**.



Input: root = [-10,9,20,null,null,15,7]

Output: 42

Explanation: The optimal path is 15 -> 20 -> 7 with a path sum

C++

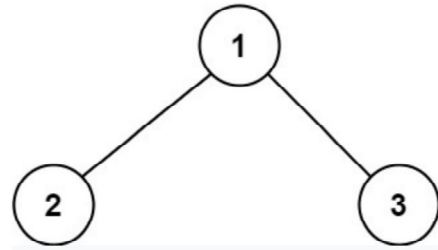
```
class Solution {
public:
    int maxPathSum(TreeNode* root) {
        int maxi = INT_MIN;
        maxPathDown(root, maxi);
        return maxi;
    }

    int maxPathDown(TreeNode* node, int &maxi) {
        if (node == NULL) return 0;
        int left = max(0, maxPathDown(node->left, maxi));
        int right = max(0, maxPathDown(node->right, maxi));
        maxi = max(maxi, left + right + node->val);
        return max(left, right) + node->val;
    }
};
```

Java

```
class Solution {
    public int maxPathSum(TreeNode root) {
        // as in java taking it as array because we know that
        // variable and cannot pass it as reference so declared
        // with size 1 and stored the maxvalue in 0th index
        // in C++ direct int maxi = INT_MIN;
        int maxvalue[] = new int[1];
        maxvalue[0] = Integer.MIN_VALUE;
        maxPathDown(root, maxvalue);
        return maxvalue[0];
    }
}
```

### Example 1:



Input: root = [1,2,3]

Output: 6

Explanation: The optimal path is 2 -> 1 -> 3 with a path sum of 2 + 1 + 3 = 6.

Explanation: The optimal path is 15 -> 20 -> 7 with a path sum of 15 + 20 + 7 = 42.

### Constraints:

- The number of nodes in the tree is in the range  $[1, 3 \times 10^4]$ .
- $-1000 \leq \text{Node.val} \leq 1000$

```
private int maxPathDown(TreeNode node, int maxValue[]){  
    if(node == null) return 0;  
  
    //if there is -ve then sum will be 0  
    int leftSum = Math.max(0, maxPathDown(node.left, maxValue));  
    int rightSum = Math.max(0, maxPathDown(node.right, maxValue));  
  
    maxValue[0] = Math.max(maxValue[0], leftSum + rightSum + node.val);  
    return Math.max(leftSum, rightSum) + node.val;  
}  
}
```