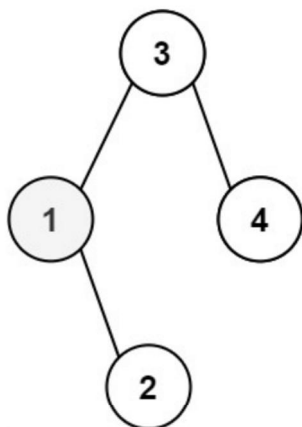


## 230. Kth Smallest Element in a BST

02 April 2022 05:23 PM

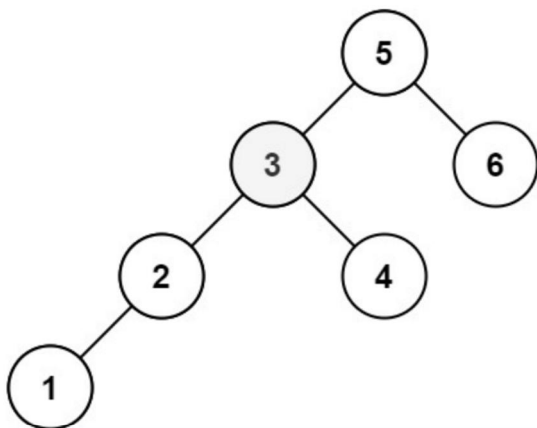
Given the `root` of a binary search tree, and an integer `k`, return the  $k^{\text{th}}$  smallest value (**1-indexed**) of all the values of the nodes in the tree.

Example 1:



Input: `root = [3,1,4,null,2]`, `k = 1`  
Output: 1

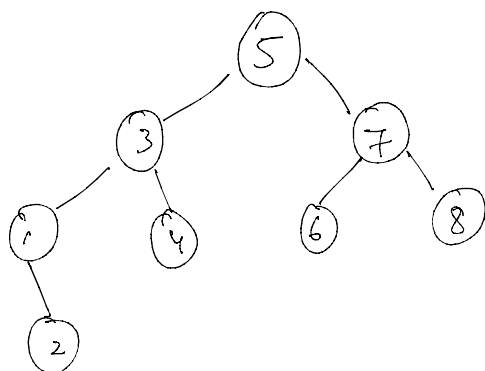
Example 2:



Input: `root = [5,3,6,2,4,null,null,1]`, `k = 3`  
Output: 3

Constraints:

- The number of nodes in the tree is `n`.
- $1 \leq k \leq n \leq 10^4$
- $0 \leq \text{Node.val} \leq 10^4$



$k = 3$

→ this is the  $k^{\text{th}}$  smallest element  
1 2 3 4 5 6 7 8  
↑

DFS approach (Pre, post order, Inorder)

\* nodes  
→ Vector/List  
→ Sort

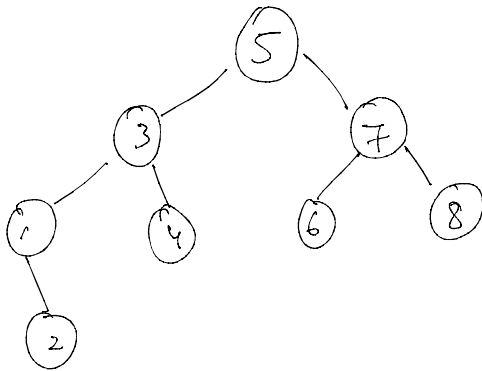
→ Vector/List  
 → Sort  
 → Remove the  $k^{\text{th}}$

$$T.C \Rightarrow O(N) + O(N \log N)$$

$$S.C \Rightarrow O(N)$$

### \* Efficient Approach

Traverse (Left Root Right)



\* The inorder of any given Binary Search tree is always in sorted order

1 2 3 4 5 6 7 8



$$S.C \Rightarrow O(N)$$

To avoid space, you can keep counter = 0, whenever you visit the node, do the counter++ and the moment counter == k.

if (cnt == k)

ans = node

Recursive  $T.C \rightarrow O(N)$   $S.C \rightarrow O(N)$

Recursive T.C  $\rightarrow O(N)$  S.C  $\rightarrow O(N)$   
Iterative  $\nearrow$

Morris Traversal S.C  $\rightarrow O(1)$

Now for  $k^{\text{th}}$  largest :

one traversal  $\longleftrightarrow O(N)$

$k^{\text{th}}$  largest  $= (N - k + 1)^{\text{th}}$  smallest

```
else{
    if(stack.isEmpty()){
        break;
    }
    node = stack.pop();
    // inorder.add(node.val);
    cnt++;
    if(cnt == k) return node.val;
    node = node.right;
}
}
return -1;
}
```